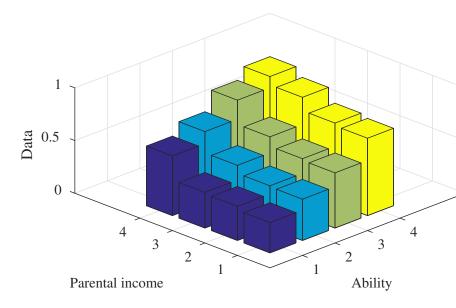
The Changing Roles of Family Income and Academic Ability for US College Attendance

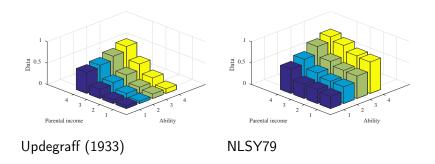
Lutz Hendricks (UNC) Chris Herrington (VCU) Todd Schoellman (ASU)

April 27, 2017

College Entry Rates: NLSY79



Reversal in College Entry Rates



Before about 1950: **family background** was the main determinant of college entry.

After about 1960: student ability was the main determinant.

Contributions

Empirical:

- Document the reversal
- Compile roughly 40 historical data sources on college-going behavior
- **▶** 1919--1979

Model:

- "national integration" of the market for colleges (Hoxby)
- decline in search costs generates the reversal

Data Sources

Collect studies and datasets that cover college attendance by student ability and/or family background

Sources span 1919 to 1979 HS graduating cohorts.

Modern era (1960--date)

- Access to original microdata
- Project Talent, NLSY79, NLSY97

Pre-modern era (1919--1960)

- No original microdata, rely on published summaries
- More than two dozen such studies by researchers in many fields.

A Typical Study

Updegraff (1936)

- sample: 15% of Pennsylvania high school seniors in 1933 who participated in an IQ test
- family background: socioeconomic status
- follow-up 1 year later: college entry status

Student ability measured by

- standardized test scores (IQ tests)
- sometimes class rank

Family background measured by:

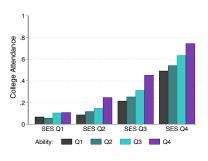
- parental income
- socioeconomic status

Documenting the Reversal

Our strategy:

- focus on 3 main studies:
 - ► Updegraff (1933)
 - Project Talent (1960)
 - ► NLSY79 (1979)
- show that the reversal is essentially complete by 1960
- show that the 3 studies represent a broader trend
- address comparability concerns

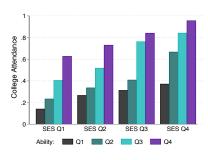
The Reversal: 1933 vs 1960



Updegraff (1933)

Project Talent (1960)

1960 vs 1979





Project Talent (1960)

NLSY79 (1979)

Supplementary Evidence: Historical Studies

Argue that the 3 main studies are not outliers

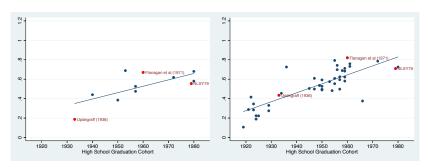
Obtain college entry rates from about 30 historical studies

- ightharpoonup C(a); C(p); or C(a,p)
- ▶ a and p are midpoints of percentile ranges

Regress C on a, p, or both

- ▶ Report β_a , β_p
- Study time series

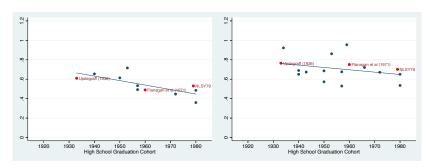
Academic Ability: β_a



Bivariates studies C(a,p)

Univariate studies C(a)

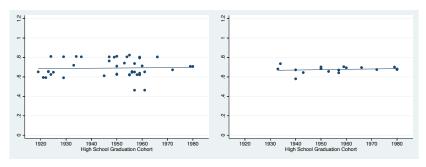
Family Background: β_p



Bivariates studies C(a,p)

Univariate studies C(p)

NLSY79 Replication of Univariate Studies



Academic ability (β_a)

Family income (β_p)

Data Summary

Reversal in college entry patterns:

- early: family background dominates
- late: student ability dominates
- the reversal occurs roughly during the 1950s

The 3 main studies we focus on are representative of a broader trend.

Model

National integration of college market (Hoxby, 2009)

1930s: market was local

- Idiosyncratic admissions based on local networks.
- Little differentiation in colleges. Single applications is the norm.

1960s: market was national

- Standardized admissions with information dissemination.
- Growing differentiation among colleges. Multiple applications is the norm.

Our approach: model with college search costs.

 abstract from changes in college financing (took place after 1960)

Model Overview

Framework: islands model of college choice

Each island is inhabited by

- ▶ 1 college
- measure 1 of HS grads

Colleges choose admissions criteria to maximize objective **Students** choose whether to work, attend local college, or search

Colleges

College *i* is endowed with

- endowment \bar{q}_i ,
- capacity E

College quality depends on average student ability: $q_{it} = \bar{q}_i + \bar{a}_{it}$

quality determines how much students learn

Colleges

College i chooses an admission cutoff \underline{a}_{it} to solve

$$\max P(q_{it}, e_{it}) = q_{it}e_{it} \quad \text{s.t.} \quad e_{it} \le E$$
 (1)

Higher cutoff:

- Weakly lowers enrollment eit
- Weakly increases quality

No pricing decisions (for now).

Students

New high school graduates endowed with

- ▶ location i
- $ightharpoonup (a,p) \sim F$

Choose among three options

- ▶ Work as **HSG**, value $V_{HS} = 0$
- ▶ Attend **local** college: V(a,p,i,t)
- **Search** nationally for college: W(a,p,i,t)

$$\max \left\{ V_{HS}(t) + \bar{\eta} \eta_{HS}, V(a, p, i, t) + \bar{\eta} \eta_{V}, W(a, p, i, t) + \bar{\eta} \eta_{W} \right\}$$

Attending Local College

Students can attend local college if $a \ge \underline{a}_{it}$ If so:

- Live off family resources p for four years
- Generate human capital $h(a, q_{it}) = a^{q_{it}}$.
- ▶ Work and earn *h* after graduation
- ▶ Enjoy flow value $V_c(t)$.

Implies the value function:

$$V(a,p,i,t) = \log(p) + \alpha \log[h(a,q_{it})] + V_c(t)$$
(2)

Searching Nationally

Students can pay cost $\xi(t)$ to search among all colleges

- $\xi(t)$ lowers consumption in college
- Allows students to attend best college they can be admitted to.

Implies the value function:

$$W(a,p,i,t) = \mathbb{E}\left\{\max_{j:\underline{a}_{jt} \leq a} V(a,p-\xi(t),j,t) + \bar{\zeta}\zeta_{j}\right\}$$

Equilibrium

Equilibrium: \underline{a}_{it} and decision rule d(a,p,i,t) such that:

- 1. Colleges maximize prestige, subject to capacity constraint.
- 2. Students maximize utility, subject to admissions criteria.
- 3. Enrollment is consistent with student attendance decisions.

Generally, equilibrium is not unique.

Strategic complementarities induced by peer effects.

Algorithm

We focus on the equilibrium produced by the following algorithm:

- 1. Guess college qualities q_{it}
- 2. Calculate student values (local and search).
- Assign students to colleges. Working from the highest ability down:
 - 3.1 Assign student to most preferred remaining college or work.
 - 3.2 Reduce college capacity as needed.
- 4. Compare implied q_{it} to guess. Iterate if necessary.

Calibration

Choose 11 parameters

- ▶ F(a,p) is Gaussian copula on $[a_0,a_0+1] \times [p_0,p_0+1]$, correlation ρ .
- College capacity E
- Weight on post-college consumption α .
- Preference shocks: scale $\bar{\zeta}, \bar{\eta}$.
- ▶ Time-varying: college value $V_c(t)$ and search cost $\xi(t)$.

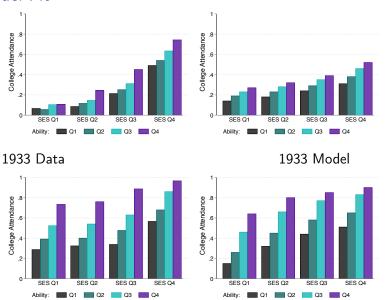
Data moments: for 1933, 1979

- ▶ College entry rates: C(a,p)
- Search: fraction with multiple applications
- ▶ 34 moments

Calibrated Parameters

| | Description | Value |
|--------------------------|--|----------------|
| Endowments | | |
| a_0 | Ability scale factor | 1.6 |
| p_0 | Transfer scale factor | 1.43 |
| ρ | Endowment correlation | 0.464 |
| δ | Dispersion of college endowments | 0.0211 |
| Colleges | | |
| α | Weight on post college payoffs | 2.42 |
| \boldsymbol{E} | College capacity | 1.18 |
| Preferences | | |
| $V_c(t)$ | Relative value of college | (-2.46, -1.61) |
| $\xi(t)$ | Search cost | (1.91, 1.45) |
| $rac{\xi(t)}{ar{\eta}}$ | Scale of taste shocks at college entry | 0.673 |
| $ar{\eta}$ | Scale of taste shocks when searching | 0.37 |

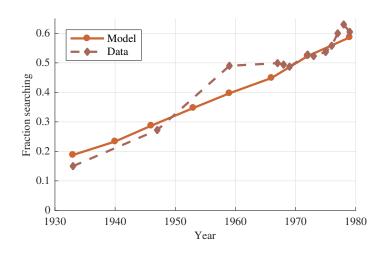
Model Fit



1979 Data 1979 Model

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Fraction of Students Searching



Model Mechanics

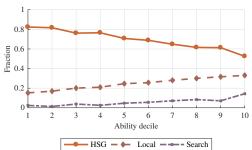
1933:

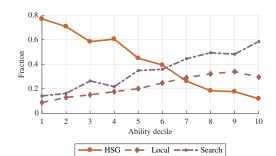
- ▶ high search cost ⇒ most students stay local
- very little quality variation across colleges
- little incentive to search

1979:

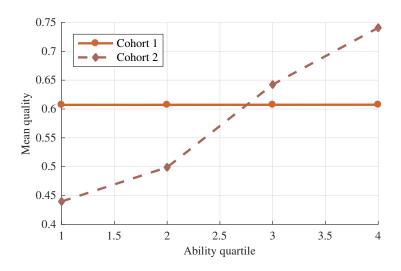
- more students search
- college quality matters most for high ability students
- high ability most likely to search and attend high quality colleges

Ability Sorting: 1933 vs 1979

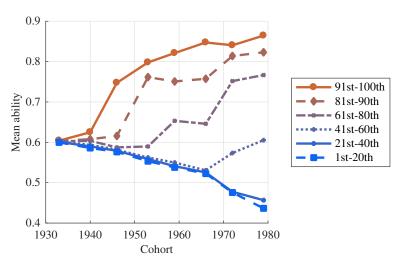




Ability Sorting: 1933 vs 1979



College Selectivity



Consistent with Hoxby (2009)

Results Summary

Model generates change in sorting patterns with two driving forces

Quantitatively significant reversal

Key mechanism: search \rightarrow sorting \rightarrow available college options

- Increase in search consistent with the data
- ► "Fanning out" of colleges by student ability from Hoxby (2009)
 - ► Hoxby: Spread increases from 40 to 70pp, 1962—today
 - Our model: spread increases from 0 to 40pp, 1933–1979

Conclusion

Empirical: Reversal in college attendance patterns around 1950s

Model: decline in search costs can account for

- "national integration" of the market for colleges (more search)
- increasing stratification of college qualities
- the reversal