

# System F Language Specification

## Syntax

### Expressions

$e$	$:=$	$lit$ $eid$ $(e)$ $e[\tau]$ $e_1 e_2$ $e_1 op e_2$ $\lambda pat^{\geq 1}. e$ $\Lambda tid^{\geq 1}. e$ $(e_1, \dots, e_n)$ $\text{let } pat = e_1 \text{ in } e_2$ $\text{if } e_1 \text{ then } e_2 \text{ else } e_3$	literals expression identifier parenthesized type application application binary operation lambda abstraction type abstraction $n$ -tuples, $n \geq 2$ let binding if expression
$lit$	$:=$	$\text{null}$ $\text{true} \mid \text{false}$ $\dots \mid \sim 2 \mid \sim 1 \mid 0 \mid 1 \mid 2 \mid \dots$	unit literal: <b>Unit</b> boolean literals: <b>Bool</b> 64-bit signed ints: <b>Int</b>
$pat$	$:=$	$eid : \tau$ $(pat_1, \dots, pat_n)$	type-annotated variable $n$ -tuple destructor, $n \geq 2$

### Types

$\tau$	$:=$	$\tau$ $tid$ $(\tau)$ $\tau_1 \rightarrow \tau_2$ $\forall tid^{\geq 1}. \tau$ $\tau_1 * \dots * \tau_n$ $\text{Int} \mid \text{Bool} \mid \text{Unit}$	types type identifier parenthesized arrow types universal types tuple types, $n \geq 2$ built-in types
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### Notes

Multiple argument  $\lambda$ 's,  $\Lambda$ 's, and  $\forall$ 's are syntactic sugar for nested versions. For instance,

$$\lambda x:\text{Int } y:\text{Int}. x + y \stackrel{\text{def}}{=} \lambda x:\text{Int}. \lambda y:\text{Int}. x + y$$

## Semantics:

CBV big step semantics.

When a bound variable is bound again, the new binding takes over.

There is no one-type tuples

Lexical scope.