

3. Modification in Horn-Schunck

→ We will use L1 Norm in the Data fidelity term of $J(u,v)$ to minimize it, so as to decrease the effect of outliers.

$$J(u,v) = \iint (|I_x u + I_y v + I_t| + \lambda (u_x^2 + u_y^2 + v_x^2 + v_y^2)) dx dy$$

↪ in discrete form also.

→ Another way is, we can ^{first} use our conventional method to calculate for optical flow $(u_{k,l}, v_{k,l})$.

Put this value in data fidelity term

if $(I_x u_{k,l} + I_y v_{k,l} + I_t)^2 > \alpha$ (some threshold value α)

then we will discard $u_{k,l}, v_{k,l}$ at (k,l) position

and try to interpolate its value from neighbour

~~the~~ Note: Using this we can also find out the region in image where brightness constancy does not hold.

Ofcourse the value of α ^{threshold} will be ~~be~~ depend on $p\%$ (given in ques.)
 α decrease as p increases.

Modification in Lucas-kanade

→ We can also use L1 Norm here to minimize

$$J(u,v) = \sum_{i=1}^N (u I_{xi} + v I_{yi} + I_{ti})$$

→ And we can ~~do~~ apply RANSAC here, in which

we choose $(100-p)\%$ of N^2 points in our RANSAC algorithm to calculate for u, v for that window.

Apply same for all window.