1

a)
$$S \Rightarrow_{rm} (\underline{L}) \Rightarrow_{rm} (\underline{L}, \underline{S}) \Rightarrow_{rm} (\underline{L}, (\underline{L})) \Rightarrow_{rm} (\underline{L}, (\underline{L}, \underline{S})) \Rightarrow_{rm} (\underline{L}, (\underline{L}, \underline{a})) \Rightarrow_{rm} (\underline{L}, (\underline{L}, \underline{a})) \Rightarrow_{rm} (\underline{L}, (\underline{a}, a)) \Rightarrow_{rm} (\underline{L}, (\underline{L}, \underline{a})) \Rightarrow_{rm} (\underline{L}, (\underline{L}, \underline{L})) \Rightarrow_{rm} (\underline{L}, (\underline{L}$$

	(a, (a,a))	shift
(a, (a,a)	shift
(a	, (a,a))	reduce
(S (L	, (a,a))	reduce
	, (a,a))	shift
(L ,	(a,a))	shift
(L, (a,a))	shift
(L , (a	,a))	reduce
(L , (S	, a))	reduce
(L , (L	, a))	shift
(L , (L ,	a))	shift
(L , (L , a))	reduce
(L , (L , S))	reduce
(L , (L))	shift
(L,(L))	reduce
(L , S)	shift
(L,S)		reduce
(L)		reduce
Ś		accept
Stack	Input	Move
	(S (L (L, (L, (a (L, (S (L, (L,	(a, (a,a)) (a , (a,a)) (S , (a,a)) (L , (a,a)) (L , (a,a)) (L , (a,a)) (L , (a a,a)) (L , (b a, a)) (

c)

$\mathbf{2}$

State 2 has a shift/reduce conflict. When the next input token is else, the parser doesn't know whether it should reduce T according to rule 3 or shift else onto the stack. This is an example of the dangling else problem. For clarity, the state with a conflict is:

$$S \rightarrow \mathbf{if} S \cdot T$$

 $T \rightarrow . \mathbf{else} S$
 $T \rightarrow .$