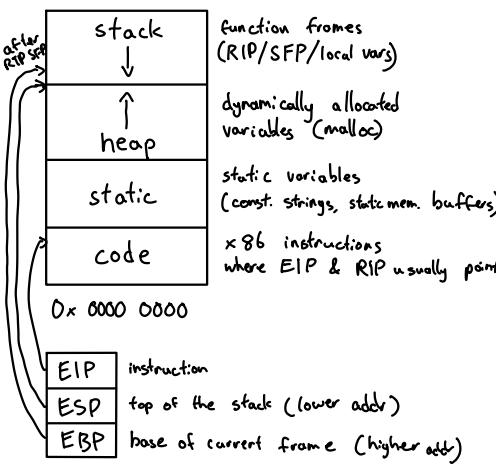


X 86

0xFFFF FFFF



RIP : old EIP

SFP : prev. func.'s EBP

push puts reg value on stack & moves esp (lower)
pop puts value @ esp into reg

④ off by one vuln: write one byte past buf into LSB of SFP so it points into buf → shell

① ref 2 ref

defenses

① Stack canary

RIP foo

SFP foo

CANARY

buf[4:8]

buf[0:4]

- can still heap overflow
- local vars can still be overwritten
- if attack happens before return, canary not checked
- can be traced
- canary checked when return

RIP main	little-endian: least significant byte is stored at the lowest mem	1. push args onto stack (reverse)
SFP main	0x DEADBEFF	2. push old EIP (RIP) onto stack
arg 2	EF BF AD DE	3. update EIP
arg 1		
RIP foo		
SFP foo		
buf[5:8]		4. push old EBP (sfp) onto stack
buf[0:4]		5. move EBP down to SFP
		6. move ESP down for new frame
		7. run function. 8. move ESP up to EBP
		9. restore old EBP by popping SFP. 10. restore EIP pop RIP
		11. remove arguments from stack by moving ESP up.

MEMORY SAFETY ATTACKS

- ① buffer overflow
- Vuln: code uses unsafe gets, read, etc instead of fgets, fread
can write to any region above buf (auth fail, *fnptr injection)
- ② stack smashing vuln: buffer overflow to overwrite RIP to point to shellcode. when func returns, exec will jump to RIP add.
- ③ integer conversion vuln: checking len < 3 - passing -1 (buff...) and it being interpreted as an unsigned int later (2s prev.)
- ④ format string vuln: %c ingests one char of args, %K n prints as ^{being} unsigned int & adds whitespace to display K total characters

%s derefs & prints values PTR string

%n writes n of bytes that have been printed as a 4-byte int to the mem add in arg PTR

%hn same but 2byte word PTR
%x prints words in hex VALUES

③ ASLR randomize the start

- of each segment of memory
- relative addresses still preserved
- if one stack add leaked, other addresses can be determined
- can be subverted with ROP: return-oriented programming which allows you to look for useful segments of code called gadgets that can allow you to perform specific attacks

confidentiality: can't read
integrity: can't change
authenticity: can verify sender

IND-CPA:

1. eve sends alice M_0, M_1
 2. alice randomly encrypts & sends one
 3. eve guesses $O.S$
- deterministic \rightarrow not IND-CPA secure

1-time pk:
gen random n-bit key
 $enc = dec = k \oplus$

ENC

block cipher by itself:

- not IND-CPA secure
- can't handle non-fixed size

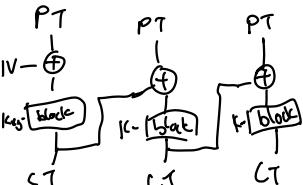
ECB mode:

encrypt block-sized chunks
still not secure

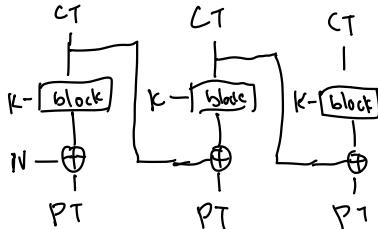
IV/Nonce: random bits, public, not reusable

CBC mode:

ENC $C_i = E_k(M_i \oplus C_{i-1}), C_0 = IV$



DEC $M_i = D_k(C_i) \oplus C_{i-1}$



Non-exec pages

- local data manipulation still possible
- ROP may bypass non-exec pages

XOR

$$1 \wedge 0 = 1, 0 \wedge 0 = 1 \wedge 1 = 0$$

commutative: $X \wedge Y = Y \wedge X$

associative: $X \wedge (Y \wedge Z) = (X \wedge Y) \wedge Z$

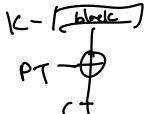
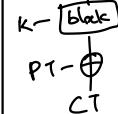
$$X \wedge X = X$$

$$0 \wedge Y = Y$$

CTR (Counter)

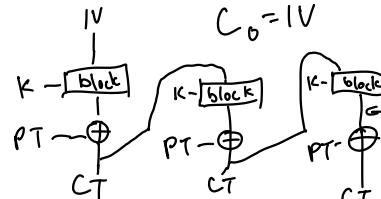
Normal Counter 0

Nonce || counter 1



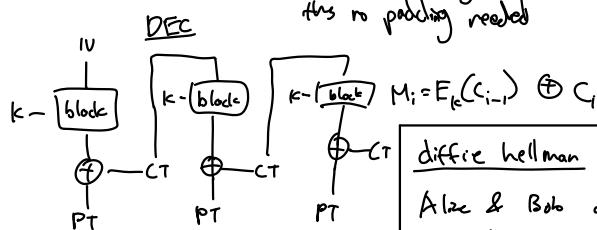
can be parallel

CFB mode: $C_i = E_k(C_{i-1}) \oplus M_i$



DEC swap PT & CT

last block, just XOR w/ the necessary # of bytes from encrypted ciphertext, thus no padding needed



diffie hellman

Alice & Bob agree on large prime P and generator G ($1 < G < P-1$)

Alice picks a , computes

$$A = g^a \pmod{P}$$

Bob picks $b \rightarrow B = g^b \pmod{P}$

announce $A \& B$

Alice calculates $B^a = g^{ab} \pmod{P}$

Bob calculates $A^b = g^{ab} \pmod{P}$

Relies on discrete log problem: given g & P & $g^a \pmod{P}$, can't find a

thus among ab & s when does so found security

MAC

Key Gen() $\rightarrow k$ fixed len
MAC(K, m): generates tag T

properties:

- correctness: deterministic
- eff - security EU-CPA
(attk cannot create a valid tag on M w/o k)

pointer authentication

unused bits of 64 bit

system are set to authentication

bits like a cavity for an address,

48 bit addr (16 bit PA)

- can track CPU into gen PAC

- brute force attack

public key cryptography

A & B don't need to share key
but much slower

el gamal

Bob announces $B = g^b \text{ mod } p$

Alice sends $C_1 = R = g^r \text{ mod } p$
and $C_2 = M \times B^r \text{ mod } p$

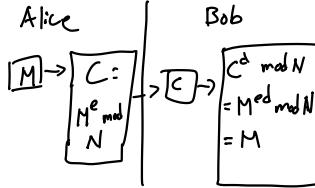
Bob calculates $C_2 \times C_1^{-b} = M \times B^r \times R^{-b}$
 $= M \times g^{br} \times g^{-br}$
 $= M \text{ mod } p$

RSA

key Gen

- large primes p & q
- $N = pq$

- choose e that is relatively prime to $(p-1)(q-1)$
- compute $d = e^{-1} \text{ mod } (p-1)(q-1)$ using EEA
- public key: (N, e)
- private key: d



Alice

Bob