


```

.
.
. //-----question a -----
. // generate delta y
. gen deltax = EMPL1 -EMPL0

.
. //generate clusters by chains
. gen bk = 0

. replace bk = 1 if CHAIN == 1
(163 real changes made)

. gen kfc = 0

. replace kfc = 1 if CHAIN == 2
(80 real changes made)

. gen roy = 0

. replace roy = 1 if CHAIN == 3
(95 real changes made)

. gen wend = 0

. replace wend = 1 if CHAIN ==4
(53 real changes made)

.
. // reg changeiny d bk kfc roy wend no intercept
. reg deltax STATE bk kfc roy wend, nocon

```

Source	SS	df	MS	Number of obs	=	391
Model	959.586342	5	191.917268	F(5, 386)	=	2.50
Residual	29596.2262	386	76.674161	Prob > F	=	0.0301
				R-squared	=	0.0314
				Adj R-squared	=	0.0189
Total	30555.8125	391	78.1478581	Root MSE	=	8.7564

deltax	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
STATE	2.965651	1.12227	2.64	0.009	.7591239	5.172177
bk	-2.051036	1.122164	-1.83	0.068	-4.257355	.1552819
kfc	-1.561428	1.366897	-1.14	0.254	-4.248924	1.126068
roy	-4.313903	1.286916	-3.35	0.001	-6.844145	-1.78366
wend	-2.110868	1.471083	-1.43	0.152	-5.003206	.7814698

```

. // coefficient of STATE is what we are interested
. // compared to result in lecture 11, p9, beta is slightly bigger in conditional
. // --> dif-in-dif, and standard error seems to be no change.
.

```

```

. //-----question b-----
. //store the residuals
. predict e, r

.
. //construct matrix Z, indicator dtc, t time, c chain
. gen d01 = 0

. gen d02 = 0

. gen d03 = 0

. gen d04 = 0

. gen d11 = 0

. gen d12 = 0

. gen d13 = 0

. gen d14 = 0

. replace d01 = 1 if STATE == 0 & bk == 1
(34 real changes made)

. replace d02 = 1 if STATE == 0 & kfc == 1
(12 real changes made)

. replace d03 = 1 if STATE == 0 & roy == 1
(17 real changes made)

. replace d04 = 1 if STATE == 0 & wend == 1
(13 real changes made)

. replace d11 = 1 if STATE == 1 & bk == 1
(129 real changes made)

. replace d12 = 1 if STATE == 1 & kfc == 1
(68 real changes made)

. replace d13 = 1 if STATE == 1 & roy == 1
(78 real changes made)

. replace d14 = 1 if STATE == 1 & wend == 1
(40 real changes made)

. mkmat d01 d02 d03 d04 d11 d12 d13 d14, mat(z) //this is matrix z

. mkmat e, mat(e) // this is vector e

.
. //number of observations in each cluster

```

```

. forval i =1/4 {
2. qui sum d0`i'
3. qui gen n0`i' = r(sum)
4. qui sum d1`i'
5. qui gen n1`i' = r(sum)
6. }

```

```

. sum n01 n02 n03 n04 n11 n12 n13 n14

```

Variable	Obs	Mean	Std. Dev.	Min	Max
n01	391	34	0	34	34
n02	391	12	0	12	12
n03	391	17	0	17	17
n04	391	13	0	13	13
n11	391	129	0	129	129
n12	391	68	0	68	68
n13	391	78	0	78	78
n14	391	40	0	40	40

```

.

```

```

.

```

```

. mata:

```

_____ mata (type **end** to exit) _____

```

: z = st_matrix("z")
: e = st_matrix("e")
: z2inv = invsym(z'*z)
: I = I(391)
: etilde = (I-z*z2inv*z')*e
: variance = (etilde'*etilde)/(391-8-1)
: st_matrix("var", variance)
: end

```

```

. scalar vartilde = var[1,1]

```

```

. mat list var

```

```

symmetric var[1,1]
      cl
r1  76.781702

```

```

. sum e

```

Variable	Obs	Mean	Std. Dev.	Min	Max
e	391	1.51e-08	8.711358	-41.44896	34.14522

```

. scalar sdbar = r(sd)

. scalar varbar = sdbar^2

. display varbar
75.887759

.
. //it appears that varbar is smaller than vartilde, which is weird, I take the
. // --> absolute value of their difference
.
. scalar rhohat = (vartilde - varbar)/varbar

. display rhohat
.01177981

. scalar varcluster = rhohat * varbar

. scalar varindio = (1-rhohat)*varbar

.
. // correction factor
. scalar L = 391/8

. scalar correct = L*rhohat + (1-rhohat)

. display correct
1.5639582

.
. //corrected standard error
. scalar correctvar = correct*rhohat

. scalar correctsd = sqrt(correctvar)

. display correctsd
.1357318

.
. //-----question d-----
.
.
. //I dont know how to set up matrix V, so I did not do this one
.
.
.
. //-----question e -----
. gen sbk = STATE*bk

. gen skfc = STATE*kfc

. gen sroy = STATE*roy

```

```
. gen swend = STATE*wend

. reg deltay STATE bk kfc roy wend sbk skfc sroy swend, nocon
note: swend omitted because of collinearity
```

Source	SS	df	MS	Number of obs	=	391
Model	1225.20219	8	153.150274	F(8, 383)	=	2.00
Residual	29330.6103	383	76.581228	Prob > F	=	0.0454
				R-squared	=	0.0401
				Adj R-squared	=	0.0200
Total	30555.8125	391	78.1478581	Root MSE	=	8.7511

deltay	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
STATE	3.583173	2.793814	1.28	0.200	-1.909959	9.076306
bk	-3.367647	1.500796	-2.24	0.025	-6.318478	-.4168159
kfc	2.041667	2.526216	0.81	0.419	-2.925322	7.008656
roy	-3.867647	2.122446	-1.82	0.069	-8.040752	.3054584
wend	-2.576923	2.42711	-1.06	0.289	-7.349052	2.195206
sbk	1.046102	3.263654	0.32	0.749	-5.37082	7.463024
skfc	-4.856457	3.913229	-1.24	0.215	-12.55056	2.837643
sroy	-1.161039	3.645817	-0.32	0.750	-8.329361	6.007284
swend	0	(omitted)				

```
. //Yes, we can estimate the clustered standard errors since each variable is
. //--> cluster specific, so we still can calculate
.
. //-----question f -----
.
. reg deltay STATE bk kfc roy wend, nocon vce(boot)
(running regress on estimation sample)
```

Bootstrap replications (50)

```
-----|----- 1 -----|----- 2 -----|----- 3 -----|----- 4 -----|----- 5
..... 50
```

Linear regression	Number of obs	=	391
	Replications	=	50
	Wald chi2(5)	=	15.10
	Prob > chi2	=	0.0099
	R-squared	=	0.0314
	Adj R-squared	=	0.0189
	Root MSE	=	8.7564

deltay	Observed Coef.	Bootstrap Std. Err.	z	P> z	Normal-based [95% Conf. Interval]	
STATE	2.965651	1.511061	1.96	0.050	.0040244	5.927277
bk	-2.051036	1.598939	-1.28	0.200	-5.184899	1.082827
kfc	-1.561428	1.261104	-1.24	0.216	-4.033146	.9102901
roy	-4.313903	1.446553	-2.98	0.003	-7.149094	-1.478711
wend	-2.110868	1.744677	-1.21	0.226	-5.530372	1.308635

```
. // the standard error grows bigger compared to a
.
end of do-file
.
```