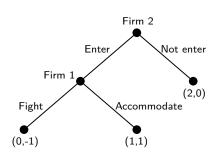
Consider the following dynamic game: firm 1 owns a shop in town A. Firm 2 decides whether to enter the market in town A. If firm 2 enters, firm 1 chooses whether to fight or accommodate the entrant. If firm 2 does not enter, firm 1 receives a profit of 2 and firm 2 gets 0. If firm 2 enters and firm 1 accommodates. they share the market and each of them receives a profit of 1. If firm 2 enters and firm 1 decides to fight, firm 2 suffers a loss of 1 (so that the payoff is -1), but fighting is costly for firm 1, lowering its payoff to 0.

- (a) Draw the game tree.
- (b) Solve the game by backwards induction.

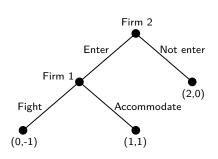
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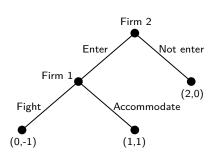
Starting from the bottom: If Firm 2 has entered the market in the  $1^{\rm st}$  round, then Firm 1 can choose to either fight or accommodate in the  $2^{\rm nd}$  round.



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Starting from the bottom: If Firm 2 has entered the market in the  $1^{st}$  round, then Firm 1 can choose to either fight or accommodate in the  $2^{nd}$  round.

Firm 1 will always accommodate, as it is more costly to fight (1 > 0).



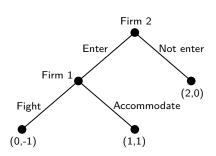
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Knowing that Firm 1 is rational and will accommodate in the  $2^{nd}$  round, Firm 2 (first mover), will always chose to enter in the  $1^{st}$  round (1>0), i.e. the backwards induction solution is the strategy profile:

$$(s_1, s_2) = (Accommodate, Enter)$$



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**Intuition:** Firm 2 has *first mover* advantage, thus, to "Fight" would not be a credible threat given Firm 1 is rational. I.e. Firm 2's decision can be reduced to the upper part of the game tree.

