# R computing for Business Data Analytics

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Last Revised: August 2014

## 2.1 Writing *R* functions

• What are functions?

If you find yourself running the same code repeatedly, you should consider turning the code into a function for the sake of efficiency and maintainability. Generally, functions take inputs, process the inputs (e.g., calculation, graph drawing), and produce outputs.

Let's start with a simple function that takes merely one input.

```
> double.num = function(x){ #x is the argument of this function
> x*2}
> double.num(5)
```

Tweak the function a bit with an explicit return.

```
> double.num = function(x){
> return(x*2)
> print("Hello")
> return(17)}
> double.num(5)
```

What happens now? Do we get to see all outputs?

```
> oddcount = function(x) {
> k=0
> for(n in 1:length(x)) {
> if(x[n]%%2==1) k=k+1
> }
> return(k)
> }
> oddcount(0:10)
```

### • In-class exercise

Suppose payments of R dollars are deposited annually into a bank account that earns constant interest i per year (assuming deposits are made at the end of each year). The total amount at the end of n years is

$$R(1+i)^{n-1} + ... + R(1+i) + R = R \frac{(1+i)^n - 1}{i}$$

Please write a function (named as "annuityAmt") to calculate the amount of an annuity. The function is supposed to have three arguments -R, i, and n. If \$400 is deposited annually for 10 years into an account bearing 5% annual interest, what is the accumulated amount? (The function should return 5031.157)

### 2.2 Control statements

• If and else

```
The syntax for if is

if (condition) {commands when TRUE}

> toCheck=1

> if (toCheck ==1){

> print("hello")

> }

> if (toCheck=0){

> print("hello")

> }

The syntax for if...else is

if (condition) {

commands when TRUE
} else {

commands when FALSE
}
```

Let's write a function.

```
> check.bool=function(x){
> if (x ==1){
> print("hello")
> } else {
> print("goodbye") }
> }
> check.bool(1)
> check.bool(0)
```

### • Ifelse

While *if* is more like the *if* statement in traditional programming languages, *ifelse* is more like the *if* function in Excel.

```
> ifelse(1==1, "Yes", "No")

> toTest=c(1, 1, 0, 1, 0, 1)

> ifelse(toTest==1, toTest*3, "Zero")

We can try a compound test.

> a=c(1, 1, 0, 1)

> b=c(2, 1, 0, 1)

> ifelse(a==1 & b==1, "Yes", "No")
```

## 2.3 Loops

• For loops

```
The syntax for for is

for (name in vector) {commands}

> for (i in 1:10){

> print(i)

> }

or

> print(1:10)
```

```
> fruit = c("apple", "orange", "watermelon")
> fruitL=rep(NA, length(fruit))
> names(fruitL)=fruit
> for (i in 1:length(fruit)){
> fruitL[i]=nchar(fruit[i])
> }
> fruitL
```

## • While loops

The syntax for *while* is while (condition) {statements} > x=1

```
> while (x<=5){
> print(x)
> x=x+1
> }
```

We can always rewrite a for loop as a while loop.

# • Controlling loops

Sometimes we put *next* and/or *break* into for( ) and while( ) loops.

```
next
> for (i in 1:10){
> if(i==3){next}
> print(i)
> }

break
> for (i in 1:10){
> if(i==4){break}
> print(i)
> }
```

### 2.4 Recursion

• Newton's method for root finding

This is a popular numerical method to find a root of an algebraic equation: f(x)=0. If f(x) has derivative f'(x), the following iteration will converge to a root of the above equation.

$$x_0 = \text{initial guess}$$
  
 $x_n = x_{n-1} - \frac{f(x_{n-1})}{f'(x_{n-1})}$ 

Suppose  $f(x)=x^3+2x^2-7$ , we can the root for f(x)=0 using the following recursion.

$$x_n = x_{n-1} - \frac{x_{n-1}^3 + 2x_{n-1}^2 - 7}{3x_{n-1}^2 + 4x_{n-1}}$$

How do we implement this recursive algorithm in R?

- > x = x0 # x0 is an arbitrary guess
- $> f=x^3+2*x^2-7$
- > tolerance=0.000001
- > while(abs(f) > tolerance) {
- > f.prime= $3*x^2+4*x$
- > x=x-f/f.prime
- $= x^3+2*x^2-7$
- > }
- > x

Recursion is a powerful trick that makes our life much easier. We can re-write the example above using a *repeat* loop + a *break* statement.

- > x = x0 # x0 is an arbitrary guess
- > tolerance=0.000001
- > repeat {
- $> f=x^3+2*x^2-7$
- > if(abs(f) < tolerance) break
- > f.prime= $3*x^2+4*x$
- > x=x-f/f.prime
- > }
- > x