

HW3 CS 4115

Andrew Grant, amg2215@columbia.edu

1

- (a) Let any integer $i = a_3a_2a_1a_0$ where a_i is some byte

a_3	a_2	a_1	a_0	$a[0][0]$
a_3	a_2	a_1	a_0	$a[0][1]$
a_3	a_2	a_1	a_0	$a[0][2]$
a_3	a_2	a_1	a_0	$a[1][0]$
a_3	a_2	a_1	a_0	$a[1][1]$
a_3	a_2	a_1	a_0	$a[1][2]$

- (b) $\text{address} = (i \times 12) + (j \times 4)$

- (c) Assembly code:

```
.file      "main.c"
.text
.globl     main
.type      main, @function

main:
.LFB0:
    .cfi_startproc
    movl    $0, a(%rip)
    movl    $4, a+4(%rip)
    movl    $8, a+8(%rip)
    movl    $12, a+12(%rip)
    movl    $16, a+16(%rip)
    movl    $20, a+20(%rip)
    movl    $0, %eax
    ret
    .cfi_endproc

.LFE0:
    .size    main, .-main
    .comm    a,24,16
    .ident   "GCC: (Ubuntu 4.8.4-2ubuntu1~14.04.1) 4.8.4"
    .section .note.gnu-stack,"",@progbits
```

Corresponding C code:

```
int a[2][3];
int main()
{
```

```

int i;
int j;
for (i = 0; i < 2; i++) {
    for (j = 0; j < 3; j++) {
        a[i][j] = (12 * i) + (4 * j);
    }
}

return 0;
}

```

Basically, I put the value $(12 \times i) + (4 \times j)$ into $a[i][j]$ in a for-loop. As can be seen, at each step in the for-loop, the value of $(12 \times i) + (4 \times j)$ is precisely the offset from the base address of the label `a` (the base address of the 2D array) that $(12 \times i) + (4 \times j)$ is stored into; thus $(12 \times i) + (4 \times j)$ does indeed correspond to the address of $a[i][j]$