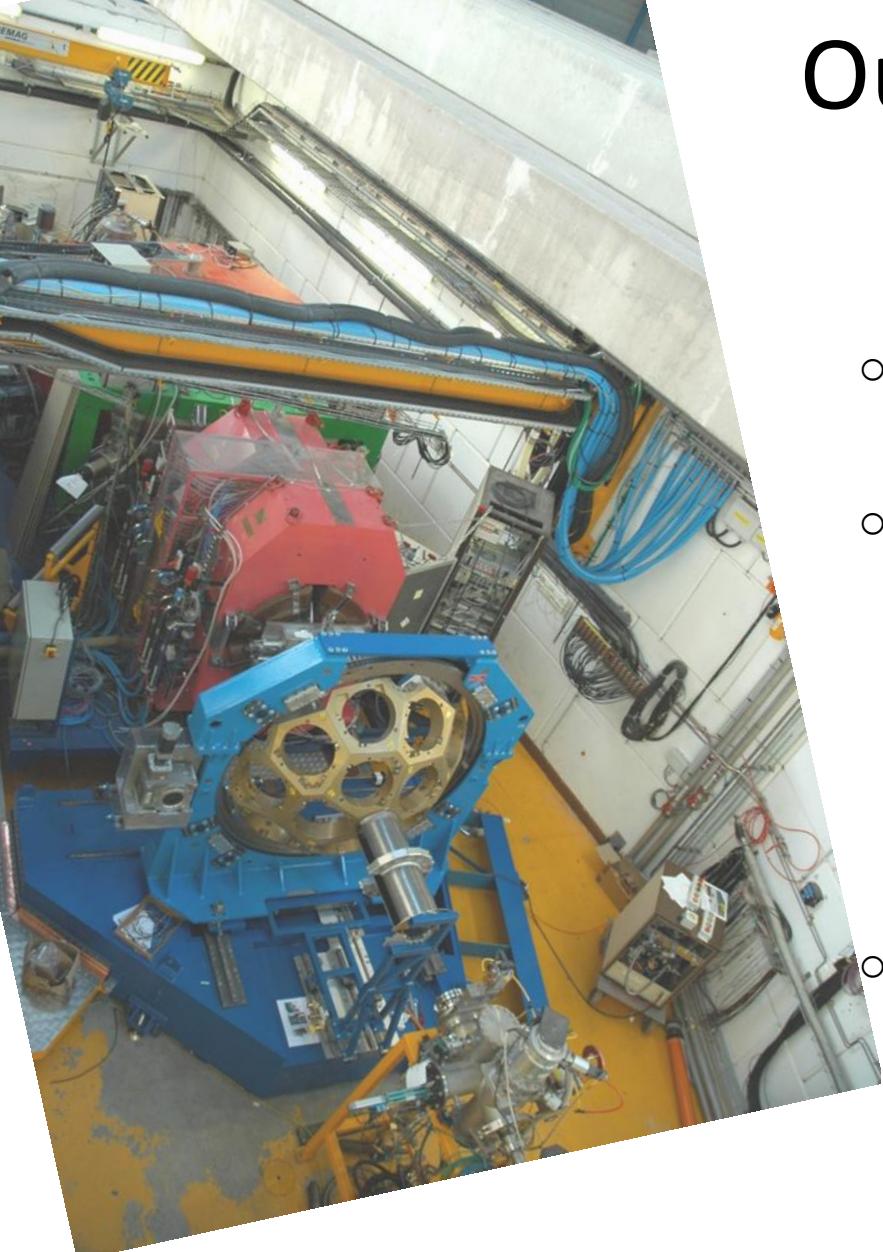




# « Analysis at GANIL »

## AGATA@VAMOS

# Outline

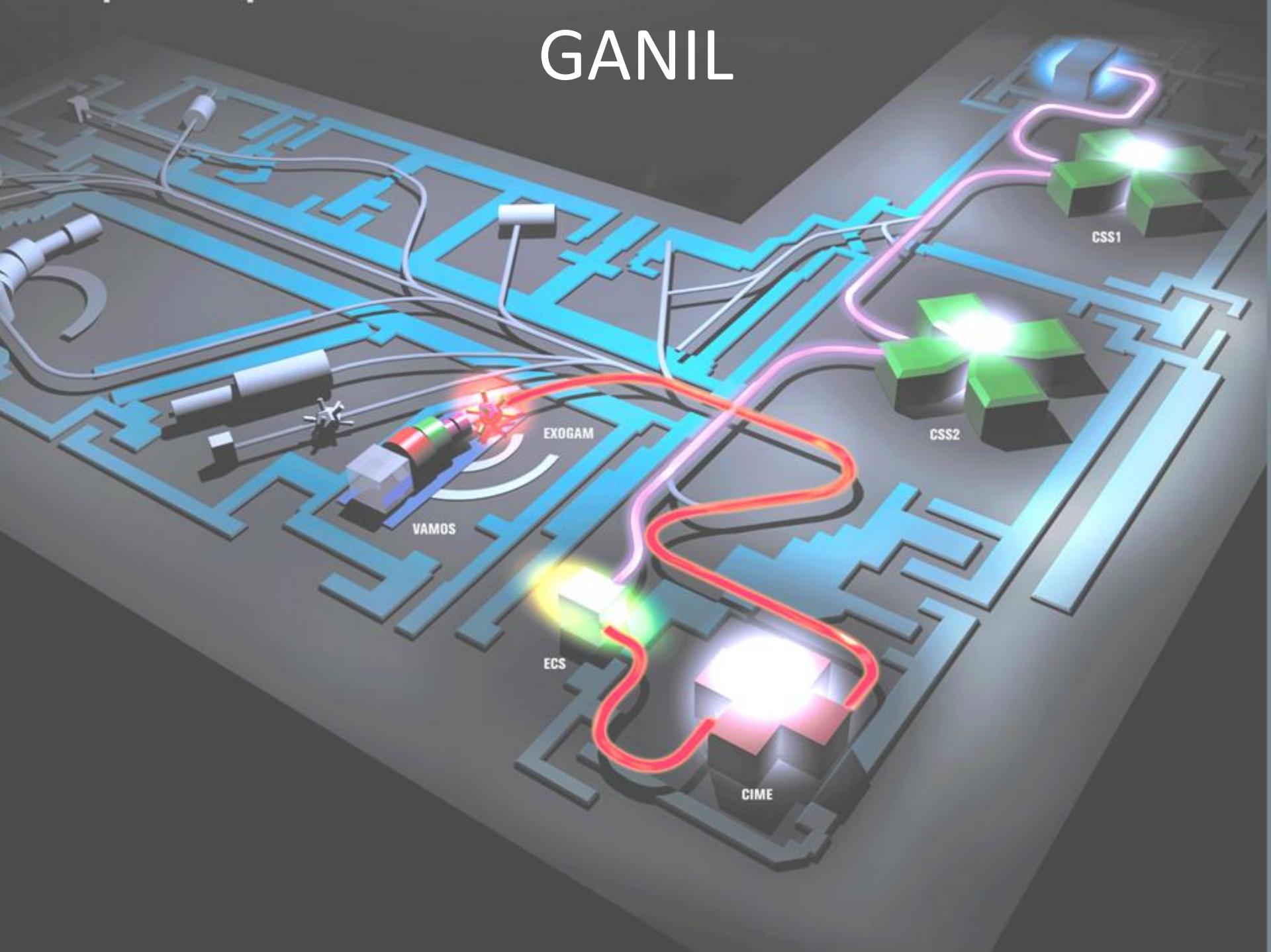


- AGATA @ Ganil - AGATA@VAMOS
  - Gamma ray spectroscopy around the Coulomb barrier
- VAMOS : large acceptance spectrometer
  - VAMOS detection setup
    - Detection what do we measure and how (well)
    - Brief Electronics and DAQ
  - VAMOS Analysis steps
    - Software available, what is to come ?
    - Analysis procedure to get the (A,Z,q)
    - Gamma – Spectra
- « Practical » Session :
  - Try to get back identification from previous data set
  - How to prepare your experiment ?

**AGATA @ GANIL**

**AGATA @ VAMOS**

# GANIL



# AGATA@GANIL

First campaign : AGATA@VAMOS  
10 accepted experiments

Spectroscopy, Lifetime measurement, g-factors  
of nuclei away from stability

- Fission Fragments (fusion fission, transfer induced)
  - $^{238}\text{U} + ^9\text{Be}$
- Multi Nucleon Transfer reactions
  - $^{238}\text{U} + ^{64}\text{Ni}$ ,  $^{238}\text{U} + ^{48}\text{Ca}$ ,  $^{106}\text{Cd} + ^{56}\text{Ni}$ ,  $^{18}\text{O} + ^{238}\text{U}$  ,  $^{136}\text{Xe} + ^{192}\text{Os}$ ,  $^{208}\text{Pb} + ^{100}\text{Mo}$

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using advantages of the availability of intense ( $2\text{pnA} = 10^{10}$  pps)  
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Energies around the Coulomb barrier  
( $\beta = 0.1 c$ )

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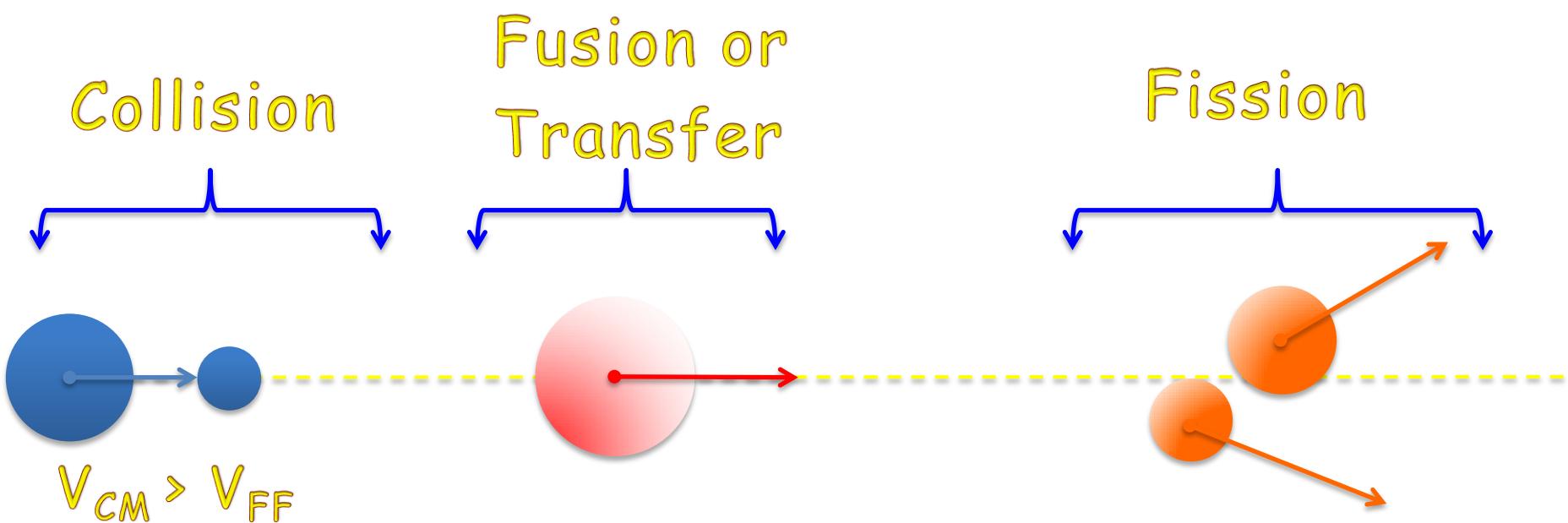
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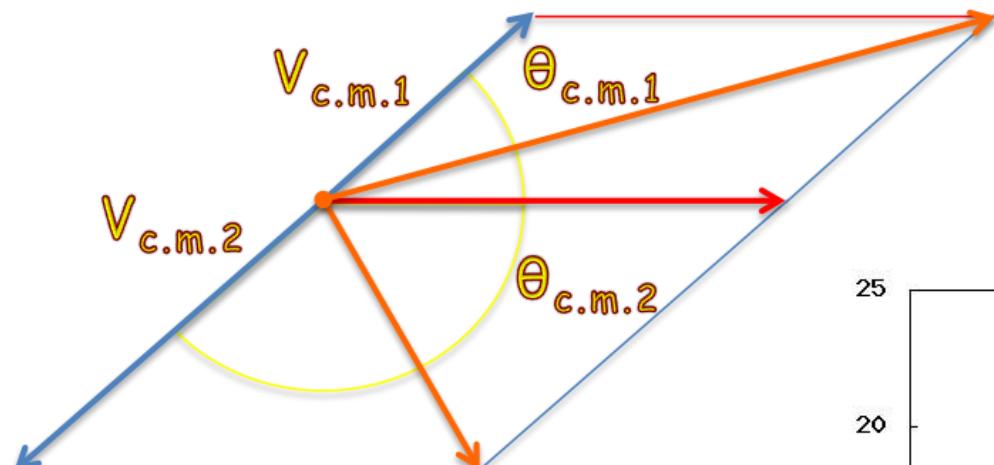
Energies around the Coulomb barrier  
( $\beta = 0.1 c$ )

In the Following we will discuss Fission, but most of  
discussion is relevant to Multi-nucleon Transfer

# Basic steps

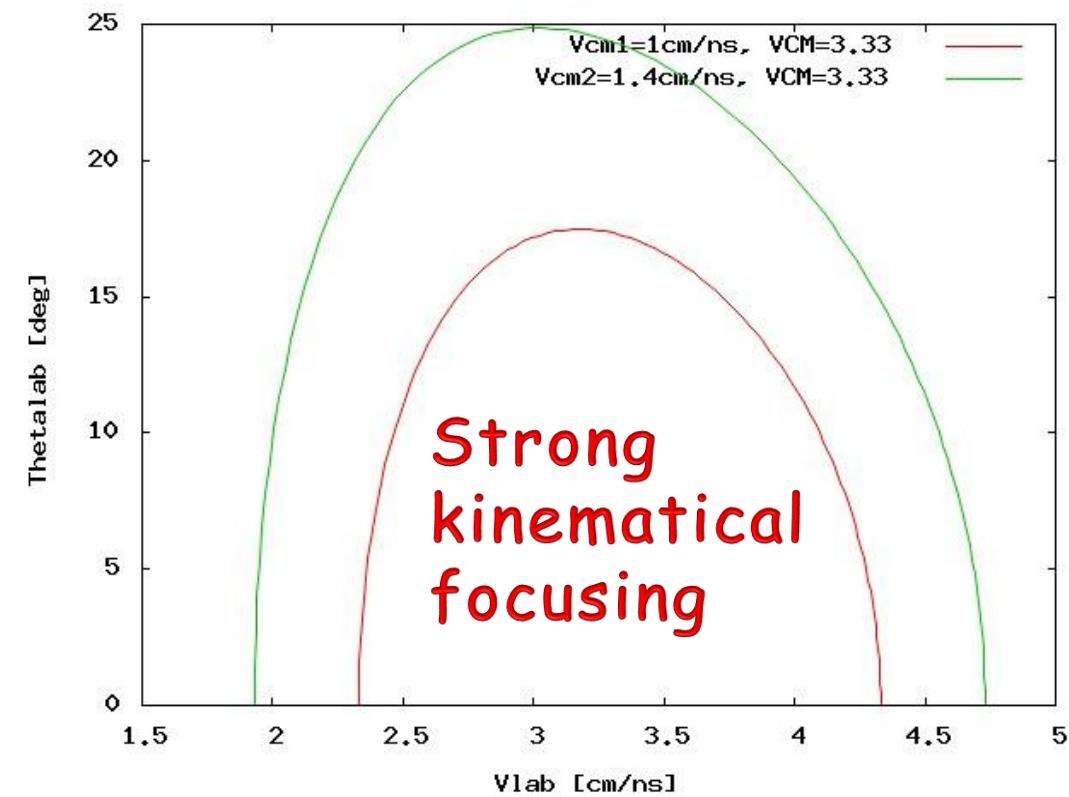


# Kinematical situation



$$V_{CM} > V_{FF}$$

$$v \sim 3 \text{ cm/ns}$$
$$\beta \sim 0.1$$



# Coupling a magnetic spectrometer to $\gamma$ -ray spectrometer

- **Ejectile Identification ( $A, Z$ )**

- Charge Number  $Z$

$$\text{Energy Loss } \Delta E \sim A Z^2 / E$$

- Mass  $A$  :

$$A/q \sim B\rho / v$$
$$E \sim A \beta^2$$

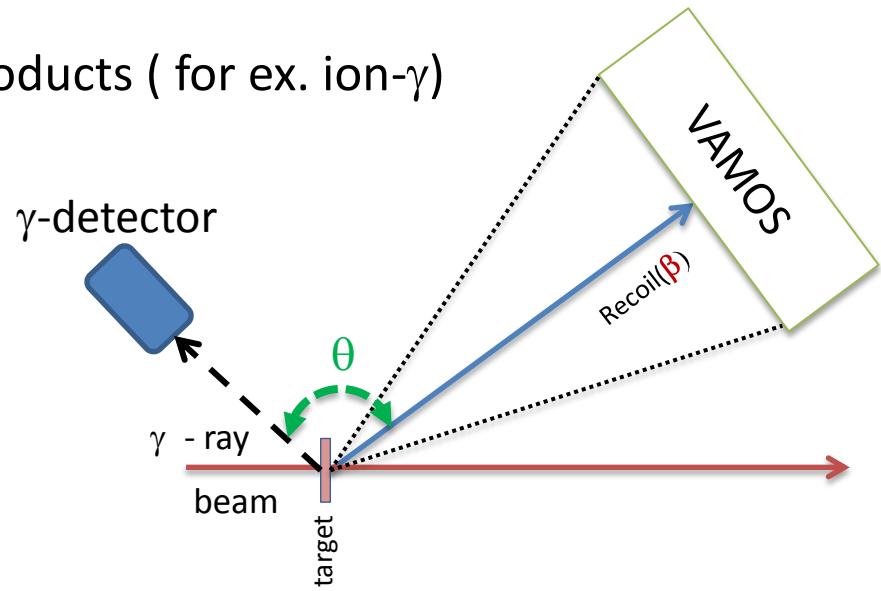
- **Selectivity :**

Trigger condition on reaction products (for ex. ion- $\gamma$ )

- **Doppler Correction :**

Ejectile Velocity (vector)

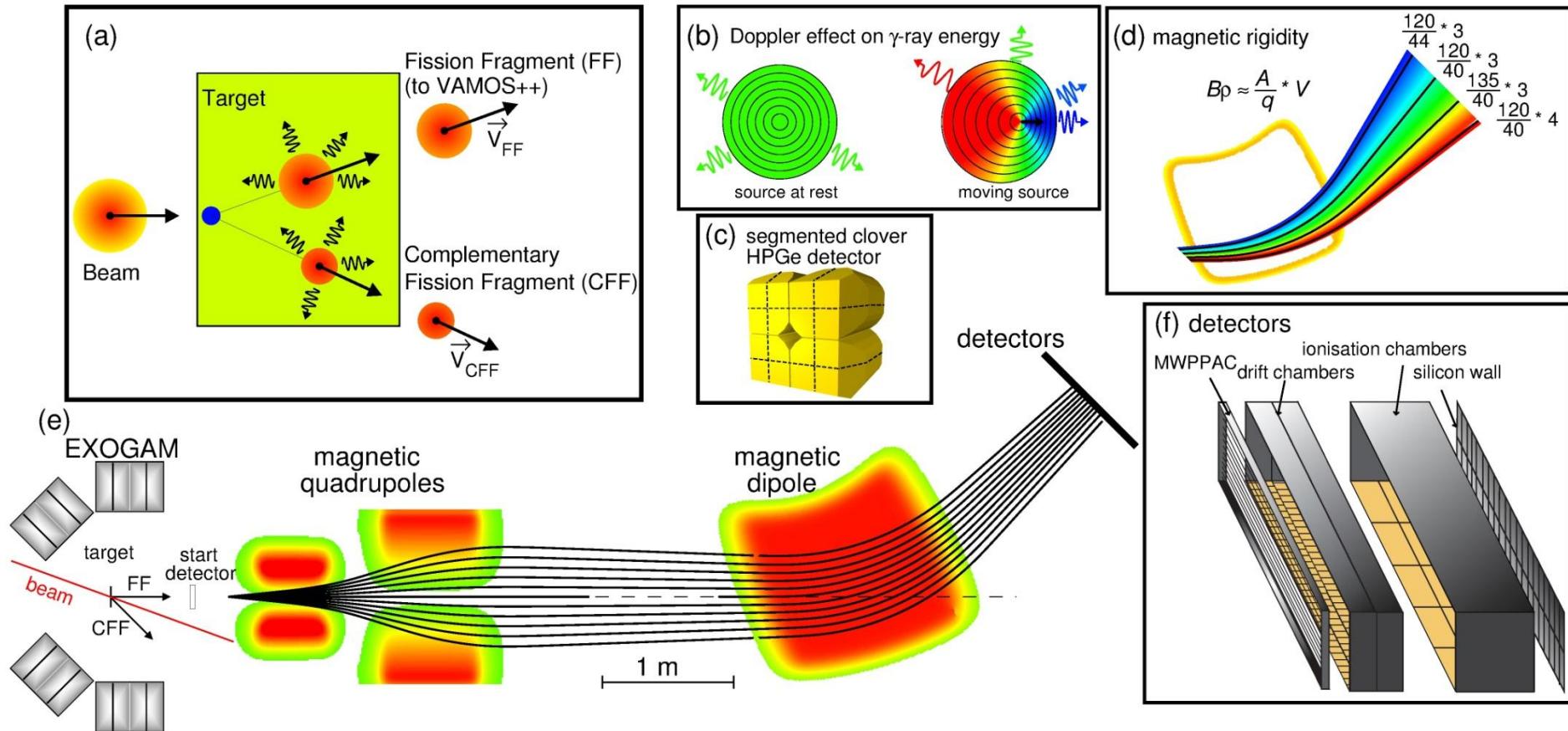
$$E_\gamma = E'_\gamma / (\gamma(1 - \beta \cos(\theta)))$$



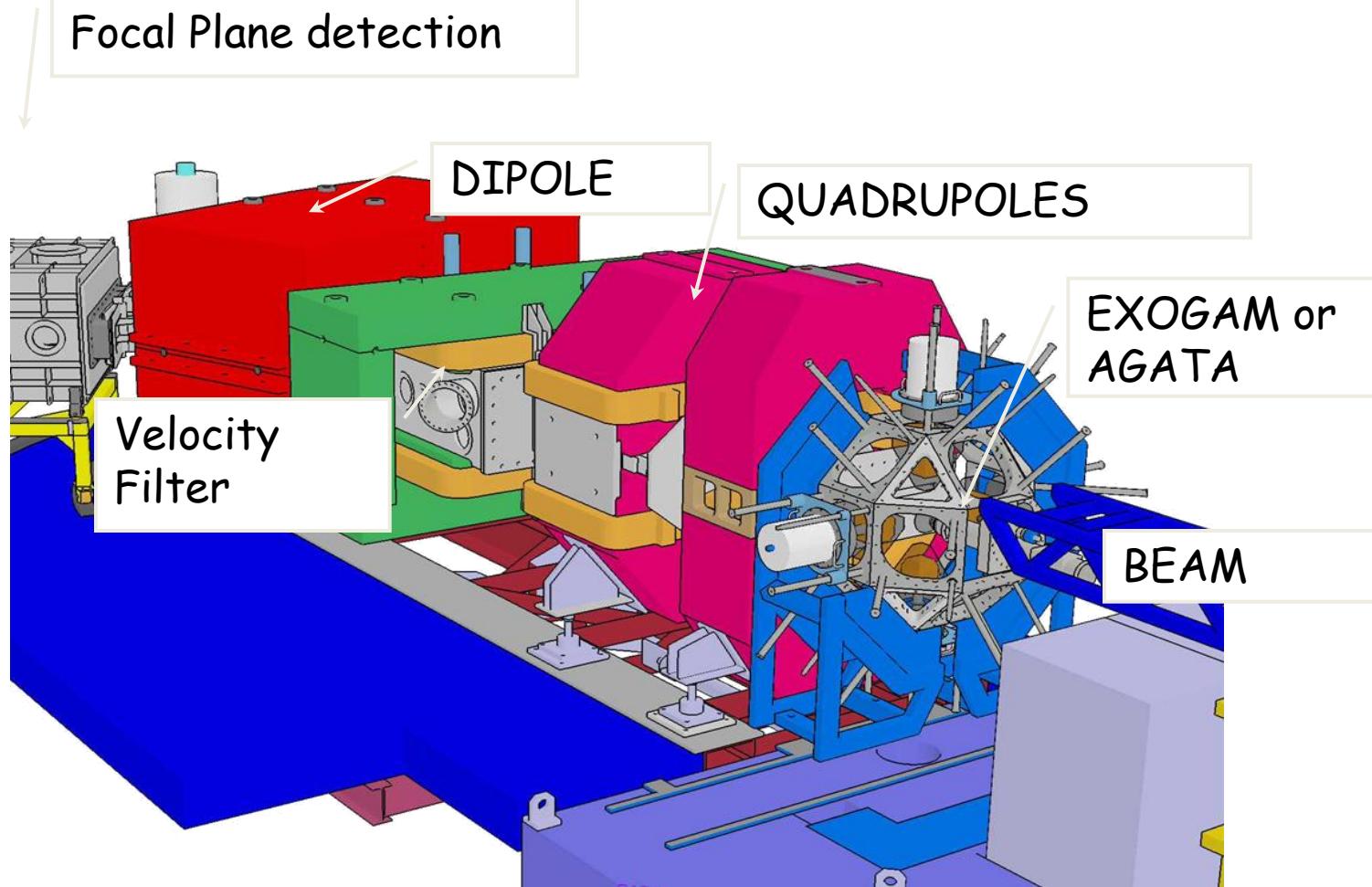
# Typical experiment with VAMOS

Overview Exemple with Fission

$^{238}\text{U}$  (6,2 MeV/u) +  $^9\text{Be}$



# VAMOS



# VAMOS Spectrometer

Vacuum – Dispersive mode

**Horizontal acceptance** : +/- 7 deg.

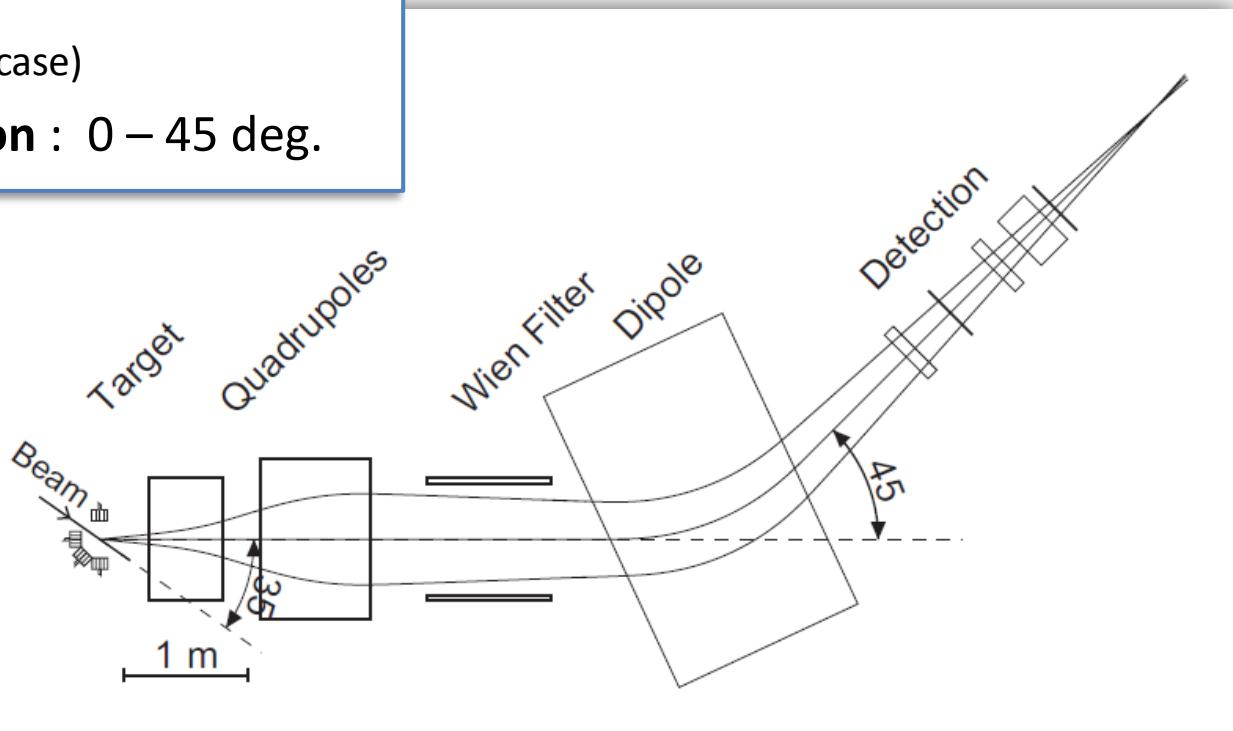
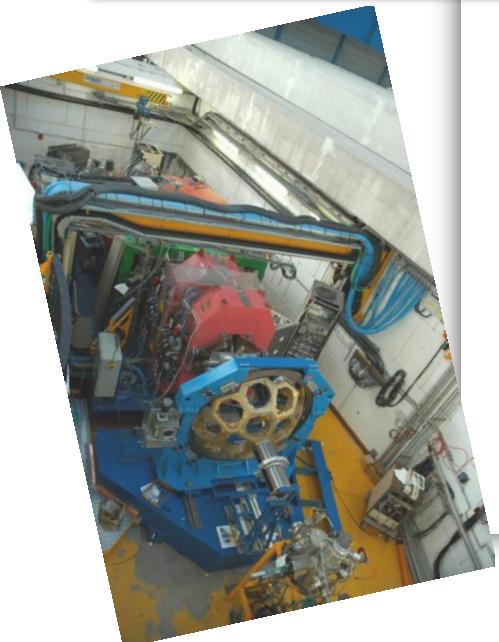
**Vertical acceptance** : +/- 10 deg.

**Max  $B\rho$**  : 1.6 Tm

$\Delta M/M \approx 1/220$

$\Delta Z/Z \approx 1/66$  (case by case)

**Angular Rotation** : 0 – 45 deg.



S. Pullanhiotan et al. , NIM A 593 (2008) 343

M. Rejmund et al., NIM A 646 (2011) 184

# VAMOS



# Magnetic spectrometer separator

B - magnetic field

m - mass

q - charge

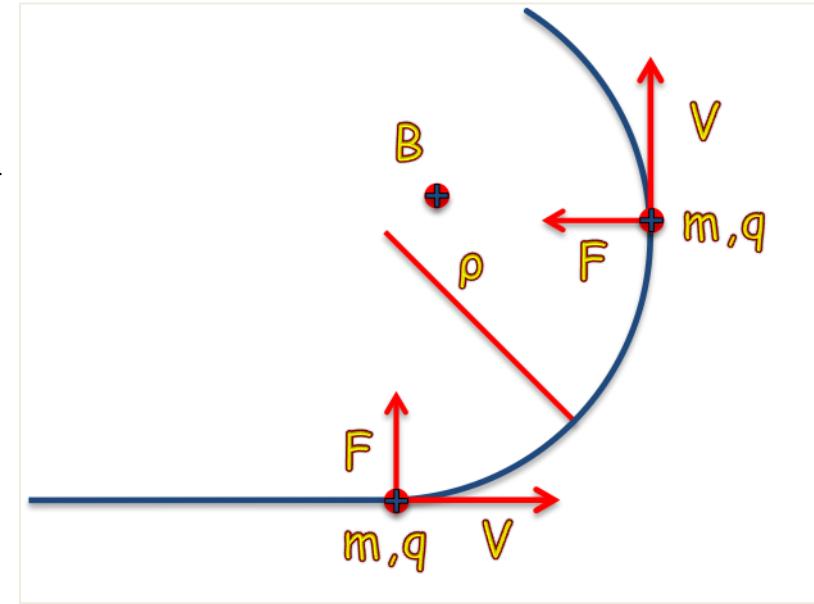
V - velocity

$\rho$  - curvature radius

$$\vec{F} = q \vec{V} \times \vec{B}$$

$$F = q V B = m \frac{V^2}{\rho}$$

$$B\rho = \frac{mV}{q}$$



$B\rho$  is called magnetic rigidity, units [T m]

$$B\rho[Tm] = 3.105 \frac{A}{q} \beta \gamma$$

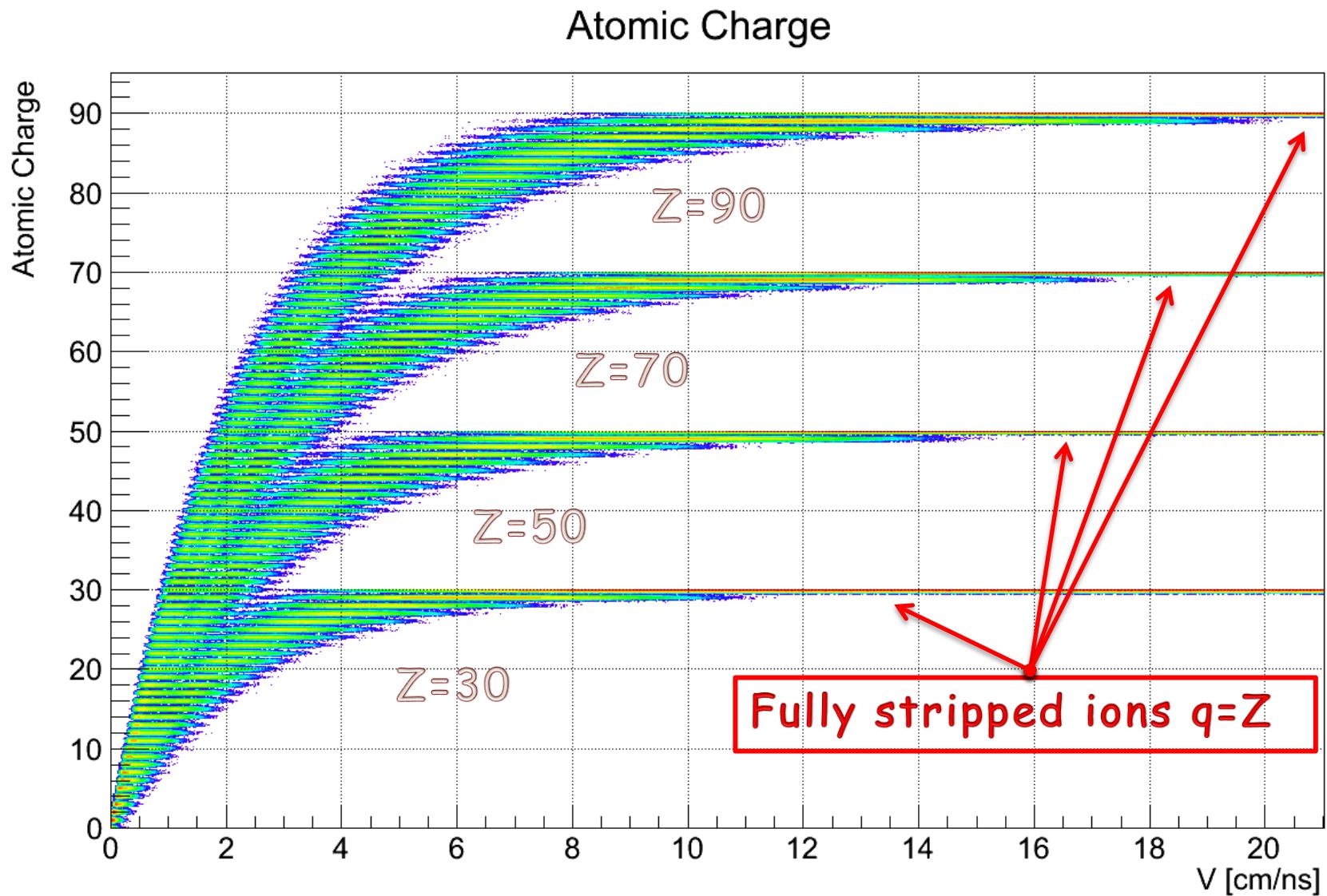
$$\beta = V / c$$

$$c = 29.9792458 [cm / ns]$$

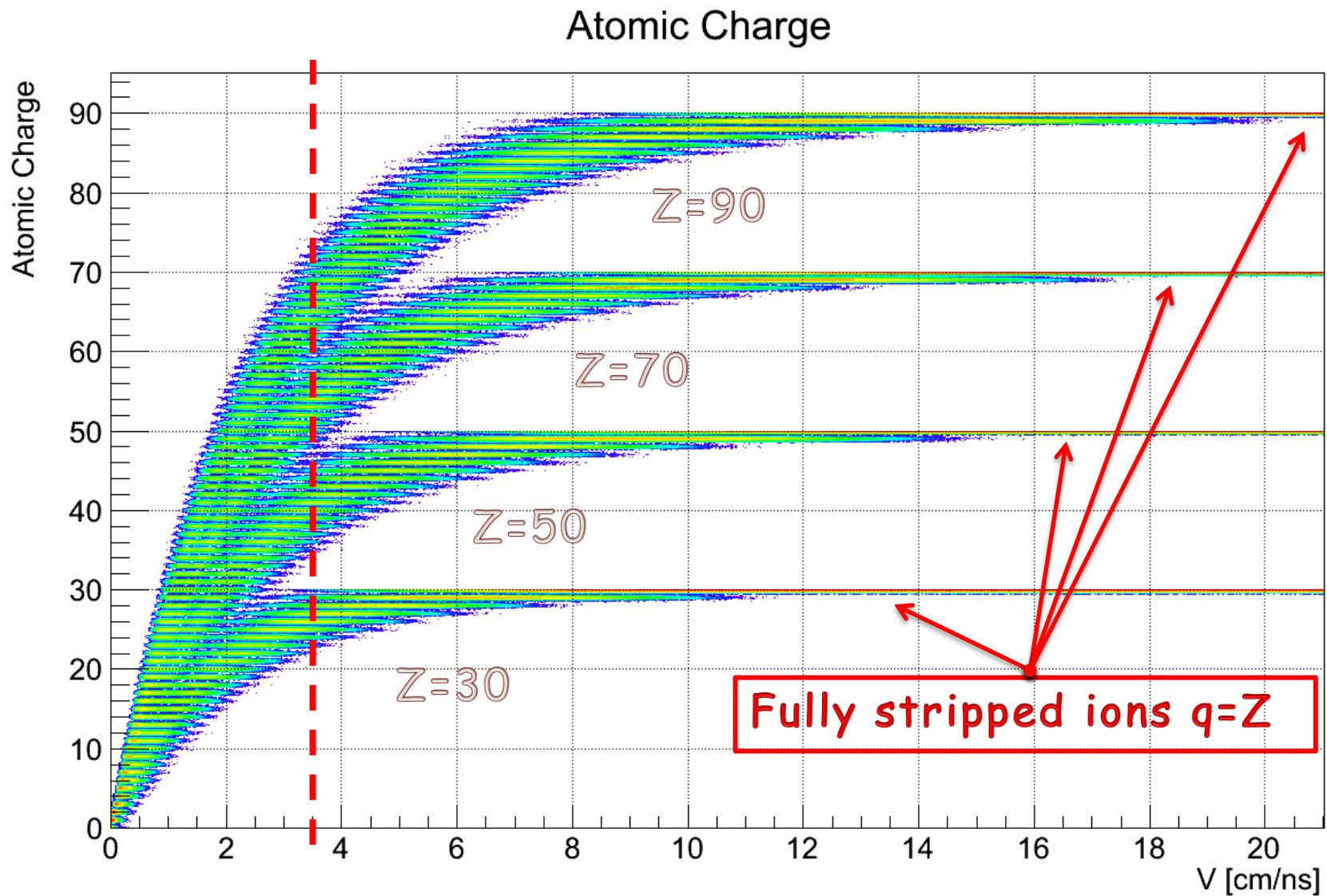
$$\gamma = \frac{1}{\sqrt{1 - \beta^2}}$$

Dipole magnet introduces the dispersion according to magnetic rigidity  $B\rho$

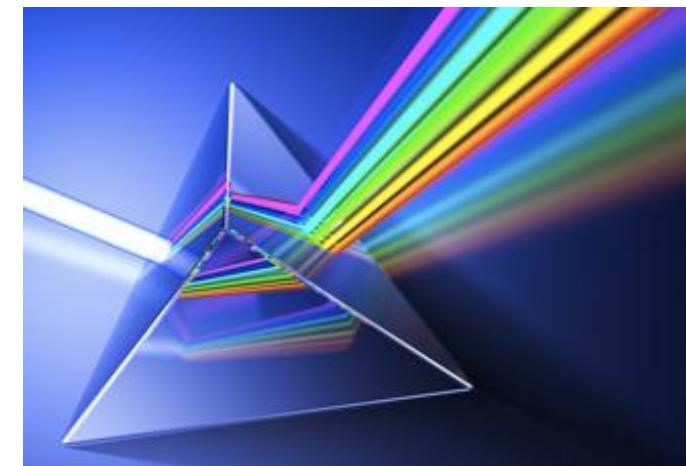
# Ions and Atomic Charge



# Ions and Atomic Charge



# Dipole

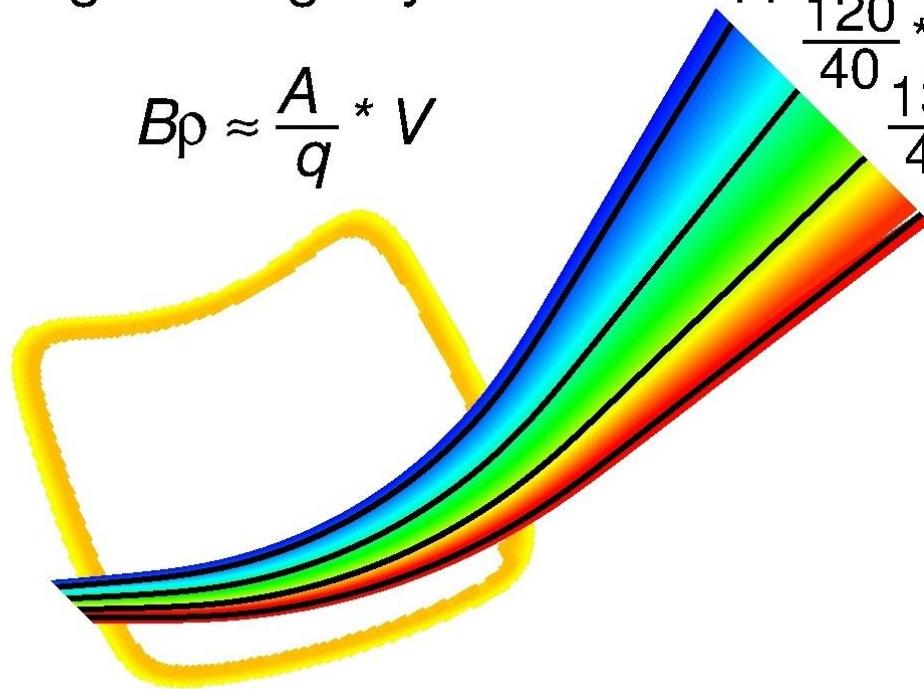


Dispersion - selectivity

(d) magnetic rigidity

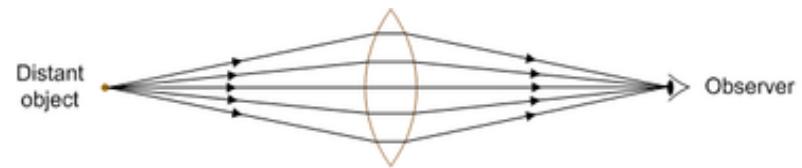
$$B\rho \approx \frac{A}{q} * V$$

$$\begin{aligned} & \frac{120}{44} * 3 \\ & \frac{120}{40} * 3 \\ & \frac{135}{40} * 3 \\ & \frac{120}{40} * 4 \end{aligned}$$

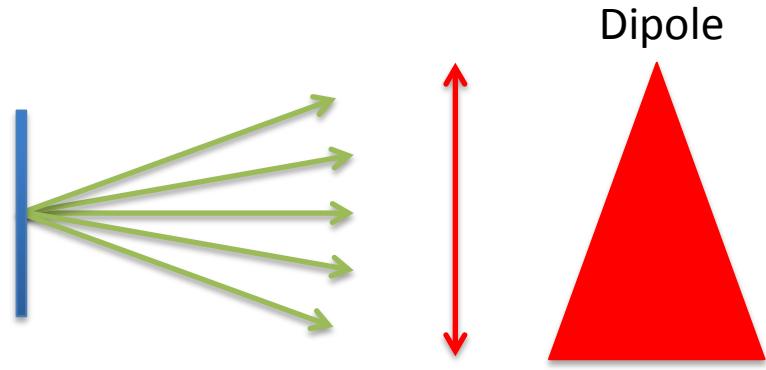


# Quadrupole

## Focusing - acceptance

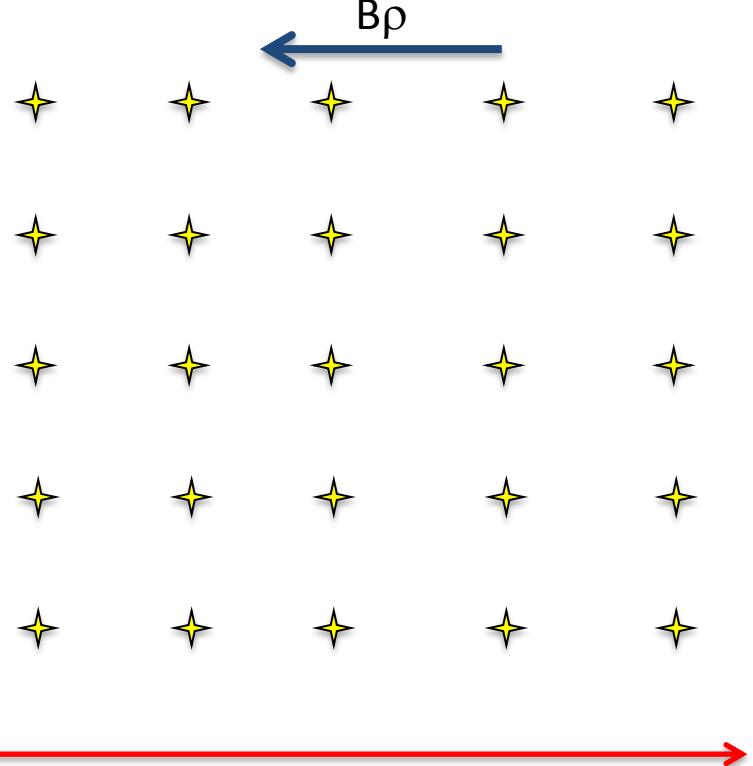


# Ideal optics and VAMOS



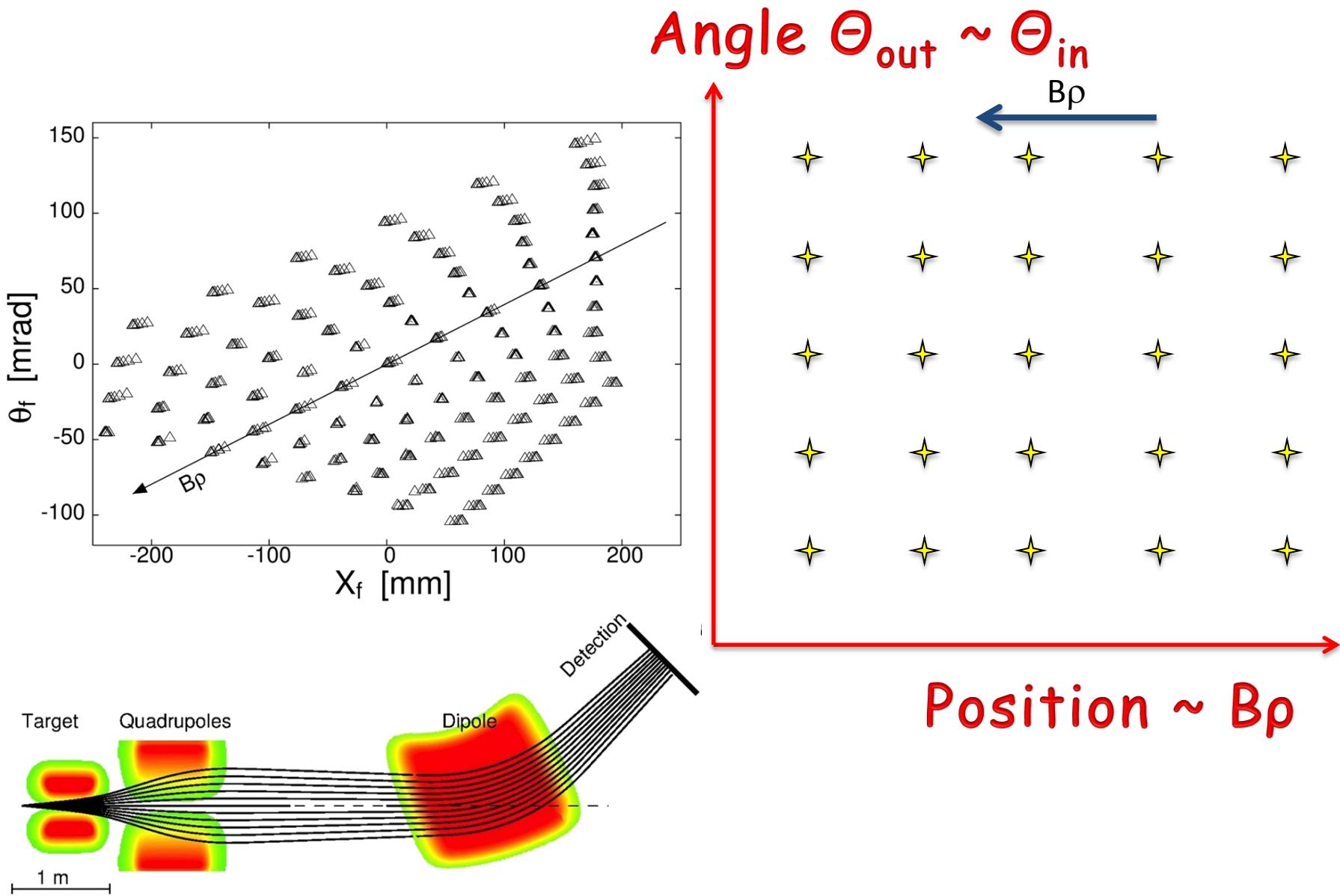
Source (target) of ions with different angles ( $\Theta_{in}$ ) and magnetic rigidities ( $B\rho$ )

Angle  $\Theta_{out} \sim \Theta_{in}$

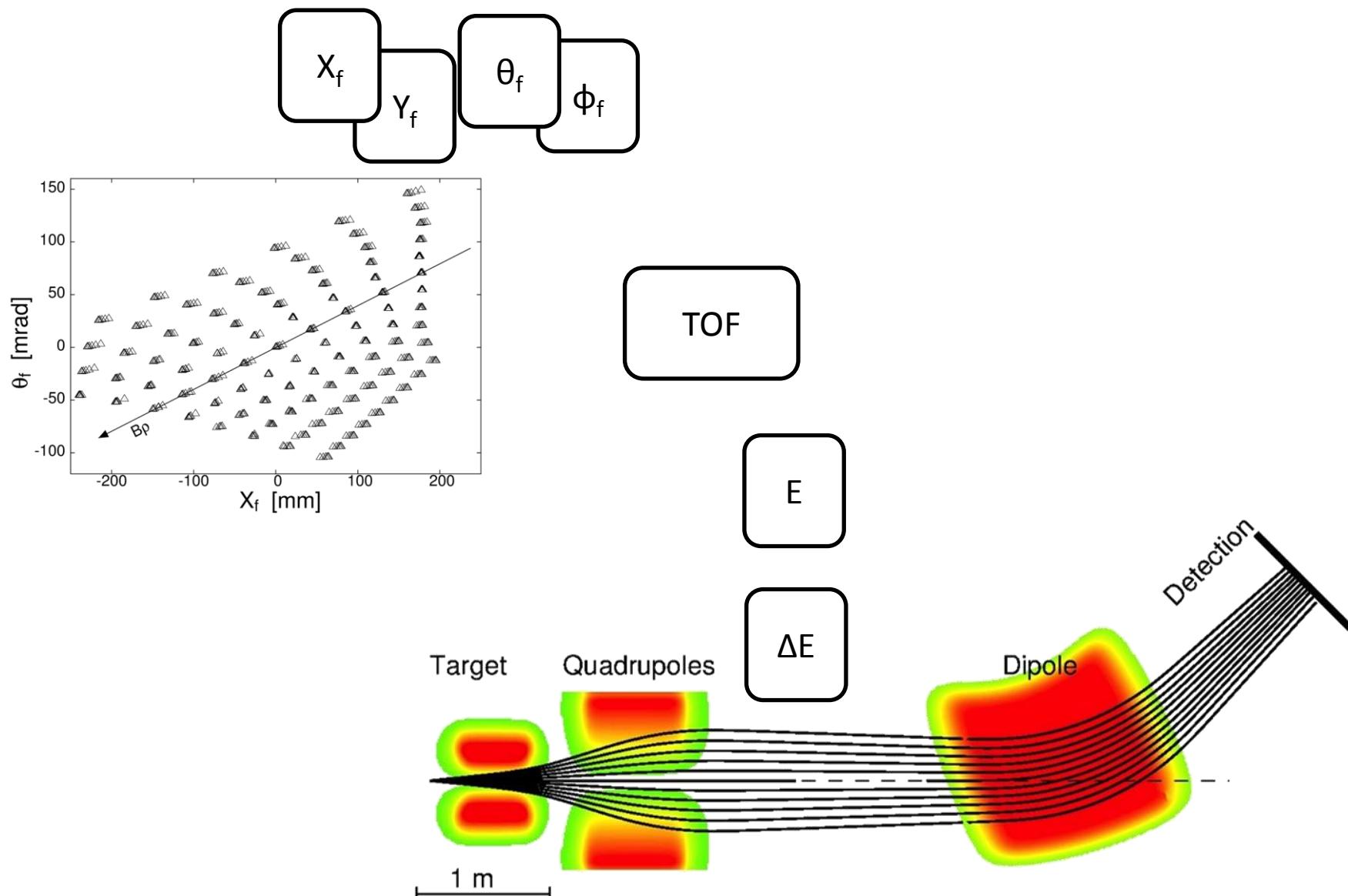


Position  $\sim B\rho$

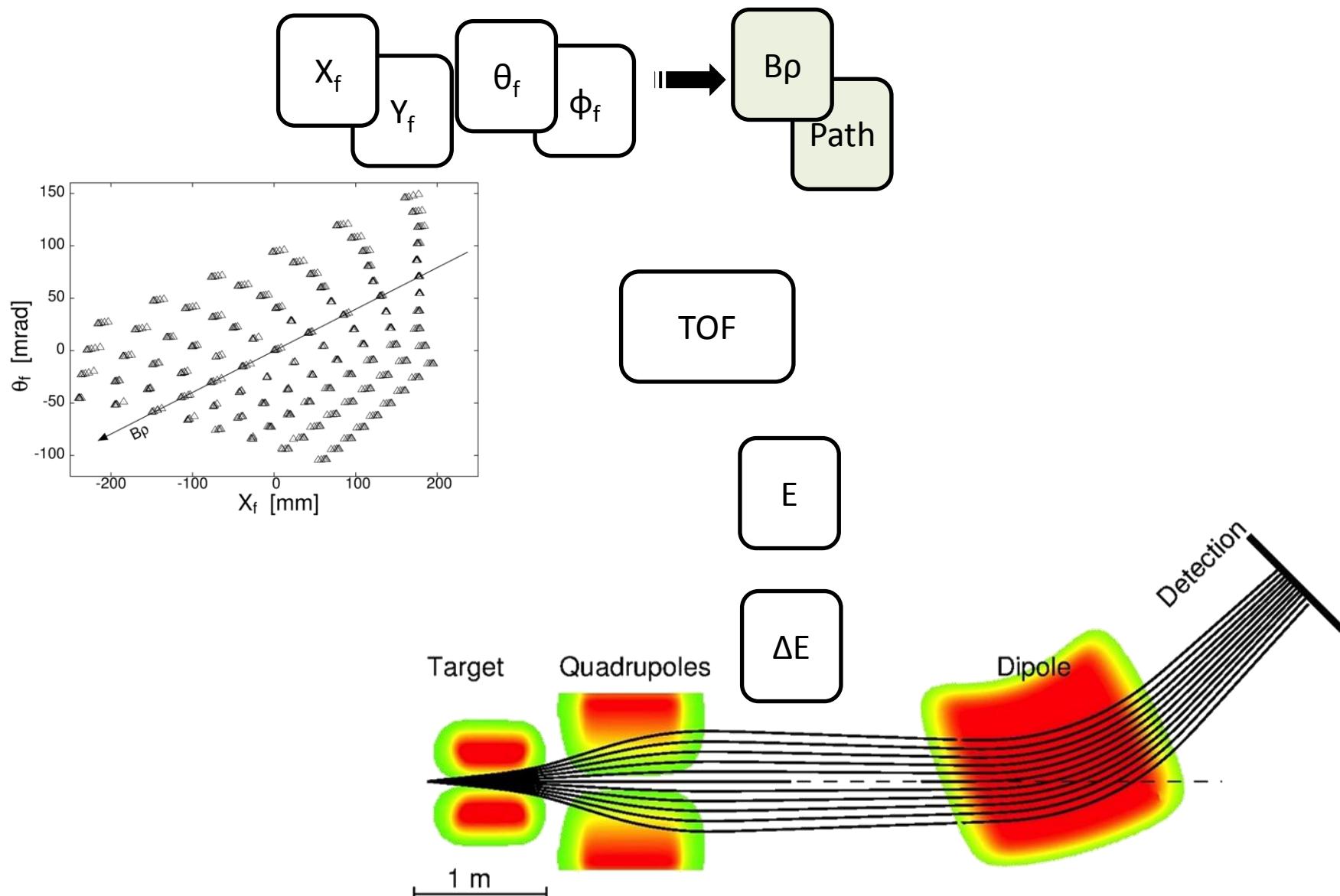
# Ideal optics and VAMOS



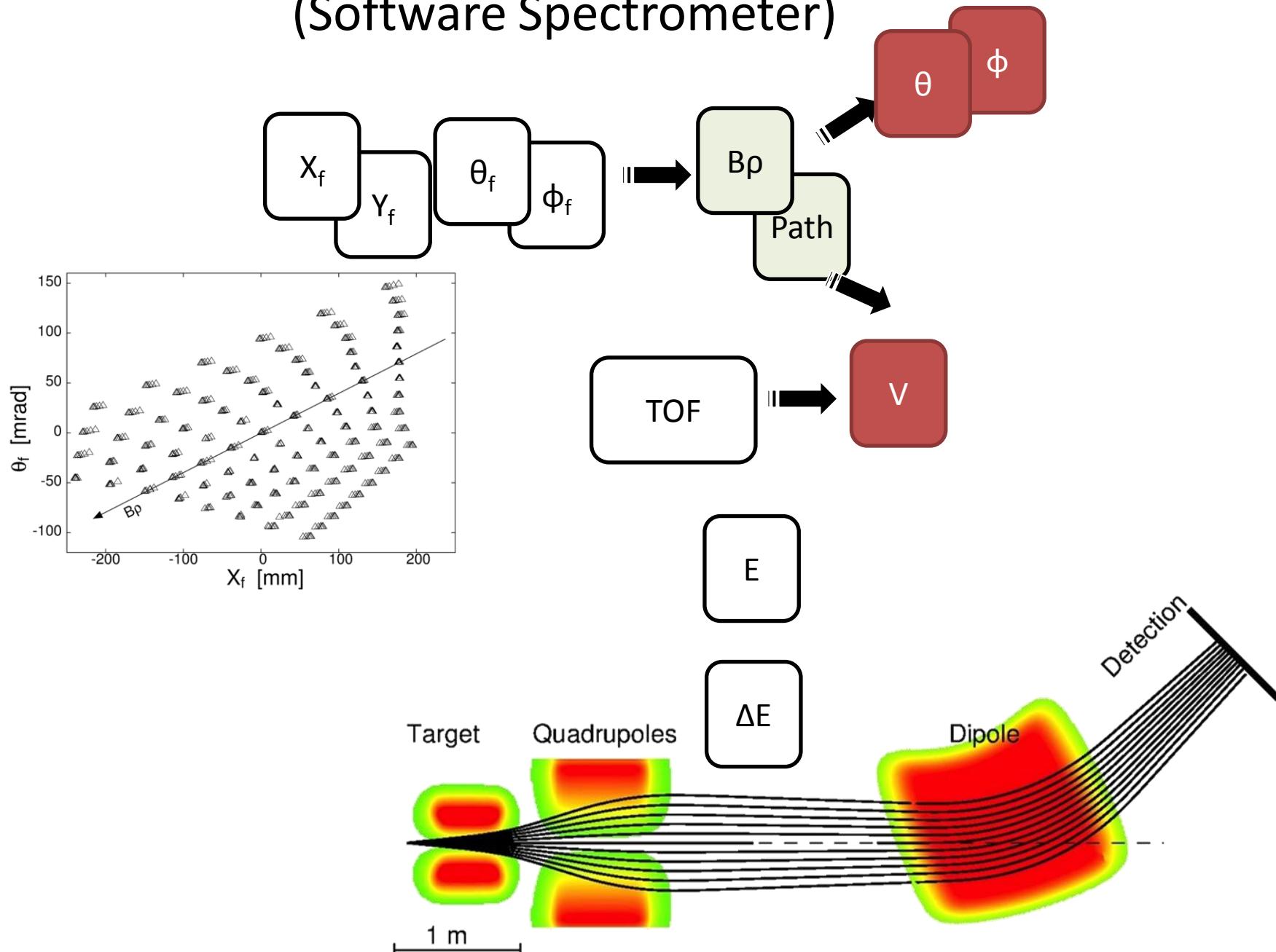
# VAMOS Measurement (Software Spectrometer)



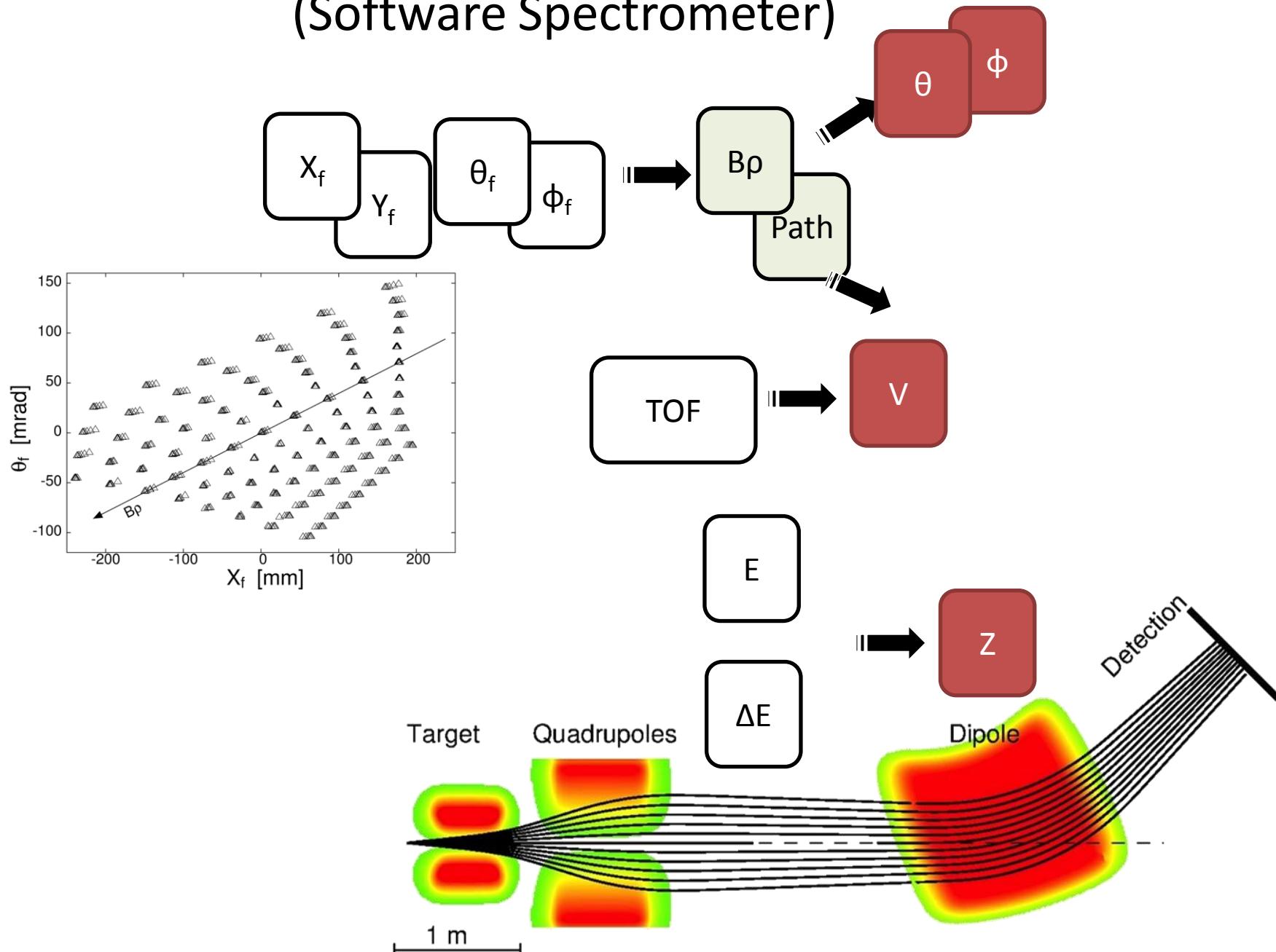
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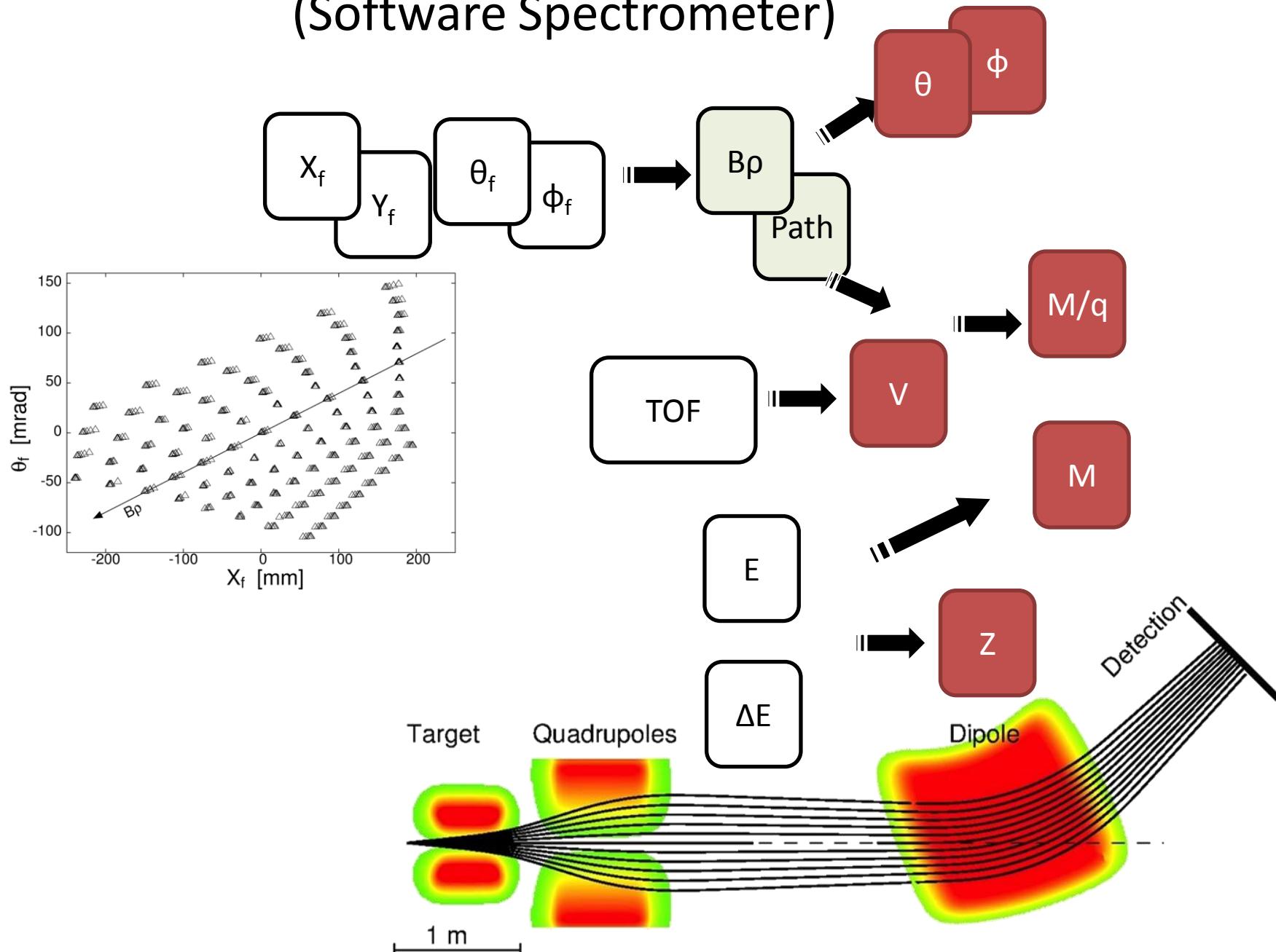
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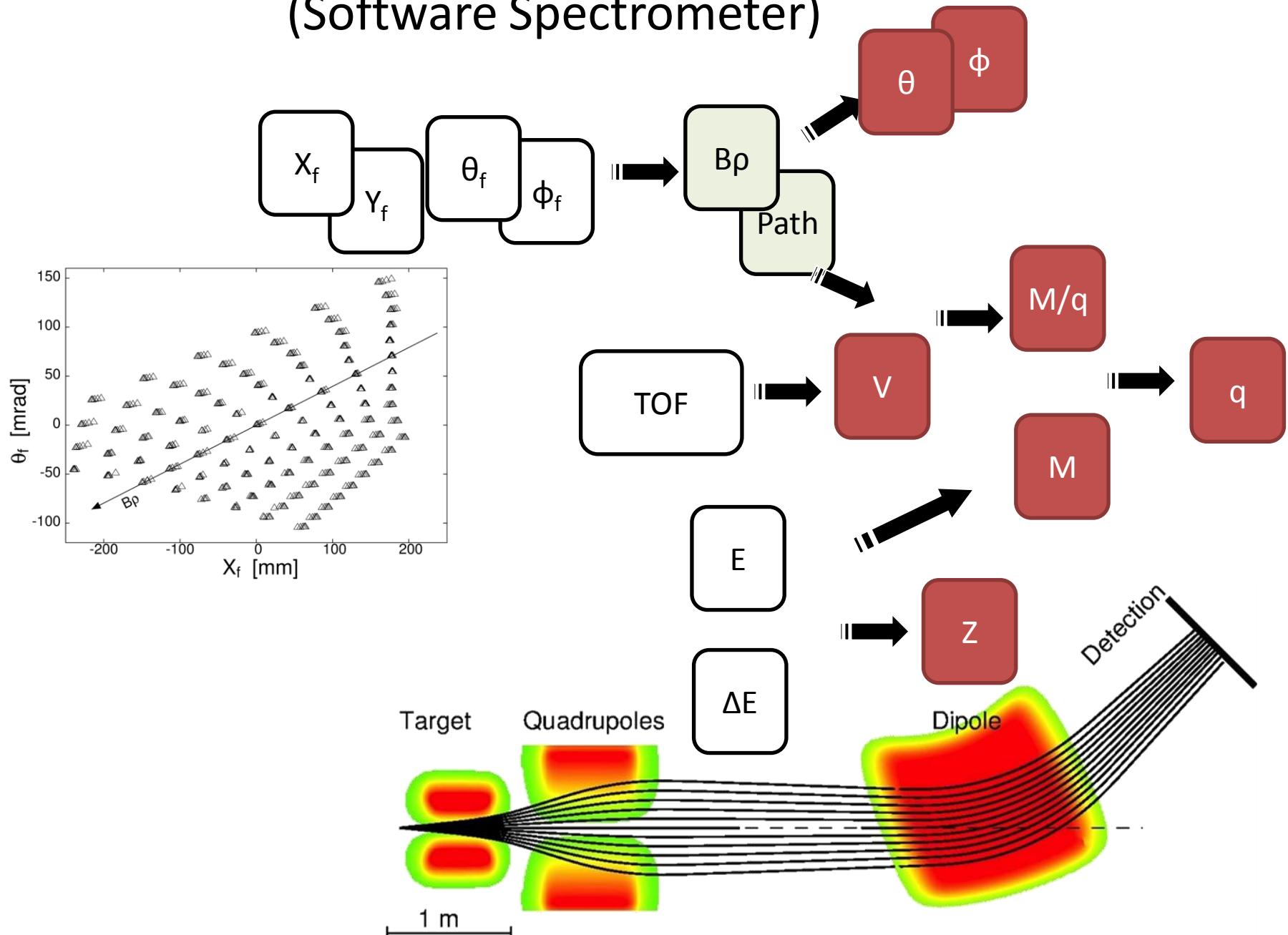
# VAMOS Measurement (Software Spectrometer)



# VAMOS Measurement (Software Spectrometer)



# VAMOS Measurement (Software Spectrometer)



# What do we need to measure ? and how precisely ?

$\Delta E$

$E$

$$\Delta E \sim M Z^2 / E$$

TOF

$$M/q = B\rho / (3.105 \times \beta\gamma)$$

$\theta_f$

$\phi_f$

$$M = 2 E / (931.5 \times \beta^2)$$

$x_f$

$y_f$

# What do we need to measure ? and how precisely ?

$\Delta E$      $E$

$$\Delta E \sim M Z^2 / E$$

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$\theta_f$      $\phi_f$

$$M = 2 E / (931.5 \times \beta^2)$$

$X_f$      $Y_f$

M/q  
v

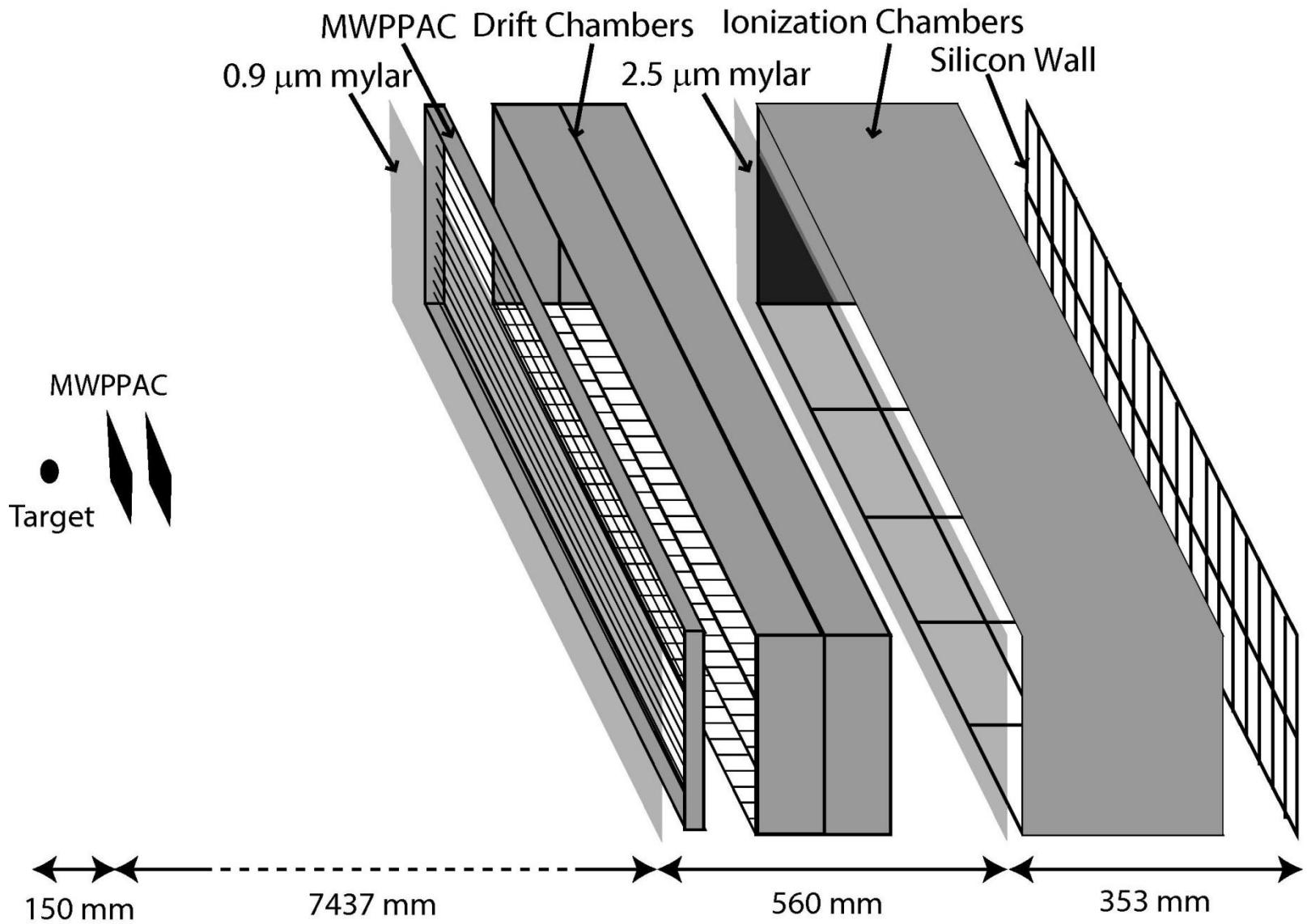
⇒ Resolution  $1/220 = 4 \times 10^{-3}$   
⇒ Time resolution

Z  
q

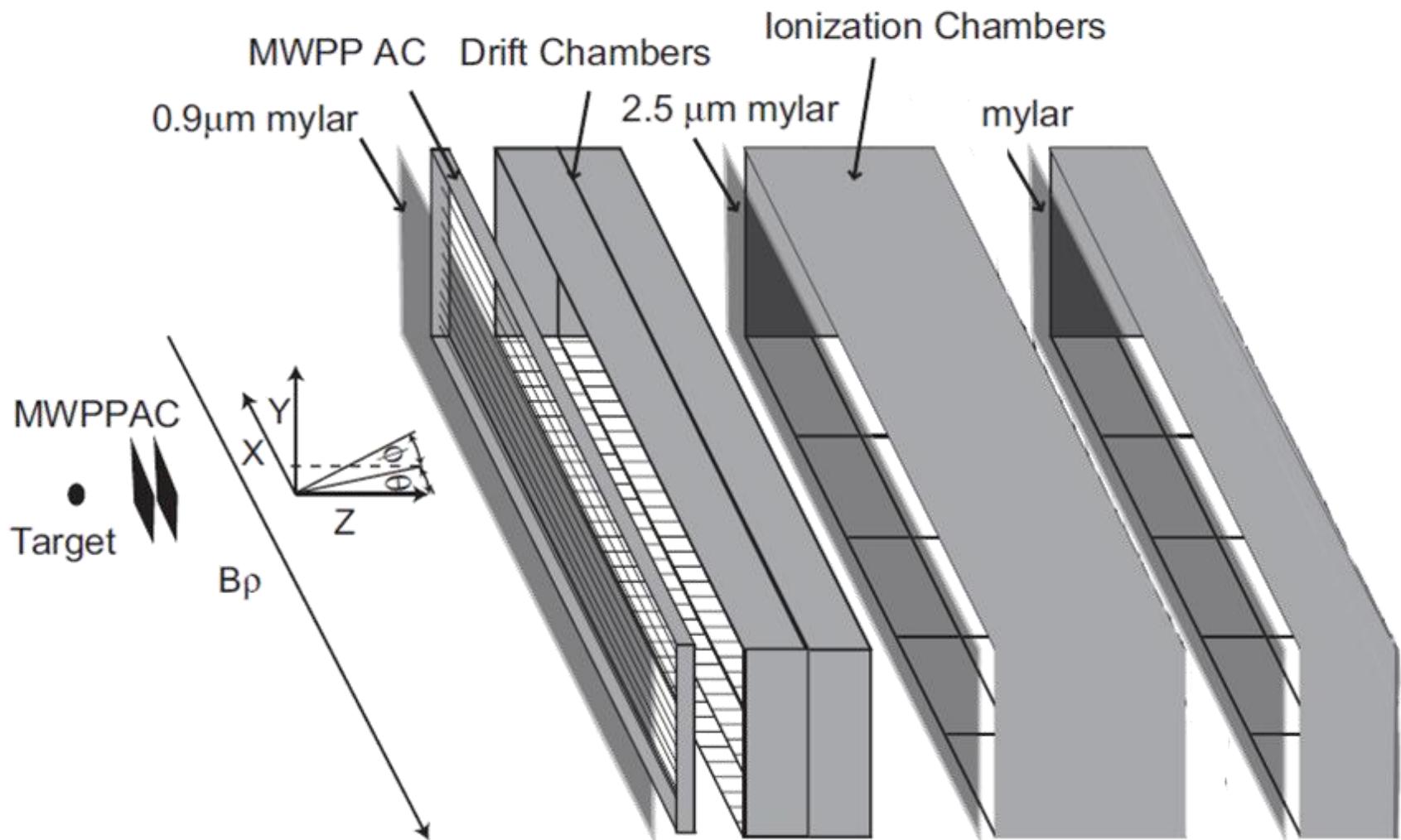
⇒ Resolution  $1/66 = 1.5 \times 10^{-2}$   
⇒ Energy Resolution

# **VAMOS DETECTION SETUP**

# VAMOS Detection Setup

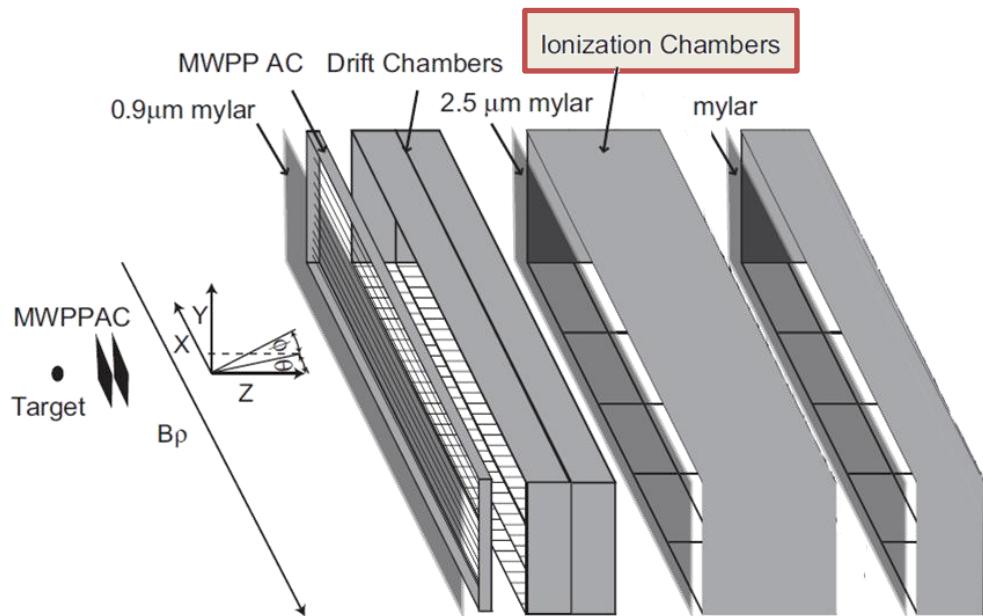
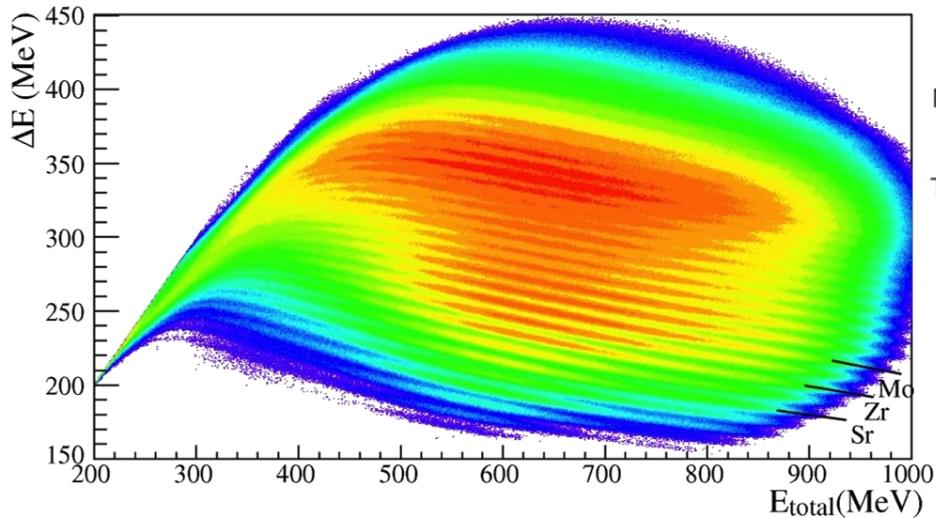


# VAMOS Detectors (Upgrade)



# Z identification

## $\Delta E - E$ technique



$\Delta E$

**Energy Loss :  $\Delta E$**

Ionization Chambers

3 rows \* 5 pads

CF4 (20-60 mbar)

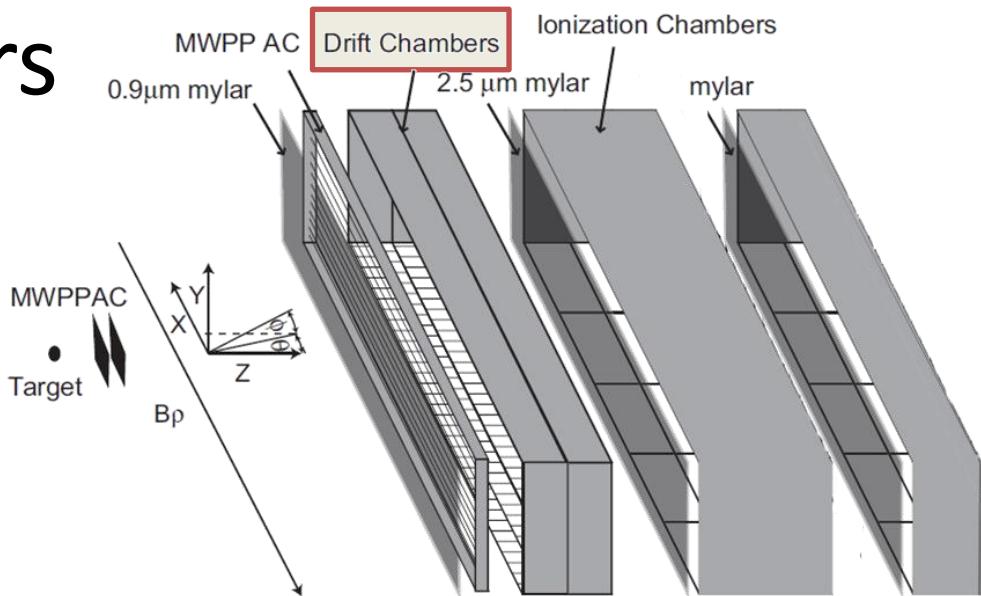
$E$

**Residual Energy  $E_{\text{res}}$**

- Up to now :  
40 Silicon detectors : 2\*20 rows
- **New** : Repalced by 4<sup>th</sup> IC row (5 pads)  
(CF4 higher pressure 100-400 mbar)



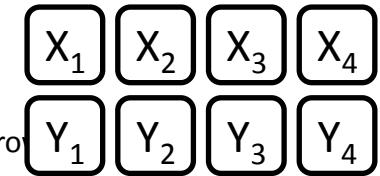
# Tracking Detectors



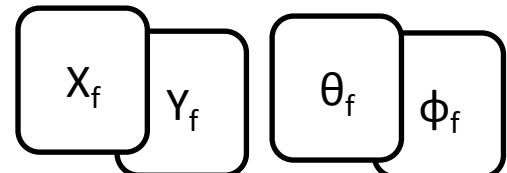
## Pair of Drift Chambers

dispersion 2cm/%

- **X** : 2 rows of 160 Pads  
6.4 mm size  
typically 5-10 pads per ro
- **Y** : 2 drift times



Focal reconstruction point  
=> X<sub>f</sub>, Y<sub>f</sub>, θ, φ



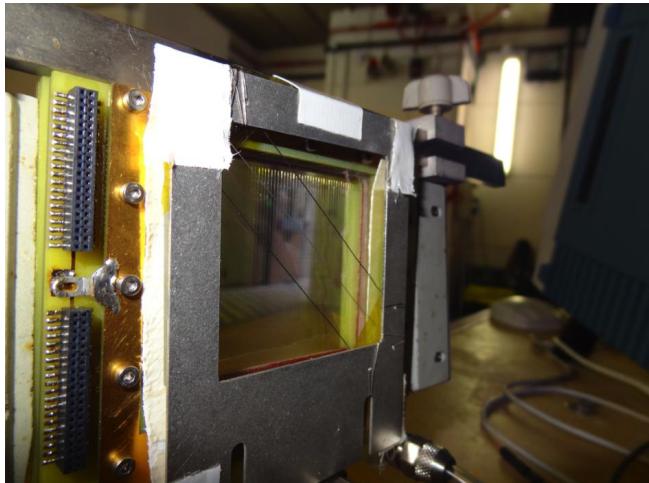
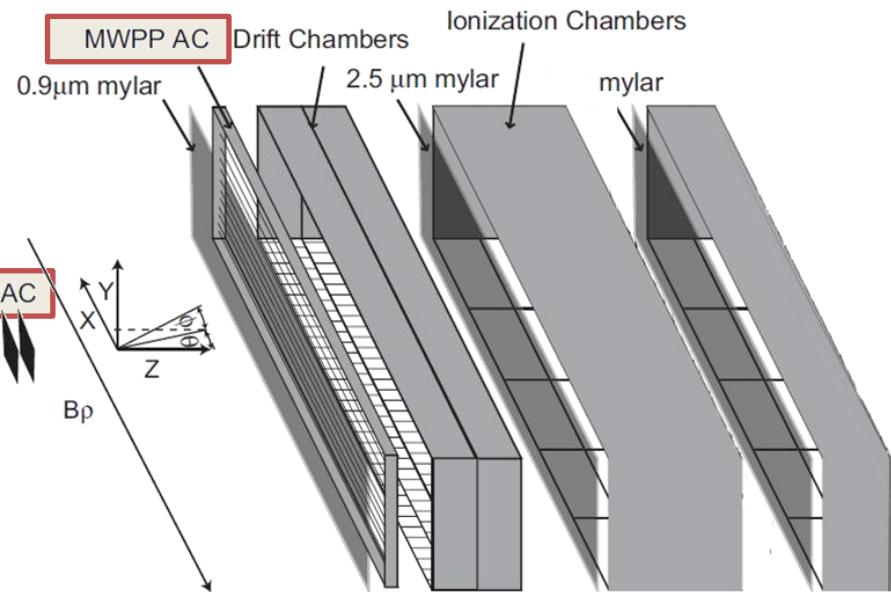
# Time of Flight

## Multiwire detectors

- START : 2 detectors  
15 cm and 25cm from target
- STOP : Focal plane  
(1m x 15 cm)  
20 sections

=> Flight Path ~ 7.3 m (200 – 300 ns )

Time resolution ~ 0.5 ns



TOF



20 times sections (5 cm)

2 x (time + x and y plane)

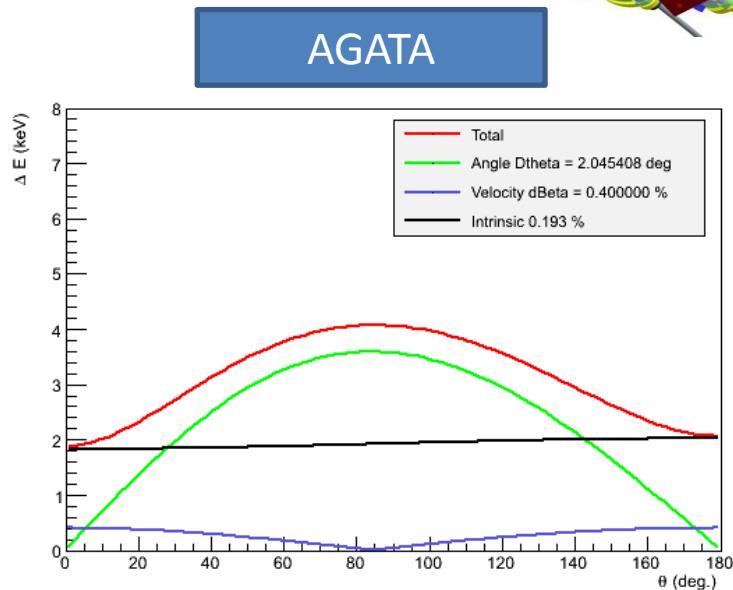
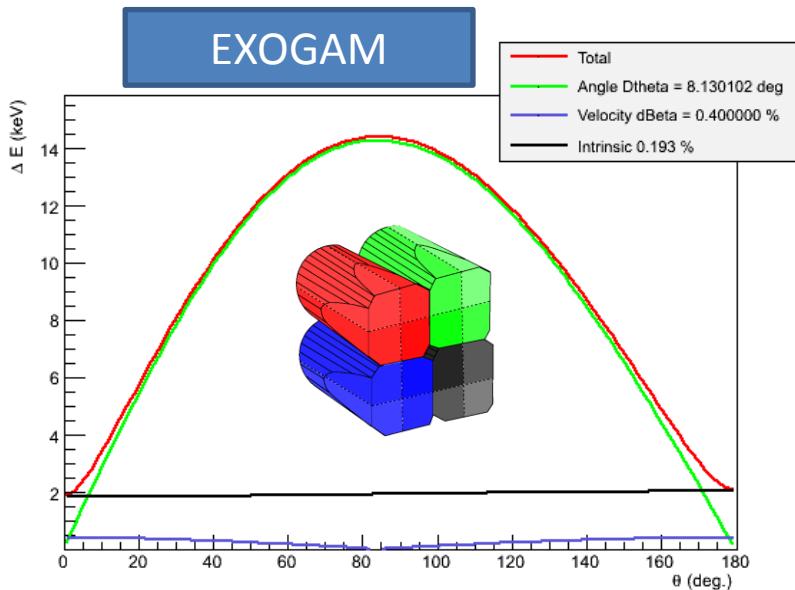
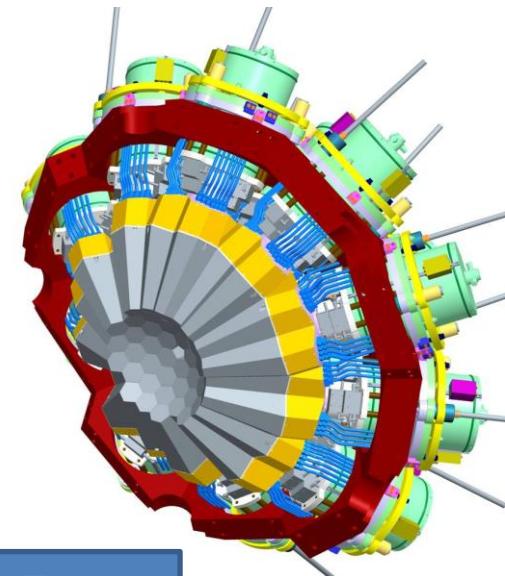
# Recoil Angle : Matching AGATA needs

- Start Multiwire to obtain angle

- AGATA position Resolution  $\sim 5$  mm
  - Distance from target @ GANIL : 14 - 20 cm
  - Angular opening :  $1.5^\circ$  to  $2^\circ$

- VAMOS Velocity resolution :  $4 \times 10^{-3}$

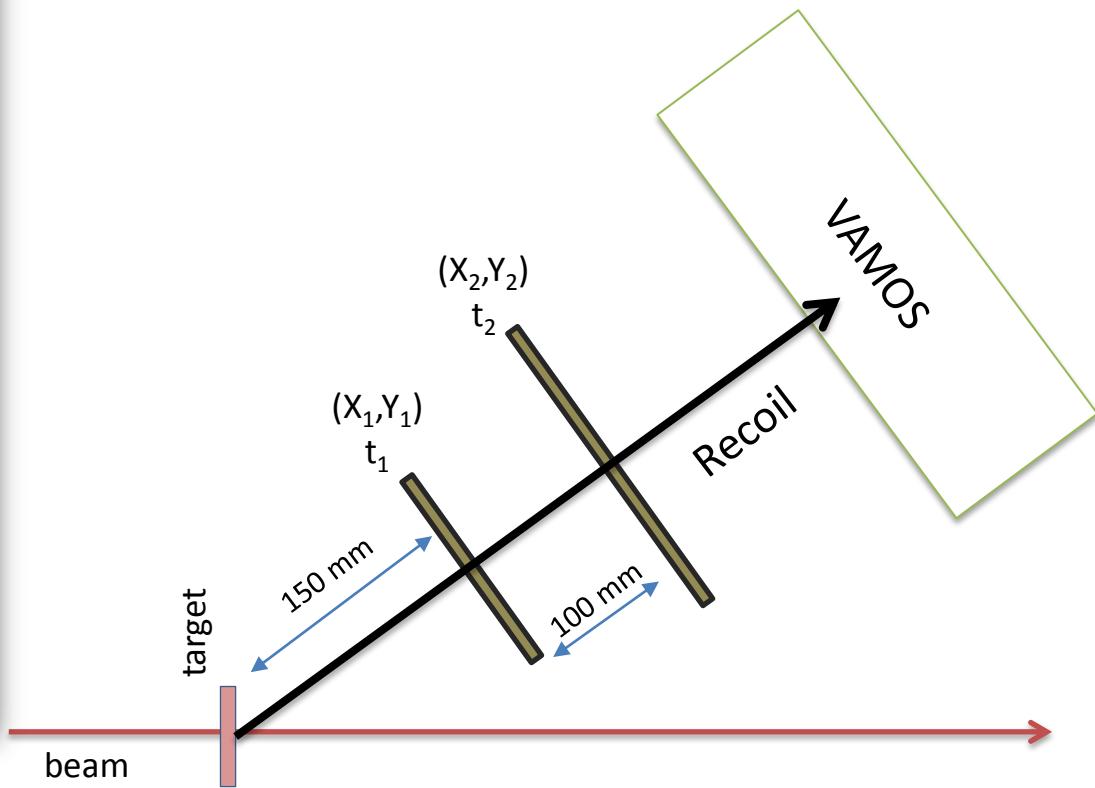
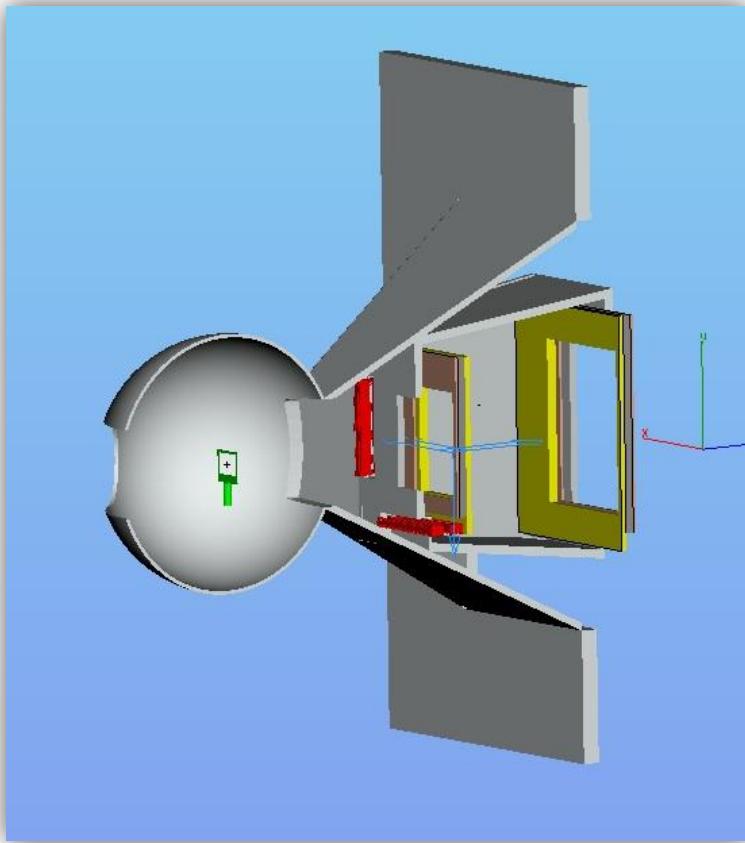
$$E_\gamma = E'_\gamma / (\gamma(1 - \beta \cos(\theta)))$$



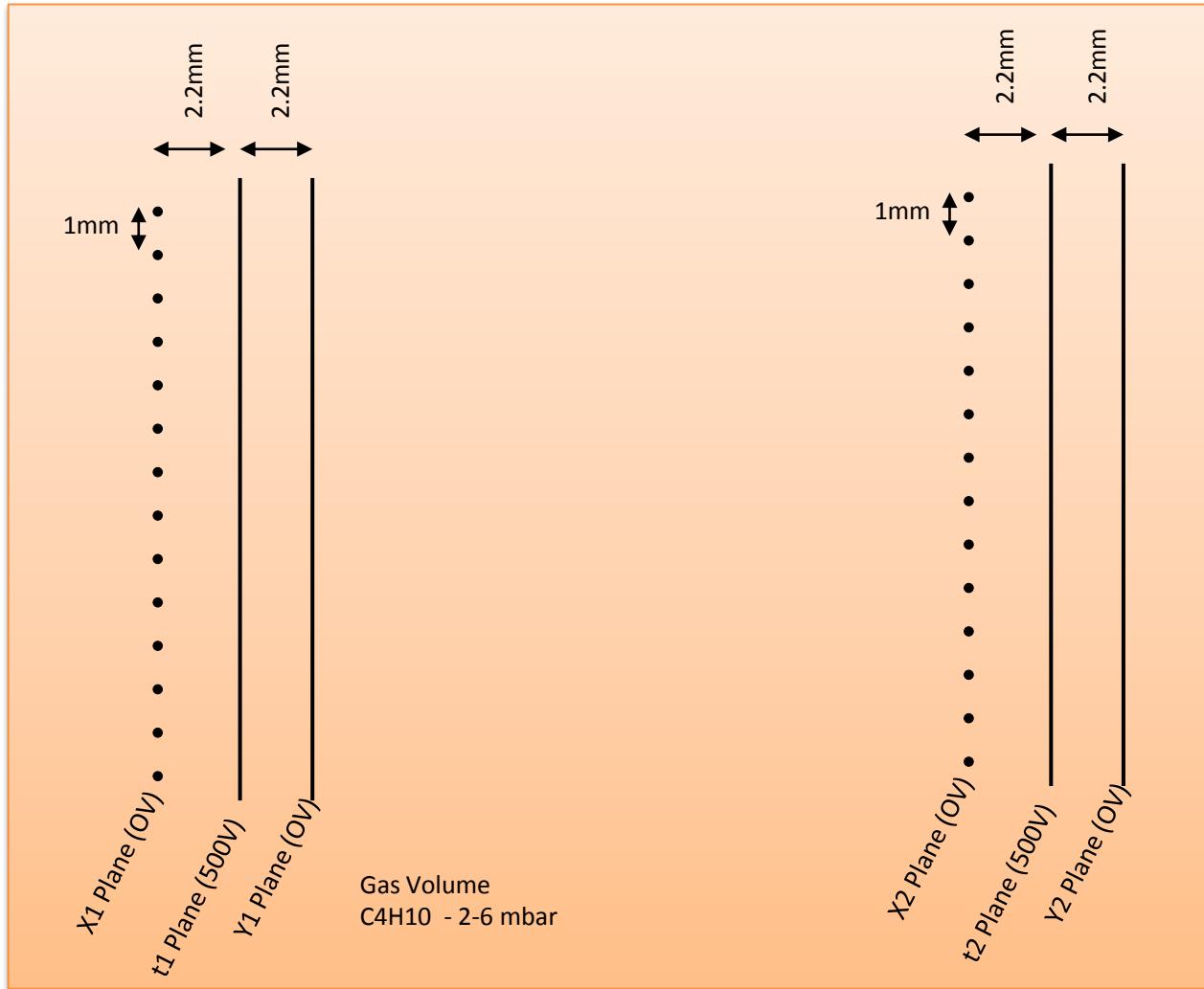
# Tracking Multi-wires detector after target

2 sets of multi-wires detectors (x,y)

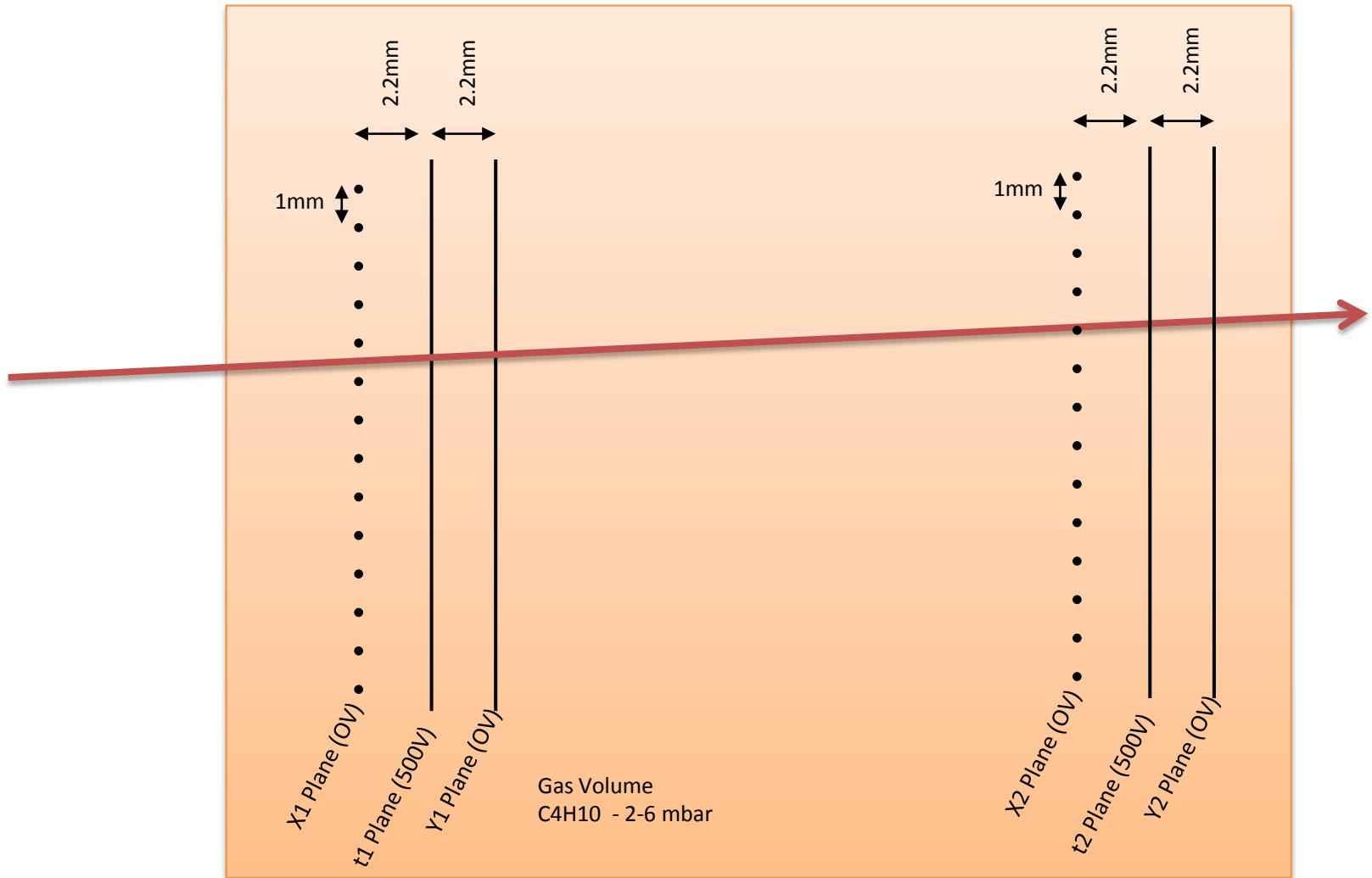
Placed at the entrance of VAMOS



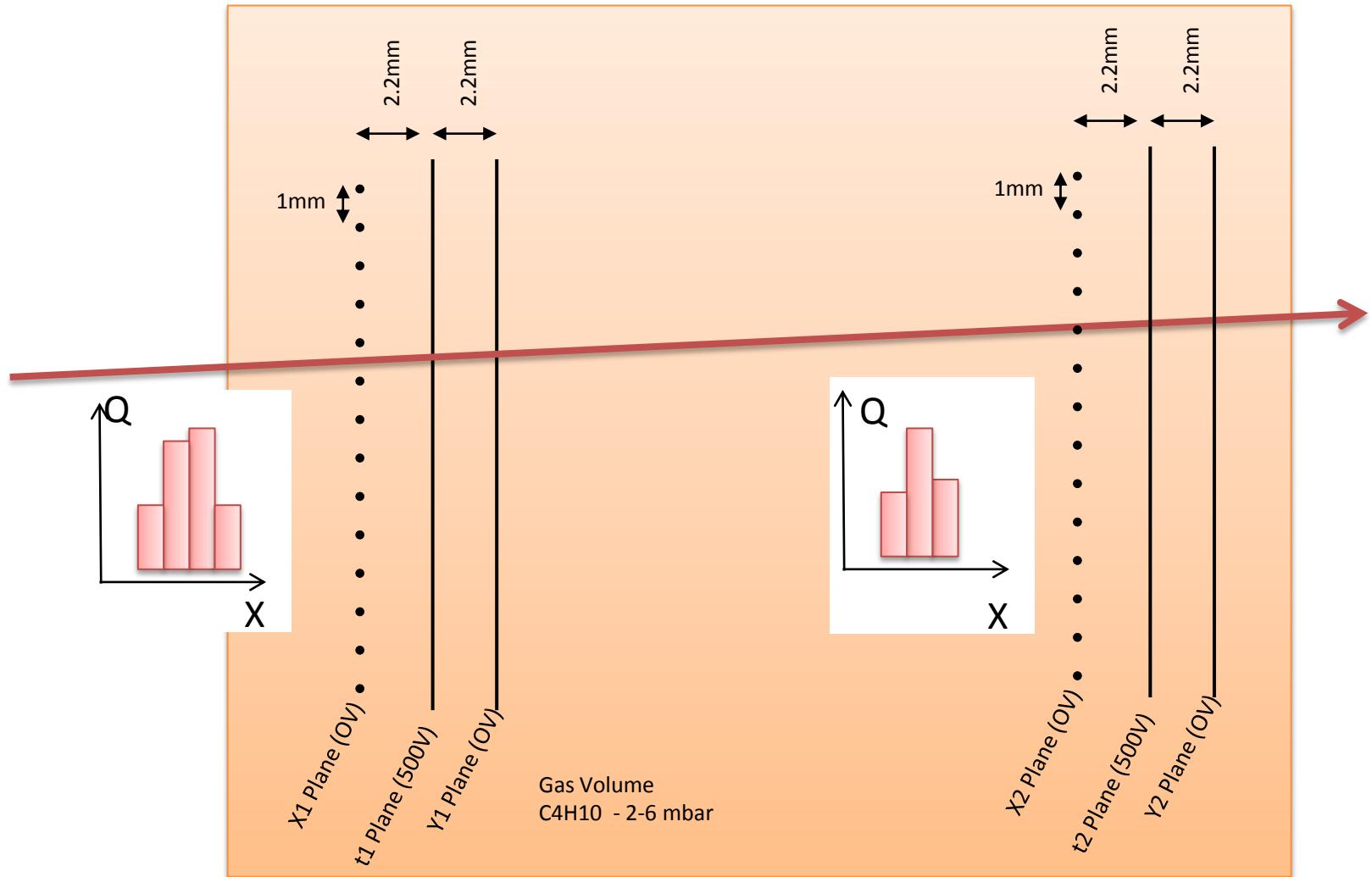
# Schematic view of Start MW



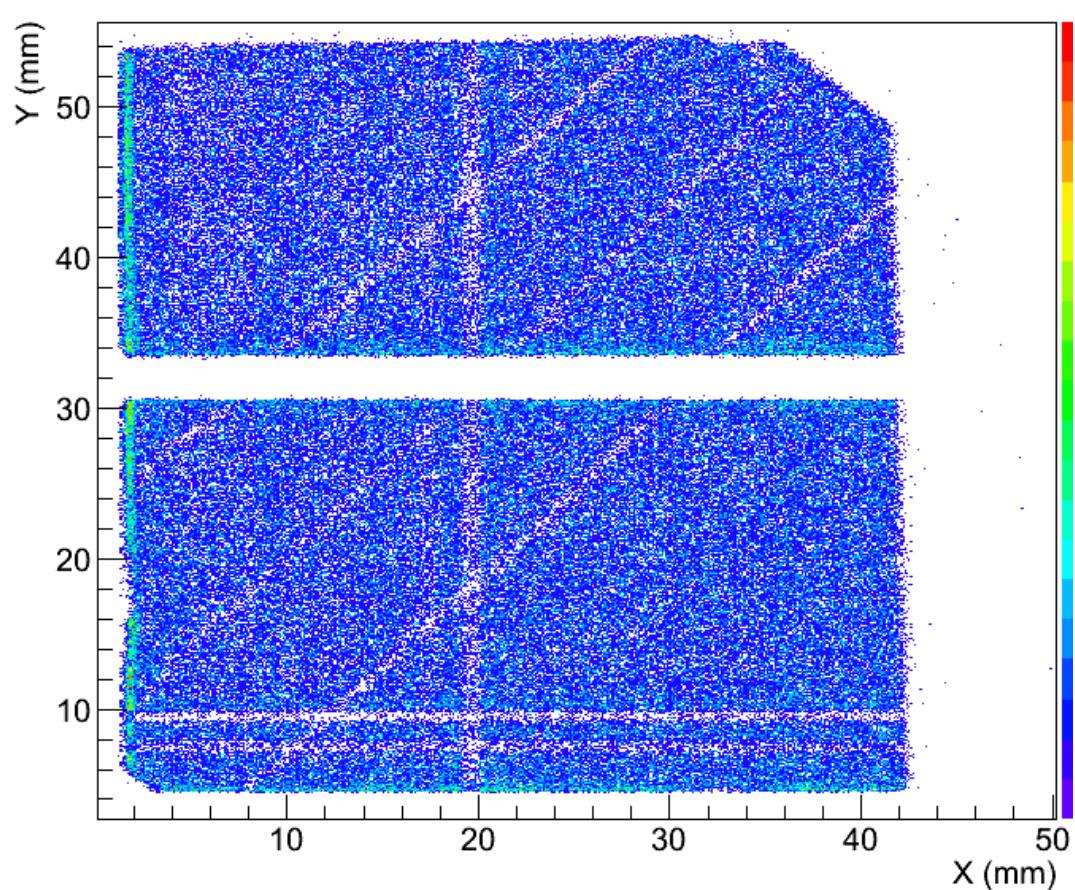
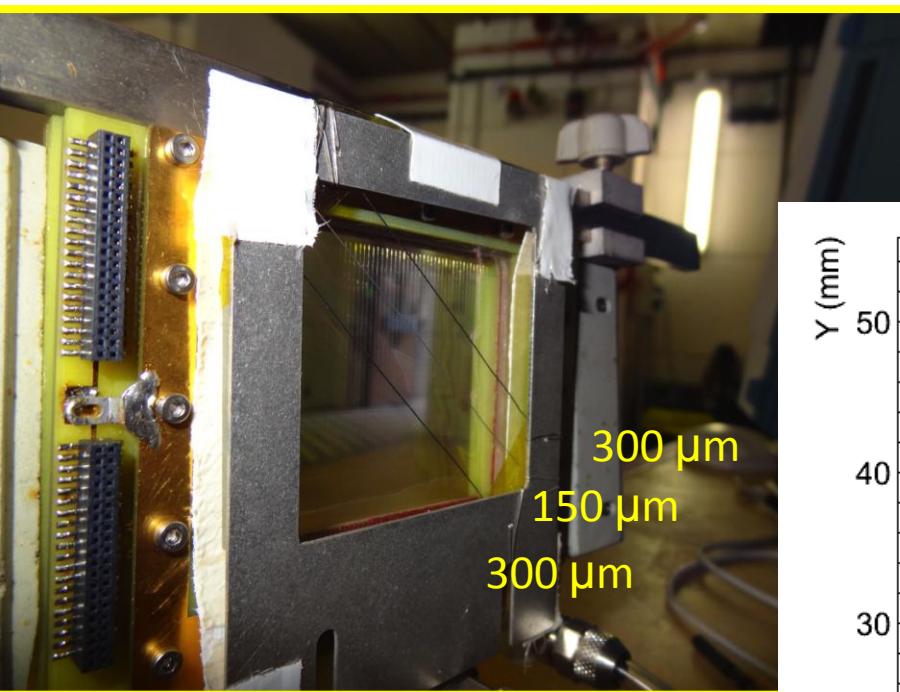
# Schematic view of Start MW



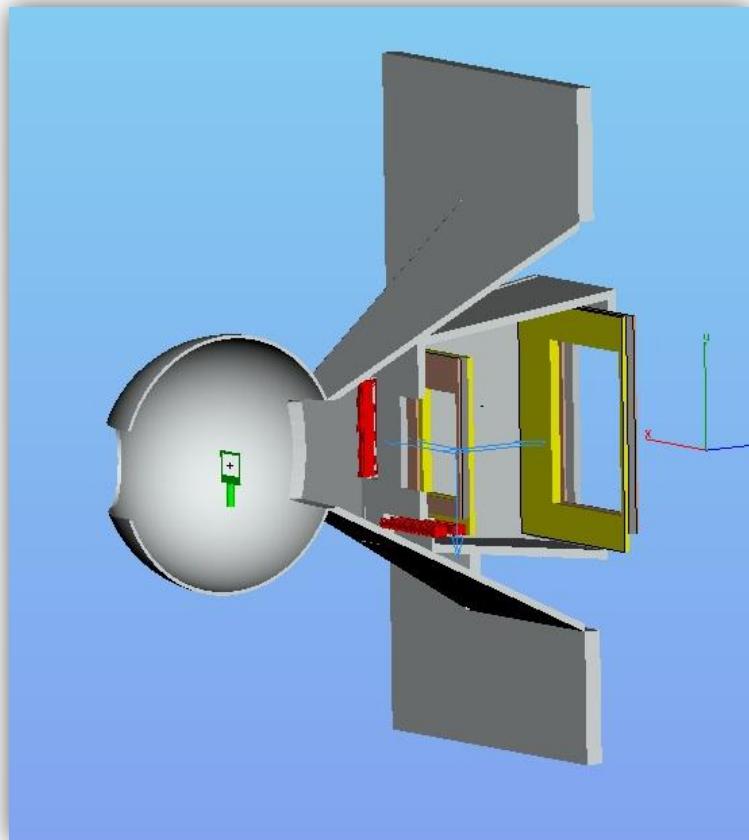
# Schematic view of Start MW



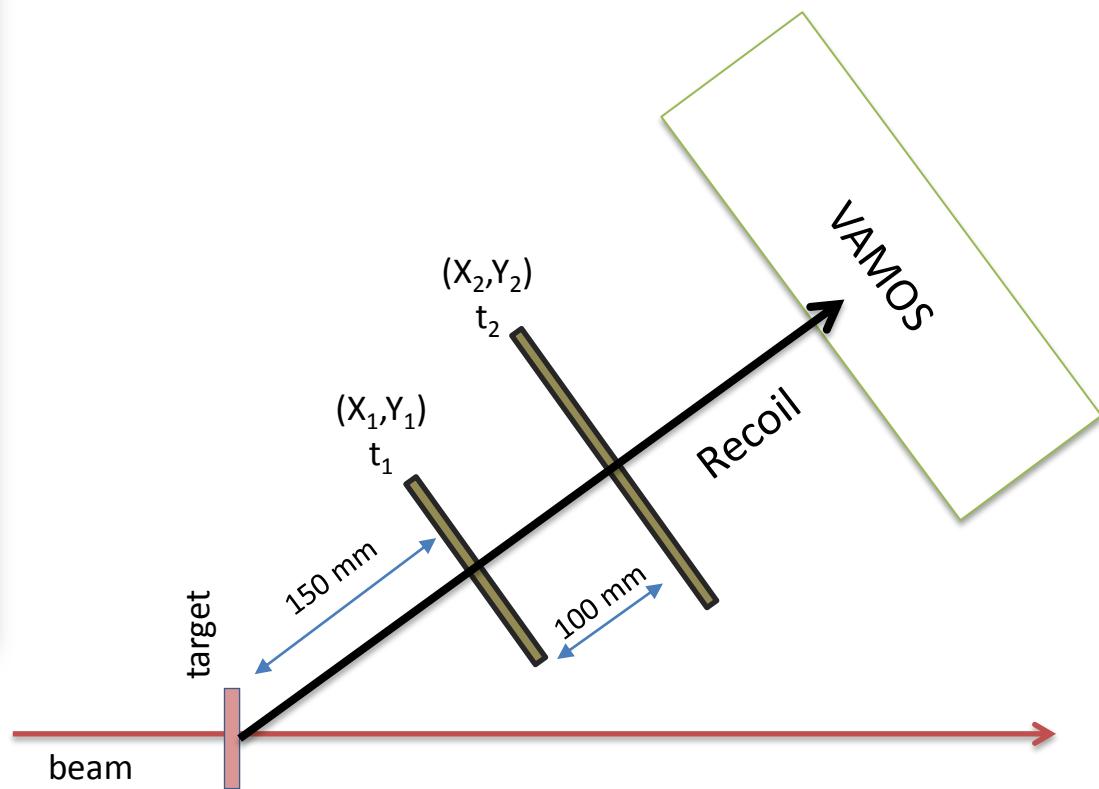
# Position measurement - Prototype



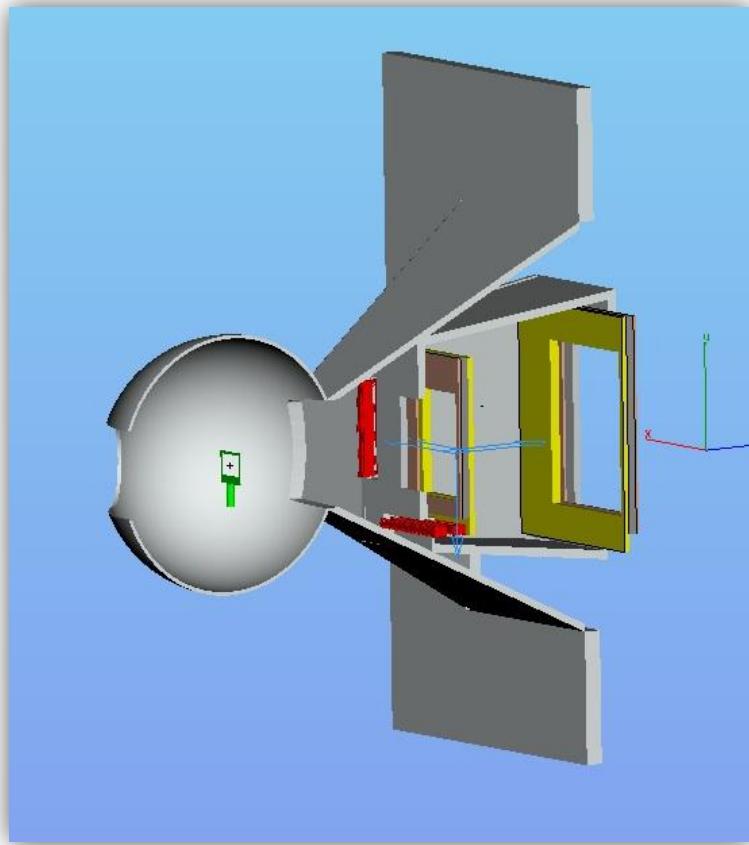
# Tracking Multi-wires detector after target



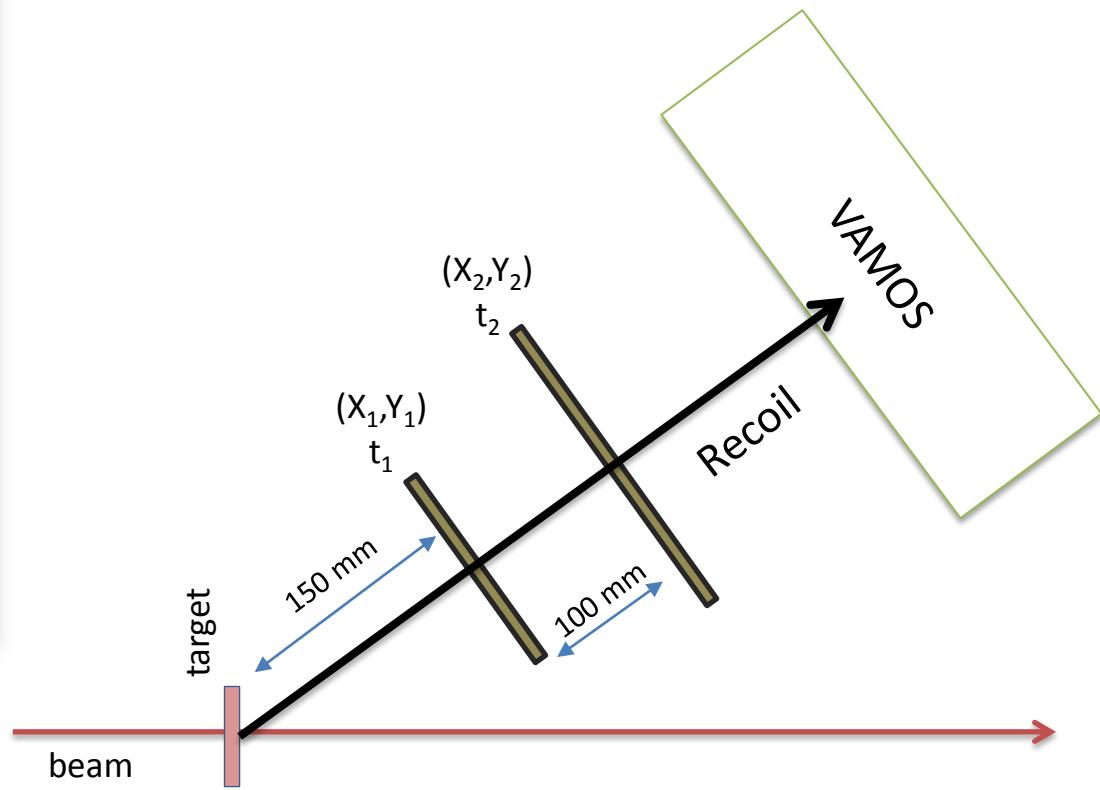
2 sets of multi-wires detectors (x,y)  
Placed at the entrance of VAMOS



# Tracking Multi-wires detector after target



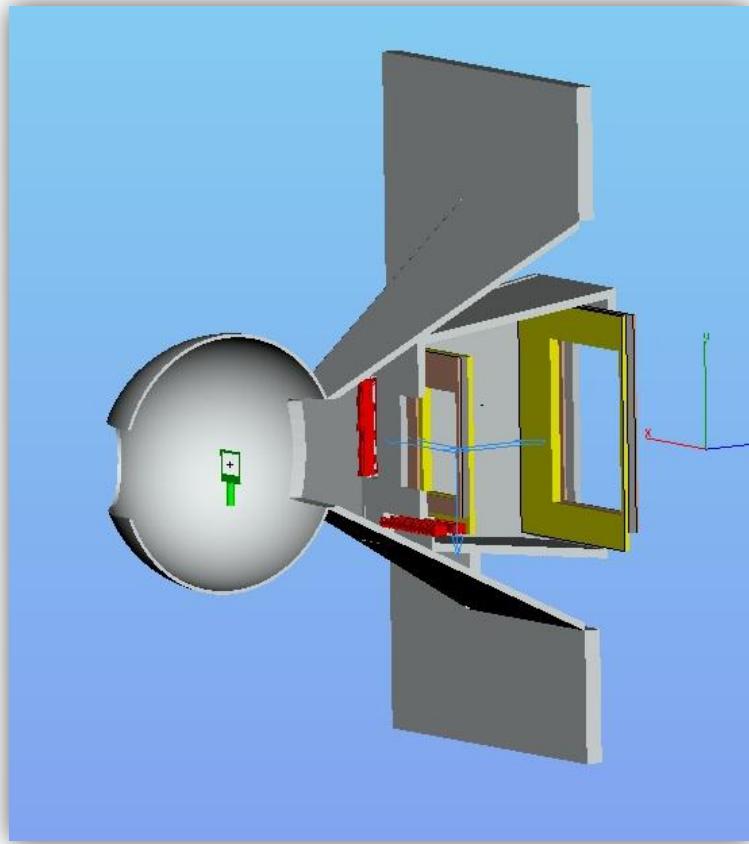
2 sets of multi-wires detectors (x,y)  
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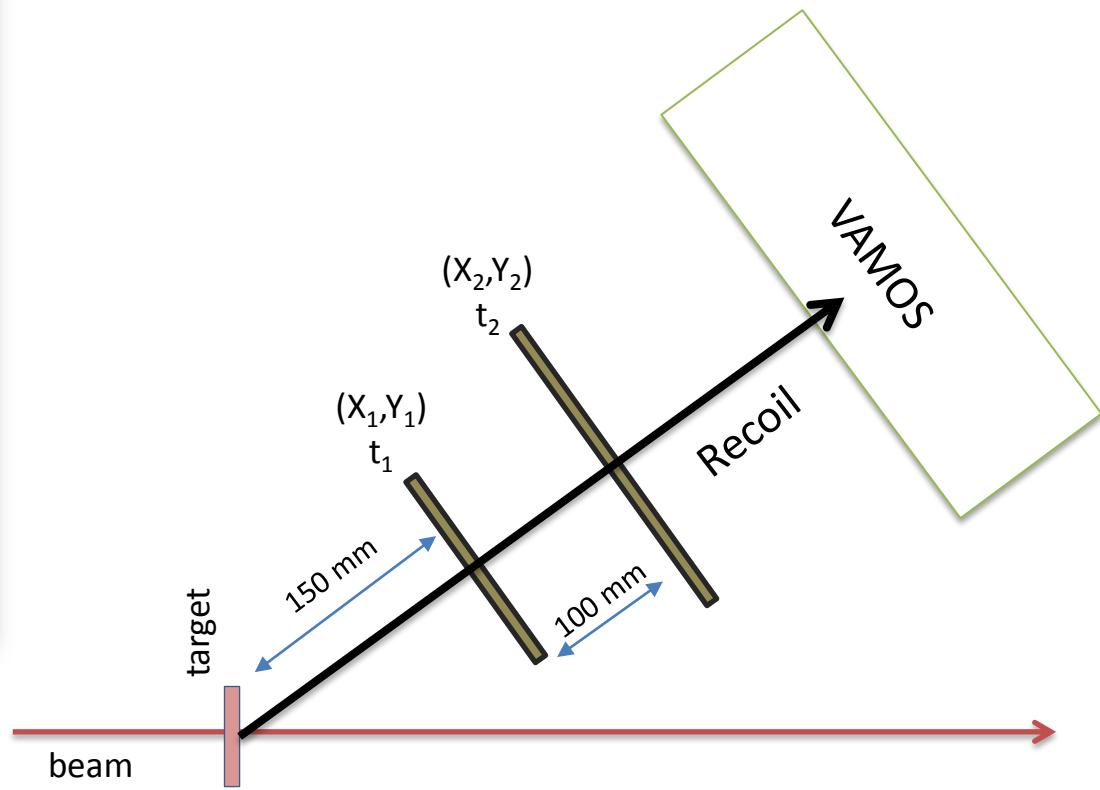
Improved angular resolution  
for Doppler correction

-Recoil:  $(\theta, \phi)$  ( $< 1^\circ$ )

# Tracking Multi-wires detector after target



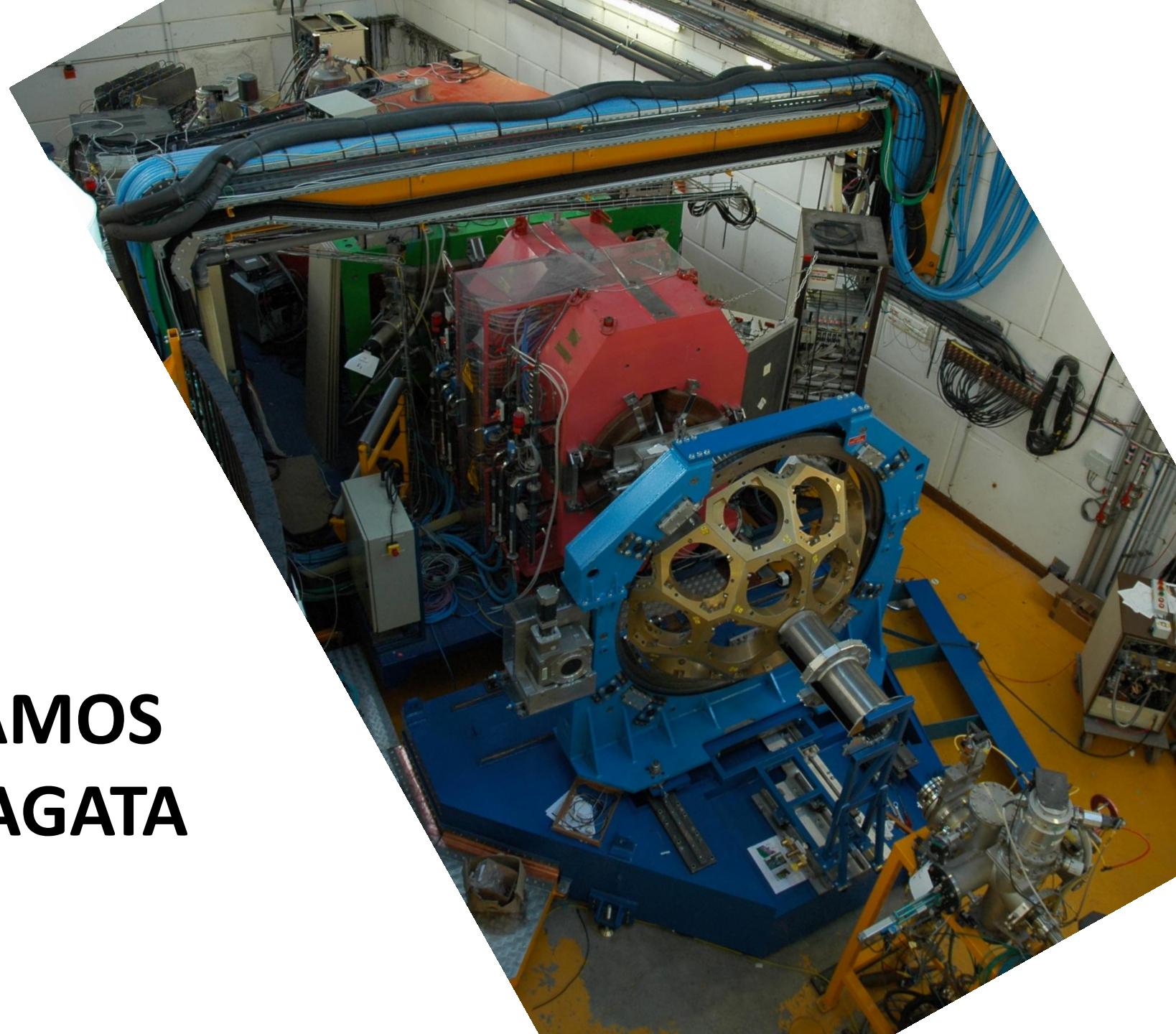
2 sets of multi-wires detectors (x,y)  
Placed at the entrance of VAMOS



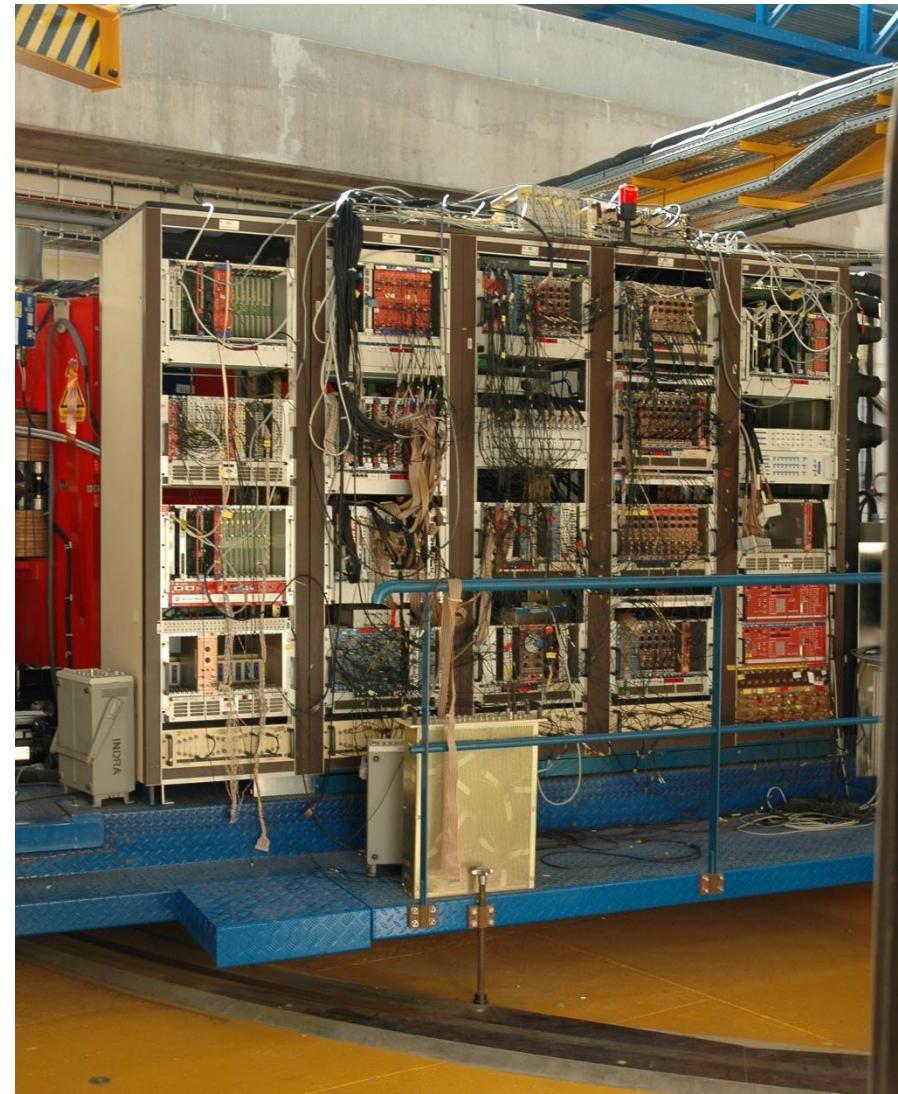
Improved angular resolution  
for Doppler correction

-Recoil:  $(\theta, \phi)$  ( $< 1^\circ$ )  
Target :  $(x, y)$  ( $\sim 1$  mm)

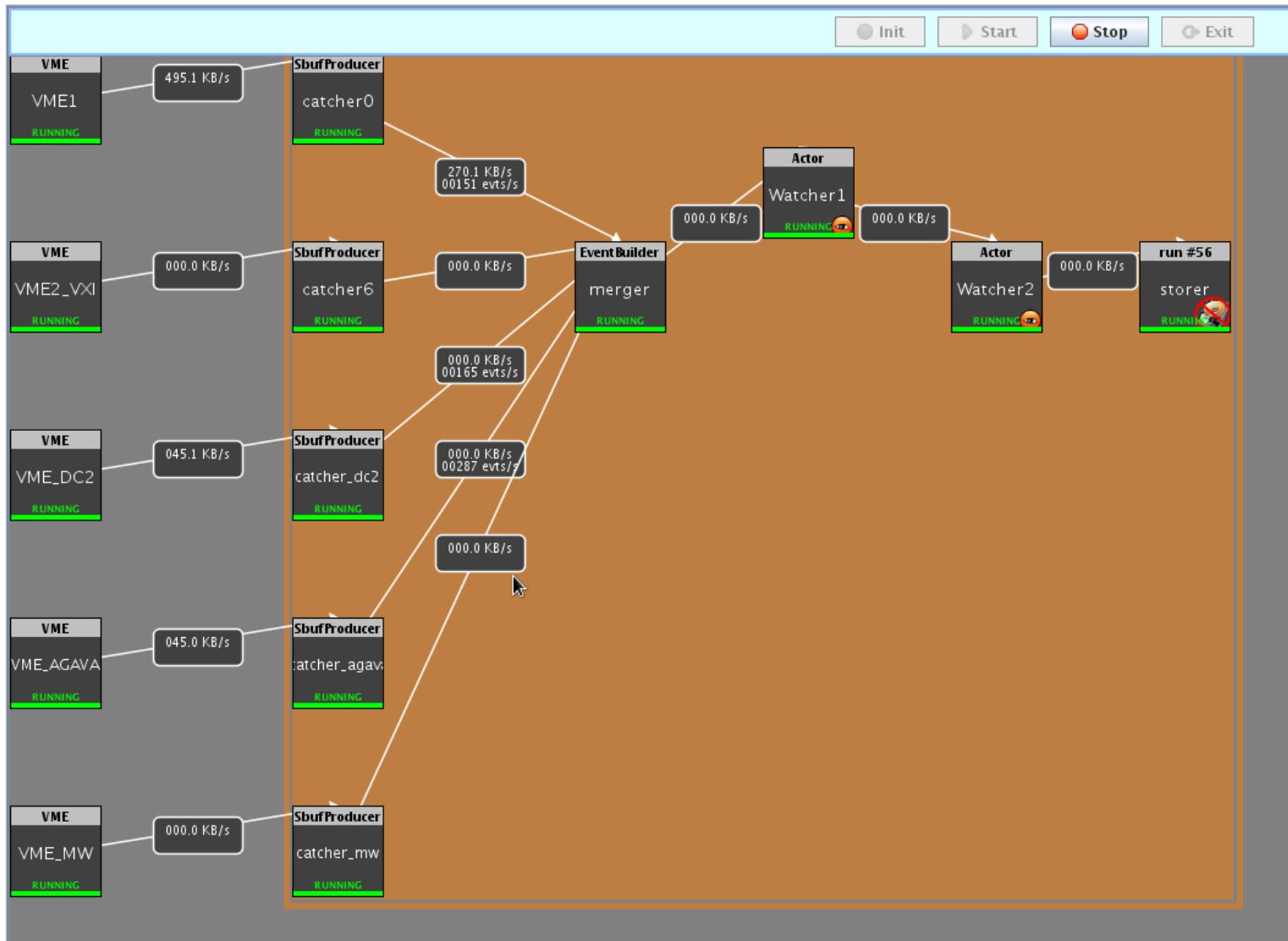
# VAMOS + AGATA



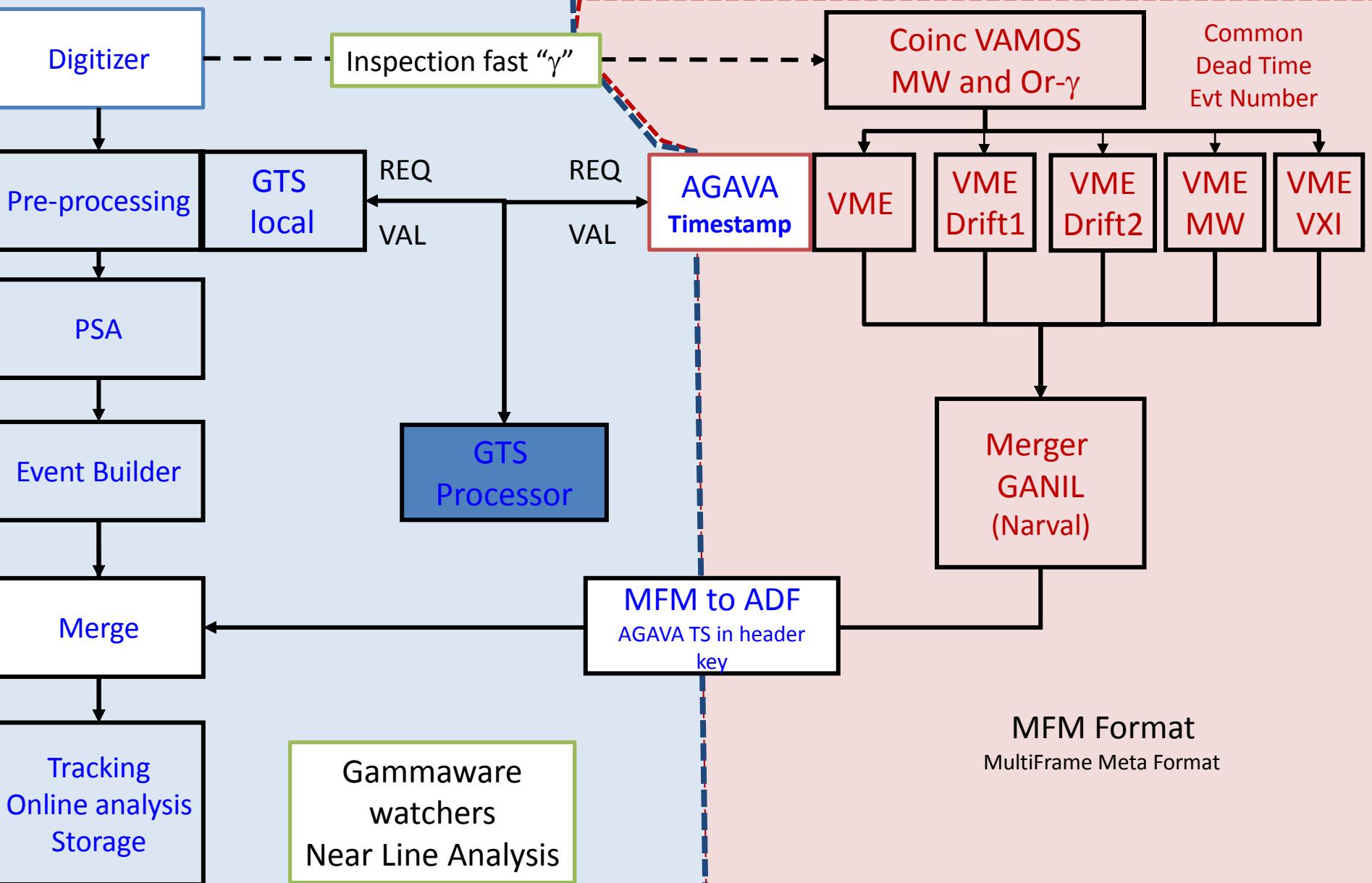
# Coupling VAMOS and AGATA (like AGATA + PRISMA)



# Narval Topology for VAMOS



# AGATA and VAMOS



**VAMOS SOFTWARES AND ANALYSIS**

# VAMOS Analysis softwares

Offline = Online

- **libVamos**

Shared library (C++, ROOT (opt), Cmake)

⇒ Could be interfaced with any program  
(VAnalysis, your own analysis program,  
*Watcher GammaWare*, Narval filter ...)

git version control, doxygen documentation

Soon available in <http://gitlab.in2p3.fr/VAMOS/>

- **VAnalysis existing analysis software**

- Online Analysis (Narval Watcher, Spy)  
(Histograms Server, Visu with VIGRU software)
- Offline Analysis (Root Trees, Histograms)

# libVamos

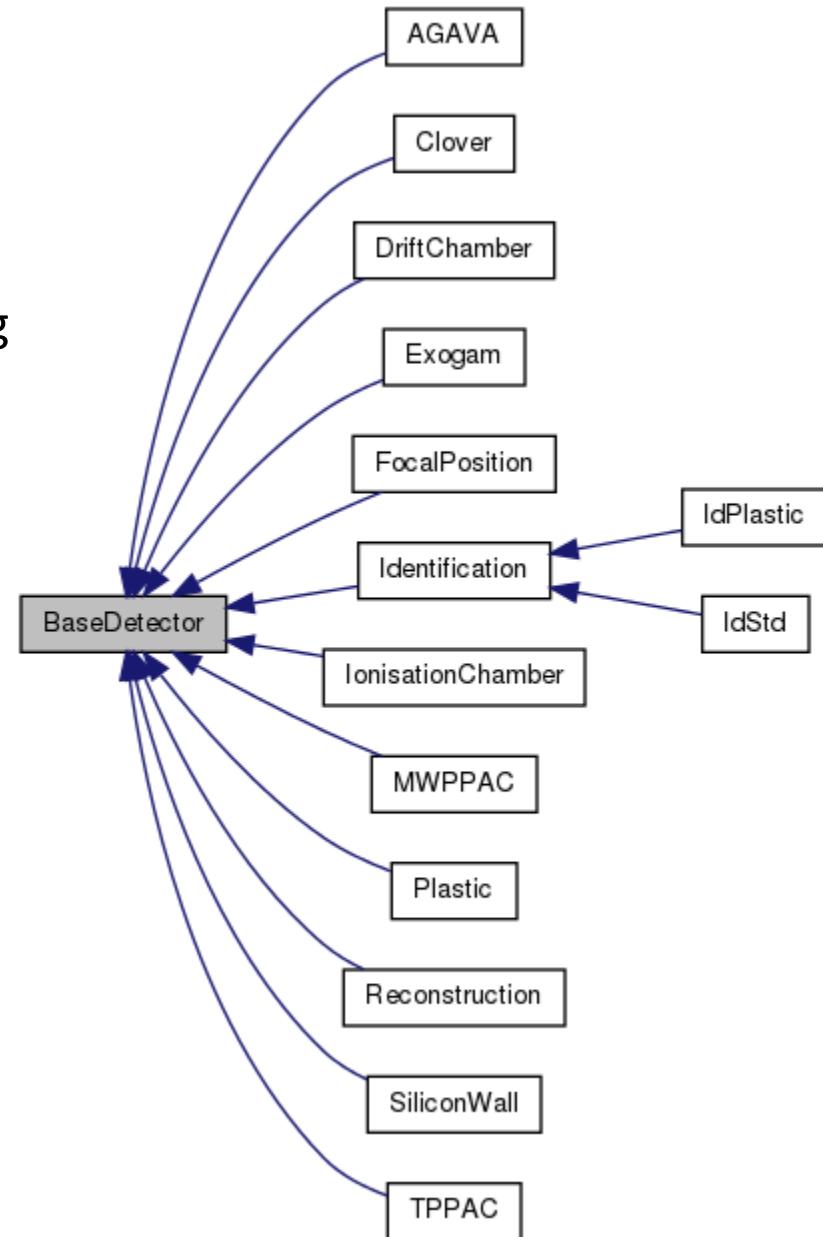
Include standard *sorting, calibration* and *analysis* procedures for VAMOS detectors

Basic Idea : benefit from inheritance !

- BaseDetector include all standard routines (Add Data, Calibration, Root Histogramming and Trees, ... )

Inherited class for specific needs

- Detectors
  - Drift Chambers
  - Ionization Chambers
  - MWPPC
  - Silicon Wall
  - TPPAC
- But also for Analysis methods
  - Focal Position Reconstruction (Combine 4 DriftChambers)
  - Brho Reconstruction (Combine Focal Position)
  - Identification (Combine Focal Position Reconstruction, IC, E, MW)

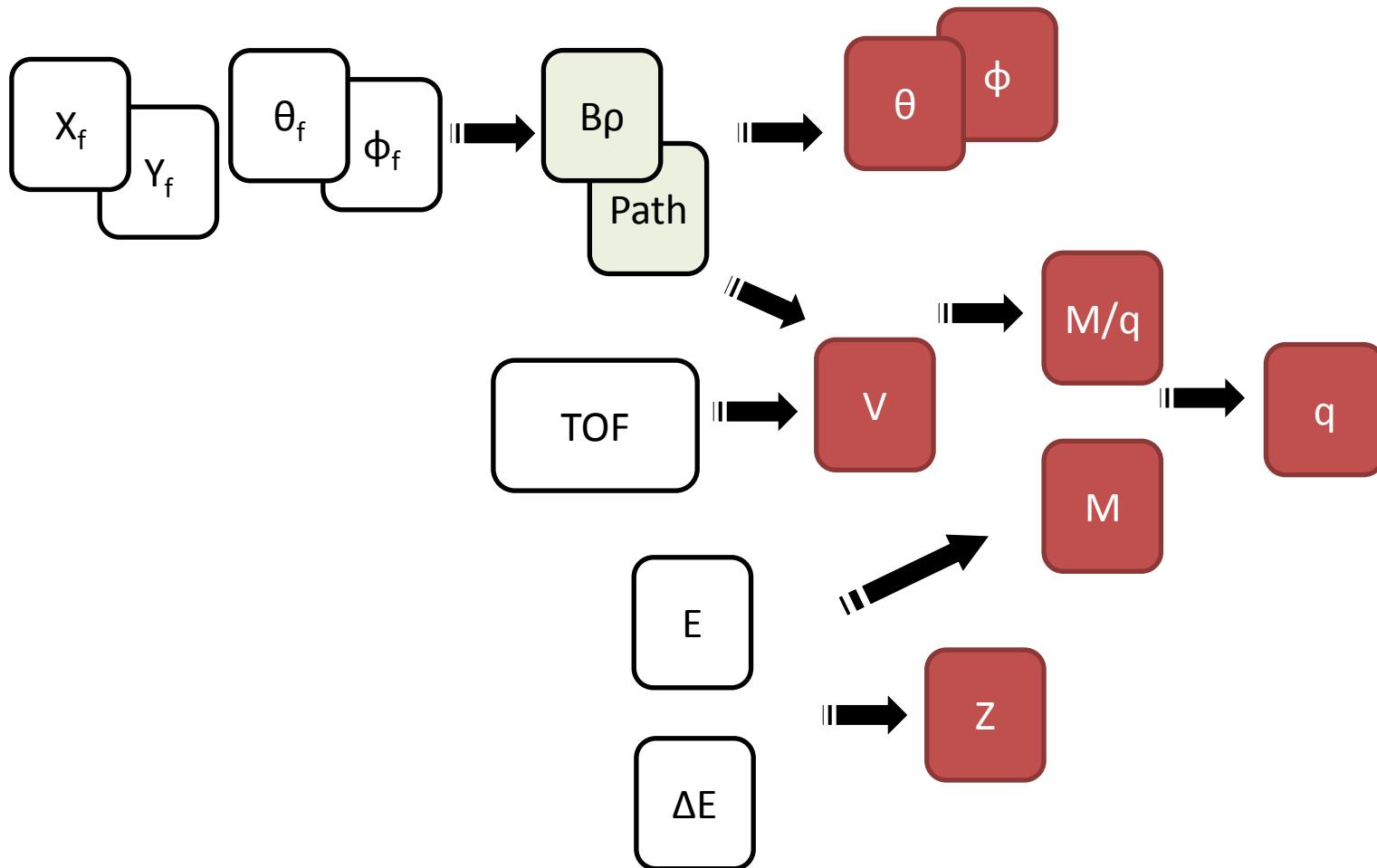


No Data yet from VAMOS + AGATA !

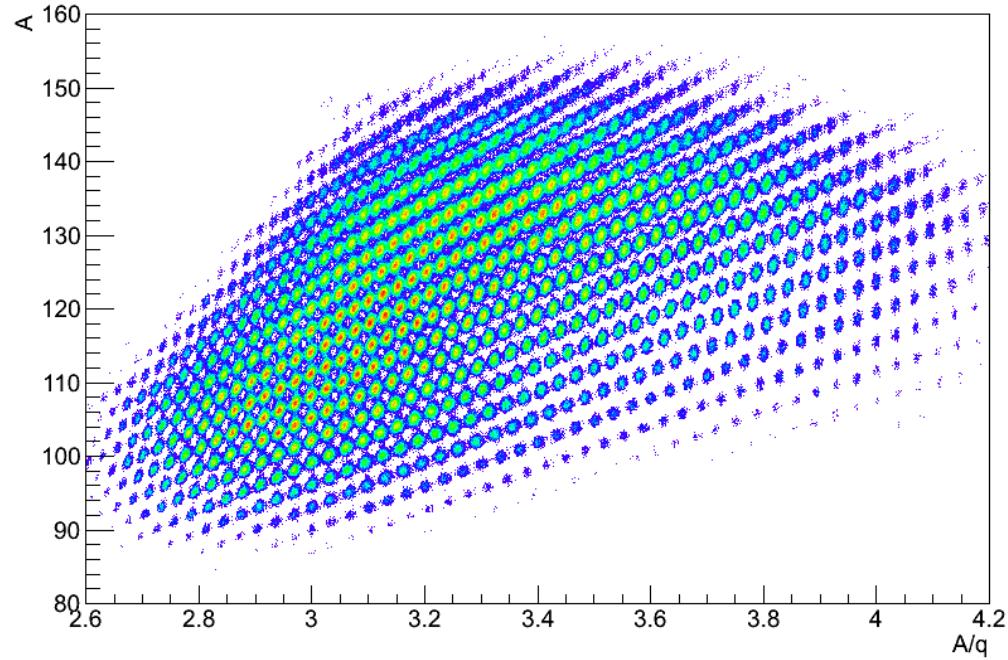
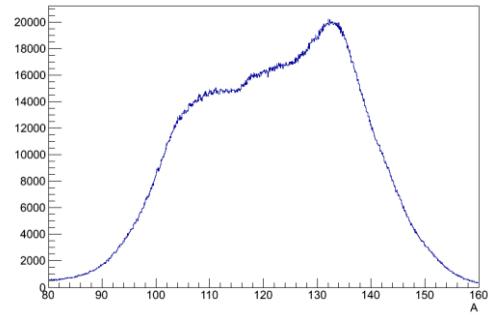
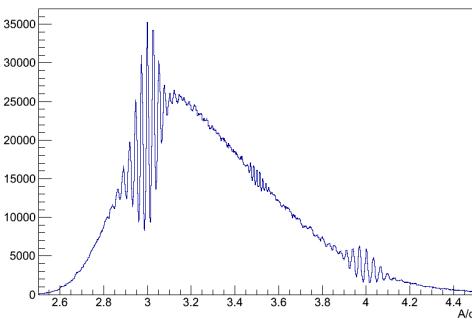
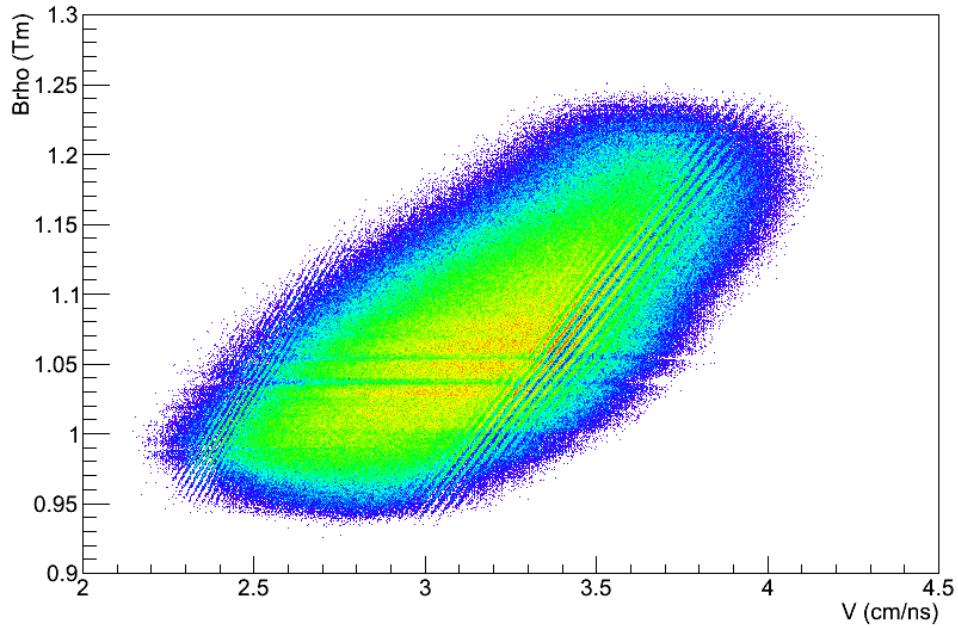
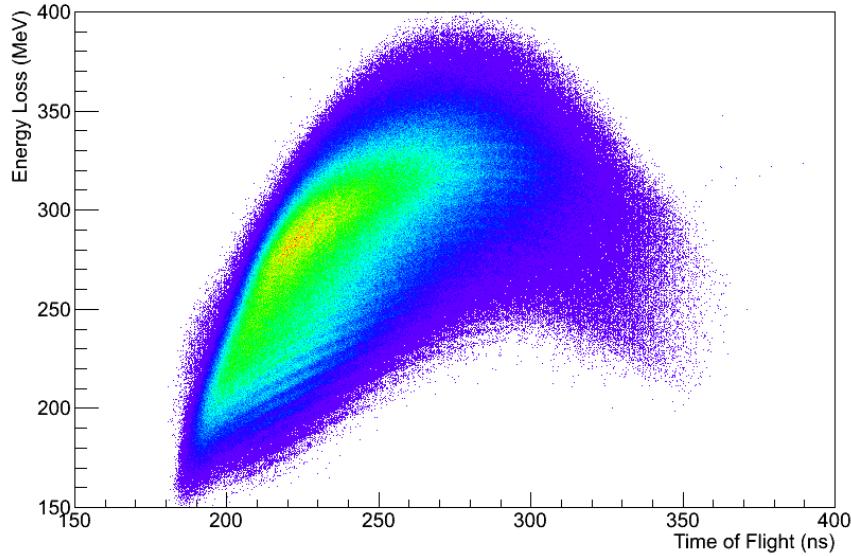
I will save you from installing software

But we will look at previous data  
and go step by step

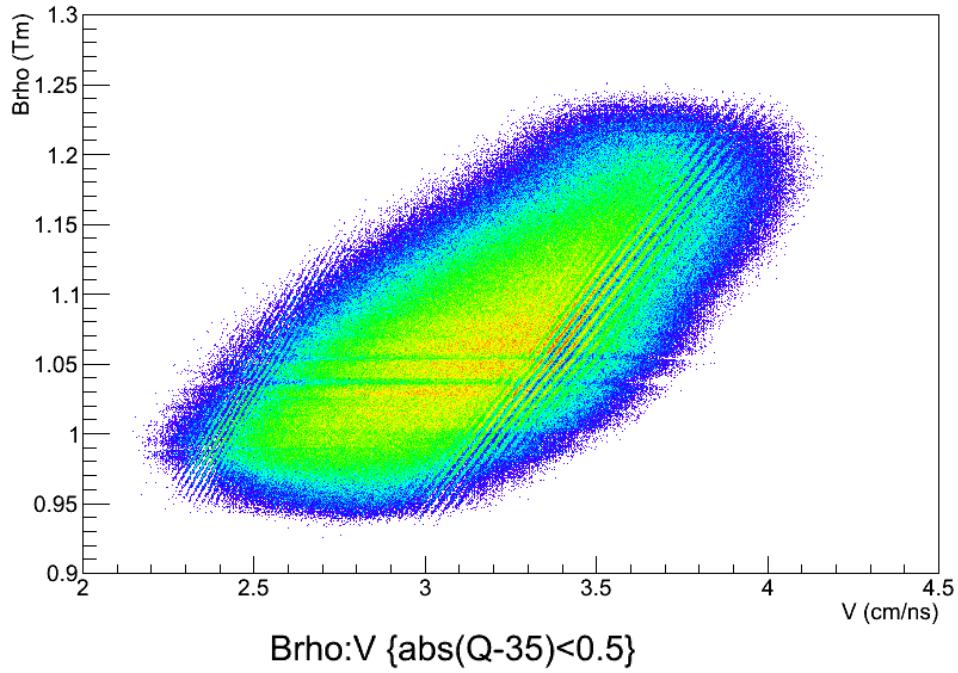
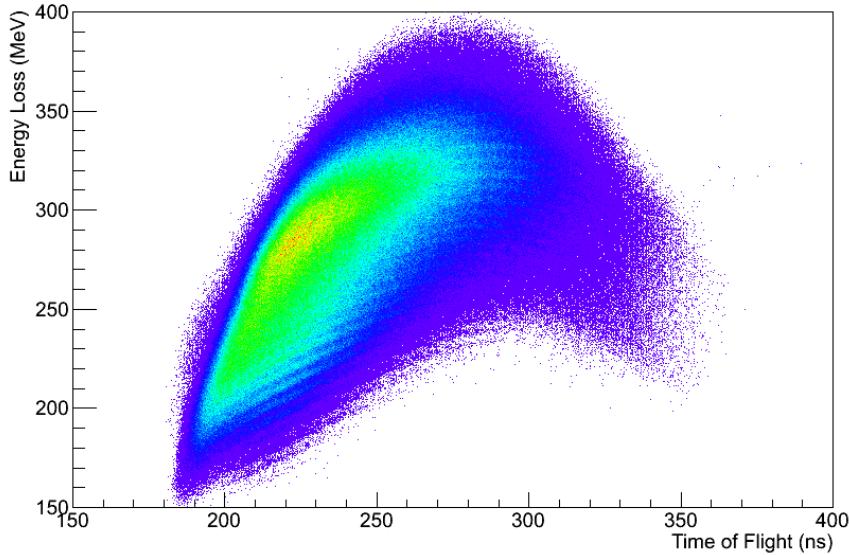
# VAMOS Measurement (Software Spectrometer)



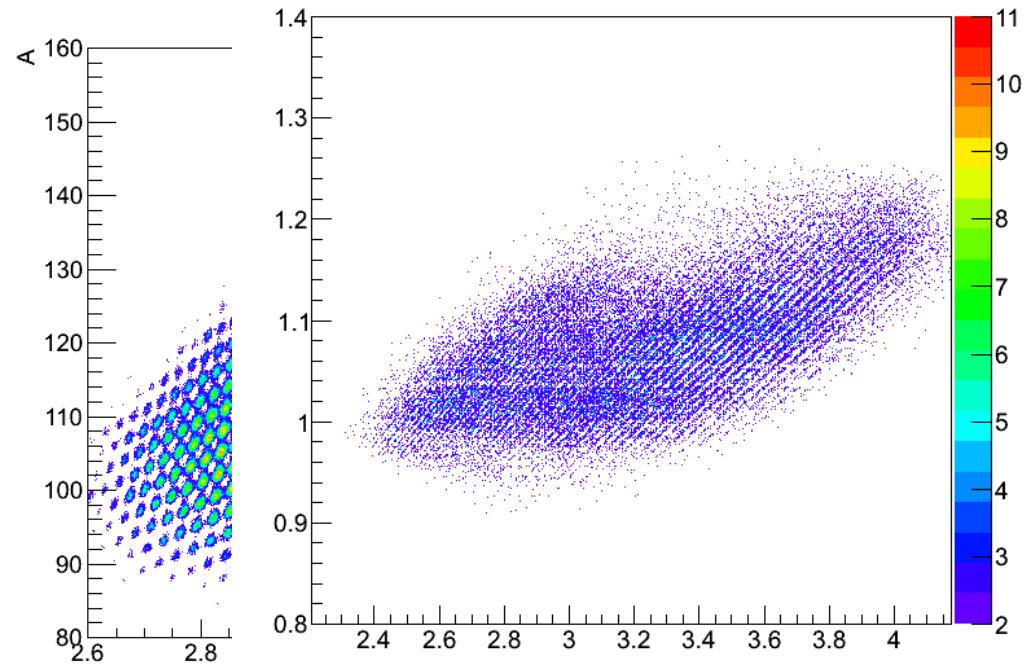
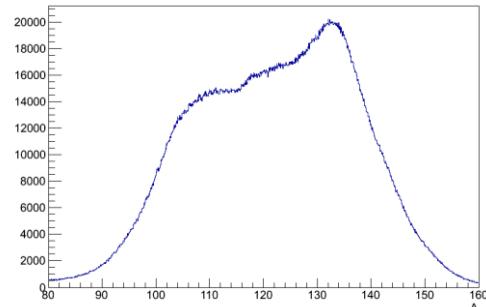
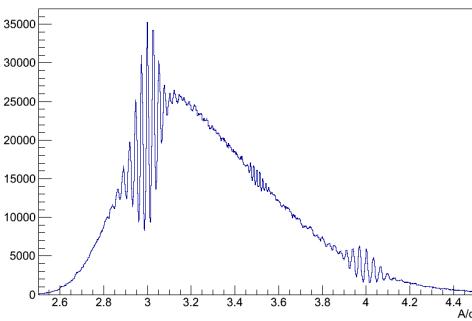
# Basic Correlations



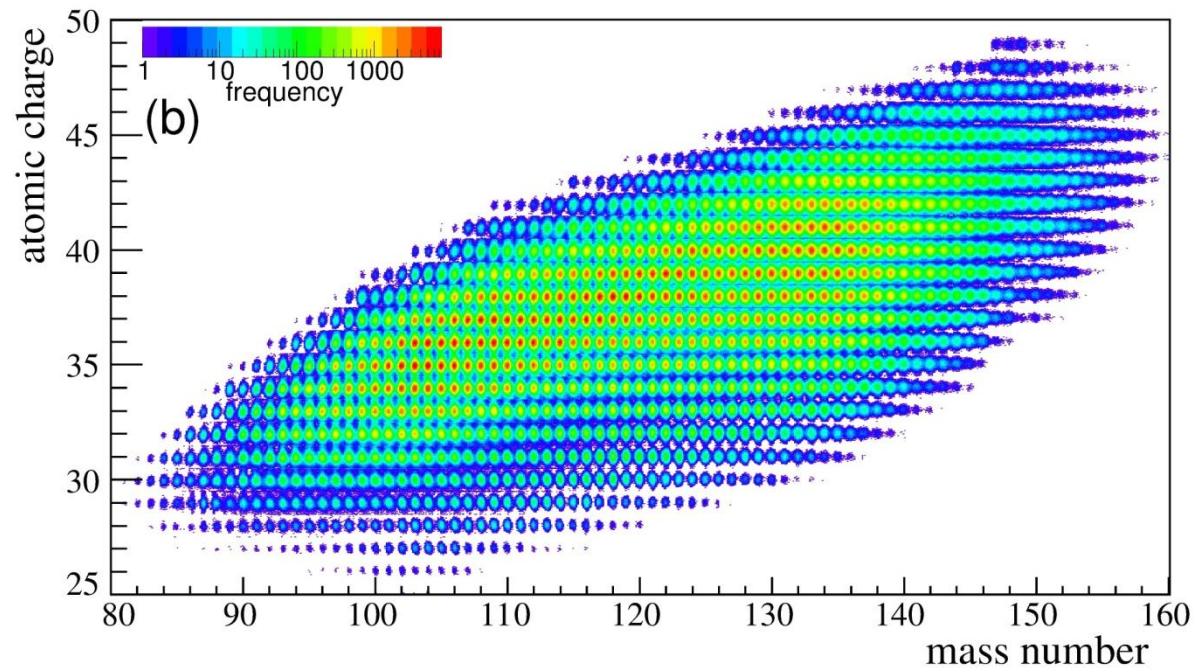
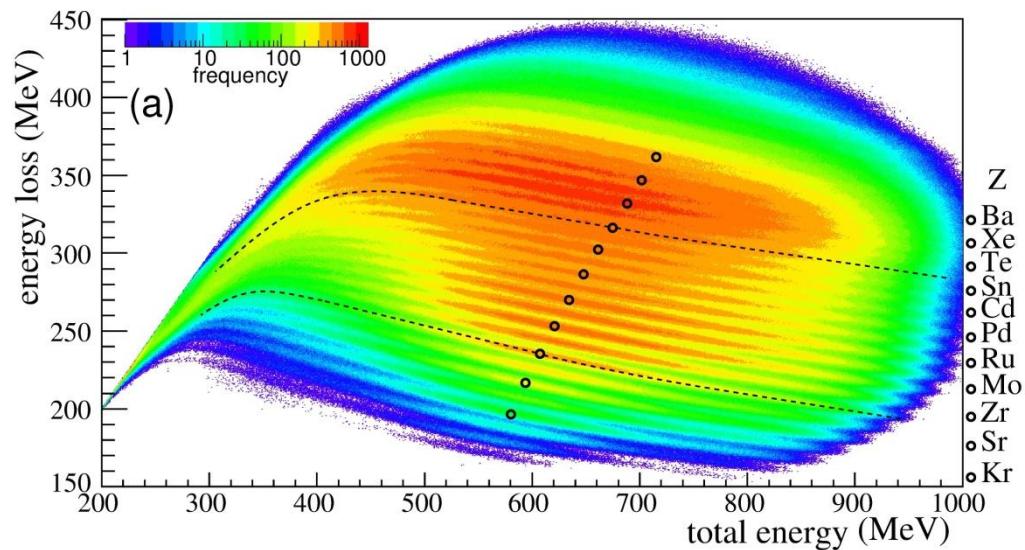
# Basic Correlations



Brho:V {abs(Q-35)<0.5}

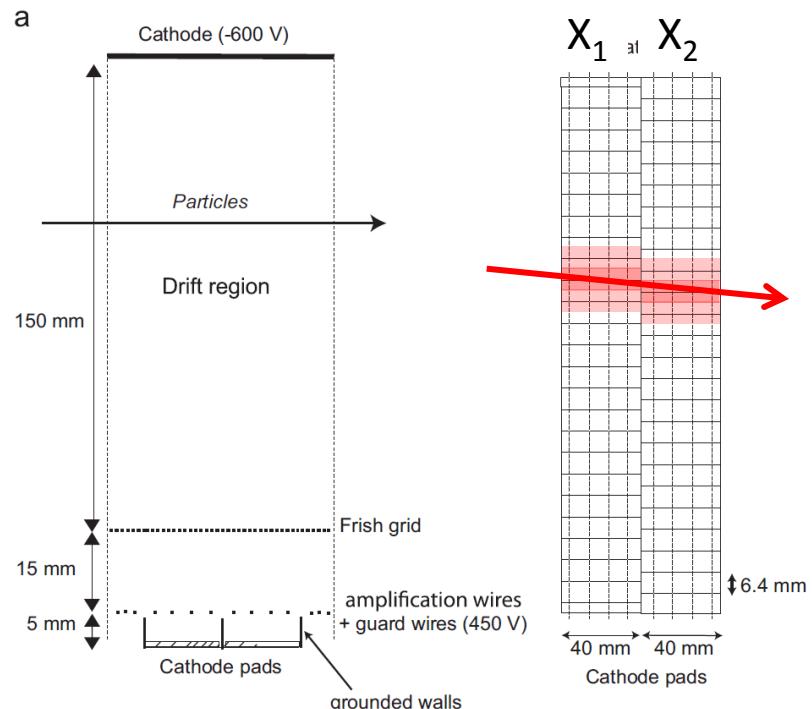
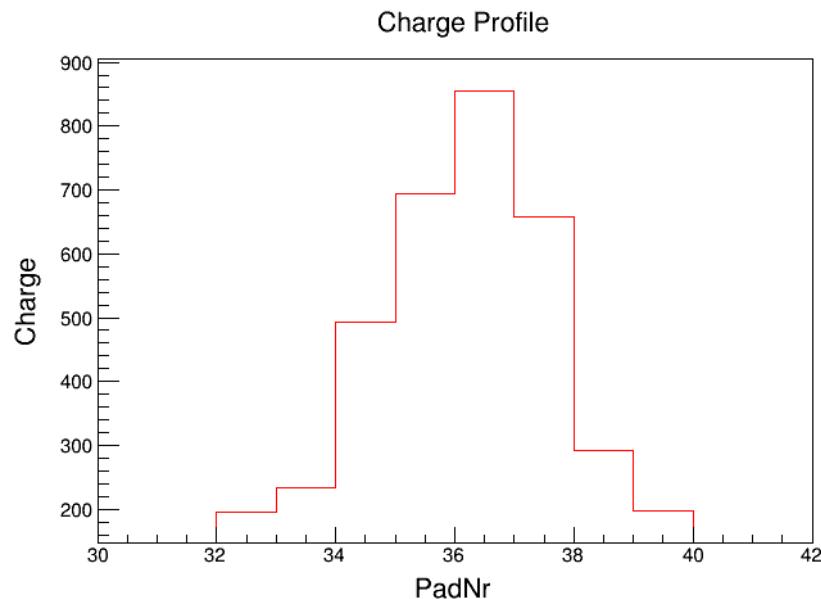


# Identification of FFs



# Trajectory reconstruction in DriftChambers

- Charge distributions on Pads  
=> ( $X_1, X_2, X_3, X_4$ )



# Trajectory reconstruction in DriftChambers

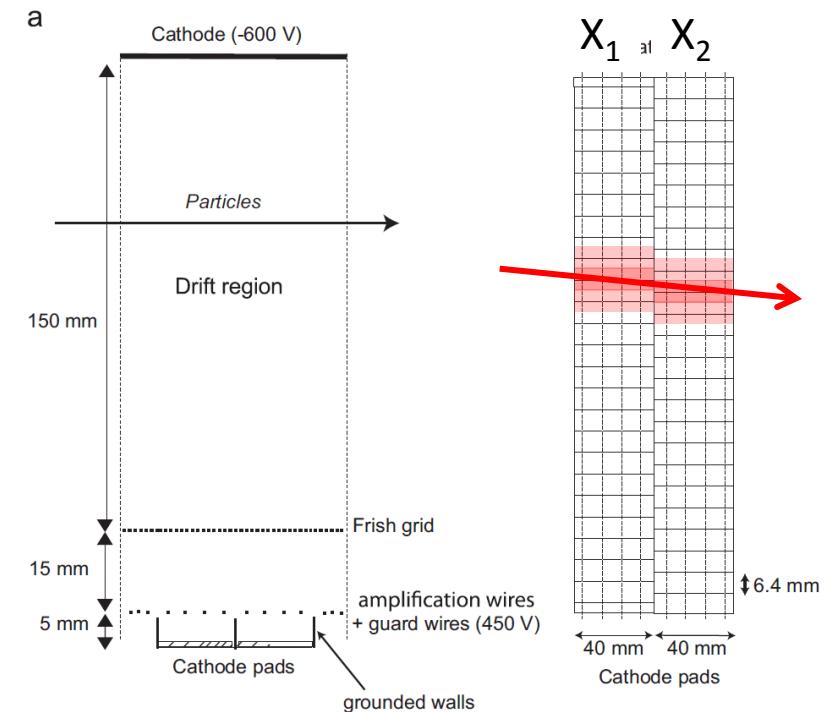
- Charge distributions on Pads

$$\Rightarrow (X_1, X_2, X_3, X_4)$$

Signal on amplification wires

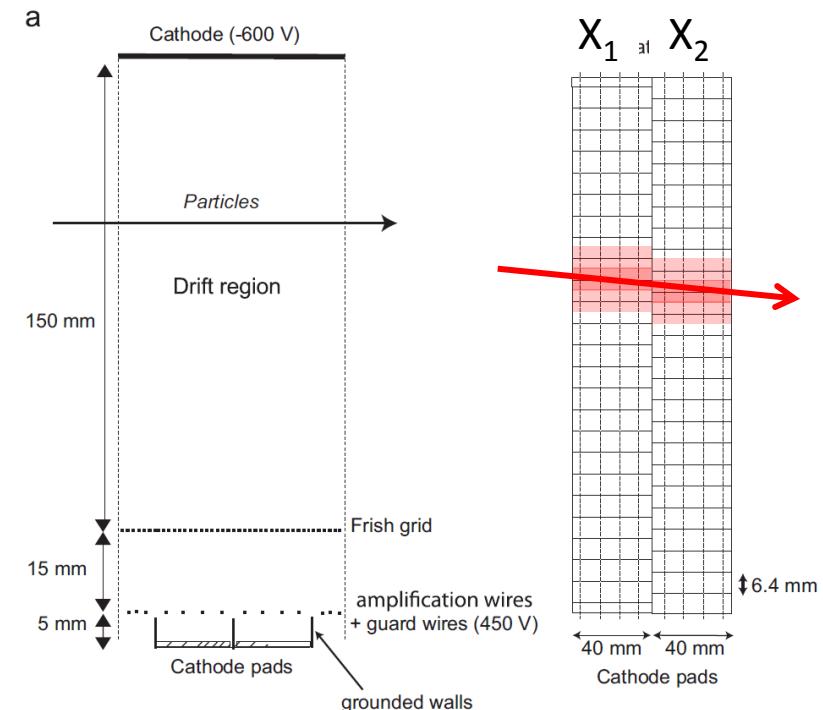
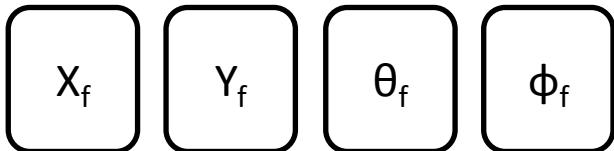
$\Rightarrow$  4 drift times (Multiwire – DC Wire)

$$\Rightarrow (Y_1, Y_2, Y_3, Y_4)$$



# Trajectory reconstruction in DriftChambers

- Charge distributions on Pads  
=>  $(X_1, X_2, X_3, X_4)$   
Signal on amplification wires  
=> 4 drift times (Multiwire – DC Wire)  
=>  $(Y_1, Y_2, Y_3, Y_4)$
- Reconstruction at defined plane named « Focal Plane »  
(Our definition 760cm from target)



# Trajectory reconstruction in DriftChambers

- Charge distributions on Pads

=>  $(X_1, X_2, X_3, X_4)$

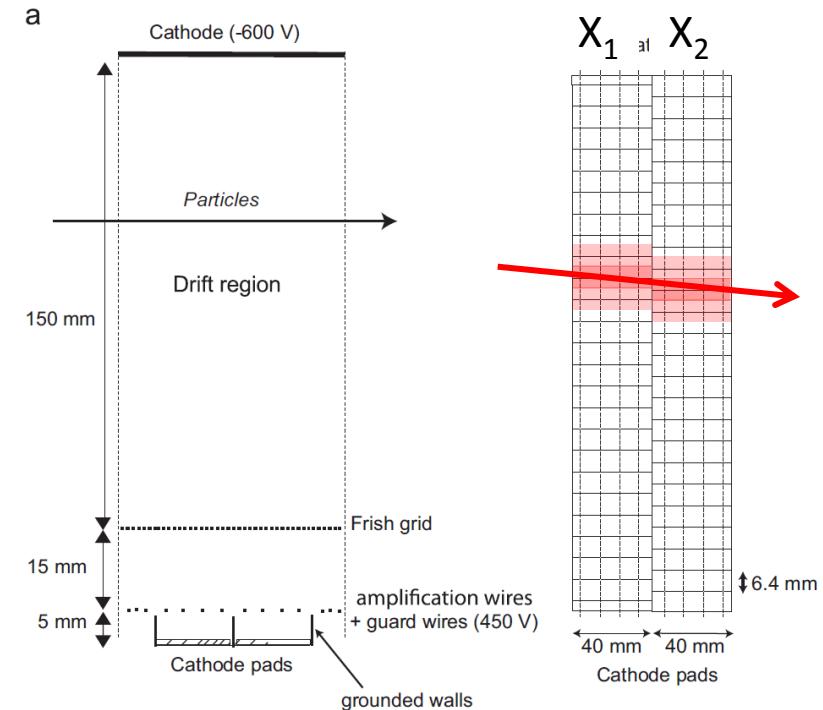
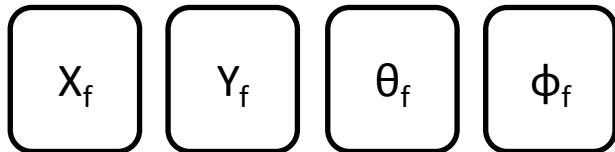
Signal on amplification wires

=> 4 drift times (Multiwire – DC Wire)

=>  $(Y_1, Y_2, Y_3, Y_4)$

- Reconstruction at defined plane named « Focal Plane »

(Our definition 760cm from target)



## Calibration actions

Pad Calibrations (Gain matching)

Drift Time Calibration

! X and Y references

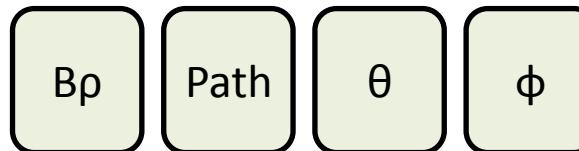
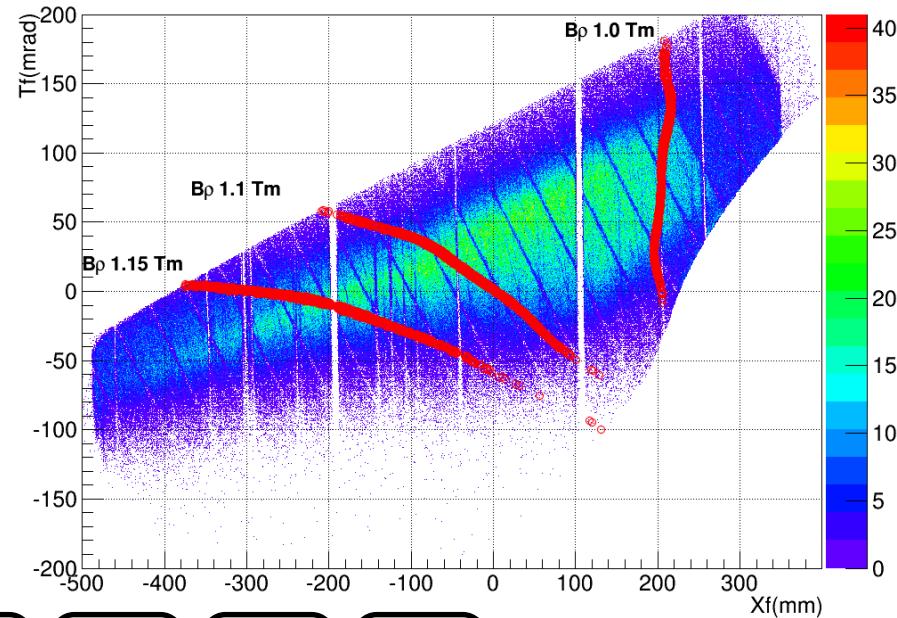
(surveyors + Direct beam data + dead zones)

# Software ( $B\beta$ , Path) reconstruction principle

- **Ray tracing with Zgoubi Software**

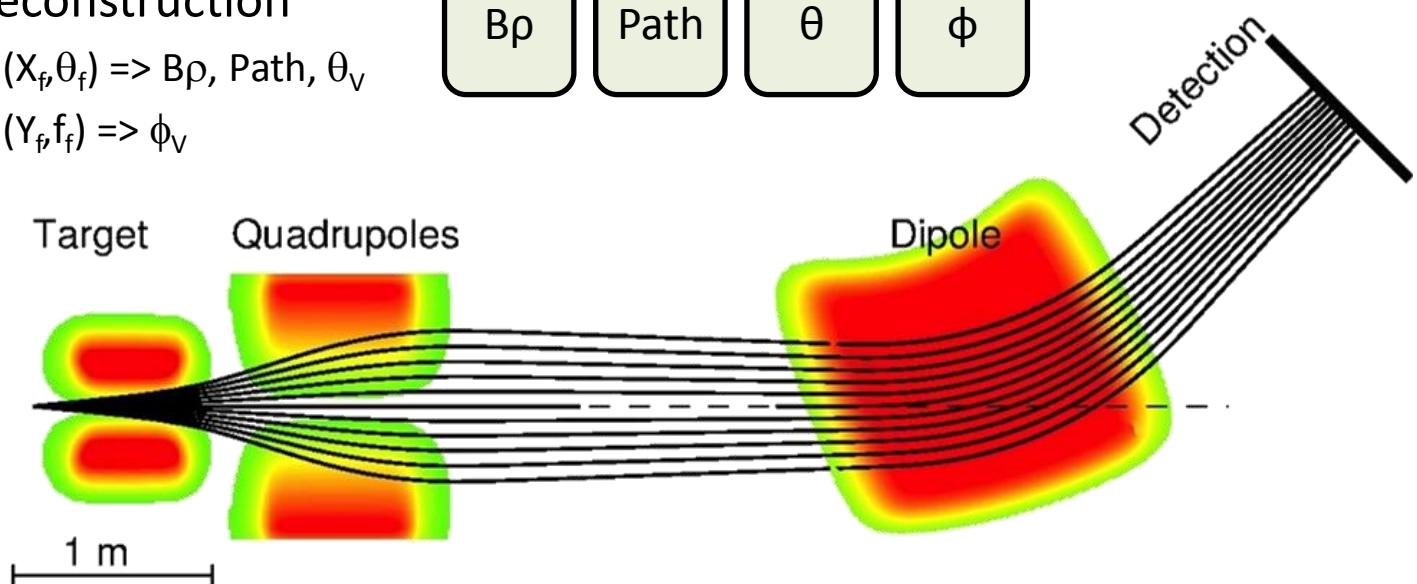
- Generate Trajectories ( $B\beta, \theta, \phi$ )  
(Field Maps, Given Optics)
- DataBase of trajectories inputs ( $B\beta, \theta, \phi$ )  
to reference « Focal Plane » (760 cm from  
target) ( $X_f, Y_f, \theta_f, \phi_f, \text{Path}$ )
- Build reverse Matrix

$$(X_f, \theta_f, Y_f, \phi_f) \Rightarrow (B\beta, \text{Path}, \theta, \phi)$$



- Event by Event reconstruction

- From measured ( $X_f, \theta_f$ )  $\Rightarrow B\beta, \text{Path}, \theta_V$
- From measured ( $Y_f, \phi_f$ )  $\Rightarrow \phi_V$

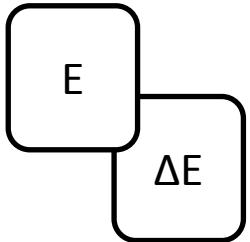


# Z identification

## $\Delta E - E$ technique

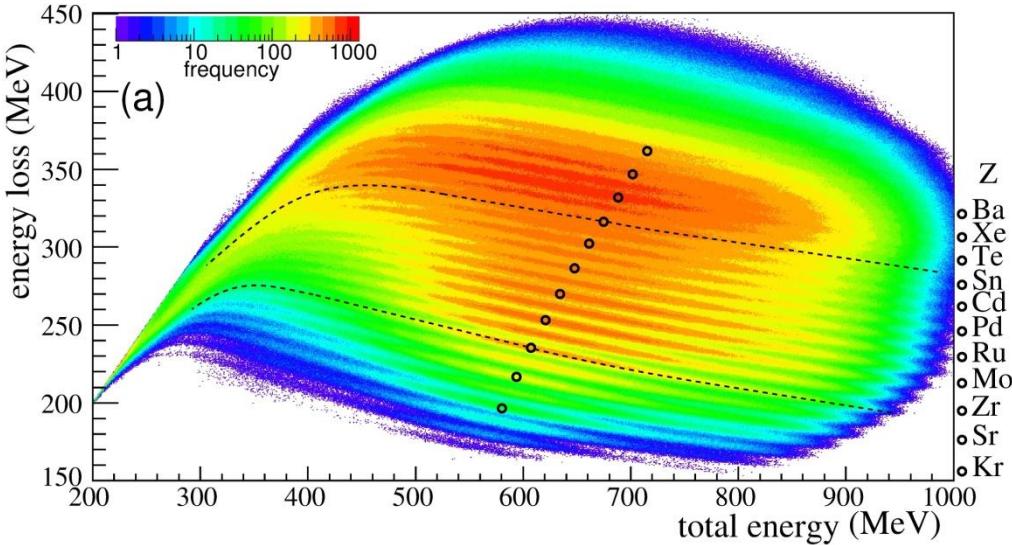
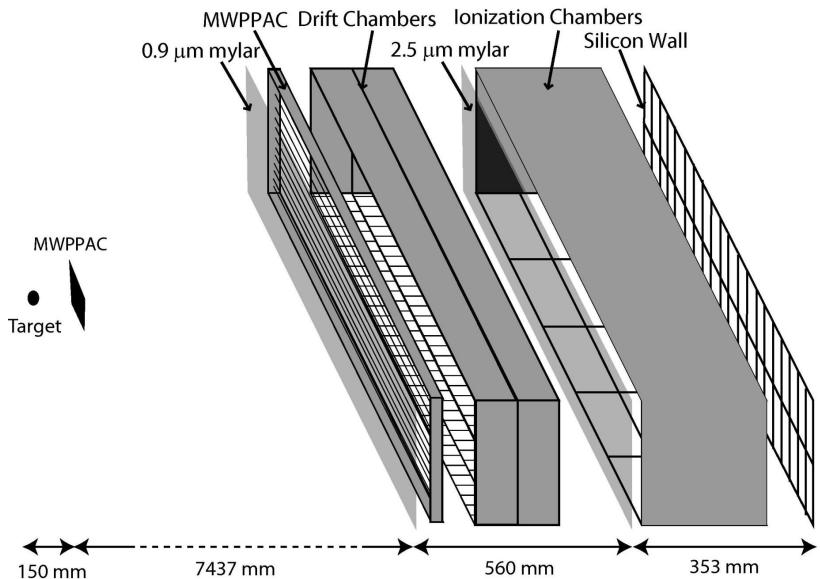
- **Energy Loss :  $\Delta E$**

Ionization Chambers  
3 rows \* 5 pads  
CF4 (20-60 mbar)  
resolution  $\sim 2\%$



- **Residual Energy  $E_{res}$**

- Up to now :  
40 Silicon detectors : 2\*20 rows
- **New** : Repalced by 4<sup>th</sup> IC row (5 pads)  
(CF4 higher pressure 100-400 mbar)



### Calibration actions

- **Ionization Chambers**

3Rows \* 5 Pads gain matching  
Overall row calibration

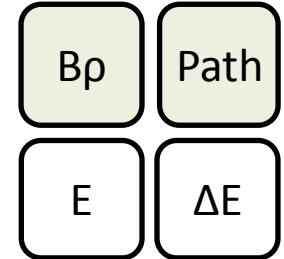
- **Silicon Wall**

2 Rows \* 20 Silicon gain matching

# Let's get A and q!

So far, we have

- Trajectory reconstruction :  $B\rho$ , Path (D)
- Approximate Energy Calibration ( $E + \Delta E$ )



$$B\rho[Tm] = 3.105 \frac{A}{q} \beta \gamma$$

$$V = D / T$$

$$\beta = V / c$$

$$\gamma = \frac{1}{\sqrt{1 - \beta^2}}$$

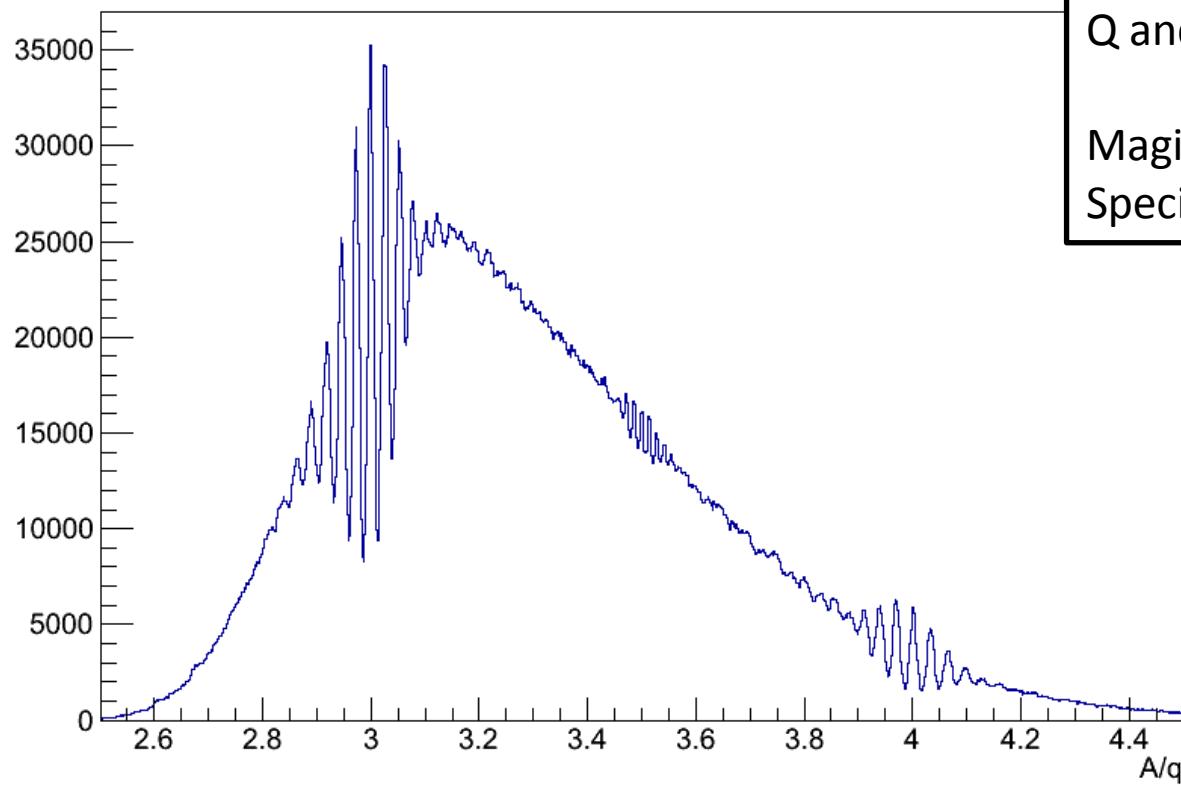
$$c = 29.9792458 \text{ [cm / ns]}$$

$$A = \frac{2E}{931.5\beta^2}$$

$$\frac{A}{q} = \frac{B\rho[Tm]}{3.105 \beta \gamma}$$

We want A and q  
we need v !  
=> Time of flight calibration

# Time of flight



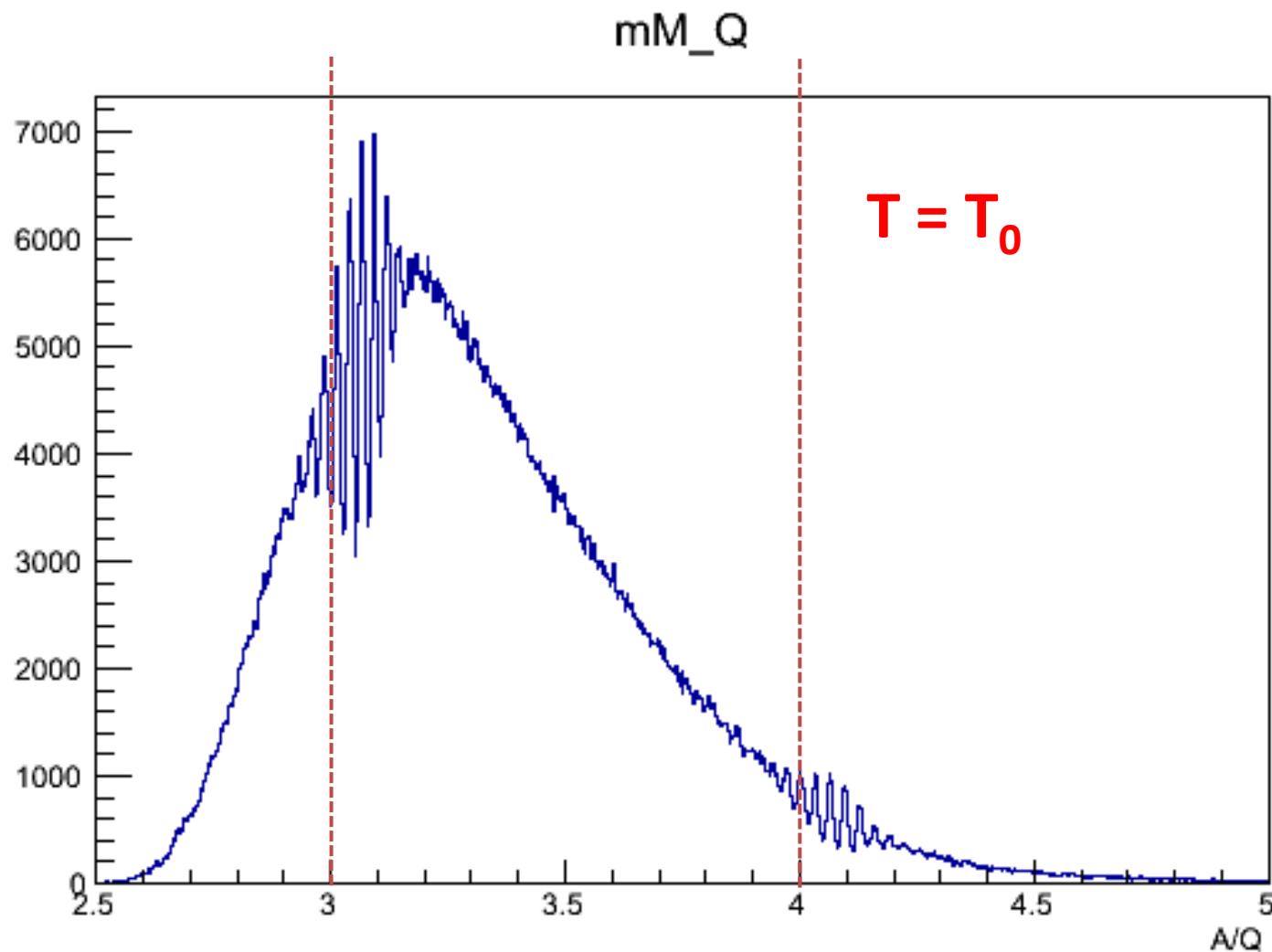
Q and A as integers

Magic numbers of spectrometers  
Specific A/Q values = 2,3,4 ...

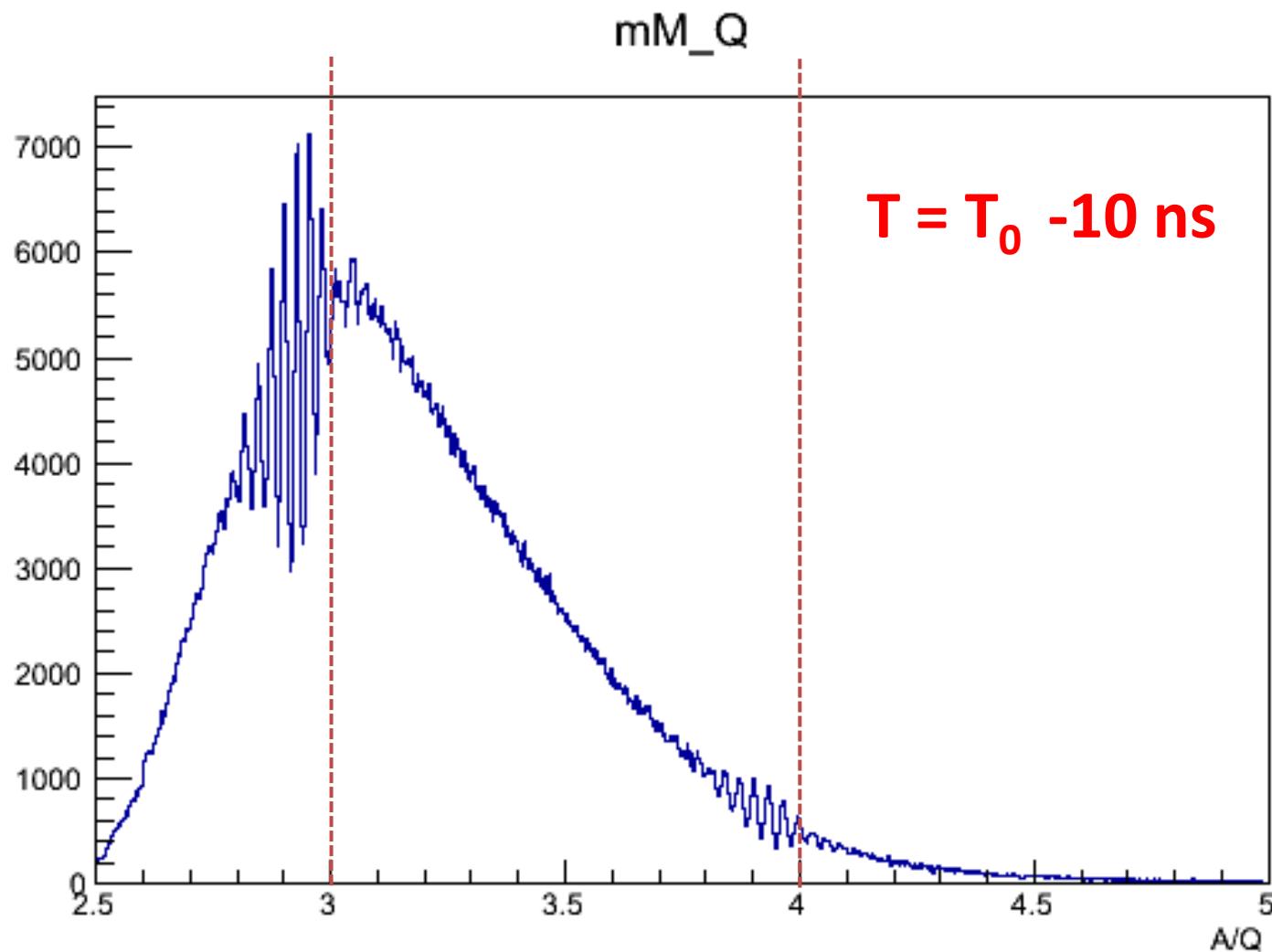
$$\frac{A}{q} = \frac{B\rho[Tm]}{3.105\beta\gamma}$$

Adjust time offset to match M/Q = 3 and 4  
Section by sections

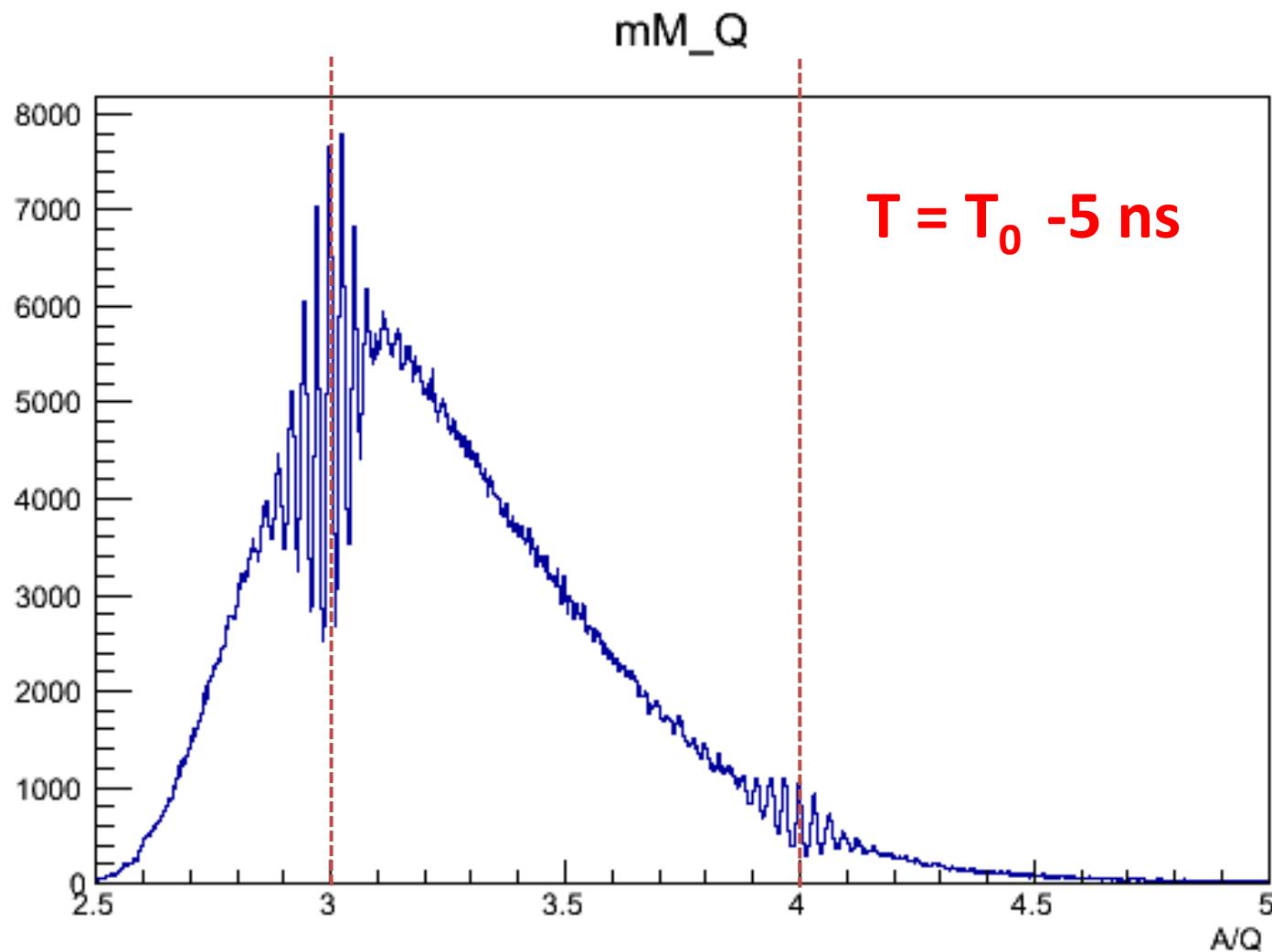
# Adjusting TOF



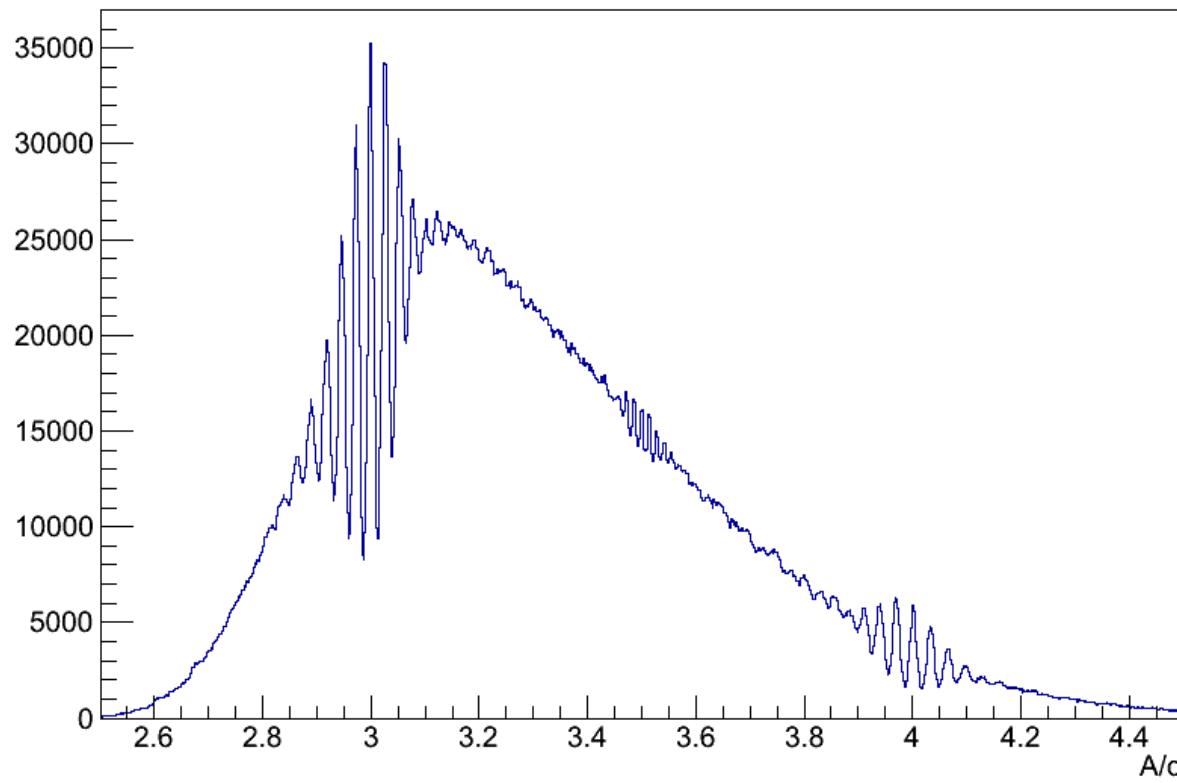
# Adjusting TOF



# Adjusting TOF



# Time of flight



Adjust time offset to match M/Q = 3 and 4  
Section by sections

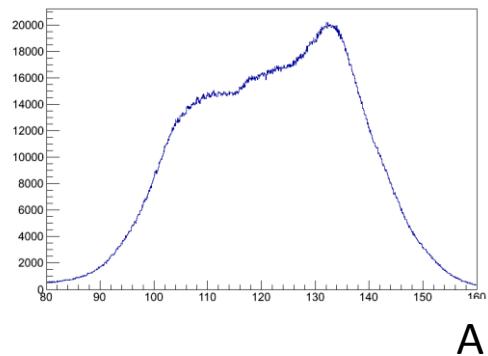
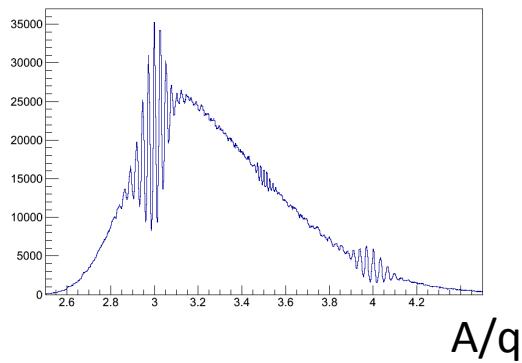
**Calibration actions**

- **TDC Calibration**
- **For each of 20 sections of MW**  
Time alignment using M/Q and M information

$$\frac{A}{q} = \frac{B\rho[Tm]}{3.105\beta\gamma}$$

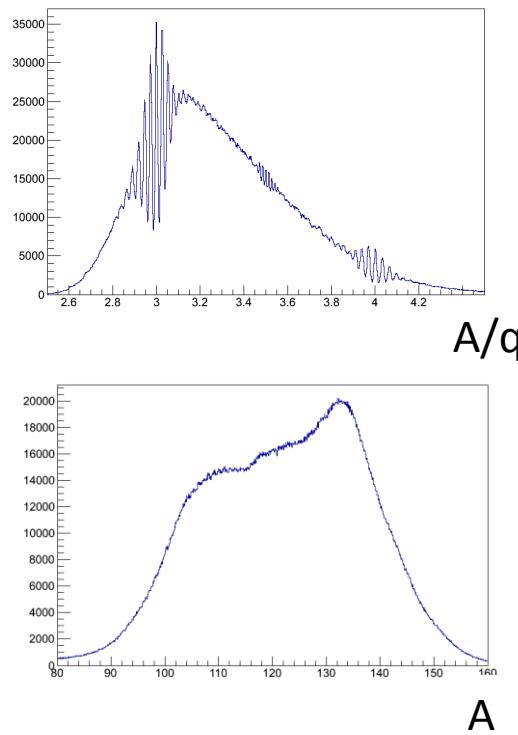
# Identify Q

Continuous



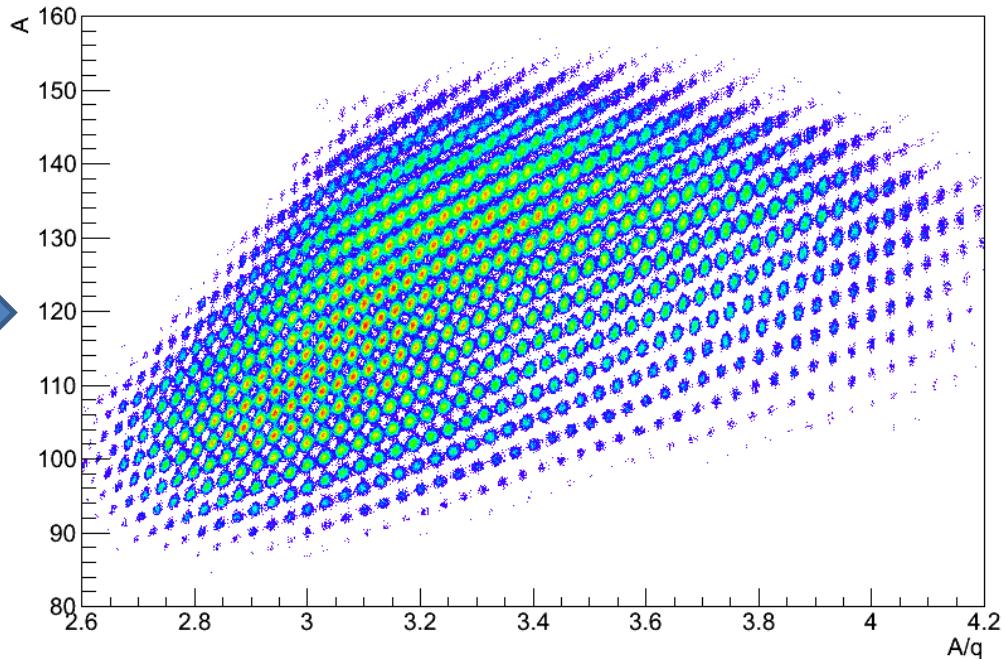
⚠ selected silicon detector !

Continuous



# Identify Q

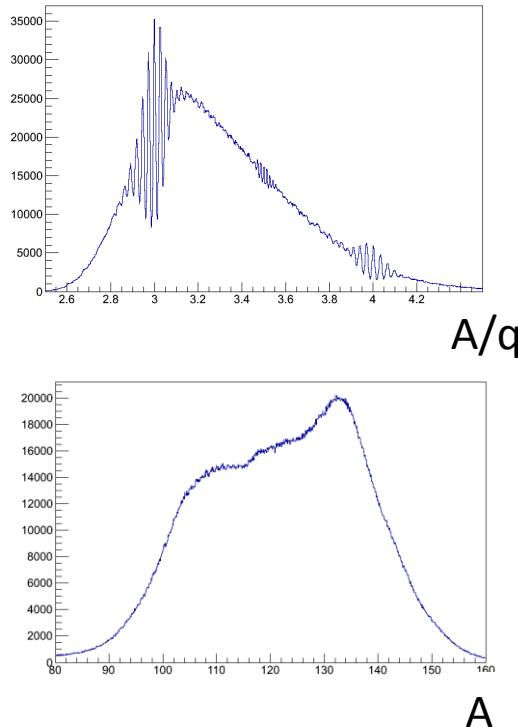
Discrete



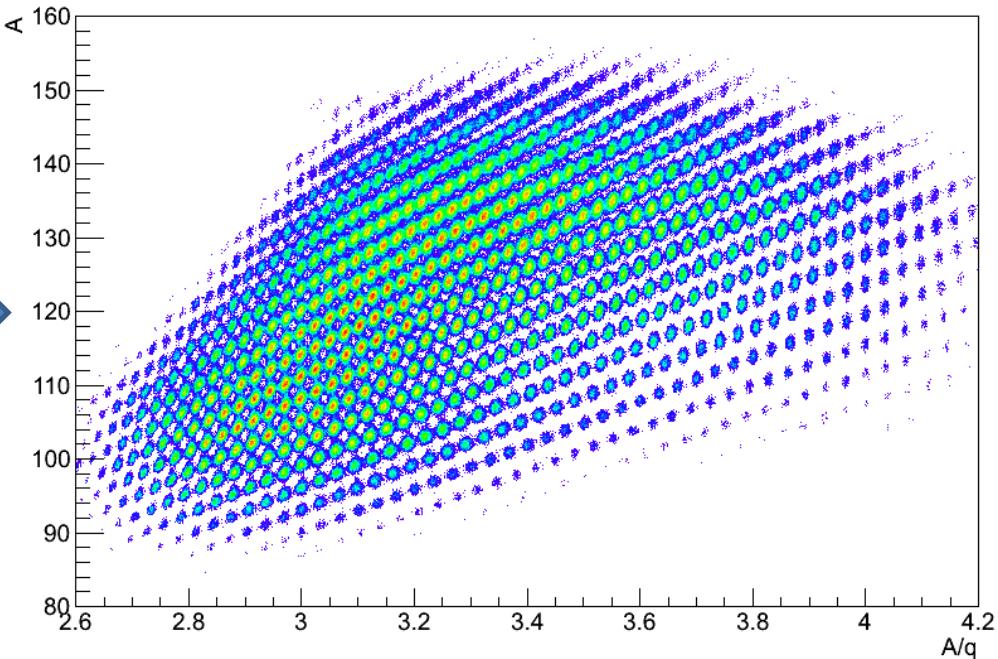
⚠ selected silicon detector !

# Identify Q

Continuous



Discrete



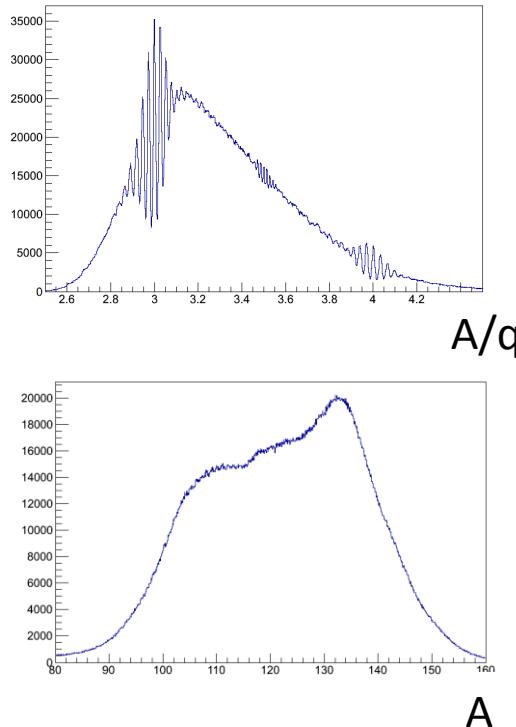
$$\frac{A}{q} = \frac{B\rho[Tm]}{3.105\beta\gamma}$$

$$A = \frac{2E}{931.5\beta^2}$$

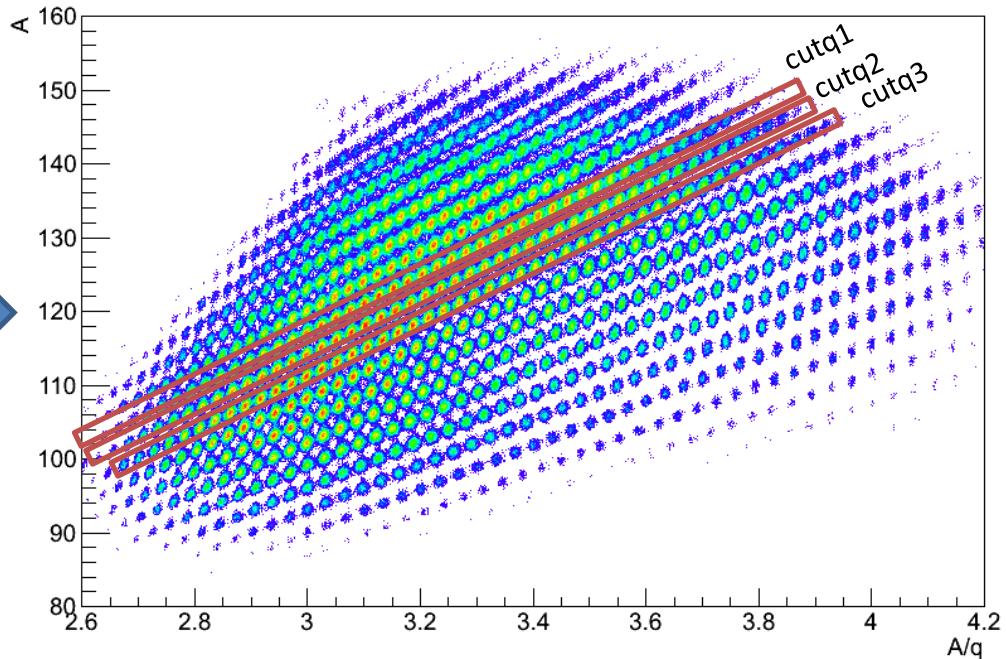
⚠ selected silicon detector !

# Identify Q

Continuous



Discrete



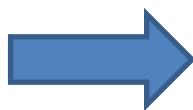
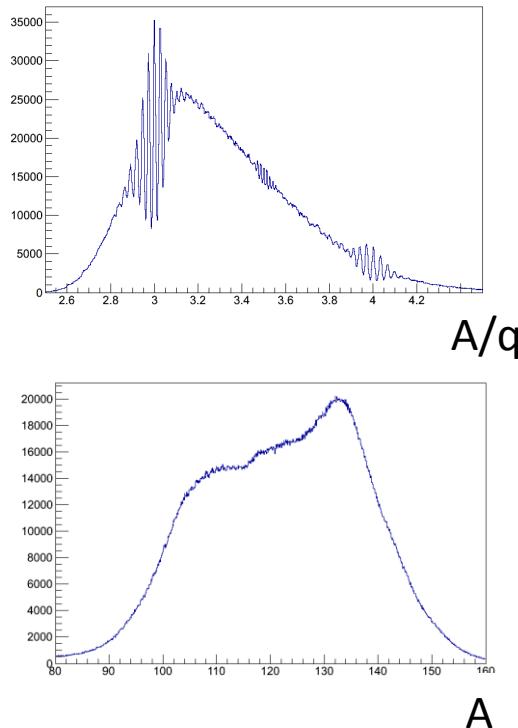
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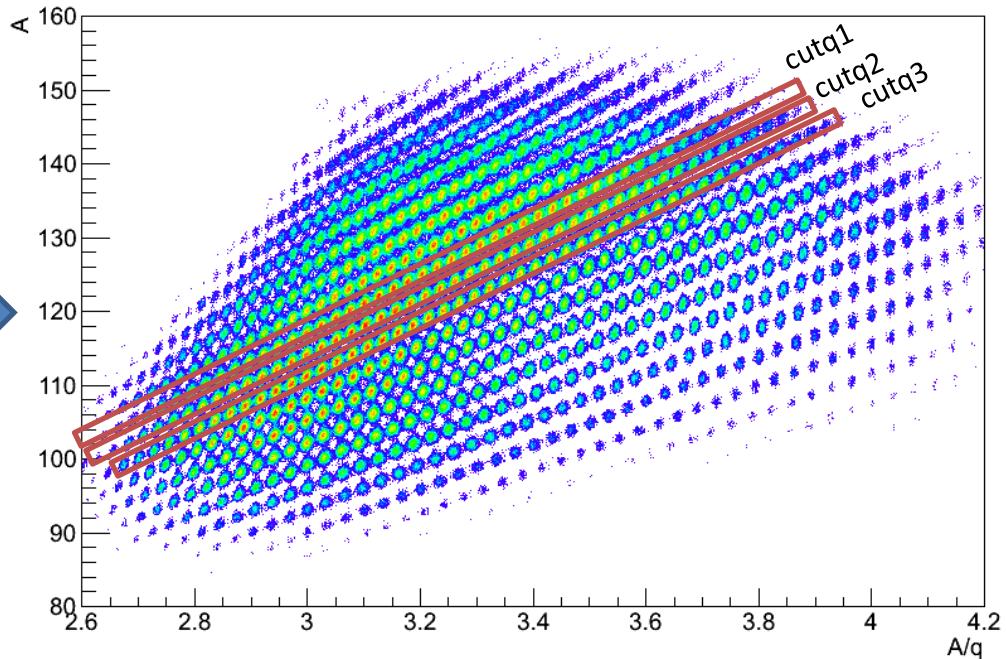
⚠ selected silicon detector !

# Identify Q

Continuous



Discrete



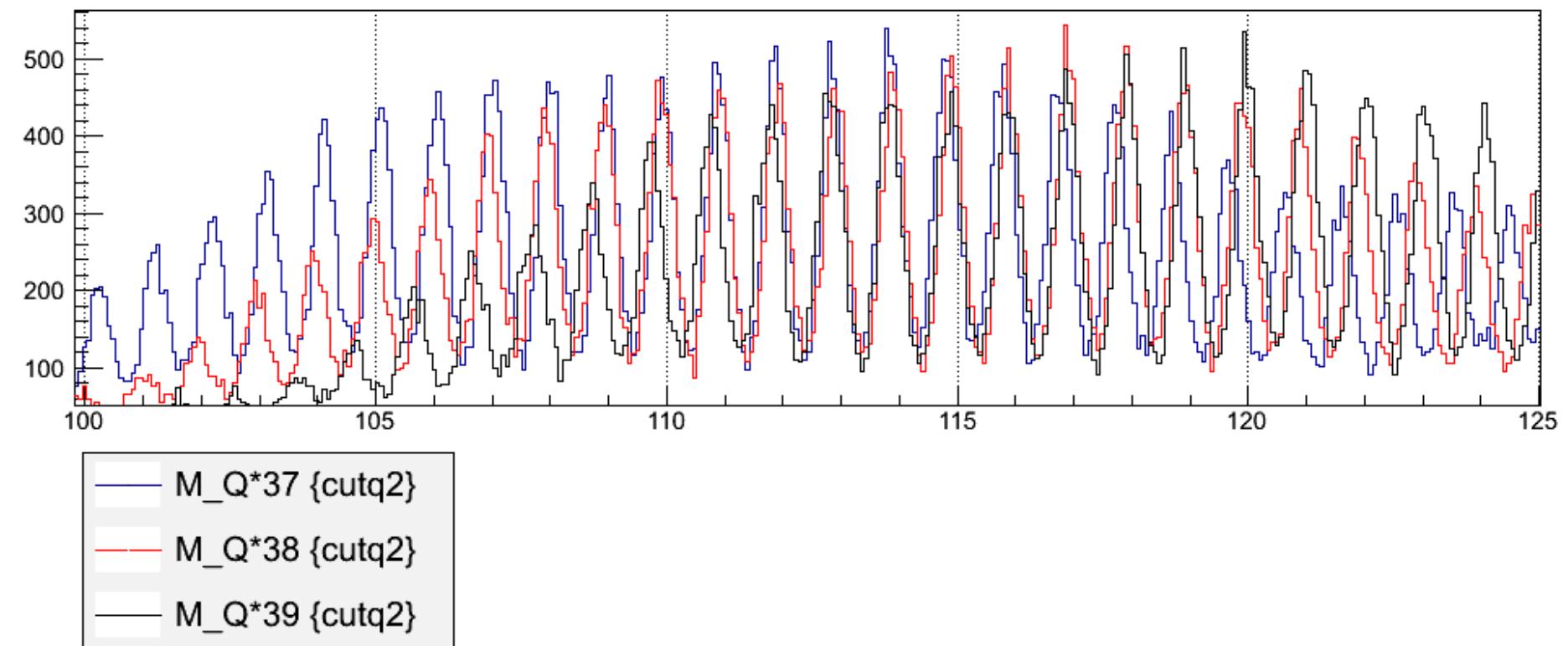
$$\frac{A}{q} = \frac{B\rho[Tm]}{3.105\beta\gamma}$$

Hypothesis on  $cutq2 = (37, 38 \text{ or } 39)$   
 $A = A/q * cutq2$

$$A = \frac{2E}{931.5\beta^2}$$

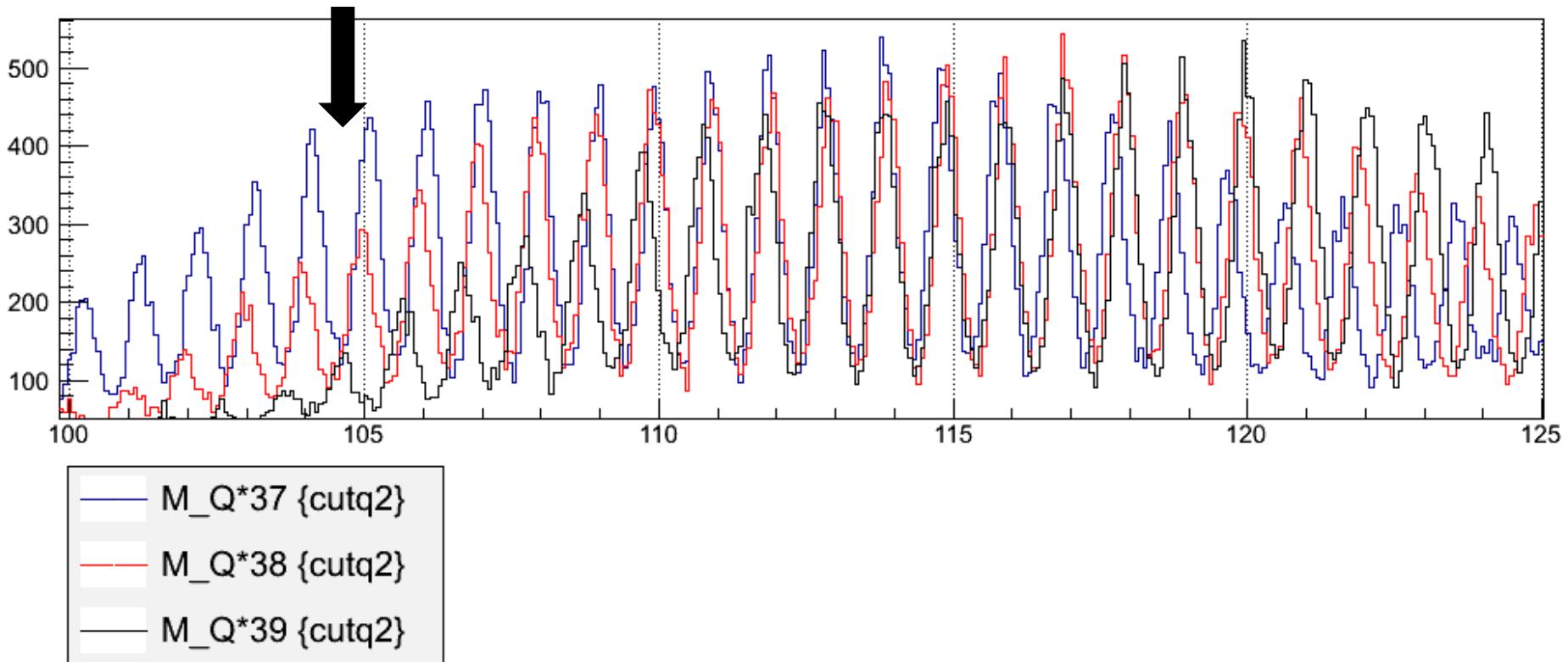
⚠ selected silicon detector !

# Identify q



# Identify q

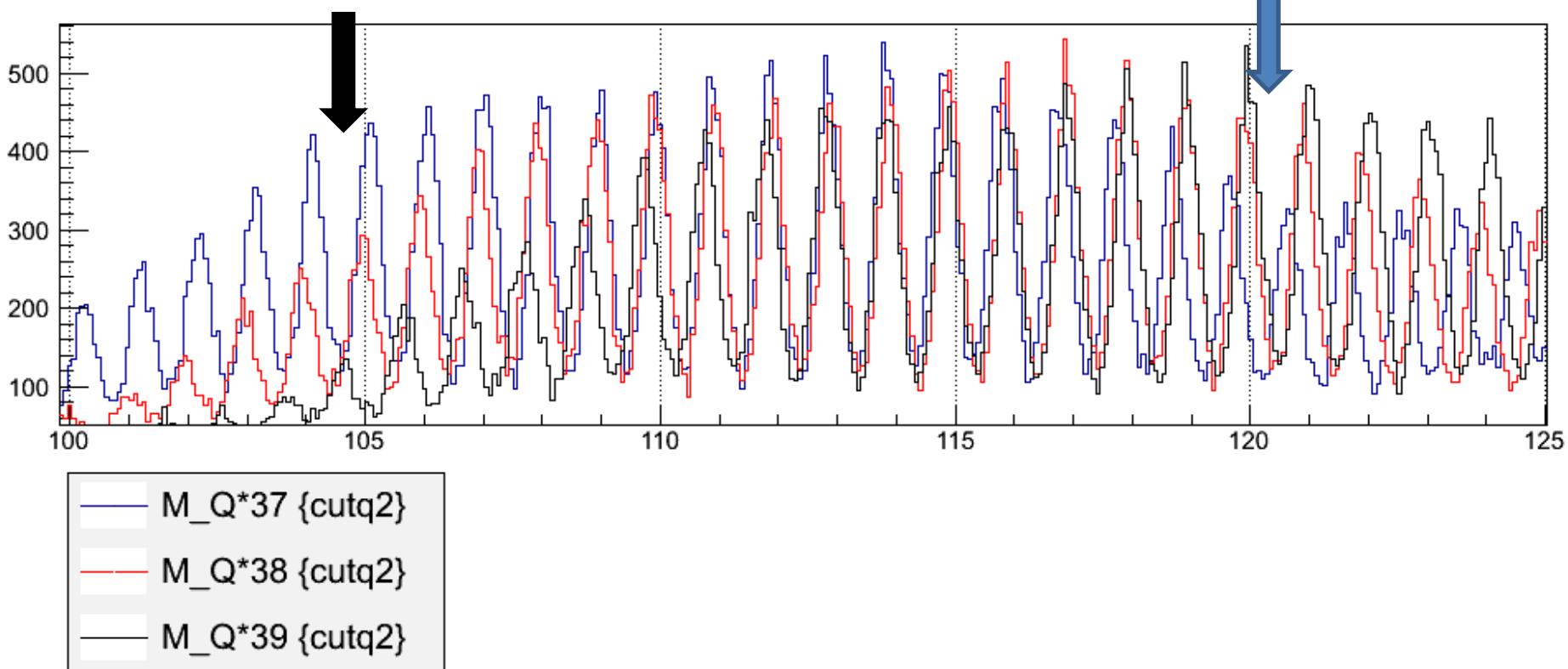
$q_{hyp} = 39$   
inconsistent



# Identify q

$q_{hyp} = 39$   
inconsistent

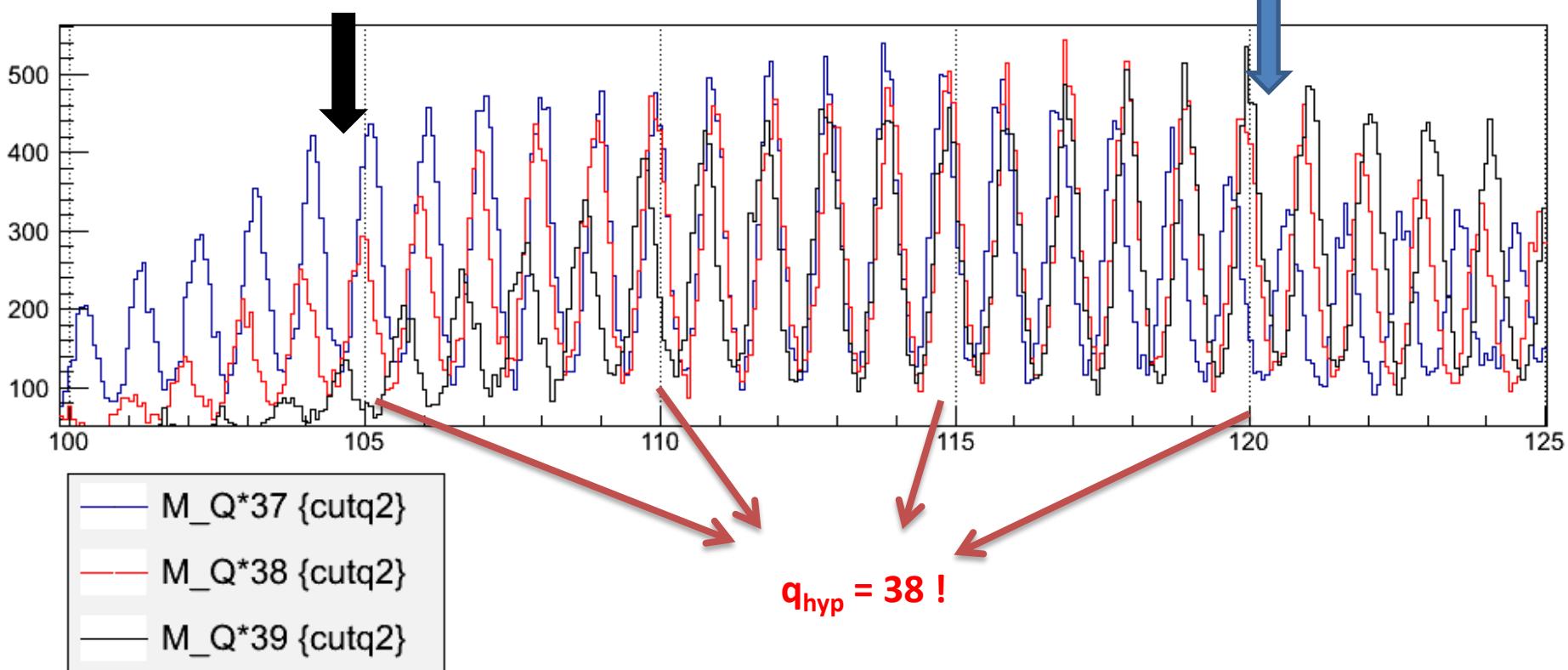
$q_{hyp} = 37$   
inconsistent



# Identify q

$q_{hyp} = 39$   
inconsistent

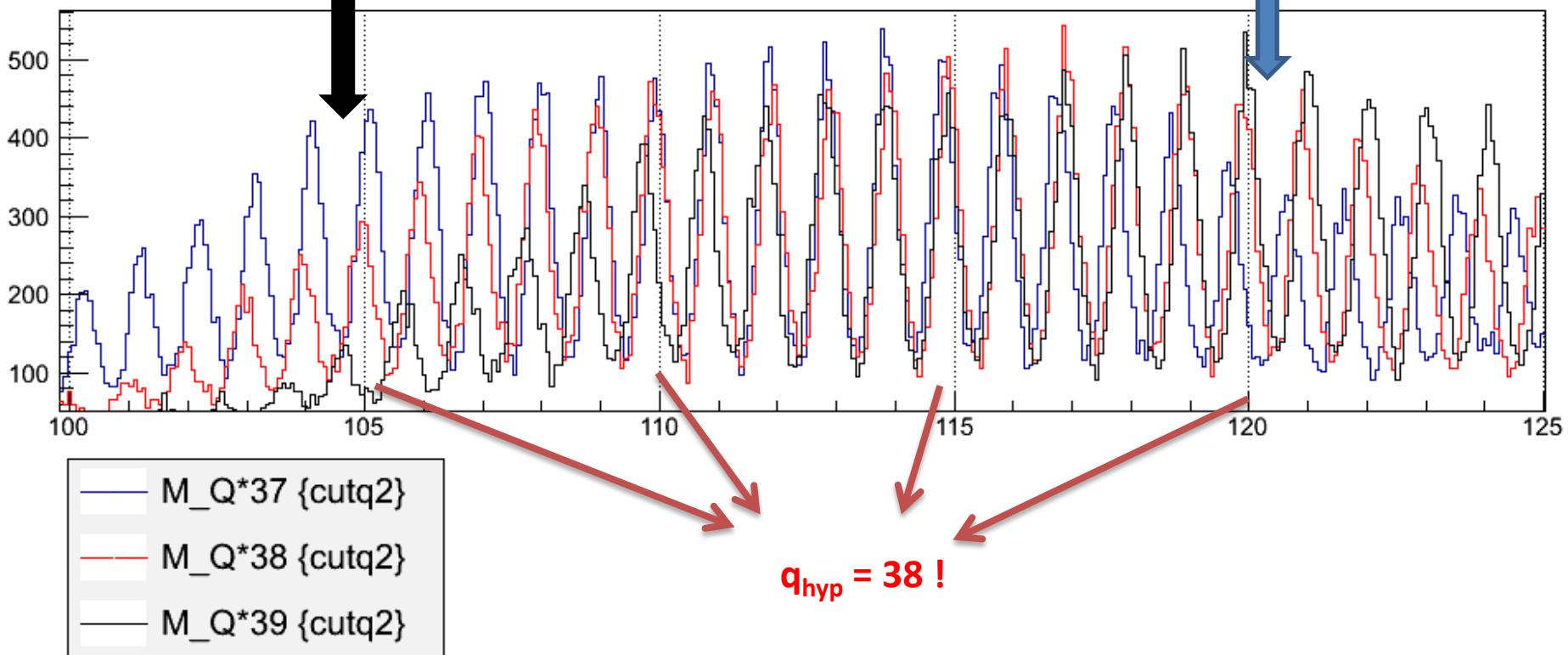
$q_{hyp} = 37$   
inconsistent



# Identify q

$q_{hyp} = 39$   
inconsistent

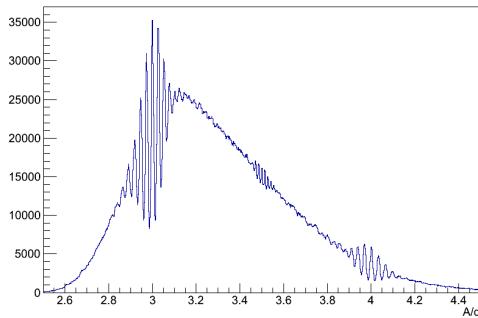
$q_{hyp} = 37$   
inconsistent



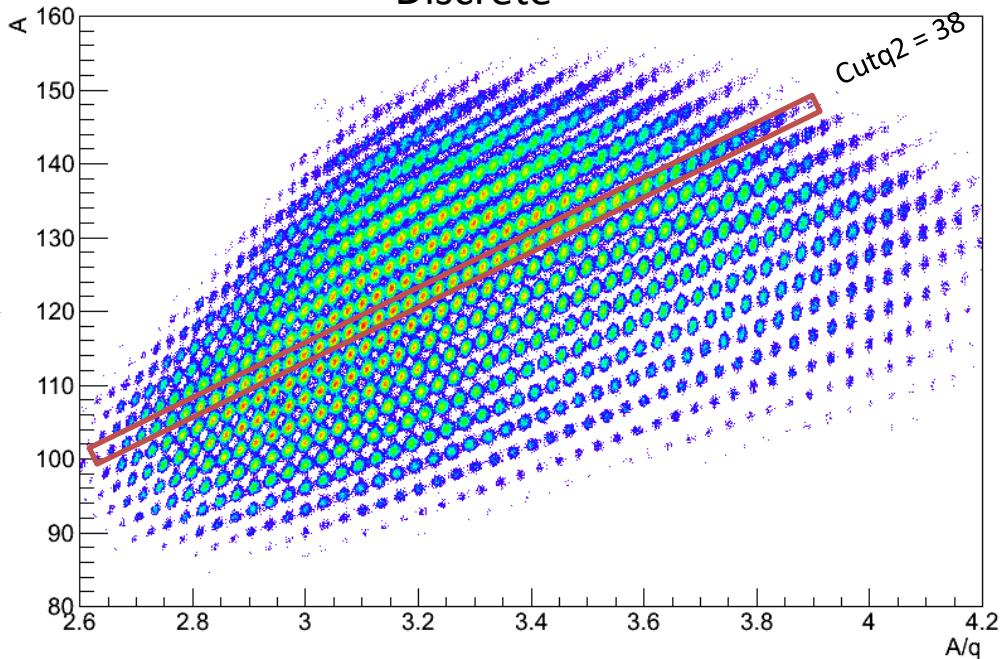
Cross check with two neighbouring q

# Identify Q

Continuous



Discrete

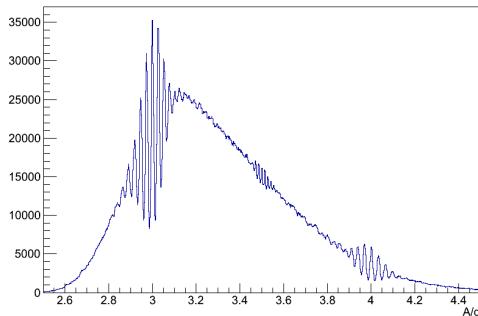


$$\frac{A}{q} = \frac{B\rho[Tm]}{3.105\beta\gamma}$$

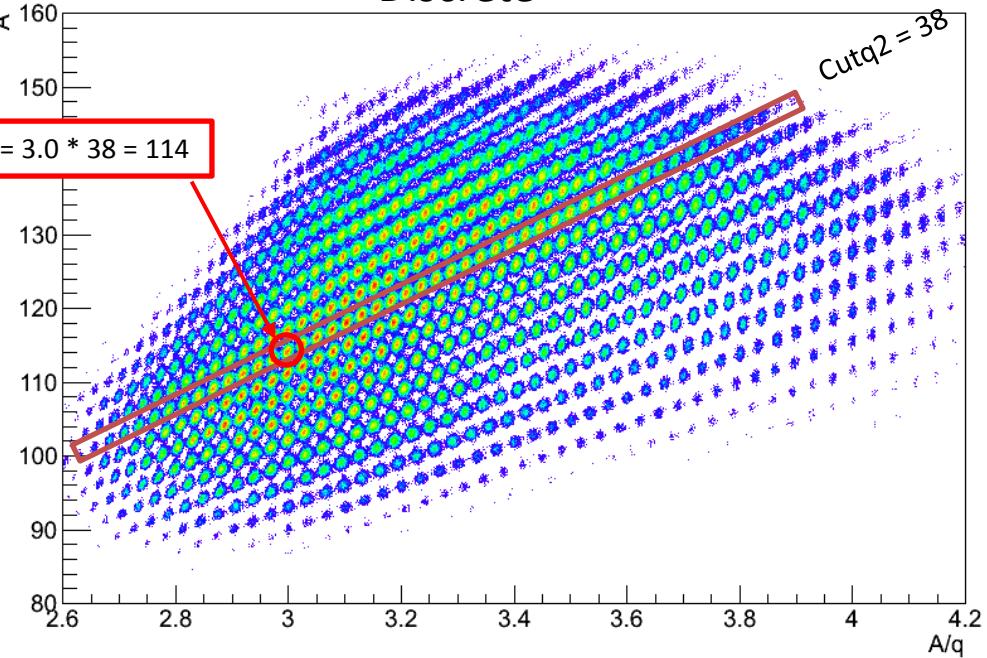
$$A = \frac{2E}{931.5\beta^2}$$

# Identify Q

Continuous



Discrete

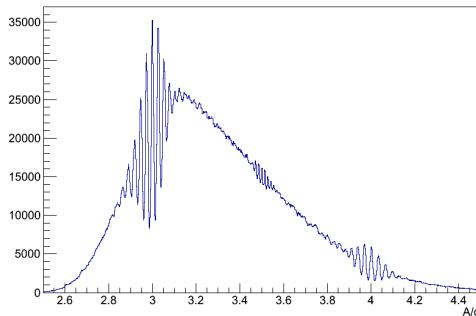


$$\frac{A}{q} = \frac{B\rho[Tm]}{3.105\beta\gamma}$$

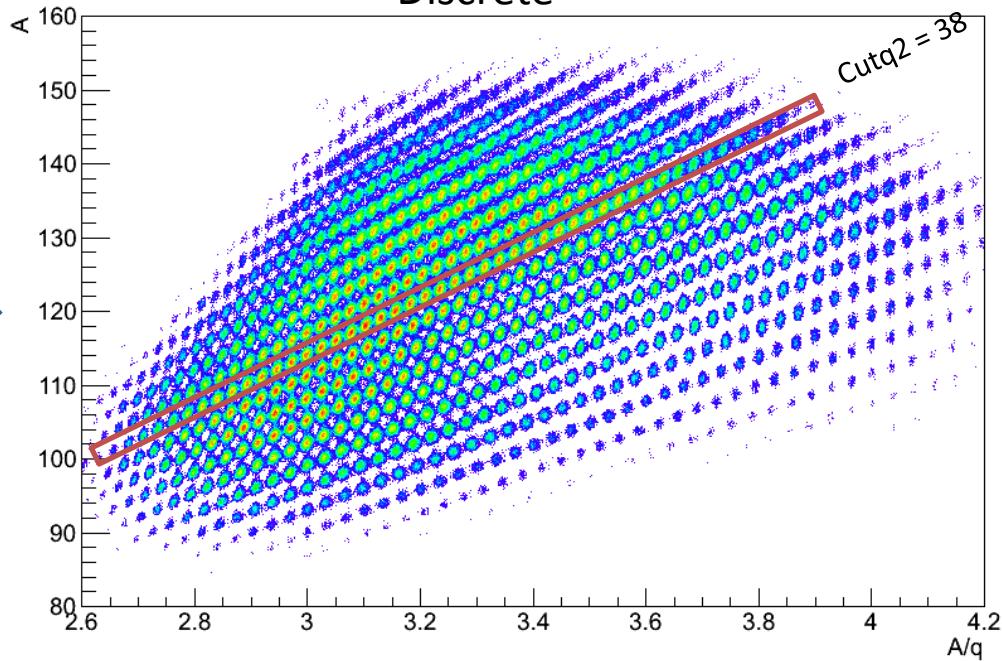
$$A = \frac{2E}{931.5\beta^2}$$

# Identify Q

Continuous

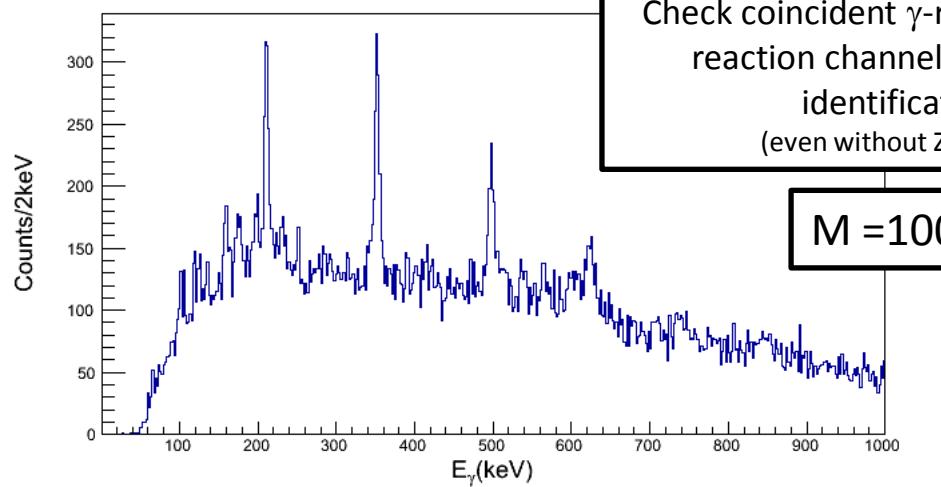


Discrete



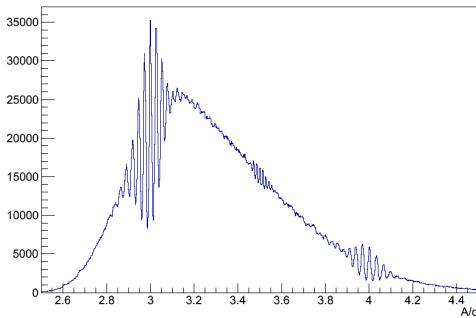
$$\frac{A}{q} = \frac{B\rho[Tm]}{3.105\beta\gamma}$$

$$A = \frac{2E}{931.5\beta^2}$$

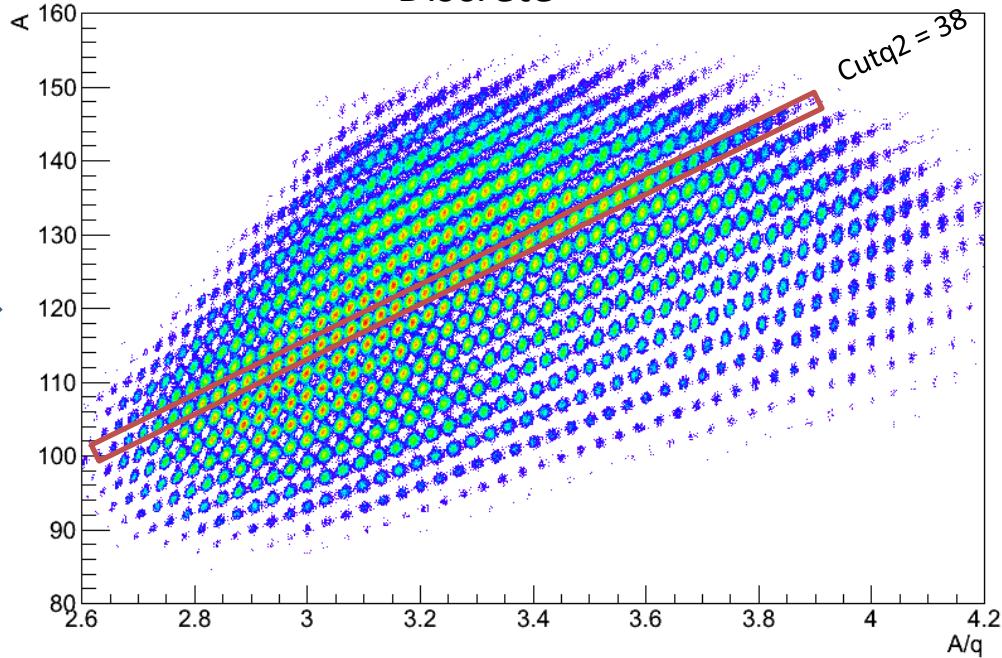


# Identify Q

Continuous

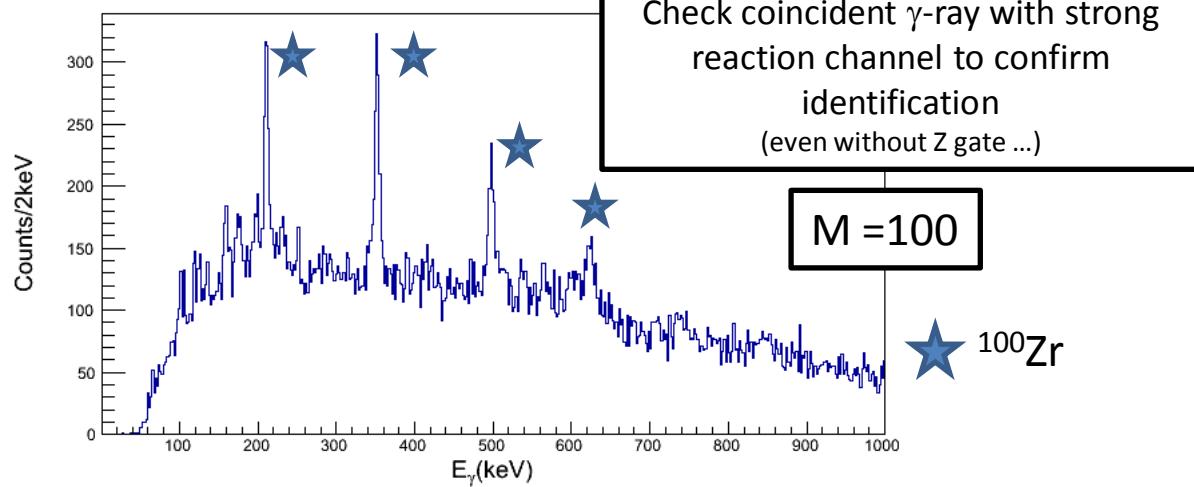


Discrete



$$\frac{A}{q} = \frac{B\rho[Tm]}{3.105\beta\gamma}$$

$$A = \frac{2E}{931.5\beta^2}$$



# Iterative Process

Repeat for all Sections (t) and pads (E,dE)



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Repeat for all Sections (t) and pads (E,dE)

Once you get « blobs » of identified mass and velocity, you can do self consistent calibrations using energy equations for subset of events

$$E = \alpha E_{IC\ 0} + \beta E_{IC\ 1} + \gamma E_{IC\ 2} + \delta E_{Si} \approx \frac{1}{2} Av^2$$

to determine precisely the energy calibrations.

=> To be able to define **A** and **q** as parameters independently of SiNr or MW section

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=> To be able to define **A** and **q** as parameters independently of SiNr or MW section

But also you need to think about these :

- Energy losses in dead layers
- Windows deformation
- Pulse Height Defect
- Time evolution of Pressure, Leakage current (radiation damage)
- ...

Offline Analysis!

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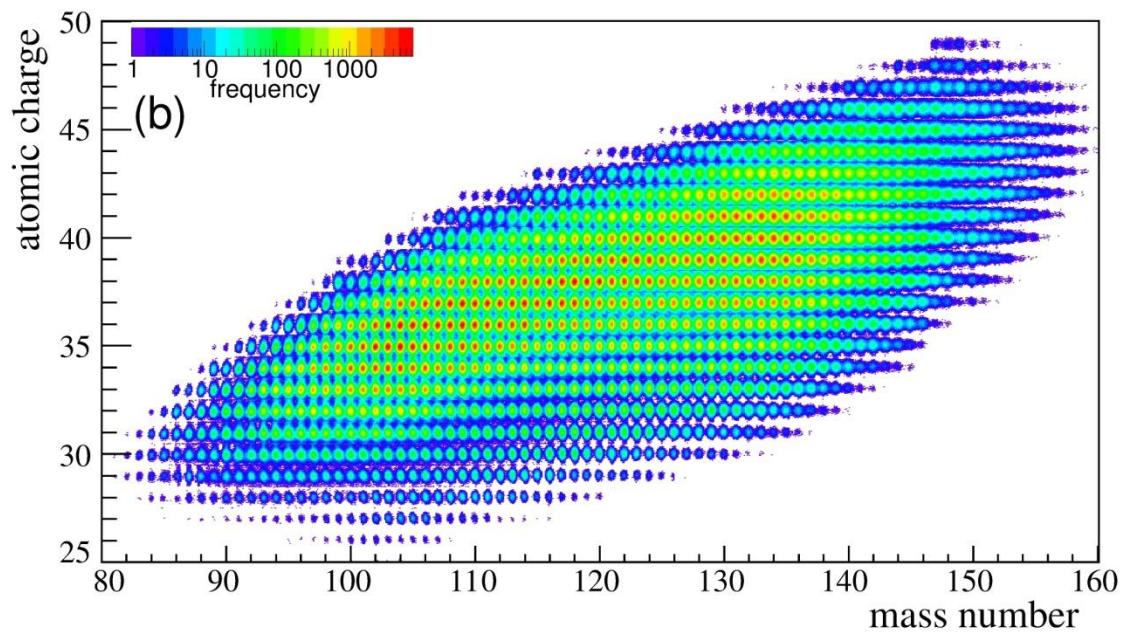
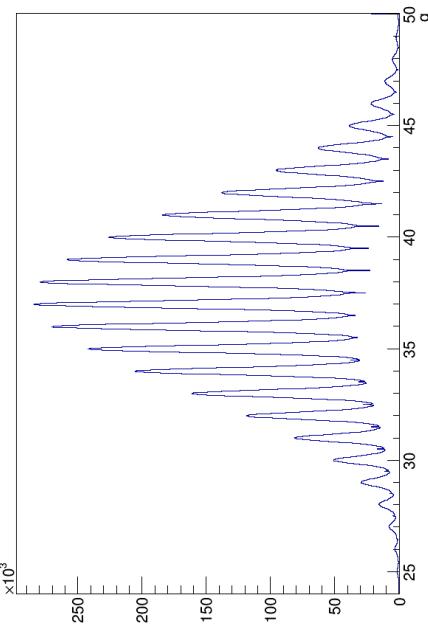
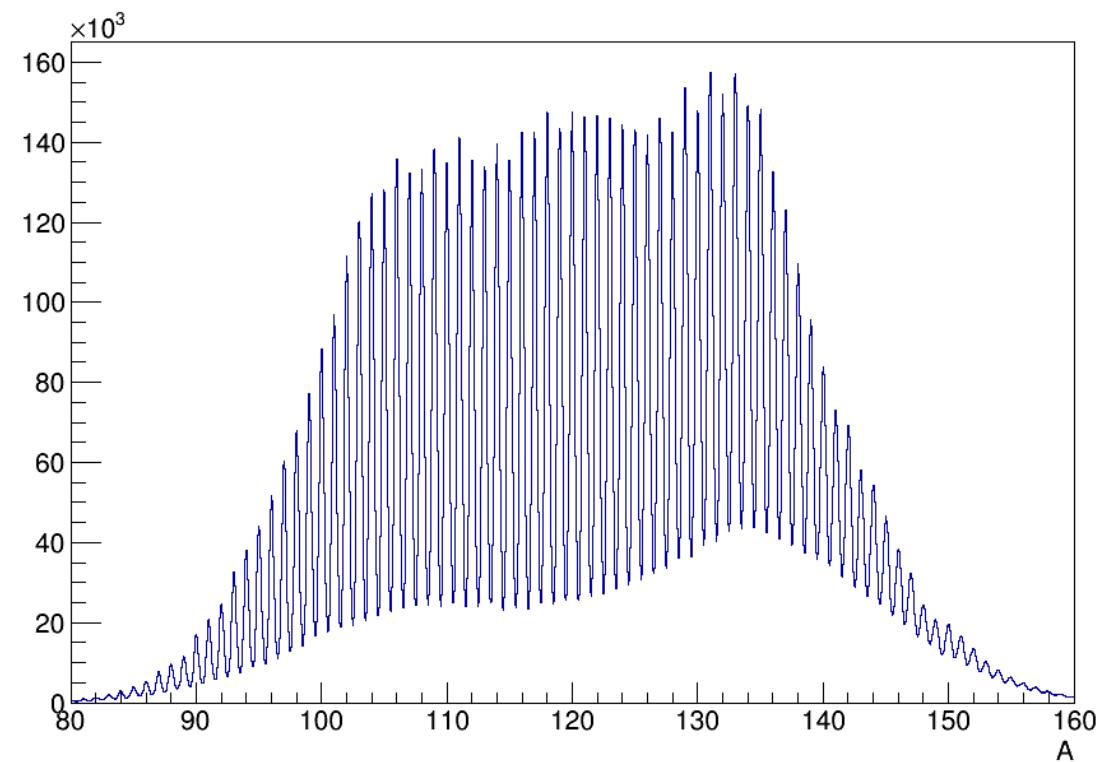
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- ...

Offline Analysis!



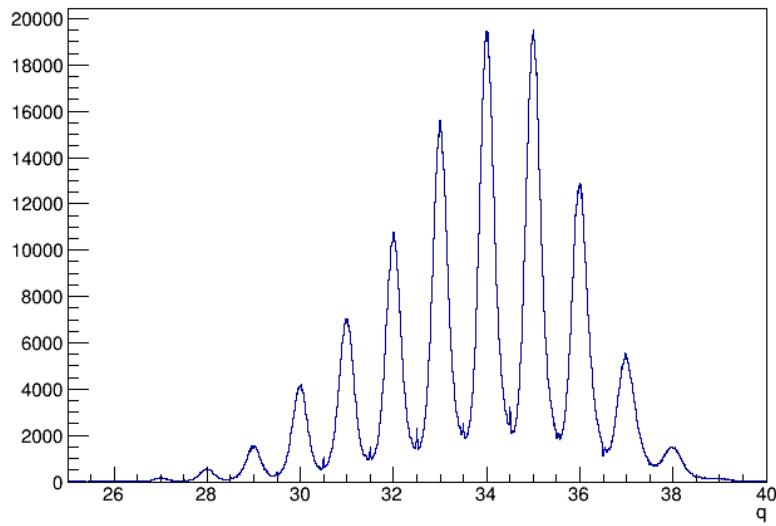
Voila !

## Isotopic identification of fission fragment event by event

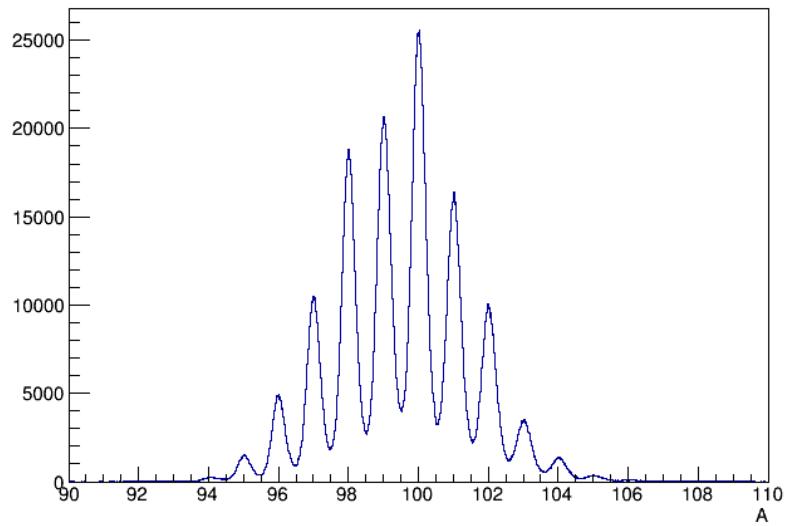


# A and q Distributions

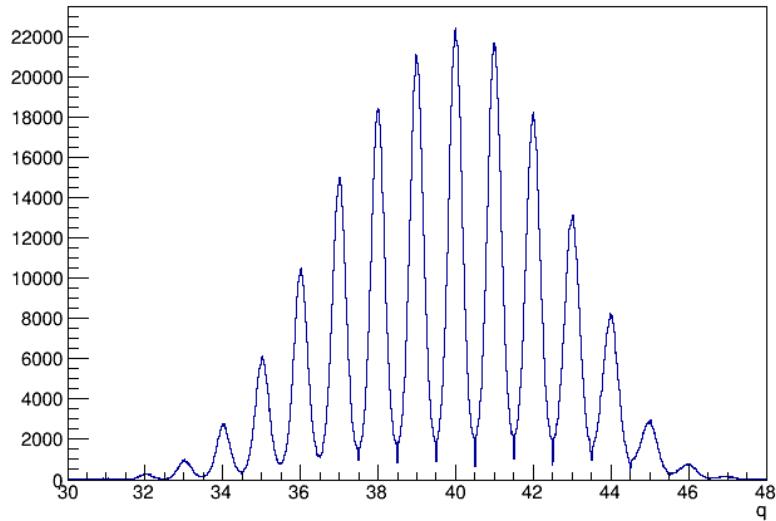
Z=40



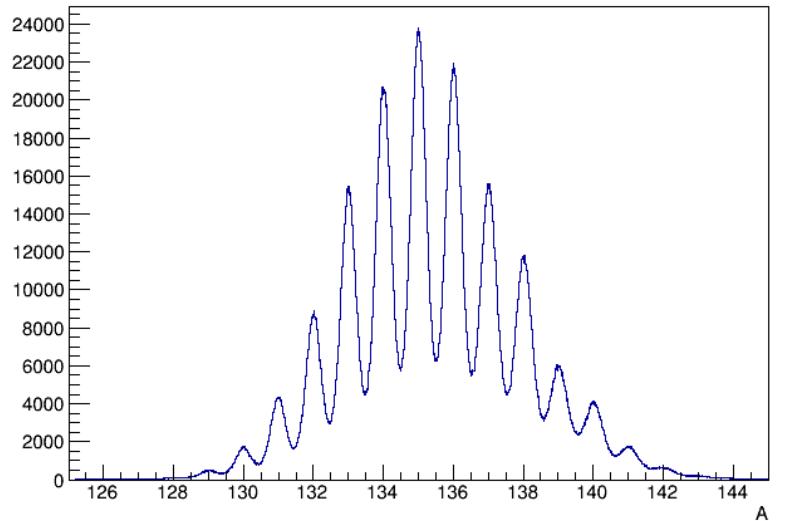
Z=40



Z=54



Z=54



# Analysis Steps

- Reconstruction of trajectories at the focal plane
- Magnetic rigidity, Path and recoil angles
- Velocity
- $E$ ,  $dE$  ,  $E_{total}$
- Mass and Charge states
  - $A, Z, Q$
- Use recoil angle and velocity to make Doppler correction

# Questions ?

# **PRACTICAL SESSION**

# Practical Session

You will identify  $q$  from the data set I have prepared

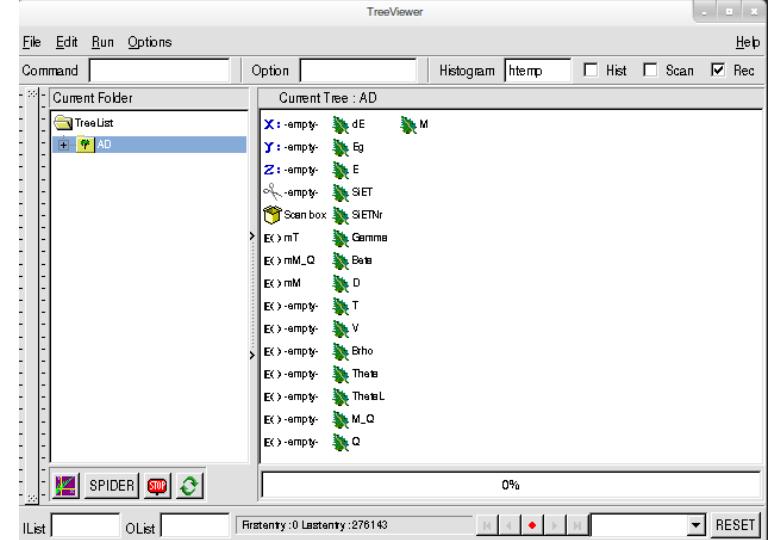
Reduced DataSet from previous experiment  
 $^{238}\text{U} + \text{Be} \rightarrow \text{Fission}$  (VAMOS + EXOGAM)

- simplified data set (one silicon detector, one Multiwire section)
- Representative of few hours of data after startup
- I have uncalibrated the data that it took much time and efforts to calibrate !!!!

- Step 0 : Open Data file – ROOT Tree
- Step 1 : Time Alignment
- Step 2 :  $q$  identification
- Step 3 : gamma spectra

# Step 0 : Open Data File

- Root OpenTree.cpp
  - In the command line
    - `tree->Draw("VariableName>>(1000,1,1000)" , " condition" , "PlotOpt" )`
    - `tree->Draw("V1:V2>>(1000,1,1000 , 1000,1,1000)" , " condition" , "PlotOpt" )`
  - Set of alias variable :
    - $mT = TOF$
    - $mV = mT /D$ ;  $mBeta = mV/c$
    - $mM_Q = Brho / 3.105/mBeta/mGamma$
    - $mM = 2 * (mE + mdE) / (mGamma-1.)$
    - $mE$
    - $mdE$
    - $Eg = \text{Vector of Doppler corrected Gamma Energies}$
  - Change a variable : `tree->SetAlias("mT" , "TOF+10" );`



# Step 1 :

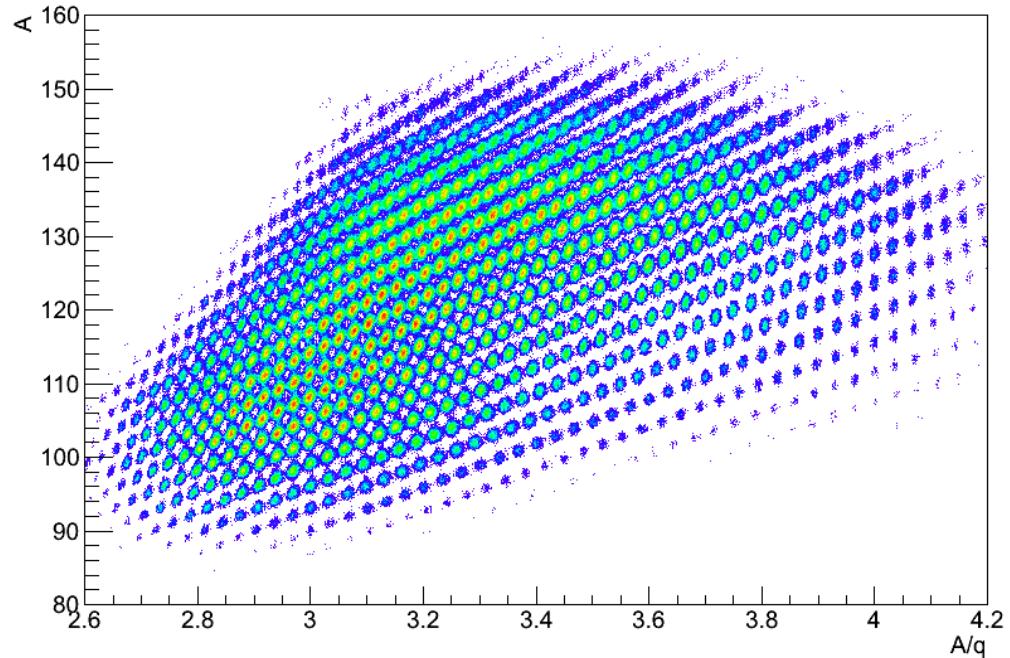
## Do the time alignment to get back M\_Q

- Plot M/Q spectra
  - `tree->Draw("mM_Q>>(1000,2.5,5)")`
- Change Time Calibration
  - `tree->SetAlias("mT", "TOF+5");`
  - `tree->Draw("mM_Q>>(1000,2.5,5)");`

Find the Offset ?

# Step 2 : Identify Q

- PlotM\_M\_Q()
- Do you see a difference ?
- Is it important ?
- To Project



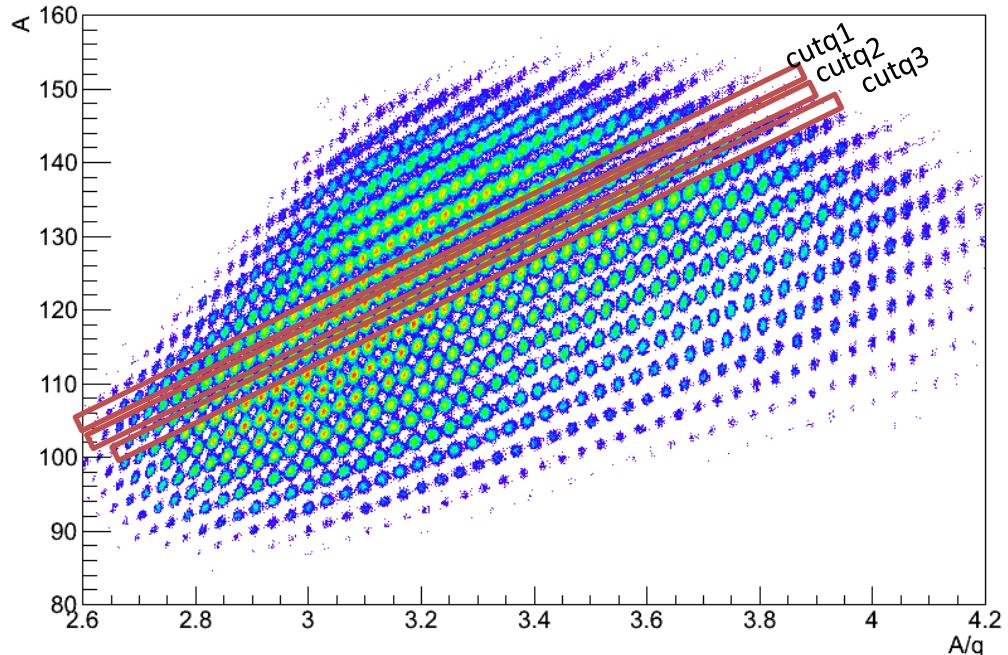
```
tree->Draw("mM_Q*qhyp>>histo1(1000,80,180)"," cutname" )
```

Assign q !

# Step 2 : Identify Q

- PlotM\_M\_Q()
- Do you see a difference ?
- Is it important ?
- To Project

```
tree->Draw("mM_Q*qhyp>>histo1(1000,80,180)"," cutname" )
```



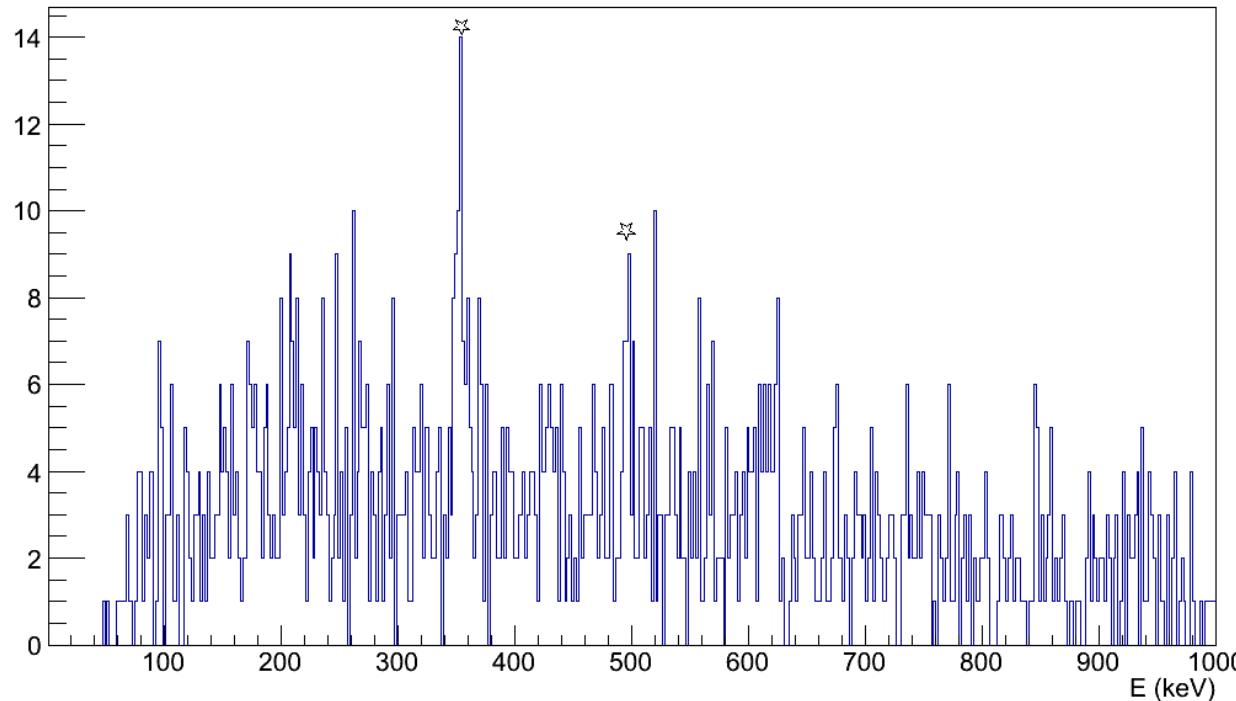
Assign q !

# Step3 : gamma Spectra

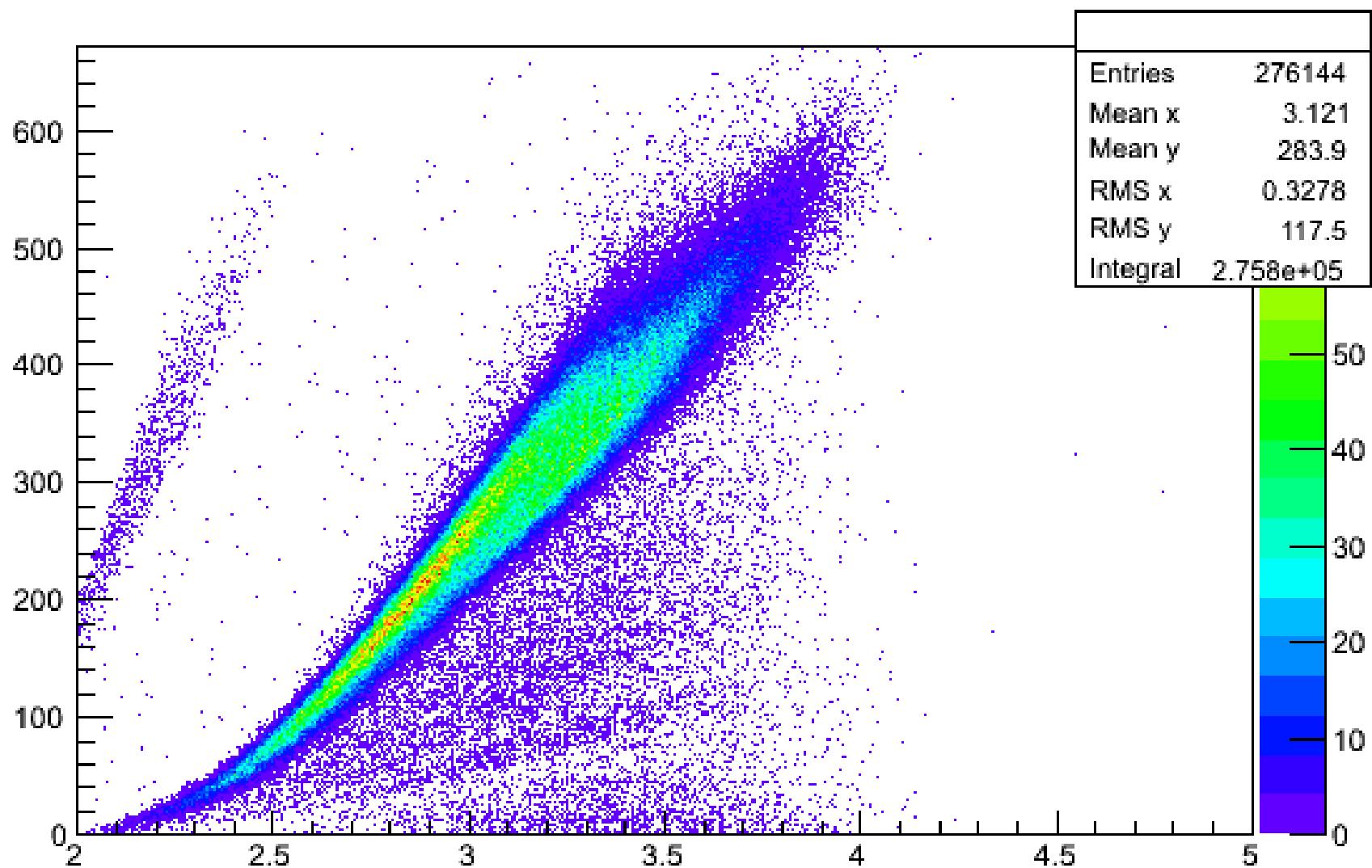
```
tree->Draw("Eg>>Eg(1000,80,180)","(abs(mM_Q*q1-100)<0.3&&cutq1)||  
          (abs(mM_Q*q2-100)<0.3&&cutq2)||  
          (abs(mM_Q*q3-100)<0.3&&cutq3)" )
```

- $^{100}\text{Zr}$  strongly populated :
  - $Eg = 212.9\text{kev}, 351.9\text{keV}, 497.4 \text{ keV}$ ,

$Eg \{(cutq2&&abs(mM_Q*36-100)<0.3)|(cutq1&&abs(mM_Q*35-100)<0.3)|(cutq0&&abs(mM_Q*34-100)<0.3)\}$



# SiET:V



# Before the experiment

- Kinematics Simulations / Acceptance
  - Beam (charge states), Inelastic
  - Residues, Fission, DIC
  - Time of flight ?
- Energy losses
  - Optimize Energy losses for Z identification
    - Pressures
    - Windows
- Specific Trigger ? (standard ion-gamma )

# Just before the experiment

- DC Calibrations
  - Electronics Gain matching
  - Thresholds
- MW position Calibrations
  - Electronics Gain matching
  - Thresholds
- IC Calibration
  - Electronics Gain matching
  - Thresholds
- TAC Calibrations

# During the experiment

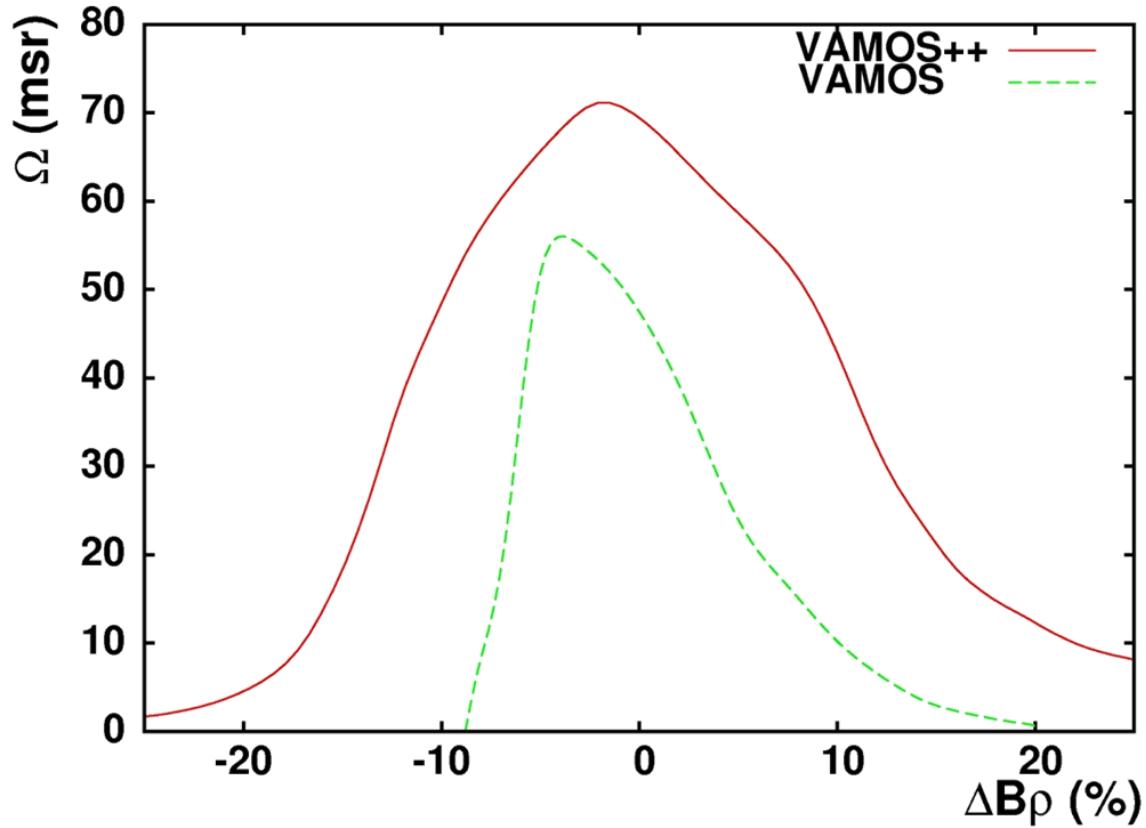
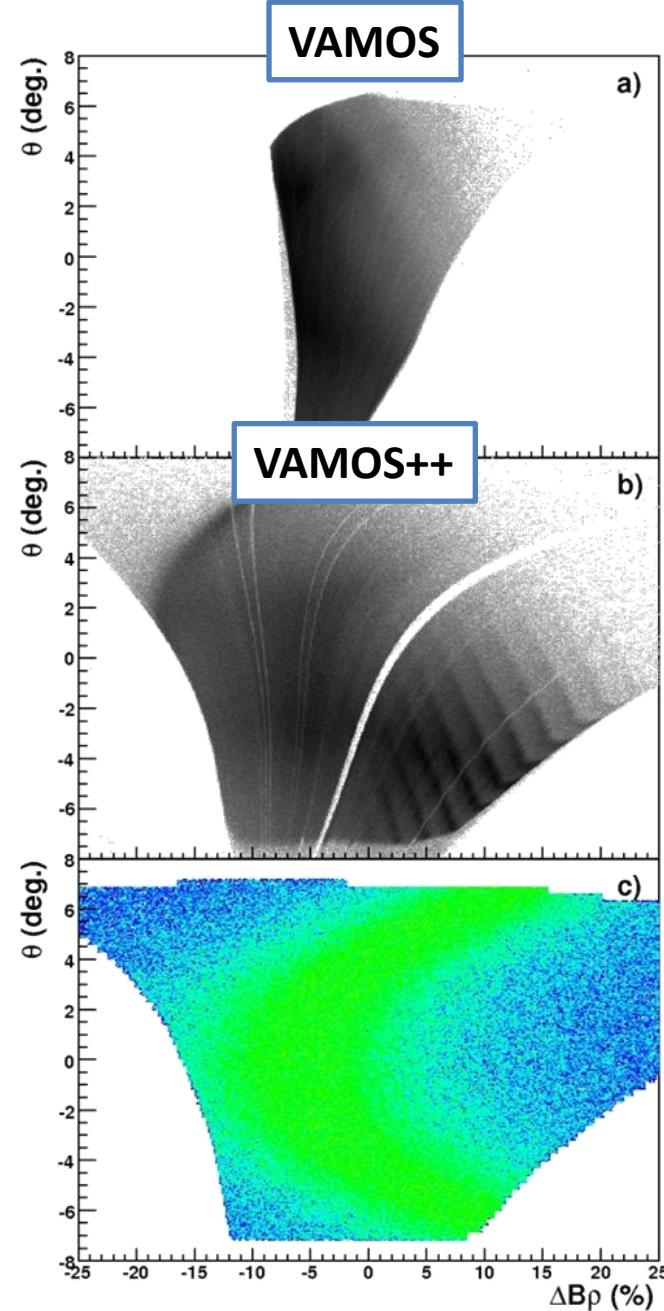
- IC Resolution (! 20 Pads)
- Time MW alignment => M/q resolution (! 20 sections)

=> Reference Positions in DC

- X
- Y

=> IC Calibrations

# Acceptance



Effective solid angle depends  
on the magnetic rigidity of  
incoming ion