

Polylambda Language Specification

1 Syntax

1.1 Expressions

e	$:=$	l v (e) $e[\tau]$ $e_1 e_2$ $e_1 \text{ op } e_2$ (e_1, \dots, e_n) $\lambda v:\tau. e$ $\Lambda t. e$ $\text{let } p = e_1 \text{ in } e_2$ $\text{fix } f = \lambda (v:\tau) \rightarrow \tau'. e \text{ in } e'$ $\text{if } e_1 \text{ then } e_2 \text{ else } e_3$	literals variables (lowercase) parenthesized type application application binary operation n -tuples, $n \geq 2$ lambda abstraction ¹ type abstraction ² let binding recursive functions ³ if expression
l	$:=$	null $\text{true} \mid \text{false}$ $\dots \mid -2 \mid -1 \mid 0 \mid 1 \mid 2 \mid \dots$	unit literal: Unit boolean literals: Bool 64-bit signed ints: Int
p	$:=$	$_ : \tau$ $v : \tau$ (p_1, \dots, p_n)	discarded pattern single argument n -tuple destructor, $n \geq 2$
op	$:=$	$\& \mid \mid \mid < \mid = \mid > \mid + \mid - \mid *$	binary operations

1.2 Types

τ	$:=$	T (τ) $\tau_1 \rightarrow \tau_2$ $\forall T. \tau$ $\tau_1 * \dots * \tau_n$ $\text{Int} \mid \text{Bool} \mid \text{Unit}$	type variable (uppercase) parenthesized arrow types universal types tuple types, $n \geq 2$ built-in types
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δ	<code>:= let $p = e$</code>	declaration
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Declarations

Alternative syntax

We can write `\` or `lambda` instead of `λ` .

We can write `any` in place of `Λ` .

We can write `forall` in place of `\forall` .

Semantics:

Call-by-value big step semantics.

When a bound variable is bound again, the new binding takes over.

There is no one-type tuples

Lexical scope.

¹One can also denote a curried multi-argument function with the syntax `$\lambda (v_1:t_1) \dots (v_n:t_n). e$` , which desugars to n nested lambda expressions. Note that in this case, parentheses are needed around each annotated argument.

²Similarly, `$\Lambda t_1 \dots t_n. e$` is n nested type abstractions.

³To define mutually recursive functions, connect the definitions using the keyword `and`. For example, one can have `fix $f_1 = \lambda (v_1:\tau_1) \rightarrow \tau'_1. e_1$ and \dots and $f_n = \lambda (v_n:\tau_n) \rightarrow \tau'_n. e_n$ in e'`