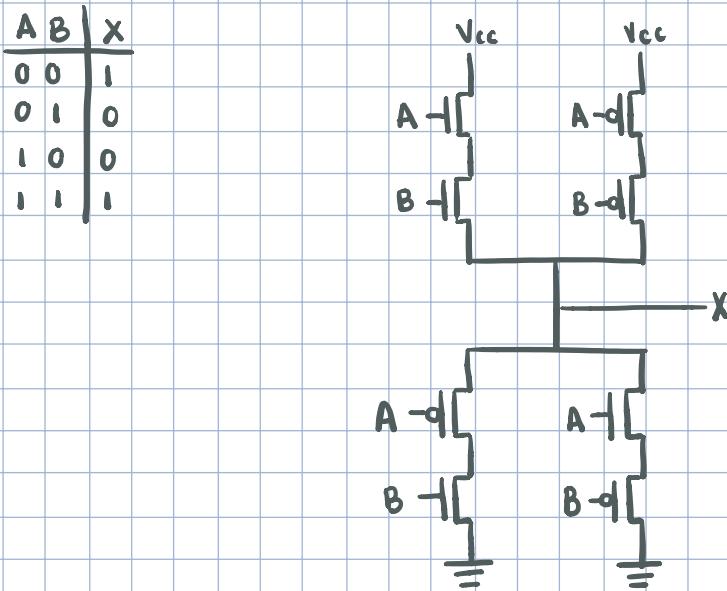


## B58 Midterm Seminar

Q1 Draw a circuit (build from transistors) for a XNOR



Note:  $\neg$  [ NPN  
PNP  
Connected: (high) (low)

Q2 Consider the Verilog code below:

```
module mystery (A, B, CLK, C, D);
```

```
input A, B, CLK;
output reg C, D;
```

```
always @ (A, B, CLK)
  if (CLK & (A|B))
    begin
      if (A&~B)
        D=1;
      else
        D=0;
      if (B&~A)
        C=1
      else
        C=0;
    end
endmodule
```

Consider CLK is high:

|   | D | C   |      |      |
|---|---|-----|------|------|
| A | B | AIB | A&~B | B&~A |
| 0 | 0 | 0   | -    | -    |
| 0 | 1 | 1   | 0    | 1    |
| 1 | 0 | 1   | 1    | 0    |
| 1 | 1 | 1   | 0    | 0    |

Briefly explain what it does :

The module controls the latches C and D that changes only when clock is high. When only B is high, C will be set to high and D to low. When only A is high, D will be set to high and C to low.

When both A and B are low, nothing will happen, so the values of C and D will not change. When both A and B are high both C and D will reset to 0

This module is similar to an S-R latch (A is set, B is reset, D is Q, C is  $\bar{Q}$ )

**Q3** Consider the circuit description given below:

If A is high, we want X to have the same value as B, if A is off and C and D are both high, X should be on. Y acts as A XOR B whenever C is high.

(a) Draw the truth table

| A | B | C | D | X | Y |
|---|---|---|---|---|---|
| 0 | 0 | 0 | 0 | x | x |
| 0 | 0 | 0 | 1 | x | x |
| 0 | 0 | 1 | 0 | x | 0 |
| 0 | 0 | 1 | 1 | 1 | 0 |
| 0 | 1 | 0 | 0 | x | x |
| 0 | 1 | 0 | 1 | x | x |
| 0 | 1 | 1 | 0 | x | 1 |
| 0 | 1 | 1 | 1 | 1 | 1 |
| 1 | 0 | 0 | 0 | 0 | x |
| 1 | 0 | 0 | 1 | 0 | x |
| 1 | 0 | 1 | 0 | 0 | 1 |
| 1 | 0 | 1 | 1 | 0 | 1 |
| 1 | 1 | 0 | 0 | 1 | x |
| 1 | 1 | 0 | 1 | 1 | x |
| 1 | 1 | 1 | 0 | 1 | 0 |
| 1 | 1 | 1 | 1 | 1 | 0 |

(b) Use K-map reduction to produce a SOM expression of X and a POM expression for Y. Show your work.

SOM X

|                         | $\bar{A} \cdot \bar{B}$ | $\bar{A} \cdot B$ | $A \cdot B$ | $A \cdot \bar{B}$ |
|-------------------------|-------------------------|-------------------|-------------|-------------------|
| $\bar{C} \cdot \bar{D}$ | x                       | x                 | 1           | 0                 |
| $\bar{C} \cdot D$       | x                       | x                 | 1           | 0                 |
| $C \cdot D$             | 1                       | 1                 | 1           | 0                 |
| $C \cdot \bar{D}$       | x                       | x                 | 1           | 0                 |

$$X = B + \bar{A}$$

POM Y

|                     | $\bar{A} + \bar{B}$ | $\bar{A} + B$ | $A + B$ | $A + \bar{B}$ |
|---------------------|---------------------|---------------|---------|---------------|
| $\bar{C} + \bar{D}$ | x                   | x             | x       | x             |
| $\bar{C} + D$       | x                   | x             | x       | x             |
| $C + D$             | 0                   | 1             | 0       | 1             |
| $C + \bar{D}$       | 0                   | 1             | 0       | 1             |

$$Y = (\bar{A} + \bar{B}) \cdot (A + B)$$

Q4 Calculate  $-13_d \times -7_d$  using booth's algorithm. Show your work.

$$X = -7_d = -(00111_b) = 11001_b$$

$$Y = -13_d = -(01101_b) = 10011_b$$

$$\text{Let } P = 00000 \ 00000$$

|    |         |
|----|---------|
| 00 | No opp  |
| 01 | Add     |
| 10 | Subs    |
| 11 | No opp. |

$$x_0 = 11001_0, \text{ Subtract } Y \text{ from } P \text{'s most significant digits}$$

$$\Rightarrow P = 01101 \ 00000$$

A. Shift right

$$\Rightarrow P = 00110 \ 10000$$

$$x_1 = 11100_1, \text{ Add } Y \text{ to } P \text{'s most significant digits.}$$

$$\begin{array}{r} 00110 \ 10000 \\ + 10011 \\ \hline \end{array}$$

$$\Rightarrow P = 11001 \ 10000$$

A. Shift right

$$\Rightarrow P = 11100 \ 11000$$

$$x_2 = 11110_0, \text{ No operation}$$

A. Shift right

$$\Rightarrow P = 11110 \ 01100$$

$$x_3 = 11111_0, \text{ Subtract } Y \text{ from the most significant digits.}$$

$$\begin{array}{r} 11110 \ 01100 \\ + 01101 \\ \hline \end{array}$$

$$\Rightarrow P = 01011 \ 01100$$

A. Shift right

$$\Rightarrow P = 00101 \ 10110$$

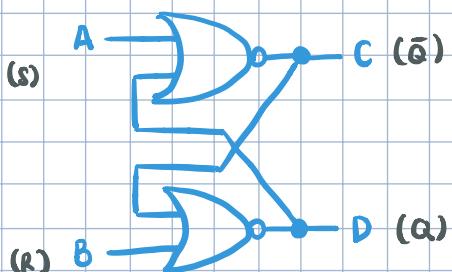
$$x_4 = 11111_1 \text{ No operation}$$

A. Shift right

$$\Rightarrow P = 00010 \ 11011$$

$$\therefore -13_d \times -7_d = 00010 \ 11011_b = 91_d$$

Q5 Complete the temporal truth table (time going down) for the given circuit



| time | A | B | C | D |
|------|---|---|---|---|
| 0    | 0 | 0 | ? | ? |
| 1    | 0 | 1 | 1 | 0 |
| 2    | 0 | 0 | 1 | 0 |
| 3    | 1 | 0 | 0 | 1 |
| 4    | 0 | 1 | 1 | 0 |

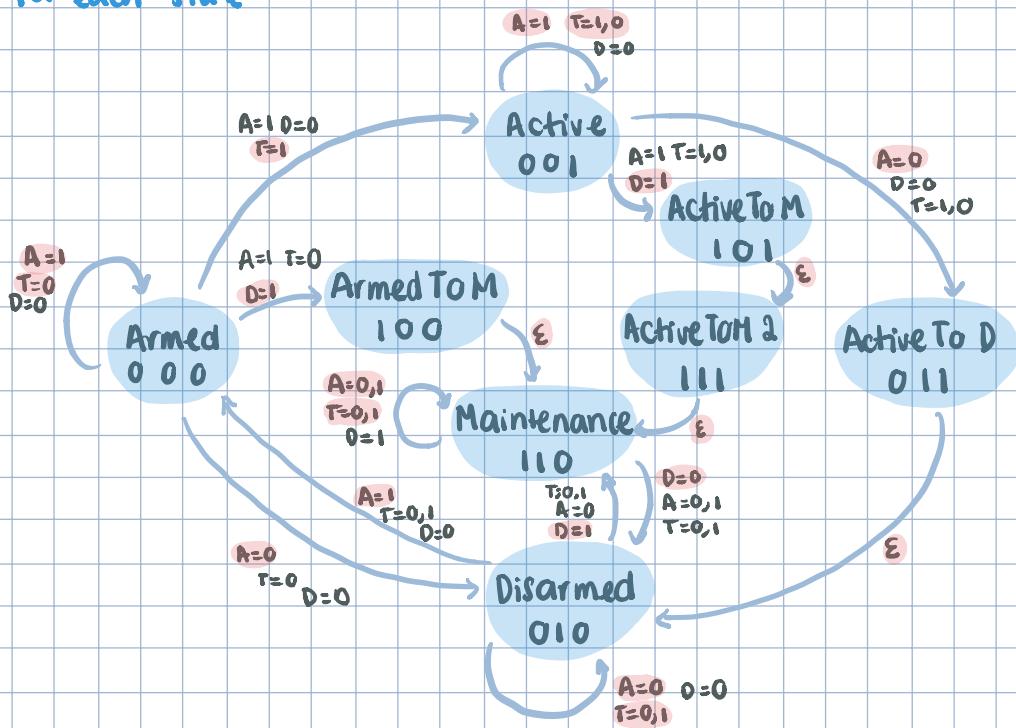
| A | B | ANORB |
|---|---|-------|
| 0 | 0 | 1     |
| 0 | 1 | 0     |
| 1 | 0 | 0     |
| 1 | 1 | 0     |

Q6 Consider the system described below:

The alarm system can be toggled between armed and disarmed mode by flipping the 'arm/disarm' switch. In armed mode, if the alarm is tripped, it will go into active mode causing a siren to sound. The alarm shouldn't do anything in disarmed mode. When the system is in active mode, it will put it back into disarmed mode. Also, there is a debug switch which will put it into maintenance mode no matter what it's currently doing.

Once the debug switch is turned off, the system goes into disarmed mode.

Draw the FSM diagram for this system, and give the flip-flop assignment for each state



A = Arm

T = Alarm

D = Debug

Previous A T D Current

0 0 0 1 1 0 0 0 1

0 0 1 1 1 1 1 0 1

⋮  
⋮