Decode large-scale reorganization of atmospher (docean) to understand how entical climate feedbacks work.

Interactions between:

Conyo sphen

Tydnosphere

Key aspects of D-O events.

(1) N 1,500 year cycle
(2) asymmetry between wany a cooling.
(3) phase diffrence between herrispheres.

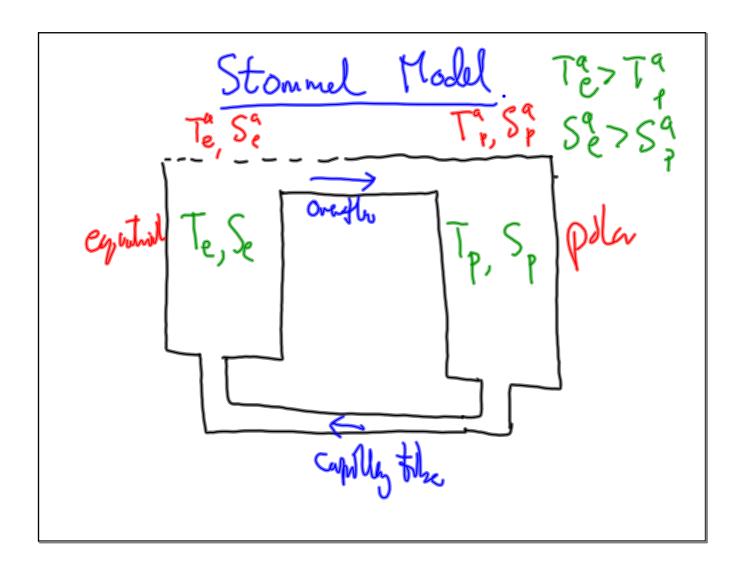
Pebate: What cans the Do evat.

2008: Clement a Petersons

Accepted: Ocean circulations involved.

Thermshaline Gralation.

related to MOC-nevidional, overlying circulation



Flav
$$\Psi = \chi \int_{P}^{-Pe} Po$$
 $P_{p} = dennty of polarizae.$
 $P_{e} = 11 \cdot 11 \cdot e\chi \cdot 11$
 $P_{s} = reference dennty$
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 $P_{s} = reference dennty$

Idea: John DES based a 2 effects:

(1) left also, relax to athrospheric temporatives subjuty

(2) flav in either directs direct directs.

By gradients.

Heat a salt balances:

$$V_{p} \frac{dI_{p}}{dt} = C_{p}^{T}(T_{p}^{a} - T_{p}) + |\Psi|(T_{e} - T_{p})$$
 $V_{e} \frac{dI_{e}}{dt} = C_{e}^{T}(T_{e}^{a} - T_{e}) + |\Psi|(T_{p} - T_{e})$
 $V_{p} \frac{dS_{p}}{dt} = C_{p}^{S}(S_{p}^{a} - S_{p}) + |\Psi|(S_{e} - S_{p})$
 $V_{e} \frac{dS_{e}}{dt} = C_{e}^{S}(S_{e}^{a} - S_{e}) + |\Psi|(S_{p} - S_{p})$

$$R_{T} = \frac{C^{\dagger}}{V_{p}} = \frac{C^{e}}{V_{e}}$$

$$R_{s} = \frac{C^{\dagger}}{V_{e}} = \frac{C^{\dagger}}{V_{e}}$$

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Can reduce to a 2D system of equations:

$$\frac{dT}{dt} = R_{T}(T_{p}^{q} - T_{e}^{q})$$

$$+ R_{T}(T_{e} - T_{p})$$

$$+ \sqrt{||\alpha_{T}T - \alpha_{5}S||} + ||\alpha_{T}T - \alpha_{5}S|| + ||\alpha_{T}T - \alpha_{5}S||}$$

$$+ \sqrt{||\alpha_{T}T - \alpha_{5}S||} + ||\alpha_{T}T - \alpha_{5}S|| + ||\alpha_{T}T - \alpha_{5}S||}$$

End op w1:

$$\frac{dT}{dt} = R_T \eta - R_T T - \delta |\Psi| \left(\frac{V_e + V_p}{V_e V_p}\right) T$$

$$\frac{dS}{dt} = R_s S - R_s S - \delta |\Psi| \left(\frac{V_e + V_p}{V_e V_p}\right) S$$

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$$\frac{dT}{dt} = R_s S -$$

$$\frac{dT}{dt} = \eta_1 - T(1+|T-s|)$$

$$\frac{dS}{dt} = \eta_2 - S(\eta_3 + |T-s|)$$

$$\frac{dS}{dt} = \eta_2 - S(\eta_3 + |T-s|)$$

$$T = Te - Tp, S = Se - Sp$$

$$\eta_1 \propto Te - Tp, \eta_2 \propto Se - Sp$$

$$\eta_2 \approx R_s / R_T$$

Fixed pant: set
$$RHS=0$$
.

 $M_1-T(1+|T-S|)=0$
 $M_2-S(M_3+|T-S|)=0$

Change variables: $P=T-S$, $T=T$

(D $M_1-T(1+|q|)=0$

(2) $M_2-(T-q)(M_3+|q|)=0$

