A Typical (supervised) ML Workflow

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Packages and setup

Use the **pacman** package that automatically loads and installs packages:

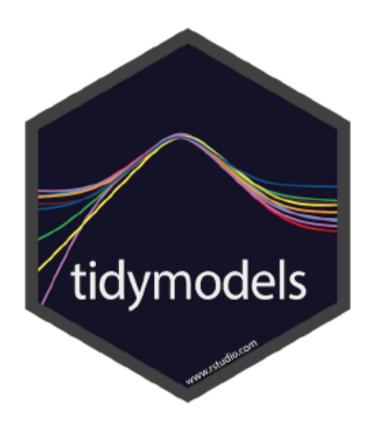
```
if (!require("pacman")) install.packages("pacman")

pacman::p_load(
    tidyverse,  # for data wrangling and visualization
    tidymodels,  # for data modeling
    tune,  # for tuning hyperparameters
    GGally,  # for pairs plot
    naniar,  # for summary statistics
    here  # for referencing folders and files
)
```

Set a theme for ggplot (Relevant only for the presentation)

```
theme_set(theme_grey(20))
```

The tidymodels package



"tidymodels is a "meta-package" for modeling and statistical analysis that share the underlying design philosophy, grammar, and data structures of the tidyverse."

Supervised ML Workflow

Step 1: Define the Prediton Task

Step 2: Explore the Data

Step 3: Set Model and Tuning Parameters

Step 4: Cross-validation

Step 5: Evaluate the Model

Step 1: Define the Prediction Task

Predicting Boston Housing Prices

We will use the BostonHousing: housing data for 506 census tracts of Boston from the 1970 census (Harrison and Rubinfeld, 1978).

- medv (target): median value of owneroccupied homes in USD 1000's.
- 1stat(predictor): percentage of lower status of the population.
- chas (predictor): Charles River dummy variable (= 1 if tract bounds river; 0 otherwise).

OBJECTIVE: Predict medv.



Source: https://www.bostonusa.com/

Load the Data

Laos the data

```
boston_raw <- read_csv(here("04-ml-workflow/data", "BostonHousing.csv"))</pre>
## Parsed with column specification:
## cols(
     crim = col_double(),
    zn = col_double(),
    indus = col_double(),
    chas = col_double(),
    nox = col_double(),
    rm = col_double(),
    age = col_double(),
    dis = col_double(),
     rad = col_double(),
    tax = col_double(),
     ptratio = col_double(),
     b = col_double(),
##
    lstat = col_double(),
     medv = col_double()
##
## )
```

What Type of Data?

We can use the glimpse() function in order to better understand the data structure:

```
glimpse(boston_raw)
## Observations: 506
## Variables: 14
## $ crim
                \square[3m\square[90m<db]>\square[39m\square[23m 0.00632, 0.02731, 0.02729, 0.03237, 0.06905, 0.02985, ...
## $ zn
                \square[3m\square[90m\triangleleftdb]\triangleright\square[39m\square[23m 18.0, 0.0, 0.0, 0.0, 0.0, 0.0, 12.5, 12.5, 12.5, 12.5, ...
## $ indus
                \square[3m\square[90m<db1>\square[39m\square[23m 2.31, 7.07, 7.07, 2.18, 2.18, 2.18, 7.87, 7.87, 7.87, ...
## $ chas
                \Box [3m\Box [90m<db1>\Box [39m\Box [23m 0.538, 0.469, 0.469, 0.458, 0.458, 0.458, 0.524, 0.524...
## $ nox
## $ rm
                \square[3m\square[90m<db1>\square[39m\square[23m 6.575, 6.421, 7.185, 6.998, 7.147, 6.430, 6.012, 6.172...
## $ age
               \square[3m\square[90m\triangleleftdbl\triangleright\square[39m\square[23m 65.2, 78.9, 61.1, 45.8, 54.2, 58.7, 66.6, 96.1, 100.0,...
## $ dis
               \square[3m\square[90m\triangleleftdbl\triangleright\square[39m\square[23m 4.0900, 4.9671, 4.9671, 6.0622, 6.0622, 6.0622, 5.5605...
               \Box[3m\Box[90m<dbl>\Box[39m\Box[23m 1, 2, 2, 3, 3, 5, 5, 5, 5, 5, 5, 5, 5, 4, 4, 4, 4, 4, ...
## $ rad
## $ tax
                \square[3m\square[90m\triangleleftdb]\triangleright\square[39m\square[23m 296, 242, 242, 222, 222, 311, 311, 311, 311, 311, ...
## $ ptratio □[3m□[90m<dbl>□[39m□[23m 15.3, 17.8, 17.8, 18.7, 18.7, 18.7, 15.2, 15.2, 15.2, ...
## $ b
                [3m][90m < db] > [39m][23m] 396.90, 396.90, 392.83, 394.63, 396.90, 394.12, 395.60...
## $ lstat
                \square[3m\square[90m\triangleleftdbl\triangleright\square[39m\square[23m 4.98, 9.14, 4.03, 2.94, 5.33, 5.21, 12.43, 19.15, 29.9...
                \square[3m\square[90m\triangleleftdbl\triangleright\square[39m\square[23m 24.0, 21.6, 34.7, 33.4, 36.2, 28.7, 22.9, 27.1, 16.5, ...
## $ medv
```

The chas variable is mostly zero \Rightarrow should be a factor.

Initial Data Filtering

Select medy and 1stat

4.98 0

1 24

2 21.6 9.14 0 ## 3 34.7 4.03 0 ## 4 33.4 2.94 0 ## 5 36.2 5.33 0 ## 6 28.7 5.21 0

```
boston <- boston_raw %>%
  as_tibble() %>%
  select(medv, lstat, chas) %>%
  mutate(chas = as_factor(chas))

head(boston)

## # A tibble: 6 x 3

## medv lstat chas

## <dbl> <dbl> <fct>
```

Step 2: Split the Data

Initial Split

We will use the initial_split(), training() and testing() functions from the rsample package to perform an initial train-test split

Set seed for reproducibility

```
set.seed(1203)
```

Initial split:

```
boston_split <- boston %>%
  initial_split(prop = 2/3, strata = medv)
boston_split
```

<338/168/506>

Prepare Training and Test Sets

medv lstat chas
<dbl> <dbl> <fct>

1 21.6 9.14 0 ## 2 16.5 29.9 0 ## 3 18.9 17.1 0 ## 4 18.9 13.3 0 ## 5 20.4 8.26 0

```
boston_train_raw <- training(boston_split)</pre>
 boston_test_raw <- testing(boston_split)</pre>
 head(boston_train_raw, 5)
## # A tibble: 5 x 3
## medv lstat chas
    <dbl> <dbl> <fct>
## 1 24 4.98 0
## 2 34.7 4.03 0
## 3 33.4 2.94 0
## 4 36.2 5.33 0
## 5 28.7 5.21 0
 head(boston_test_raw, 5)
## # A tibble: 5 x 3
```

Step 3: Explore the Data

Summary Statistics Using skimr

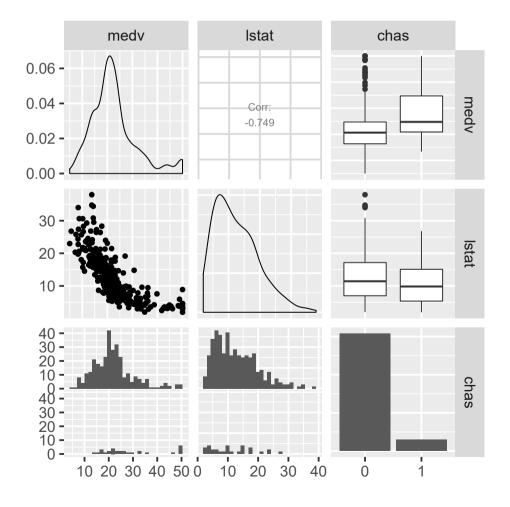
```
boston_train_raw %>%
   skim() %>% partition()
```

(Does not come out well on these slides)

Pairs Plot Using GGally

We now use a **pairs plot** which compactly plots every variable in a dataset against every other one.

boston_train_raw %>% ggpairs()



Select a Model

We choose the class of polynomial models:

$$medv_i = eta_0 + \sum_{j=1}^{\lambda} eta_j lstat_i^j + arepsilon_i$$

```
boston_train_raw %>% ggplot(aes(lstat, medv)) +
  geom_point() +
  geom_smooth(
    method = lm,
    formula = y ~ poly(x,1),
    se = FALSE,
    color = "blue"
) +
  geom_smooth(
    method = lm,
    formula = y ~ poly(x,10),
    se = FALSE,
    color = "red"
)
```

Step 4: Set Model and Tuning Parameters

Data Preprocessing using recipes

The recipes package is a great tool for data preprocessing that fits in naturally with the tidy approach to ML.

```
boston_rec <-
  recipe(medv ~ lstat + chas, data = boston_train_raw) %>%
  step_poly(lstat, degree = tune("lambda")) %>%
  step_dummy(chas)

boston_rec
```

```
## Data Recipe
##
## Inputs:
##
## role #variables
## outcome 1
## predictor 2
##
## Operations:
##
## Orthogonal polynomials on 1stat
## Dummy variables from chas
```

Set a Grid for λ

What are our tuning parameters?

```
boston_rec %>% parameters()

## Collection of 1 parameters for tuning
##

## id parameter type object class
## lambda degree nparam[+]
```

We need to tune the polynomial degree parameter (λ) when building our models on the train data. In this example, we will set the range between 1 and 8:

```
lambda_grid <- expand_grid("lambda" = 1:8)</pre>
```

Define the Model

Computational engine: lm

##

We will use the linear regression model

```
lm_mod <- linear_reg()%>%
  set_engine("lm")

lm_mod

## Linear Regression Model Specification (regression)
```

Note that there are no tuning parameters here.

Step 5: Cross-validation

Split the Training Set to 5-folds

We will use the vfold-cv() function from the rsample package to split the training set to 5-folds:

```
cv_splits <- boston_train_raw %>%
    vfold_cv(v = 5)

cv_splits

## # 5-fold cross-validation
```

```
## # 5-fold cross-validation
## # A tibble: 5 x 2
## splits id
## <named list> <chr>
## 1 <split [270/68]> Fold1
## 2 <split [270/68]> Fold2
## 3 <split [270/68]> Fold3
## 4 <split [271/67]> Fold4
## 5 <split [271/67]> Fold5
```

Estimate CV-RMSE Over the λ Grid

We now estimate the CV-RMSE for each value of λ .

```
boston_cv <- tune_grid(
  boston_rec,
  model = lm_mod,
  rs = cv_splits,
  grid = lambda_grid)

boston_cv</pre>
```

Find the Optimal λ

Let's find the top-3 performing models

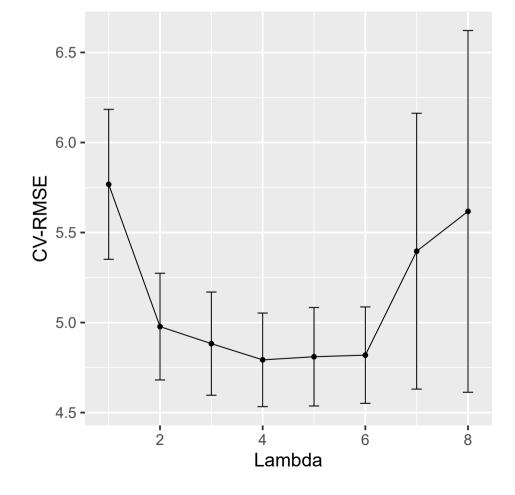
```
<int> <chr>
                 <chr>
                           <dbl> <int>
                                       <dbl>
                                    5 0.260
## 1
                            4.79
        4 rmse
                 standard
## 2
        5 rmse
               standard
                            4.81 5 0.273
## 3
                 standard
                            4.82
                                    5 0.268
        6 rmse
```

"[I]n reality there is rarely if ever a true underlying model, and even if there was a true underlying model, selecting that model will not necessarily give the best forecasts..."

- Rob J. Hyndman

And Now Using a Graph

```
rmse_vals %>%
  ggplot(aes(x = lambda, y = mean)) +
  geom_point() +
  geom_line() +
  geom_errorbar(
    aes(ymin = mean - std_err, ymax = mean + std_err
    width = 0.2
) +
  labs(y = "CV-RMSE",
    x = "Lambda")
```



Step 6: Evaluate the Model

Use the Test Set to Evaluate the Best Model

Prepare a recipe with the optimal $\lambda=4$

```
boston_prep <-
  recipe(medv ~ lstat + chas, data = boston_train_raw) %>%
  step_poly(lstat, degree = 4) %>%
  step_dummy(chas) %>%
  prep()
```

Apply the Recipe to the Training and Test Sets

juice() applies the recipe to the training set and bake() to the test set.

-0.0214

-0.0940

-0.0515

```
boston_train <- boston_prep %>%
  juice()

boston_test <- boston_prep %>%
  bake(new_data = boston_test_raw)
```

For example, let's take a look at the training set:

0.0449

0.0851

0.0627

-0.0586

-0.0744

-0.0660

1 24

2 34.7

3 33.4

```
head(boston_train, 3)

## # A tibble: 3 x 6

## medv lstat_poly_1 lstat_poly_2 lstat_poly_3 lstat_poly_4 chas_X1

## <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> </dbl>
```

0.0283

-0.00896

0.0917

Fit the Model to the Training Set

Fit the optimal model $(\lambda = 4)$) to the training set:

```
boston_fit <- lm_mod %>%
  fit(medv ~ ., data = boston_train)
```

Here are the estimated coefficients:

```
<chr>
                 < db1>
                         <dbl>
                                  < db1 >
                                          <dbl>
## 1 (Intercept) 22.1
                         0.272
                                81.3 3.10e-221
## 2 lstat_poly_1 -123. 4.78 -25.8 3.59e- 81
## 3 lstat_poly_2
                 53.3
                     4.78 11.1 9.85e- 25
               -20.1 4.80 -4.19 3.59e- 5
## 4 lstat_poly_3
                 20.3 4.79 4.24 2.94e- 5
## 5 lstat_poly_4
## 6 chas_X1
                 4.76
                         0.924
                                  5.15 4.43e- 7
```

Make Predictions Using the Test Set

Create a tibble with the predictions and ground-truth

```
boston_pred <- boston_fit %>%
    predict(new_data = boston_test) %>%
    bind_cols(boston_test) %>%
    select(medv, .pred)

head(boston_pred)

## # A tibble: 6 x 2
## medv .pred
## <dbl> <dbl> ## 1 21.6 22.9
## 2 16.5 9.80
## 3 18.9 16.6
## 4 18.9 18.7
## 5 20.4 24.3
```

Note that this is the first time we make use of the test set!

6 18.2 21.4

Test-RMSE

<chr>

1 rmse

<chr>

standard

Calculate the test root mean square error (test-RMSE):

<dbl>

5.94

```
boston_pred %>%
  rmse(medv, .pred)

## # A tibble: 1 x 3
## .metric .estimate
```

The above is a measure of our model's performance on "general" data.

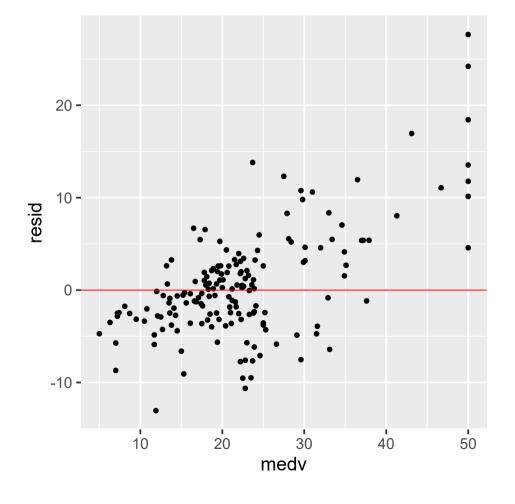
NOTE: the test set RMSE estimates the expected squared prediction error on unseen data *given* the best model.

Always plot your prediction errors

Plotting the prediction errors $(y_i - \hat{y}_i)$ vs. the target provides valuable information about prediction quality.

```
boston_pred %>%
  mutate(resid = medv - .pred) %>%
  ggplot(aes(medv, resid)) +
  geom_point() +
  geom_hline(yintercept = 0, color = "red")
```

For example, our predictions for high-end levels of medv are extremely biased ⇒ there's room for improvement...



slides::end()

Source code