

1. Pseudo-instructions [15 points]

You want to create new pseudo-instructions for easy programming.

- (a) [8 points] You decide to extend the MIPS assembler to provide support for a new rori pseudo-instruction that performs a rotate logical right. Unlike a standard shift logical right operation, the most significant bits of the resulting value come from the least significant bits of the source register. The instruction would look like:

rori \$t0, \$t1, 3 # rotate right \$t1 by 3 into \$t0

to indicate that the value in \$t1 should be rotated logically right by 3 places and stored into \$t0. A sample input and output is shown below:

\$t1 0000000000000000**11**0000000000000000**111**

\$t0 **111**0000000000000000**11**0000000000000000

Write the MIPS instructions into which the assembler might convert the above pseudo-instruction. Use the minimum number of MIPS instructions. (Hint: shift instruction has the following format: sll, register1, register2, immediate)

sll \$t2, \$t1, 29
slr \$t0, \$t1, 3
add \$t0, \$t0, \$t2

- (b) [7 points] You also decide to extend the MIPS assembler to support a method of memory addressing known as memory indirect by way of another pseudo-instruction. In memory indirect addressing, the memory address is dereferenced, as if following a pointer. The instruction load memory indirect (lmi) would look like:

lmi \$t0, 8(\$t1) # \$t0 ← Mem[Mem[\$t1+8]]

Write the MIPS instructions that the assembler might convert the above pseudo-instruction. Use the minimum number of MIPS instructions.

2. MIPS assembly [15 points]

Please consider the following C and assembly code. The following codes are the C and assembly code for Fibonacci number generator.

```
int fib(int n){
    if(n==0)
        return 0;
    else if (n==1){
        return 1;
    }
    else
        return fib(n-1)+fib(n-2);
}
```

0x0000 1000	fib:	addi \$sp,\$sp, -12	# make room on stack
		sw \$ra 8(\$sp)	#
		sw \$s0, 4(\$sp)	# push \$s0
		sw \$a0, 0(\$sp)	# push \$a0 (N)
		bgt \$a0,\$0, test	# if n>0, test if n=1
		add \$v0, \$0, \$0	# else fib(0) = 0
		j rtn	#
0x0000 1000 + 8*4(decimal) = 0x0000 1020	test:	addi \$t0, \$0, 1	#
	— bne \$t0, \$a0, gen		# if n>1, gen
		add \$v0, \$0, \$t0	# else fib(1) = 1
		j rtn	
	gen:	addi \$a0,\$a0,-1	# n-1
		jal fib	# call fib(n-1)
		add \$s0,\$v0, \$0	# copy fib(n-1)
		sub \$a0,\$a0,1	# n-2
		jal fib	#
		add \$v0, \$v0, \$s0	# fib(n-1)+fib(n-2)
	rtn:	lw \$a0, 0(\$sp)	# pop \$a0

lw \$s0, 4(\$sp)	# pop \$s0
lw \$ra, 8(\$sp)	# pop \$ra
<div style="border: 1px solid black; padding: 2px; display: inline-block;">addi \$sp \$sp 12</div>	# restore sp
jr \$ra	

Note that bgt is a pseudo-instruction performing branch if one number is greater than the other.

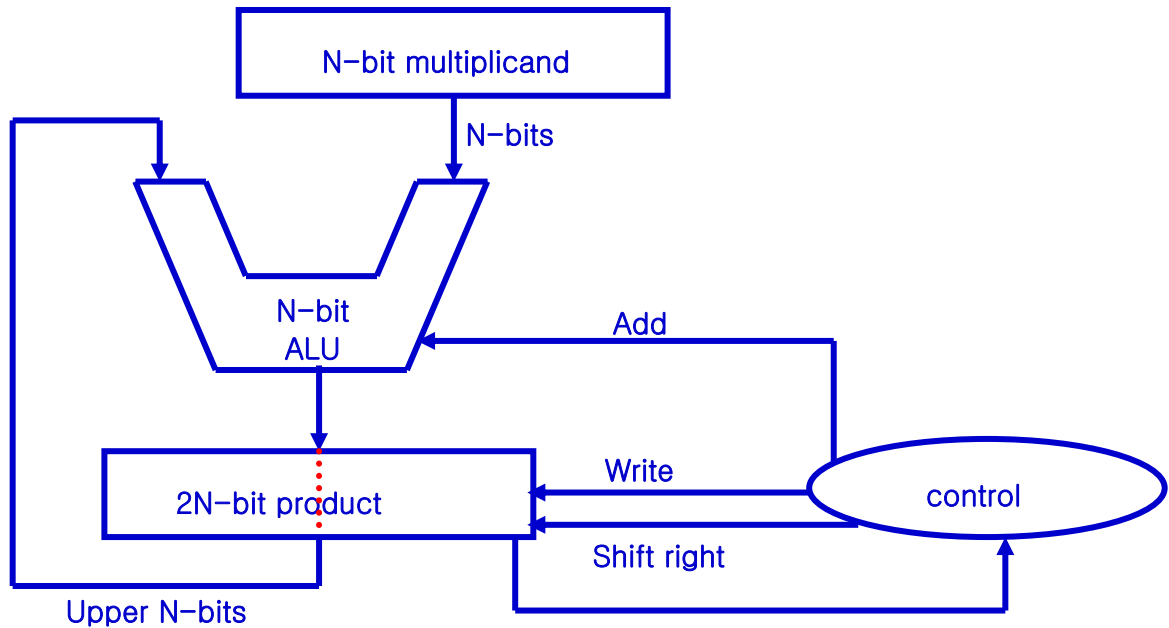
(a) [5 points] fill in the blanks with necessary codes.

(b) [5 points] The address of the label 'fib' 0x00001000. Please write down the immediate operand (branch offset) of 'bne \$t0, \$a0, gen' in hex decimal number.

0x0002

(c) [5 points] The address of the label 'fib' 0x00001000. Please write down the all possible value for \$ra while the code is being executed. (Please exclude the return address of the original caller function of fib.)

3. Multiplication [15 points]



- (a) **[5 points]** Determine the minimum number N that can compute two number multiplication for 5×-9 .

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- (b) **[10 points]** Show how the above multiplier computes 5×-9 . Show the contents of $2N$ -bit product register each cycle using the number you found for N in (a). Each cycle consists of an addition step and a shift step. Show only the content of the register after the shift is completed. Assume the multiplicand is -9 and the multiplier is 5 . Cycle 0 is initial state. Fill as many blanks as necessary.