hw_emperical

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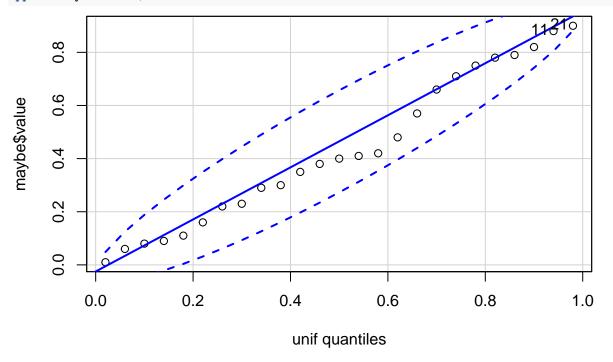
1. Is the data in the file maybe uniform.txt distributed as a Uniform distribution on [0, 1]?

```
library(reshape2)
library(tidyverse)
## -- Attaching packages --
## v ggplot2 3.1.0
                      v purrr
                                 0.2.5
## v tibble 1.4.2
                       v dplyr
                                 0.7.7
## v tidyr
            0.8.2
                      v stringr 1.3.1
## v readr
             1.1.1
                       v forcats 0.3.0
## -- Conflicts -----
## x dplyr::filter() masks stats::filter()
## x dplyr::lag()
                     masks stats::lag()
library(fitdistrplus)
## Warning: package 'fitdistrplus' was built under R version 3.5.2
## Loading required package: MASS
##
## Attaching package: 'MASS'
## The following object is masked from 'package:dplyr':
##
##
       select
## Loading required package: survival
## Loading required package: npsurv
## Loading required package: lsei
library(car)
## Loading required package: carData
## Attaching package: 'car'
## The following object is masked from 'package:dplyr':
##
##
       recode
## The following object is masked from 'package:purrr':
##
##
       some
maybe_uniform <- read.table("~/Desktop/MA677/HW/maybe_uniform.txt", quote="\"", comment.char="")</pre>
## Warning in read.table("~/Desktop/MA677/HW/maybe_uniform.txt", quote =
## "\"", : incomplete final line found by readTableHeader on '~/Desktop/MA677/
## HW/maybe_uniform.txt'
```

maybe <- reshape2::melt(maybe_uniform)</pre>

No id variables; using all as measure variables

qqPlot(maybe\$value,distribution = "unif")



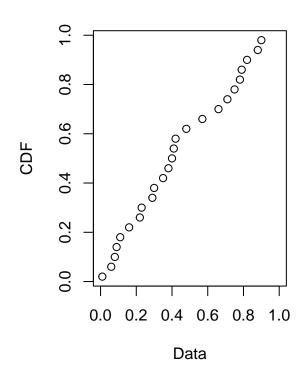
[1] 21 11

plotdist(maybe\$value, demp = TRUE)

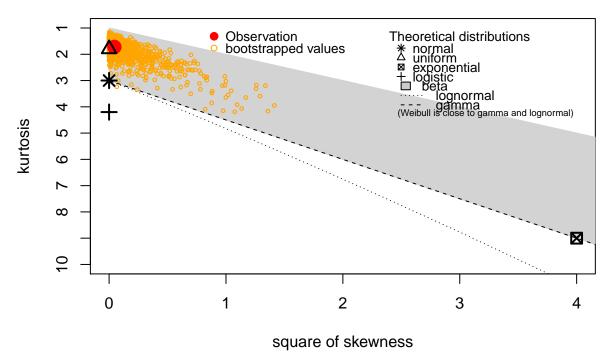
Empirical density

Deta

Cumulative distribution



Cullen and Frey graph



```
## summary statistics
## -----
## min: 0.01 max: 0.9
## median: 0.4
## mean: 0.434
## estimated sd: 0.284356
## estimated skewness: 0.2127721
## estimated kurtosis: 1.721164
```

Yes, I believe it is close to uniform distribution.

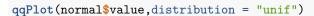
Is it possible that the model below is better than the Uniform?

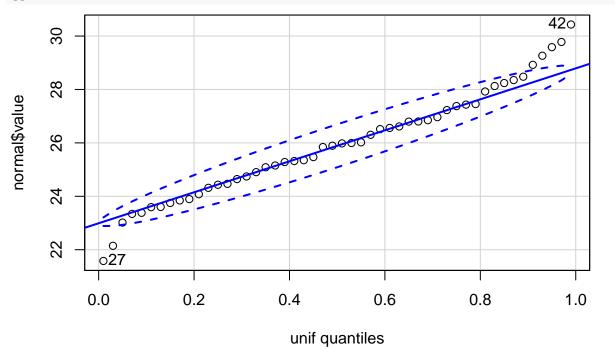
Is there a third model that is a better fit? Not really from our plot.

2. Is the data in the file maybe normal.txt a random sample from the normal distribution with mean = 26 and variance = 4? Investigate your result. Make a quorm plot. Make a histogram. Be ready to show and discuss your results.

```
maybe_normal <- read.table("~/Desktop/MA677/HW/maybe_normal.txt", quote="\"", comment.char="")
normal <- reshape2::melt(maybe_normal)</pre>
```

No id variables; using all as measure variables

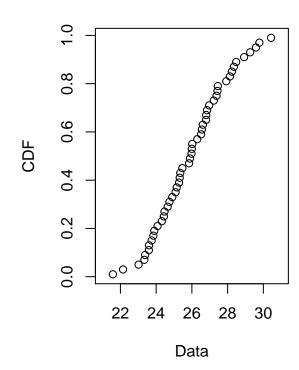




[1] 42 27
plotdist(normal\$value, demp = TRUE)

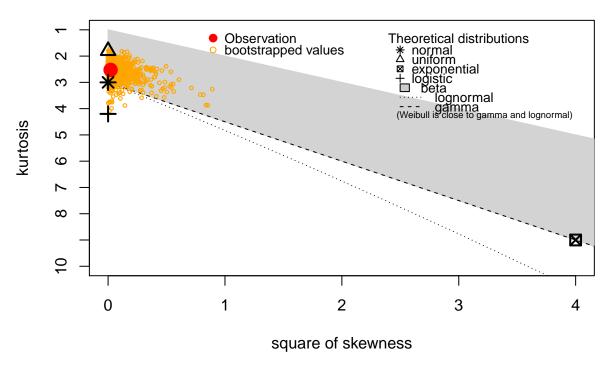
Deta

Cumulative distribution



(0.2859324) (0.2021847)

Cullen and Frey graph



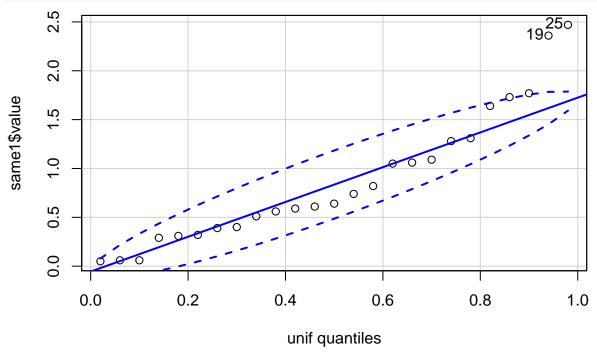
```
## summary statistics
## ----
## min: 21.579
                  max:
                        30.432
## median:
            25.9365
## mean: 25.94258
## estimated sd:
                  2.042374
## estimated skewness: 0.1467526
## estimated kurtosis: 2.525013
fit <- fitdistr(normal$value, densfun="normal")</pre>
fit
##
         mean
                       sd
##
                   2.0218472
     25.9425800
```

I think it is close to a normal distribution with mean at 26 and variance at 4, since I have evidence from qqplot, histrogram and from fitdistr function.

3. Are the two samples in X, maybe same 1.txt, and Y, maybe same 2.txt, from the same distribution? Could it be that X + 2 and Y have the same distribution?

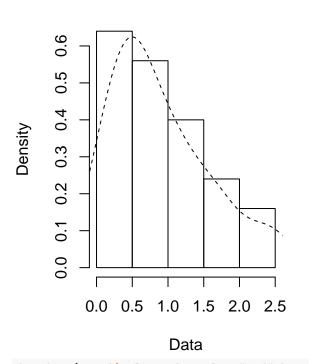
```
## Warning: The following named parsers don't match the column names: X5
same1 <- reshape2::melt(maybe_same1,id.vars=NULL)
same2 <- reshape2::melt(maybe_same2,id.vars=NULL)

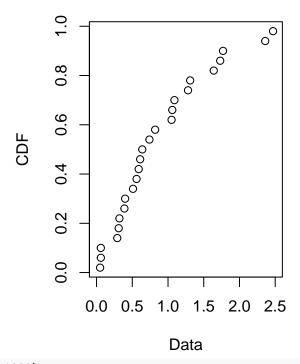
qqPlot(same1$value,distribution = "unif")</pre>
```



[1] 25 19
plotdist(same1\$value, demp = TRUE)

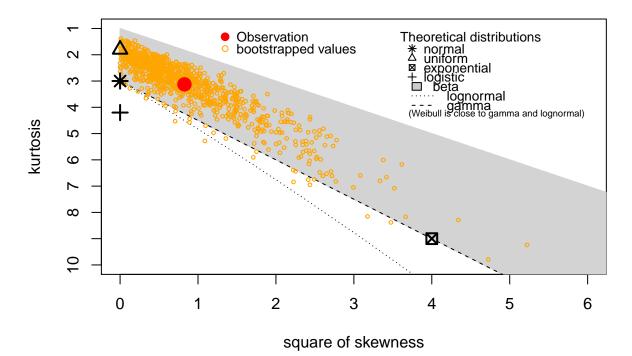
Cumulative distribution





descdist(same1\$value, obs.col = "red",boot=1000)

Cullen and Frey graph



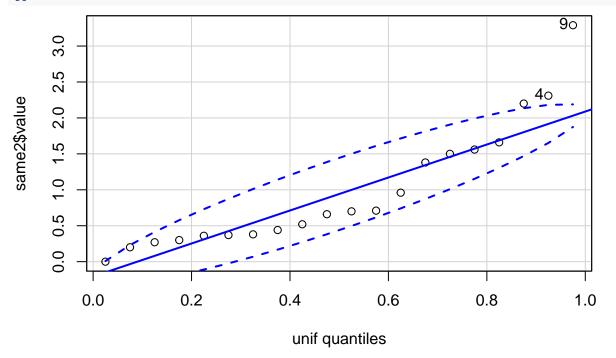
summary statistics

min: 0.05 max: 2.47

```
## median: 0.64 ## mean: 0.8844
```

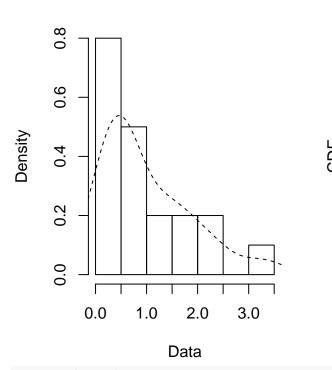
estimated sd: 0.6839961
estimated skewness: 0.9088325
estimated kurtosis: 3.12617

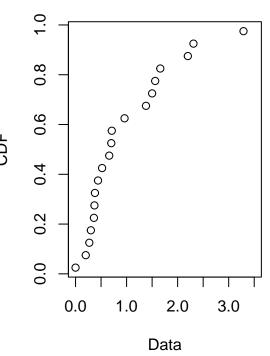
qqPlot(same2\$value,distribution = "unif")



[1] 9 4
plotdist(same2\$value, demp = TRUE)

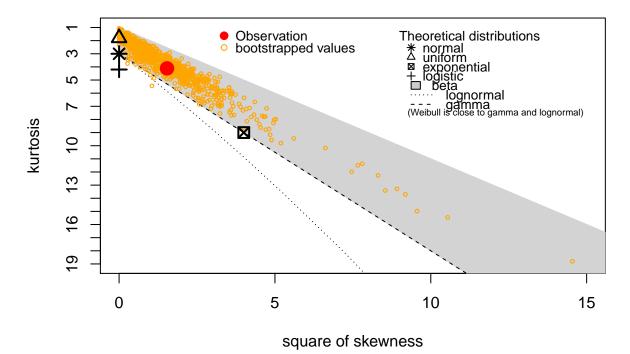
Cumulative distribution





descdist(same2\$value, obs.col = "red",boot=1000)

Cullen and Frey graph



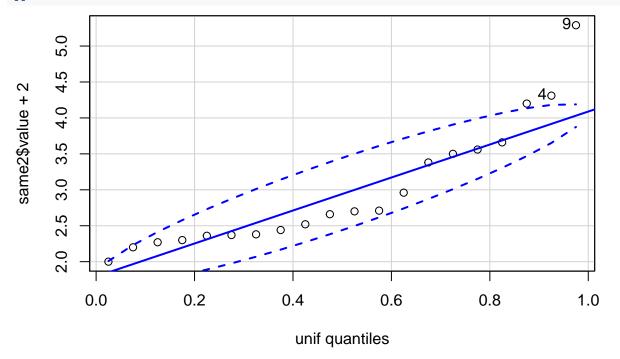
summary statistics

min: 0 max: 3.29

```
## median: 0.68
## mean: 0.9885
```

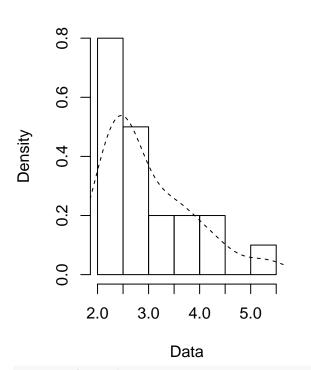
estimated sd: 0.8654252
estimated skewness: 1.240338
estimated kurtosis: 4.109623

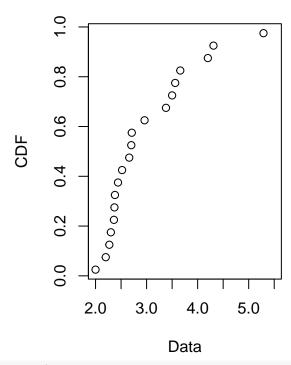
qqPlot(same2\$value+2,distribution = "unif")



[1] 9 4
plotdist(same2\$value+2, demp = TRUE)

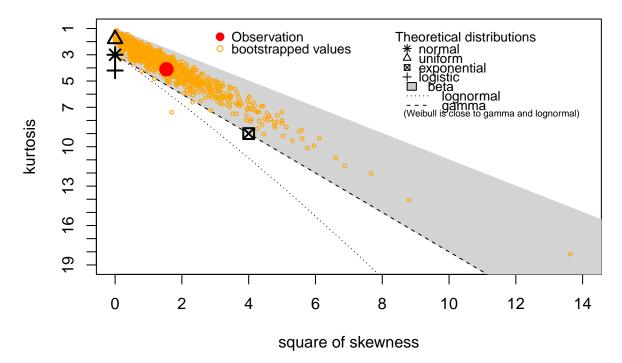
Cumulative distribution





descdist(same2\$value+2, obs.col = "red",boot=1000)

Cullen and Frey graph



summary statistics

min: 2 max: 5.29

```
## median: 2.68
## mean: 2.9885
## estimated sd: 0.8654252
## estimated skewness: 1.240338
```

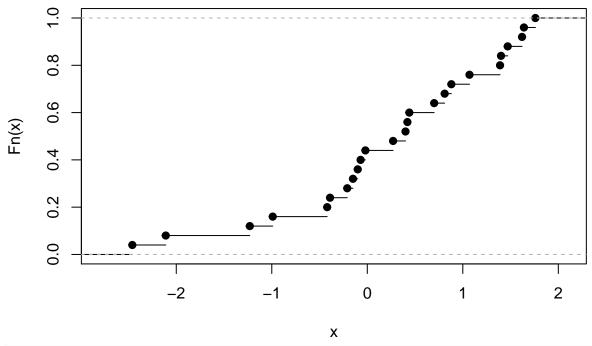
estimated kurtosis: 4.109623

By comparing the plots of X, Y and X+2, I think the the relationship is stronger between X and Y rather than X+2 and Y. Therefore, X and Y are more likely to come from the same distribution.

4. Read the data in the file norm data.Rdata. There are 25 data points. Is this a data set drawn from the **standard normal distribution** Use ecdf() to compute the empirical distribution of the data. Create a normal distribution that can be used to calculate the KolmogorovSmirnov test. Calculate the D statistic. Run the ks.test() function and compare your results to the results reported by ks.test.

```
mydata <- readRDS("~/Desktop/MA677/HW/norm_sample.Rdata")
b <- ecdf(mydata)
plot(b)</pre>
```

ecdf(mydata)



```
a <- rnorm(n = 25,mean = 0,sd = 1)
ks.test(x = mydata,y = a)</pre>
```

```
##
## Two-sample Kolmogorov-Smirnov test
##
## data: mydata and a
## D = 0.24, p-value = 0.4755
## alternative hypothesis: two-sided
```

Our results indicate that the data is not standard normal distribution.

5. Produce empirical distributions with confidence bands for the fujiquakes.dat and faithful.dat. For the fujiquakes data, Find a 95for F(4.9) - F(4.3). For the faithful data, estimate a 90 percent confidence interval for the mean waiting time and estimate the median waiting time.