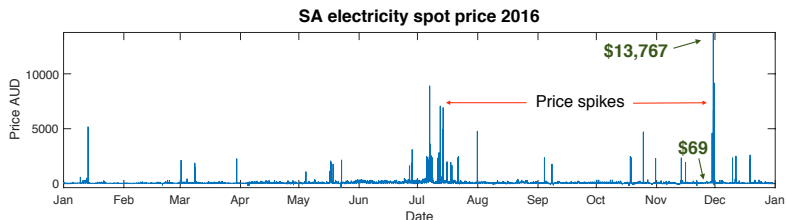


**South Australia** has some of the highest and most volatile prices



**Aim:** Model randomness in electricity prices - *spikes & drops*.

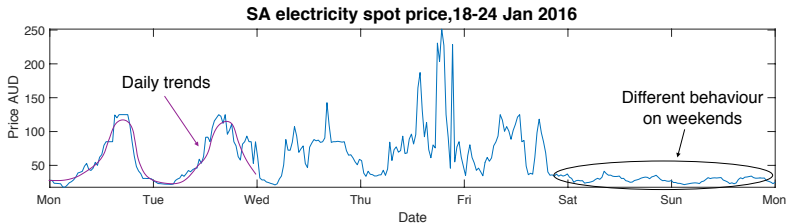
**Why?** Risk management & financial valuation

# The model

$$\underbrace{\text{price process}}_{P(t)} = \underbrace{\text{seasonal component}}_{y(t)} + \underbrace{\text{stochastic component}}_{X(t)}$$

$$X(t) = \begin{cases} B(t) = a + bB(t-1) + \sigma\epsilon(t) & \text{when } R(t) = 1, \\ S(t) + q_2 \sim LN(\mu_S, \sigma_S) + q_2 & \text{when, } R(t) = 2, \end{cases}$$

$R(t)$  evolves with probabilities  $p_{ij} = P(R(t) = j | R(t-1) = i)$ .



## Results.

$$X(t) = \begin{cases} B(t) = a + bB(t-1) + \sigma\epsilon(t) & \text{when } R(t) = 1, \\ S(t) + q_2 \sim LN(\mu_S, \sigma_S) + q_2 & \text{when } R(t) = 2, \end{cases}$$

$$p_{ij} = P(R(t) = j | R(t-1) = i).$$

Parameter	Interpretation	Posterior mean
$p_{11}$	$p(\text{Base at time } t+1   \text{Base at time } t)$	0.95
$p_{22}$	$p(\text{Spike at time } t+1   \text{Spike at time } t)$	0.66
$a$	-	-0.60
$b$	$\text{corr}(X(t+1), X(t))$	0.50
$\sigma$	$\text{var}(X(t+1)   X(t))$	424
$\mu_S$	-	4.5
$\sigma_S$	-	1.2

- ▶ Mean spike size = \$314.90 (above the trend)
- ▶ Spike std. dev. = \$1,363.89