## The Naive Bayes Algorithm: Takeaways 🖻

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## Concepts

• When a new message "w<sub>1</sub>, w<sub>2</sub>, ..., w<sub>n</sub>" comes in, the Naive Bayes algorithm classifies it as spam or non-spam based on the results of these two equations:

$$P(Spam|w_1,w_2,...,w_n) \propto P(Spam) \cdot \prod_{i=1}^n P(w_i|Spam) \ P(Spam^C|w_1,w_2,...,w_n) \propto P(Spam^C) \cdot \prod_{i=1}^n P(w_i|Spam^C)$$

• To calculate P(w<sub>i</sub>|Spam) and P(w<sub>i</sub>|Spam<sup>C</sup>), we need to use the additive smoothing technique:

$$egin{aligned} P(w_i|Spam) &= rac{N_{w_i|Spam} + lpha}{N_{Spam} + lpha \cdot N_{Vocabulary}} \ P(w_i|Spam^C) &= rac{N_{w_i|Spam^C} + lpha}{N_{Spam^C} + lpha \cdot N_{Vocabulary}} \end{aligned}$$

• Below, we see what some of the terms in equations above mean:

 $N_{w_i|Spam}=$  the number of times the word  $w_i$  occurs in spam messages  $N_{w_i|Spam^C}=$  the number of times the word  $w_i$  occurs in non-spam messages  $N_{Spam}=$  total number of words in spam messages  $N_{Spam^C}=$  total number of words in non-spam messages  $N_{Vocabulary}=$  total number of words in the vocabulary  $\alpha=1$  ( $\alpha$  is a smoothing parameter)

## Resources

- A technical intro to a few version of the Naive Bayes algorithm
- An intro to conditional independence

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