Mainstream Scheduler Problem Formulation

Given:

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\begin{split} \text{applications} &= \{app_1,\ app_2,\ \dots,\ app_n\} \\ \text{correlations} &= \{corr_1,\ corr_2,\ \dots,\ corr_n\} \\ \text{event-lengths} &= \{len_1,\ len_2,\ \dots,\ len_n\} \\ \text{event-frequencies} &= \{freq_1,\ freq_2,\ \dots,\ freq_n\} \\ \text{layer-latencies} &= \{lat_1,\ lat_2,\ \dots,\ lat_m\} \\ \text{budget} \end{split}
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Set:

$$\begin{aligned} \text{specializations} &= \{spec_1, \; spec_2, \; \dots, \; spec_n\} \\ &\text{frame-rates} &= \{fps_1, \; fps_2, \; \dots, \; fps_n\} \end{aligned}$$

Maximize:

$$\sum_{\forall i \in n} fscore(spec_i, fps_i, len_i, freq_i, corr_i)$$

Subject to:

 $budget \ge cost(specializations, frame-rates, layer-latencies)$