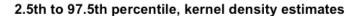
STATS 202A Fall 2014 Homework 2

Output:

Figure 1: A plot of your kernel density estimate of the earthquake magnitudes, f^ (m), from part 1b), along with your simulation-based 95% confidence bands from part 1d).



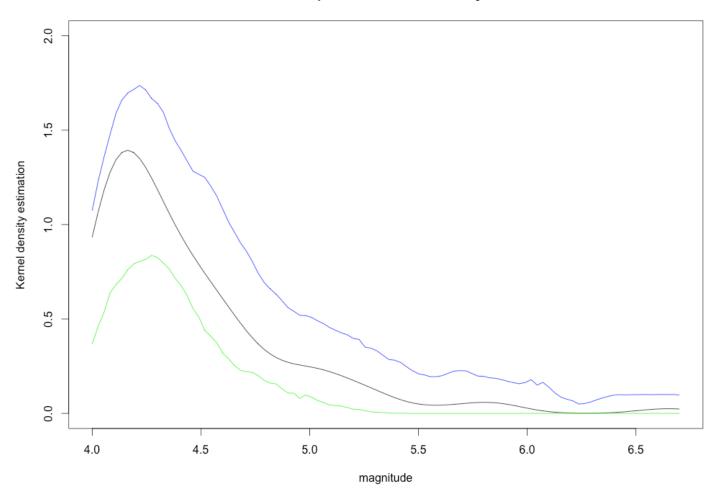


Figure 2: A plot of your 2-dimensional kernel smoothing of the earthquake locations, along with the points themselves and a legend, from part 1e).

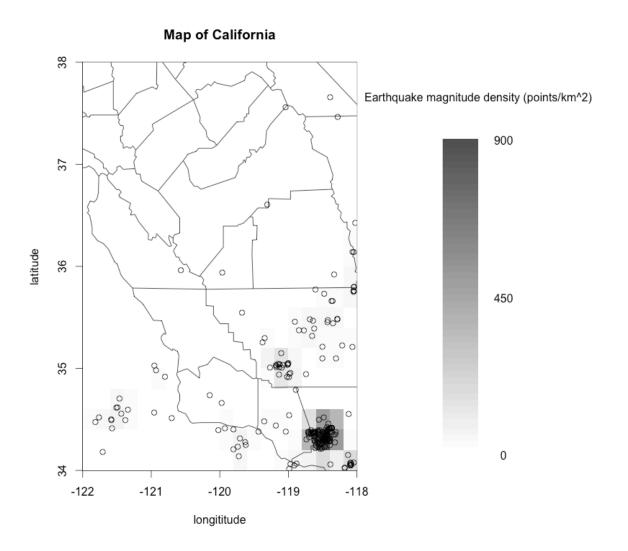
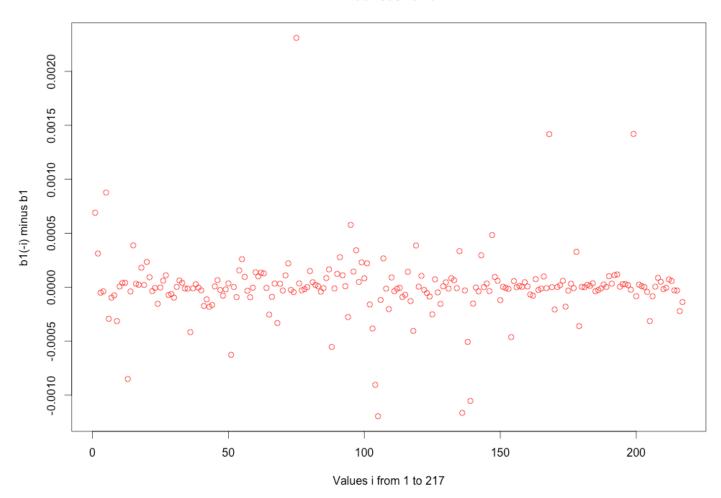


Figure 3: A plot of the influences, $\beta^{-}(-i) - \beta^{-}$, versus i, from part 2e).

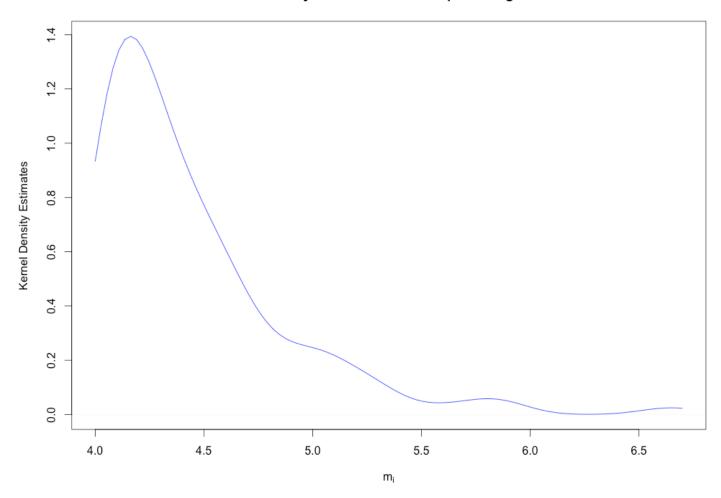
Influences for b1



Code:

```
from=min(mag_vec), to=max(mag_vec))
plot(k_density_lb, type="l", xlab=expression("m"['i']),
    ylab="Kernel Density Estimates", pch=16, col="blue",
    main="Kernel Density Estimates v/s Earthquake Magnitudes")
```

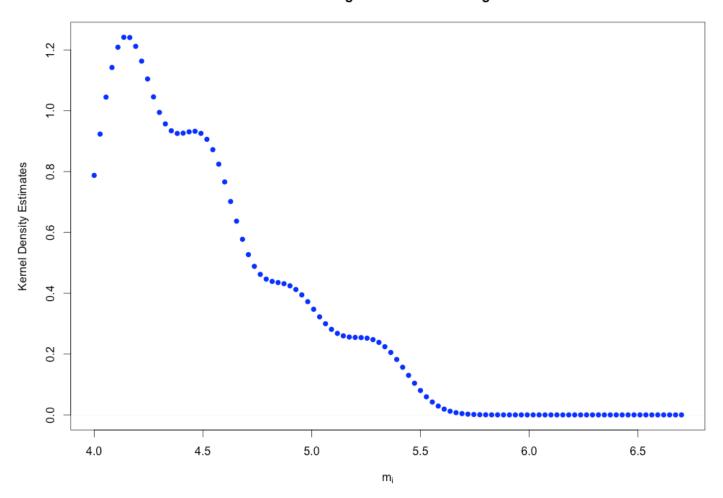
Kernel Density Estimates v/s Earthquake Magnitudes



#Question 1.c

```
#========
density_31_func = function () {
    c = max(k_density_1b[['y']])
    d = max(mag_vec) - min(mag_vec)
    b = c*d
    g = 1/d
    n = 31
    x = c()
    i=0
    while(i < n) {
        x0 = runif(1)*d + min(mag_vec)
        fx0 = density(mag_vec, bw="nrd", adjust=1, kernel="gaussian", n=1, from=x0, to=x0)
        if(runif(1) < fx0[['y']]/(b*g)) {
        i = i+1</pre>
```

Kernel smoothing of 31 simulated magnitudes



```
dataFrame <- rbind(dataFrame, kd 1d[['y']]);</pre>
}
x25 = c()
x975 = c()
for(i in 1:100)
  y <- dataFrame[[i]];</pre>
  x25 = c(x25, quantile(y, 0.025)[[1]])
  x975 = c(x975, quantile(y, 0.975)[[1]])
plot(c(min(mag_vec), max(mag_vec)), c(0,2), type="n", xlab="magnitude",
     ylab="Kernel density estimation",
     main="2.5th to 97.5th percentile, kernel density estimates")
points(k_density_1b[['x']], k_density_1b[['y']], type="1")
points(k_density_1b[['x']],x25,type="l",col="green")
points(k density 1b[['x']], x975, type="1", col="blue")
#Question 1.e
#========
latitude <- as.numeric(as.vector(dataMatrixE[,6]))</pre>
longitude <- as.numeric(as.vector(dataMatrixE[,7]))</pre>
bdw = sqrt(bw.nrd0(latitude)^2+bw.nrd0(longitude)^2) ## a possible default bandwidth
b1 = as.points(longitude, latitude)
bdry = matrix(c(-122,34,-122,38,-118,38,-118,34,-122,34),ncol=2,byrow=T)
z = kernel2d(b1,bdry,bdw)
par(mfrow=c(1,2))
image(z,col=gray((64:20)/64),xlab="longititude",ylab="latitude",main="Map of California")
points(b1)
map('county','California',add=T)
x4 = seq(min(z$z), max(z$z), length=100)
plot(c(0,10),c(.8*min(x4),1.2*max(x4)),type="n",axes=F,xlab="",ylab="")
image(c(-1:1),x4,matrix(rep(x4,2),ncol=100,byrow=T),add=T,col=gray((64:20)/64))
text(2,min(x4),as.character(signif(min(x4),2)),cex=1)
\text{text}(2, (\text{max}(x4) + \text{min}(x4))/2, \text{as.character}(\text{signif}((\text{max}(x4) + \text{min}(x4))/2, 2)), \text{cex}=1)
text(2, max(x4), as.character(signif(max(x4), 2)), cex=1)
mtext(s=3,l=-3,at=1,"Earthquake magnitude density (points/km^2)")
par(mfrow=c(1,1))
#Question 2.a
#========
dataLA = scan("LAhousingpricesaug2013.txt", skip=1, nlines=269, what="char")
dataMatrixLA = matrix(dataLA, ncol=9, byrow=T)
colNamesLA = scan("LAhousingpricesaug2013.txt", skip=0, nlines=1, what="char")
colnames(dataMatrixLA) = colNamesLA
Y = as.numeric(as.vector(dataMatrixLA[,3]))
X1 = as.numeric(as.vector(dataMatrixLA[,4]))
X2 = as.numeric(as.vector(dataMatrixLA[,7]))
X3 = as.numeric(as.vector(dataMatrixLA[,9]))
notNA = !is.na(Y+X1+X2+X3)
Y = Y[notNA]
X1 = X1[notNA]
X2 = X2[notNA]
X3 = X3[notNA]
```

```
df = data.frame(Y, X1, X2, X3)
#Question 2.b
#=======
fit = lm(Y \sim X1 + X2 + X3)
b1 = fit$coef[2]
#Question 2.c
#=======
i = 1
fit1 <- lm(Y \sim X1 + X2 + X3, data=df[-i,])
b minus1 = fit1$coef[2]
b = b_{minus1} - b1
#Question 2.d
#=======
b all = c()
for(i in 2:217) {
 fit_all \leftarrow lm(Y \sim X1 + X2 + X3, data=df[-i,])
 b minus = fit all$coef[2]
 b_{all}[i-1] = b_{minus} - b1
#Question 2.e
#========
b all = c(b, b all)
plot(1:217,b all,type="n",xlab="Values i from 1 to 217",ylab="b1(-i) minus
b1", main="Influences for b1")
points(b_all, col="red")
```