NUR Hand-in Exercise 3

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Abstract

This document shows my solutions to hand-in exercise 3 of numerical methods in astrophysics.

1 Satellite galaxies around a massive central

General code used in this exercise is:

```
import numpy as np
   import matplotlib.pyplot as plt
   def n(x,A,Nsat,a,b,c):
        return A*Nsat*((x/b)**(a-3))*np.exp(-(x/b)**c)
   def readfile (filename):
        f = open(filename, 'r')
        data = f.readlines()[3:] #Skip first 3 lines
        nhalo = int(data[0]) #number of halos
        radius = []
        for line in data[1:]:
13
             if line[:-1]!='\#':
                  radius.append(float(line.split()[0]))
        radius = np.array(radius, dtype=float)
        f.close()
18
        return radius, nhalo #Return the virial radius for all the satellites in the file,
19
        and the number of halos
   #Call this function as:
   #radius , nhalo = readfile('satgals_m15.txt')
22
   # Plot of binned data with the best fit (question 1b.4 and 1c)
25
   # As always, feel free to replace by your own plotting routines if you want
   xmin, xmax = 1e-4, 5. # replace by your choices
   n\_bins\,=\,100 \# replace by your binning
   edges = np.exp(np.linspace(np.log(xmin), np.log(xmax), n_bins+1))
   \label{eq:fig1b} \mbox{fig1b} \;,\;\; \mbox{ax} \; = \; \mbox{plt.subplots} \left( \, 3 \, , 2 \, , \, \mbox{figsize} \, = \, ( \, 6 \, . \, 4 \, , 8 \, . \, 0 \, ) \, \right)
31
   for i in range (5):
32
        Nsat = 100 \# replace by actual appropriate number for mass bin i
        x_radii = np.random.rand(10000) * (xmax-xmin) # replace by actual data for mass bin
        Ntilda = np.sort(np.random.rand(n_bins)) * (xmax-xmin) # replace by fitted model for
         mass bin i integrated per radial bin
        binned_data=np.histogram(x_radii, bins=edges)[0]/Nsat
        row=i //2
        col=i\%2
        ax[row,col].step(edges[:-1], binned_data, where='post', label='binned_data')
39
        ax[row,col].step(edges[:-1], Ntilda, where='post', label='best-fit profile')
40
        ax[row,col].set(yscale='log', xscale='log', xlabel='x', ylabel='N', title=f"$M_h \\
\begin{array}{c} \operatorname{approx} \ 10^{\left\{\left\{11+i\right\}\right\}} \ \operatorname{M}_{\left\{\left\{\left(\operatorname{dot}\right\}\right\}/h}^{s}\right\}} \\ \operatorname{ax}\left[2,1\right]. \ \operatorname{set\_visible}\left(\operatorname{False}\right) \end{array}
43 plt.tight_layout()
```

```
handles, labels=ax[2,0]. get_legend_handles_labels()
plt.figlegend(handles, labels, loc=(0.65,0.15))
plt.savefig('my_solution_lb.png', dpi=600)

# Plot 1c (same code as above)
figlc, ax = plt.subplots(3,2,figsize=(6.4,8.0))
for i in range(5):
    Nsat = 100 # replace by actual appropriate number for mass bin i
    x_radii = np.random.rand(10000) * (xmax-xmin) # replace by actual data for mass bin i
```

Q1.py