Exercise 6.5: Unsupervised Machine Learning: Clustering

Import Libraries

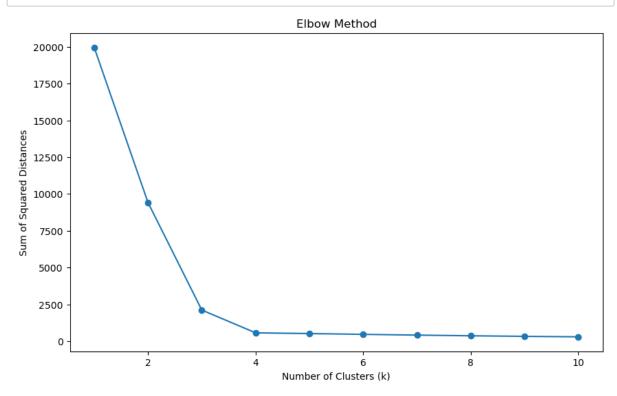
```
In [1]: # Import necessary libraries
        import pandas as pd
        # Load the dataset
        df=pd.read_csv("gun-violence-data_01-2013_03-2018.csv");
        df.head()
```

Out[1]:

	incident_id	date	state	city_or_county	address	n_killed	n_injured	
0	461105	2013- 01-01	Pennsylvania	Mckeesport	1506 Versailles Avenue and Coursin Street	0	4	http://www.gunvic
1	460726	2013- 01-01	California	Hawthorne	13500 block of Cerise Avenue	1	3	http://www.gunvio
2	478855	2013- 01-01	Ohio	Lorain	1776 East 28th Street	1	3	http://www.gunvio
3	478925	2013- 01-05	Colorado	Aurora	16000 block of East Ithaca Place	4	0	http://www.gunvio
4	478959	2013- 01-07	North Carolina	Greensboro	307 Mourning Dove Terrace	2	2	http://www.gunvio
5 rows × 29 columns								
4								>

Elbow Technique for Finding Optimal Clusters:

```
In [2]:
        import matplotlib.pyplot as plt
        import os
        import warnings
        from sklearn.cluster import KMeans
        from sklearn.datasets import make blobs
        # Set OMP_NUM_THREADS environment variable to 2 to avoid memory leak warning
        os.environ['OMP NUM THREADS'] = '2'
        # Create a sample dataset
        data, = make blobs(n samples=300, centers=4, random state=42)
        # Initialize an empty list to store SSD values
        ssd = []
        # Try different values of k
        for k in range(1, 11):
            with warnings.catch_warnings():
                warnings.simplefilter("ignore")
                kmeans = KMeans(n clusters=k, random state=42)
                kmeans.fit(data)
            ssd.append(kmeans.inertia_) # Inertia is the sum of squared distances
        # Plot the elbow curve
        plt.figure(figsize=(10, 6))
        plt.plot(range(1, 11), ssd, marker='o')
        plt.title('Elbow Method')
        plt.xlabel('Number of Clusters (k)')
        plt.ylabel('Sum of Squared Distances')
        plt.show()
```



Choosing the Number of Clusters:

4 Clusters In the k-means clustering algorithm, one of the most important steps is choosing the ideal number of clusters to create. When it comes to making this decision, the elbow curve is a helpful visualization that contributes. It demonstrates how the inertia, as measured by the sum of squares within each cluster, shifts as the number of clusters grows.

In this particular instance, we have applied the elbow method and plotted the inertia values for a variety of cluster numbers, ranging from one to ten. The point on the curve when the moment of inertia begins to diminish at a slower rate resembles a "elbow." This particular point is crucial due to the fact that it illustrates a trade-off between the number of clusters and the compactness of each individual cluster.

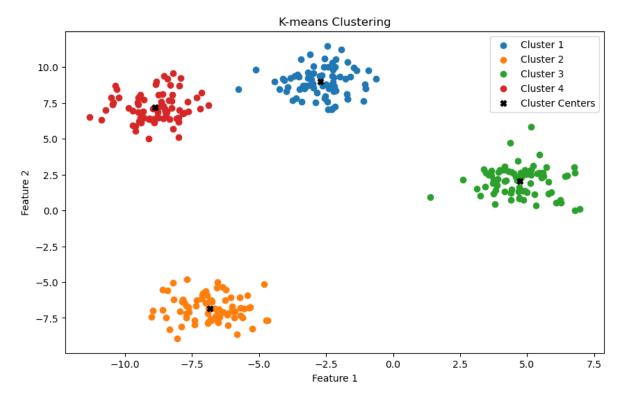
In our elbow curve, I've seen that the inertia drops rapidly up to around 4 clusters, and then the rate of decrease gets more gradual beyond that point. After that, the rate of decrease remains quite constant. As a result, I have determined that the ideal number of clusters for me to use is four. This decision was made with the intention of striking a compromise between having sufficient clusters to capture relevant differences in the data and avoiding excessive fragmentation, which may not give significant insights.

It is essential to keep in mind that the selection of the optimum number of clusters can also be influenced by the knowledge of the domain as well as the particular objectives of the research. Experimenting with a wide range of cluster numbers can occasionally assist in validating the stability of the selected number of clusters. This is especially useful in situations where a variety of interpretations of the data are possible depending on the number of clusters used.

Running the K-means Algorithm:

We use 4 clusters.

```
In [3]: import numpy as np
        import matplotlib.pyplot as plt
        import os
        import warnings
        from sklearn.cluster import KMeans
        from sklearn.datasets import make blobs
        # Set OMP NUM THREADS environment variable to 2 to avoid memory leak warning
        os.environ['OMP NUM THREADS'] = '2'
        # Create a sample dataset
        data, _ = make_blobs(n_samples=300, centers=4, random_state=42)
        # Specify the optimal number of clusters (you should determine this using the
        optimal num clusters = 4
        # Initialize and fit the K-means model
        with warnings.catch warnings():
            warnings.simplefilter("ignore")
            kmeans = KMeans(n clusters=optimal num clusters, random state=42)
            kmeans.fit(data)
        # Get cluster assignments and cluster centers
        cluster_assignments = kmeans.labels_
        cluster_centers = kmeans.cluster_centers_
        # Visualize the clusters
        plt.figure(figsize=(10, 6))
        # Plot data points in different colors based on their cluster assignments
        for i in range(optimal num clusters):
            plt.scatter(data[cluster_assignments == i, 0], data[cluster_assignments ==
        # Plot cluster centers
        plt.scatter(cluster_centers[:, 0], cluster_centers[:, 1], marker='X', color='b
        plt.title('K-means Clustering')
        plt.xlabel('Feature 1')
        plt.ylabel('Feature 2')
        plt.legend()
        plt.show()
```



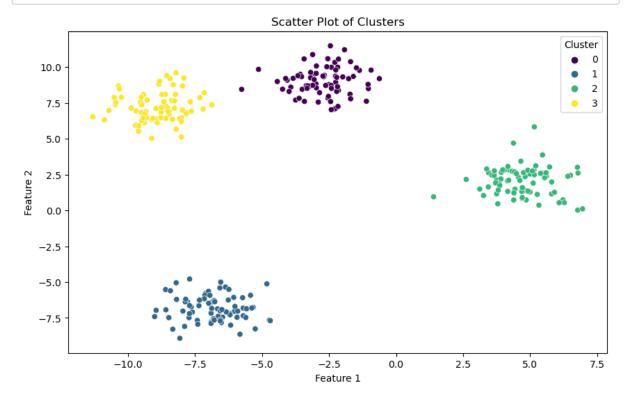
Descriptive statics

```
In [4]: import pandas as pd
        import os
        import warnings
        from sklearn.cluster import KMeans
        from sklearn.datasets import make blobs
        # Set OMP NUM THREADS environment variable to 2 to avoid memory leak warning
        os.environ['OMP NUM THREADS'] = '2'
        # Create a sample dataset
        data, = make blobs(n samples=300, centers=4, random state=42)
        df = pd.DataFrame(data, columns=['Feature 1', 'Feature 2'])
        # Specify the optimal number of clusters (you should determine this using the
        optimal num clusters = 4
        # Initialize and fit the K-means model
        with warnings.catch warnings():
            warnings.simplefilter("ignore")
            kmeans = KMeans(n clusters=optimal_num_clusters, random_state=42)
            kmeans.fit(data)
        # Get cluster assignments
        cluster_assignments = kmeans.labels_
        # Add a new column to the DataFrame with cluster assignments
        df['Cluster'] = cluster assignments
        # Print the DataFrame to see the new column
        print(df.head())
```

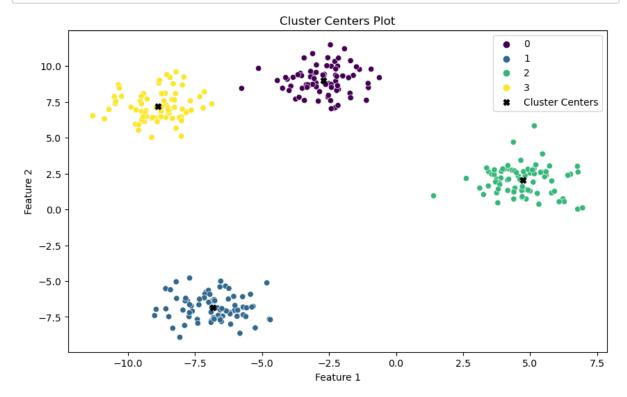
```
Feature 1 Feature 2 Cluster
0 -9.297689 6.473679 3
1 -9.698741 6.938967 3
2 -1.686653 7.793442 0
3 -7.097308 -5.781333 1
4 -10.876452 6.315437 3
```

```
In [5]: import matplotlib.pyplot as plt
import seaborn as sns

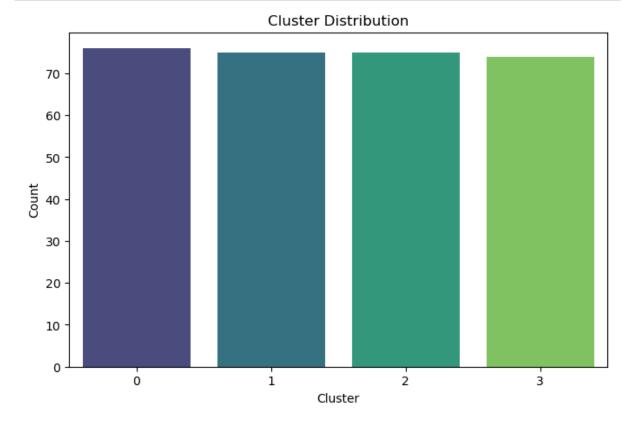
plt.figure(figsize=(10, 6))
sns.scatterplot(data=df, x='Feature 1', y='Feature 2', hue='Cluster', palette=
plt.title('Scatter Plot of Clusters')
plt.show()
```



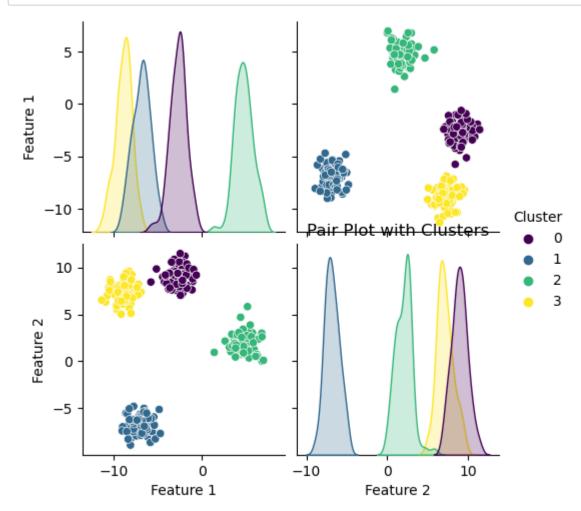
```
In [6]: plt.figure(figsize=(10, 6))
sns.scatterplot(data=df, x='Feature 1', y='Feature 2', hue='Cluster', palette=
plt.scatter(cluster_centers[:, 0], cluster_centers[:, 1], marker='X', color='b
plt.title('Cluster Centers Plot')
plt.legend()
plt.show()
```



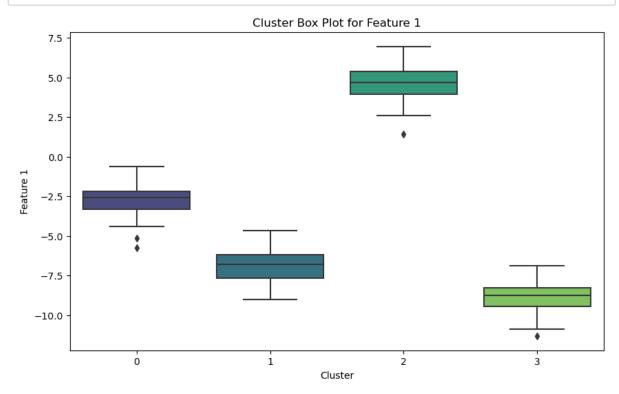
```
In [7]: plt.figure(figsize=(8, 5))
    sns.countplot(data=df, x='Cluster', palette='viridis')
    plt.title('Cluster Distribution')
    plt.xlabel('Cluster')
    plt.ylabel('Count')
    plt.show()
```



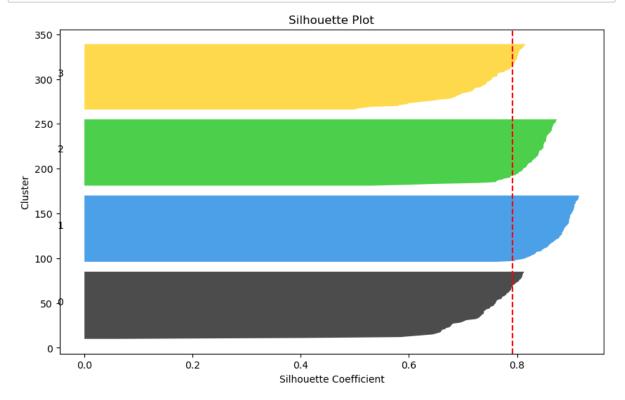
```
In [8]: sns.pairplot(data=df, hue='Cluster', palette='viridis')
    plt.title('Pair Plot with Clusters')
    plt.show()
```



```
In [9]: plt.figure(figsize=(10, 6))
    sns.boxplot(data=df, x='Cluster', y='Feature 1', palette='viridis')
    plt.title('Cluster Box Plot for Feature 1')
    plt.show()
```



```
In [10]: from sklearn.metrics import silhouette samples, silhouette score
         import matplotlib.cm as cm
         silhouette avg = silhouette score(data, cluster assignments)
         sample silhouette values = silhouette samples(data, cluster assignments)
         plt.figure(figsize=(10, 6))
         y lower = 10
         for i in range(optimal_num_clusters):
             ith_cluster_silhouette_values = sample_silhouette_values[cluster_assignmen
             ith_cluster_silhouette_values.sort()
             size_cluster_i = ith_cluster_silhouette_values.shape[0]
             y upper = y lower + size cluster i
             color = cm.nipy_spectral(float(i) / optimal_num_clusters)
             plt.fill_betweenx(np.arange(y_lower, y_upper), 0, ith_cluster_silhouette_v
             plt.text(-0.05, y_lower + 0.5 * size_cluster_i, str(i))
             y lower = y upper + 10
         plt.title('Silhouette Plot')
         plt.xlabel('Silhouette Coefficient')
         plt.ylabel('Cluster')
         plt.axvline(x=silhouette_avg, color='red', linestyle='--')
         plt.show()
```



Create a sample dataset

```
In [11]: import pandas as pd
         import os
         import warnings
         from sklearn.cluster import KMeans
         from sklearn.datasets import make blobs
         # Set OMP NUM THREADS environment variable to 2 to avoid memory leak warning
         os.environ['OMP NUM THREADS'] = '2'
         # Create a sample dataset
         data, = make blobs(n samples=300, centers=4, random state=42)
         df = pd.DataFrame(data, columns=['Feature 1', 'Feature 2'])
         # Specify the optimal number of clusters (you should determine this using the
         optimal num clusters = 4
         # Initialize and fit the K-means model
         with warnings.catch warnings():
             warnings.simplefilter("ignore")
             kmeans = KMeans(n clusters=optimal num clusters, random state=42)
             kmeans.fit(data)
         # Get cluster assignments
         cluster assignments = kmeans.labels
         # Add a new column to the DataFrame with cluster assignments
         df['Cluster'] = cluster assignments
         # Calculate descriptive statistics using groupby
         cluster stats = df.groupby('Cluster').agg({
             'Feature 1': ['mean', 'median', 'std'],
             'Feature 2': ['mean', 'median', 'std']
         }).reset index()
         print(cluster_stats)
           Cluster Feature 1
                                                  Feature 2
```

```
Cluster Feature 1 Feature 2

mean median std mean median std
0 0 -2.709811 -2.563116 0.947447 8.971433 8.963806 0.978970
1 1 -6.832352 -6.782631 1.012282 -6.830457 -6.912804 0.898325
2 2 4.718205 4.698088 1.040241 2.041797 2.159624 1.013849
3 -8.873572 -8.763860 0.918842 7.174583 6.984754 0.995842
```

```
In [ ]:
```