

ECON501 2018

lab08

OUTLINE

1. **Octave 3.8.2**

2. The Neoclassical growth model

3. **Solve F.O.C**

4. dynare template

5. parameters

6. model

SOFTWARE

1. Octave 3.8.2 works with Dynare

<http://www.dynare.org/documentation-and-support/quick-start>

<https://web.archive.org/web/20150402161713/http://mxeoctave.osuv.de/>

2. Watch video

<https://www.youtube.com/watch?v=ZH-BRQaAaBU>

<https://www.youtube.com/watch?v=P9VYrKMAYrE>

<https://www.youtube.com/watch?v=RtGW-ZogMqg>

TUTORIAL

1. Intro

http://fabcol.free.fr/dynare/pdf/tr_dynare.pdf ar1.mod

2. Basic

http://www3.nd.edu/~esims1/using_dynare_sp17.pdf ramsey.mod

3. Practice

http://www.sfu.ca/~kkasa/Sargent_Dynare.pdf

4. Models

<http://fabcol.free.fr/dynare/>

https://github.com/JohannesPfeifer/DSGE_mod

THE NEOCLASSICAL MODEL WITH FIXED LABOR

Consider a simple stochastic neoclassical model with fixed labor as the laboratory. The planner's problem can be written:

$$\begin{aligned} \max \quad & E_0 \sum_{t=0}^{\infty} \beta^t \frac{c_t^{1-\sigma} - 1}{1-\sigma} \\ \text{s.t.} \quad & \end{aligned}$$

$$k_{t+1} = a_t k_t^\alpha - c_t + (1 - \delta)k_t$$

TFP is assumed to follow a mean zero AR(1) in the log:

$$\ln a_t = \rho \ln a_{t-1} + \varepsilon_t$$

The first order conditions for this problem can be characterized with three non-linear difference equations and a transversality condition:

$$c_t^{-\sigma} = \beta E_t c_{t+1}^{-\sigma} (\alpha a_{t+1} k_{t+1}^{\alpha-1} + (1 - \delta))$$

$$k_{t+1} = a_t k_t^\alpha - c_t + (1 - \delta) k_t$$

$$\ln a_t = \rho \ln a_{t-1} + \varepsilon_t$$

$$\lim_{t \rightarrow \infty} \beta^t c_t^{-\sigma} k_{t+1} = 0$$

TRY TO IMPLEMENT COMPUTATION IN DYNARE

See [github](#)

PARAMETERS

parameters alpha beta delta rho sigma sigmae;

beta = 0.99; % discount factor

delta = 0.025; % appreciation rate

alpha = 1/3; % share of capital in production function

sigma = 1; % intertemporal preference parameter

rho = 0.95; % coefficient for AR(1) stochastic process of technology

sigmae = 0.01; % standard error of technology shock

MODEL;

model;

$\exp(c)^{-\sigma} = \beta \exp(c+1)^{-\sigma} (\alpha \exp(z+1) \exp(k)^{\alpha-1} + (1-\delta));$

$\exp(y) = \exp(z) \exp(k)^{\alpha};$

$\exp(k) = \exp(z) \exp(k)^{\alpha} - \exp(c) + (1-\delta) \exp(k);$

$z = \rho z + e;$

$\exp(y) = \exp(c) + \exp(l);$

$\exp(c)^{-\sigma} = \beta \exp(c+1)^{-\sigma} (1+r);$

$\exp(R) = \alpha \exp(z) \exp(k)^{\alpha-1};$

$\exp(w) = (1-\alpha) \exp(z) \exp(k)^{\alpha};$

end;