

Function Libraries



CS 150 – C++ Programming I
Lecture 8

The Algorithms & While Loops

- The **ancient algorithms** we'll implement
 - **Euclid's Algorithm**: greatest common divisor (*330 BC*)
 - **Newton's Square Root** (*actually Hammurabi 1800 BC*)
 - Find a better **approximation for π** than $355/113$
- Each needs an **indefinite loop**
 - *while (condition) { ... } // preferred*
 - *do { . . . } while(condition); // seldom*
- Each algorithm uses a **limit loop**
 - Reduce a number to zero, successive approximations, bisection, and non-convergence tests

An Ancient Algorithms Library

- **Function call**: compiler needs to know argument & return type
 - **Define** function before use; smallest programs
 - Prototype (**declare**) before use; small programs
 - Separately compile the functions and **link together**
 - Last is most flexible; we'll do that from now on
- **Exercise**: open *algoritb* folder
 - *algo.h* - interface; prototypes & documentation
 - *algo.cpp* - implementation; source code
 - *tester.cpp* - client or testing file
 - *makefile* - the project file

The Interface: Header Files

- Header guards prevent multiple inclusions
 - `#ifndef ALGO_H`
`#define ALGO_H`
`...`
`#endif`
- Header files may contain:
 - Documentation, prototypes, constant definitions, class or structure definitions, templates, global variable declarations (extern)
- They may not contain:
 - Function or variable definitions or `using namespace std;`

Namespaces

- **Exercise:** add `gcd()`, `sqrt()`, and `pi()` to header
 - `int gcd(int a, int b);`
 - `double sqrt(double n);`
 - `void pi(unsigned& n, unsigned& d);`
- **Problem?** Now have **two** `sqrt()` functions
 - Called a **name clash** or name collision
- **Solution?** Put your functions in the **aa namespace**
 - Need in **both** the header and implementation
 - `namespace aa {`
 `// prototypes here`
 `};`

The Client File

- The **client** calls or tests the functions
 - In the Course Reader you learned to do this manually, and by using the CS 150 automated testing framework
- The CS 150 framework **testing process**
 - *#include* the header for the functions to be tested
 - Place testing code between *beginFunctionTest*, and *endFunctionTest*
 - Use *assertEquals* varieties (see `tester.cpp`)
- **Exercise**: type `make tester` (linker errors only)

The Implementation & Stubs

- **Implementation** goes in `.cpp` file
- Always start with stubs (or skeletons)
 - 1. Add `#include "header"` to client (note double-quotes)
 - 2. Add any other headers needed to implement
 - 3. **May** add `using namespace std;`
 - 4. **Copy** prototypes & namespace from header file
 - 5. Remove semicolons, add body and return statements
- Still **doesn't build**; need to create a `makefile`

Building Your Program

- Cross-platform **builder** program is called **make**
- **Makefile**: 3 parts: variables, rules, actions
 - 1. MACROs/variables: **EXE=**, **OBJS=**
 - 2. Target, dependency: **\$(EXE): \$(OBJS)**
 - 3. **<tab> \$(CXX) \$(CXXFLAGS) \$(OBJS) -o \$(EXE)**
 - 4. Pseudo-target:
test: \$(EXE)
./\$(EXE) -t *# must start with a tab*
- **Exercise**: **make** and **make test**

Implementing gcd

- Developed by Euclid about 300 BC ([Wikipedia Link](#))
 - **Essential insight**: divisor of larger and smaller is same as divisor of smaller and (larger - smaller)
 - When we reduce smaller to 0, have answer
 - Must repeat, so a loop; reduce to 0 so use **a limit loop**
- **Pseudocode** for the algorithm $\text{gcd}(a, b)$
 - *While b is not 0*
 - Let $t = b, b = a \% b, a = t$*
 - GCD is a*
- **Exercise**: implement and test $\text{gcd}(a, b)$

Implementing Newton's Square Root

- Attributed to Isaac Newton, but actually recorded in **base-60** cuneiform from tablets in the **Hammurabi** dynasty (around 1700 BC).
- An **approximation algorithm**
 - Make a new guess as to the root of n
 - Loop
 - Set old-guess to new-guess
 - Set new-guess to $((n/\text{old-guess}) + \text{old-guess}) / 2$
 - Until difference between guesses is $< \text{epsilon}$
- **Exercise:** implement and test

Implementing a pi Approximation

- A rational approximation for PI
 - $19/6$ - Ahmes Papyrus 1650 BC, $25/8$ - Babylonian
 - $223/71 < \pi < 220/70$ - Archimedes 150 BC
 - $377/120$ - Ptolemy 1st Century
 - $355/113$ - Tsu Ch'ung-chih - 5th Century
- Our Goal – find a better approximation than Tsu
 - a) Make an initial approximation
 - b) While it isn't close enough, try to get closer
 - c) Use `acos(-1.0)` as our test oracle **PI**
 - d) Use `abs(TSU - PI)` as **EPSILON**

Documentation

- Use **DOXYGEN** (Javadoc) style function comments
 - Place in your header file
 - Add file comment with `@file`, namespace comment
 - 1. `@param` tags for each parameter
 - 2. `@return` tags describe what is returned
 - 3. `@code{.cpp}` ... `@endcode` for examples
- **Exercise**: document and shoot a screenshot