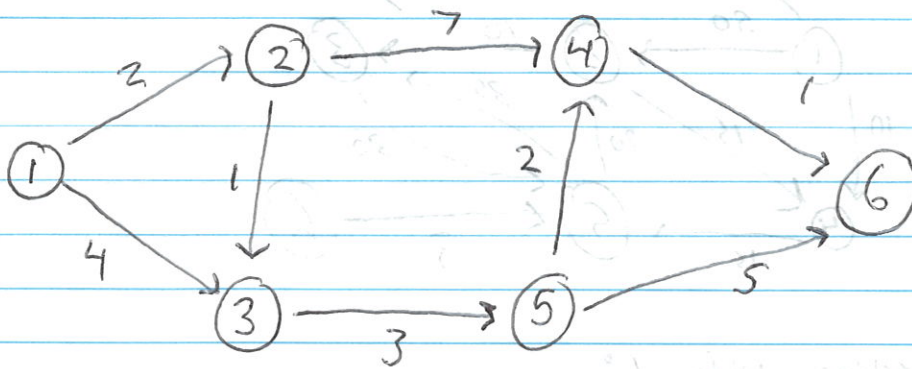


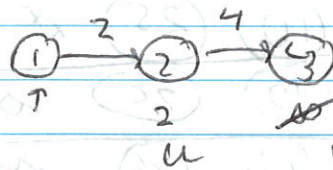
Dijkstra's Algorithm

single source shortest path to all vertices.



Optimization, minimization, therefore Greedy!

small ex:

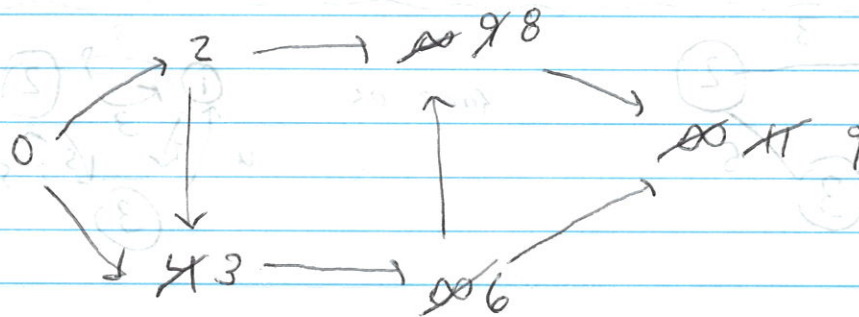


1 → 3 is 6
1 → 2 is 2

Relaxation is the updating.

if $(d[u] + c(u,v) < d[v])$
 $d[v] = d[u] + c(u,v)$

yes! $1/2+4 \leq \infty$

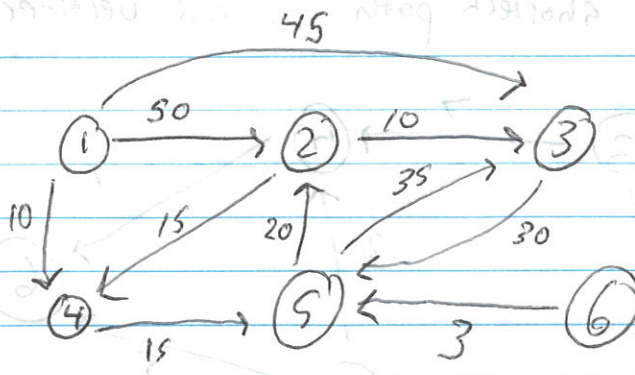


now select smallest, which is 2 and check distances
do relaxing if needed.

now we have vertex 1 to all others

v : 2 3 4 5 6
 $d[v]$: 2 3 8 6 9

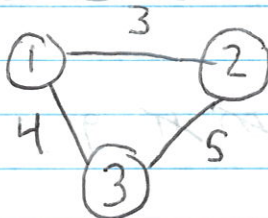
Now Let's do example with table



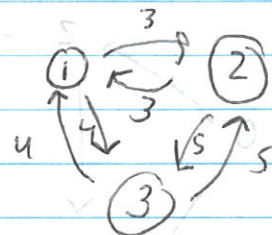
starting vertex 1:

selected vertex	2	3	4	5	6
1	50	45	10	∞	∞
5	50	45	10	25	∞
2	45	45	10	25	∞
3	45	45	10	25	∞
6	45	45	10	25	∞

Done

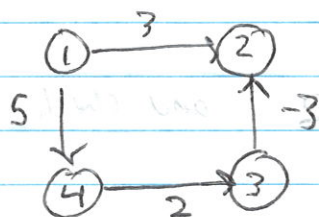


same as

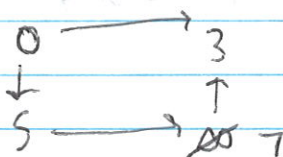


can do undirected!

negatives



Dijkstra's didn't include negatives



3 already relaxed can't do it so fails