

## IN-CLASS EXERCISES

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# PARSING I - GRAMMARS

# Download exercises

1. Go to

<https://ligerlabs.org/compilers.html>

2. Download the file

parse-1-exercises.zip

3. Open up a terminal and Unzip the file

```
> unzip parse-1-exercises.zip
```

```
> cd parse-1-exercises
```

```
> ls
```

# Task 1

- What will the C program on the left, and the Python program on the right, print? Explain why!

```
#include <stdio.h>
int main() {
    int a=1, b=2, c=3;
    if (c > b > a)
        puts("YES");
    else
        puts("NO");
    return 0;
}
```

```
def main():
    a=1
    b=2
    c=3
    if c > b > a :
        print("YES")
    else:
        print("NO");
main()
```

# Task 2

- What will this C program print? Explain why!

```
#include <stdio.h>
int main() {
    int a, x;
    x = 1 + (a = 10, 20);
    printf("x=%i\n", x);
    return 0;
}
```

# Task 3

- What will this C program print? Explain why!

```
#include <stdio.h>
int main() {
    int a=20, x=30;
    x -= a += 10;
    printf("x=%i\n", x);
    return 0;
}
```

# Task 4

- What will this C program print? Explain why!
- Yes, this is a trick question. If you don't know, Google "C order of expression evaluation" to figure out what's going on.

```
int x = 10;
int f1() {
    x++;
    return x;
}
int f2() {
    return x;
}
int main() {
    int a=f1() + f2();
    printf("a=%i\n",a);
    return 0;
}
```

# Task 5

- Starting with this ambiguous grammar:

```
E ::= E + E  
     E * E  
     E ^ E  
     number
```

- Transform the grammar so that the following holds:
  - "^", exponentiation, highest precedence, right associative
  - "\*", multiplication, medium precedence, left associative
  - "+", addition, lowest precedence, left associative
- Examples:

$$\bullet a + b^* c \Rightarrow a + (b^* c)$$

$$\bullet a^* b^* c \Rightarrow (a^* b)^* c$$

$$\bullet a + b^* c^d \Rightarrow a + (b^* (c^d))$$

$$\bullet a^b^c \Rightarrow a^{(b^c)}$$

# Task 6

- Transform the grammar from Task 5 so that all left recursion has been removed.

# Task 7

- Consider this grammar:

$$\begin{array}{l} S \rightarrow S \ S \ \underline{+} \ | \\ \quad S \ S \ \underline{*} \ | \\ \quad \quad a \end{array}$$

- Give a leftmost derivation and a parse tree for the string "a  
a + a \*"
- Give a rightmost derivation and a parse tree for the string  
"a a + a \*"
- Is the grammar ambiguous or unambiguous?

# Task 8

- Consider this grammar for regular expressions:

Note: this is the vertical bar terminal symbol!

```
expr → expr | rterm | rterm  
rterm → rterm rfactor | rfactor  
rfactor → rfactor * | rprimary  
rprimary → a | b
```

- Left factor the original grammar.
- Eliminate left recursion from the original grammar

# Task 9

- Extend the Tiny parser so that it has 3 arithmetic operators:
  1. "^", exponentiation, highest precedence, right associative
  2. "\*", multiplication, medium precedence, left associative
  3. "+", addition, lowest precedence, left associative
- You should make your changes in "task7-tiny/Parser.java"
- Base your implementation on the transformed grammar from Task 6.



# DEFINITIONS AND ALGORITHMS

# C Operator Precedence & Associativity

<b>operator</b>	<b>Kind</b>	<b>Prec</b>	<b>Assoc</b>
a[ k ]	Primary	16	
f( · · · )	Primary	16	
.	Primary	16	
->	Primary	16	
a++, a--	Postfix	15	
++a, --a	Unary	14	
~	Unary	14	
!	Unary	14	
-	Unary	14	
&	Unary	14	
*	Unary	14	

<b>operator</b>	<b>Kind</b>	<b>Prec</b>	<b>Assoc</b>
* , / , %	Binary	13	Left
+ , -	Binary	12	Left
<<, >>	Binary	11	Left
<, >, <=, >=	Binary	10	Left
== !=	Binary	9	Left
&	Binary	8	Left
^	Binary	7	Left
	Binary	6	Left
&&	Binary	5	Left
	Binary	4	Left
? :	Ternary	3	Right
=, +=, -=, * =, /=, %=, <<=,	Binary	2	Right
>>=, &=, ^=,  =			
,	Binary	1	Left

# Precedence & Associativity Transformation

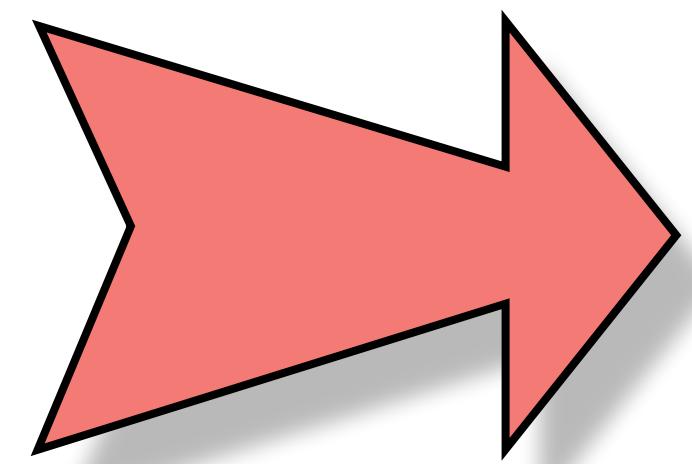
1. Create non-terminals  $p_1, p_2, \dots, p_n$  for each precedence level where  $p_n$  has the highest precedence level.
2. For operator op at precedence level i construct this production if the operator is left/right associative:

left associative	right associative
$p_i ::= p_i \text{ op } p_{i+1} \mid p_{i+1}$	$p_i ::= p_{i+1} \text{ op } p_i \mid p_{i+1}$

3. Construct a production for nonterminal  $p_{n+1}$  which represents primary expressions (identifiers, numbers, parenthesized expressions):

$$p_{n+1} ::= (p_1) \mid \text{num} \mid \text{id}$$

# Left Recursion Removal

$$A \rightarrow A\alpha \mid \beta$$

$$\begin{aligned} A &\rightarrow \beta R \\ R &\rightarrow \alpha R \mid \epsilon \end{aligned}$$

A  
α  
β

$$\text{expr} ::= \text{expr } \underline{\pm} \text{ term} \mid \text{term}$$
A large red arrow pointing to the right, positioned between the second and third boxes.
$$\begin{aligned} \text{expr} &::= \text{term } R \\ R &::= \underline{\pm} \text{ term } R \mid \epsilon \end{aligned}$$

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