Stat 133 HW3: Flow Control Structures and Functions with R Instructor: Gaston Sanchez

Introduction

This assignment has two purposes:

- a) to familiarize you with control flow structures in R
- b) to introduce you to writing functions in R

Submit your assignment to be be specifically turn in your **Rmd** (R markdown) file as well as the produced pdf file. Make sure to change the argument eval=TRUE inside every code chunk.

Arithmetic average with loops

R provides the function mean() that can be applied to calculate the arithmetic mean (i.e. average) of a numeric vector. Here's the formula of the average for a vector $x = (x_1, x_2, \dots, x_n)$

$$\bar{x} = \frac{1}{n} \sum_{i=1}^{n} x_i$$

Use the three types of loops—for, repeat, while—to get the average of the numeric vector x <-1:10

```
# your for loop

# your repeat loop

# your while loop
#
```

Area of a circle

For a given circle of radius r, the area A is:

$$A=\pi r^2$$

Write a function circle_area() that calculates the area of a circle. This function must take one argument radius. Give radius a default value of 1.

For example:

```
# default (radius 1)
circle_area()

## [1] 3.141593

# radius 3
circle_area(radius = 3)
```

[1] 28.27433

Area of a cylinder

For a given cylinder of radius r and height h the area A is:

$$A = 2\pi rh + 2\pi r^2$$

Notice that the formula of the area of a cylinder includes the area of a circle: πr^2 . Write a function cyl_area(), that calls circle_area(), to compute the area of a cylinder. This function must take two arguments: radius and height. Give both arguments a default value of 1.

For instance:

```
# default (radius 1, height 1)
cyl_area()

## [1] 12.56637

# radius 2, height 3
cyl_area(radius = 2, height = 3)
```

Volume of a cylinder

[1] 62.83185

For a given cylinder of radius r and height h the volume V is:

$$V = \pi r^2 h$$

Write a function cyl_volume(), that calls circle_area(), to compute the volume of a cylinder. This function must take two arguments: radius and height. Give both arguments a default value of 1.

For example:

```
# default (radius 1, height 1)
cyl_volume()
```

[1] 3.141593

```
cyl_volume(radius = 3, height = 10)

## [1] 282.7433

cyl_volume(height = 10, radius = 3)

## [1] 282.7433
```

Even number

Write a function is_even() that determines whether a number is even (i.e. multiple of 2). If the inpute number is even, the output should be TRUE. If the input number is odd, the output should be FALSE. If the input is not a number, the output should be NA

For example:

```
# even number
is_even(10)

## [1] TRUE

# odd number
is_even(33)

## [1] FALSE

# not a number
is_even('a')

## [1] NA
```

Odd number

Use your function is_even() to write a function is_odd() that determines if a number is odd (i.e. not a multiple of 2). If a number is odd, the output should be TRUE; if a number is even the output should be FALSE; if the input is not a number the output should be NA

For example:

```
# odd number
is_odd(1)

## [1] TRUE

# even number
is_odd(4)

## [1] FALSE
```

```
# not a number
is_odd('a')
## [1] NA
```

Quadratic Formula

One way to find the real roots of a 2nd degree polynomial, $ax^2 + bx + c$, is by using the famous quadratic equation:

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

Write a function quadratic() that solves the quadratic equation. It should take three arguments: a, b, c corresponding to the coefficients of the polynomial. Give default values a=1, b=1, c=0. The output must be a list with two elements \$sol1 and \$sol2 containing the two roots:

For example:

```
# default
quadratic(a = 1, b = 1, c = 0)

## $sol1
## [1] 0
##
## $sol2
## [1] -1

# x 2 + 2b - 2
quadratic(c = -2, b = 2, a = 1)

## $sol1
## [1] 0.7320508
##
## $sol2
## [1] -2.732051
```

Not all polynomials of 2nd degree have real roots—some may have complex roots. For example, if you apply quadratic() to solve $x^2 + 2x + 2$, you should get the following result:

```
quadratic(a = 1, b = 2, c = 2)

## Warning in sqrt(b^2 - 4 * a * c): NaNs produced

## $sol1
## [1] NaN
##
## $sol2
## [1] NaN
```

In order to limit the results to just real roots, it would be nice to have a function that indicates that there are no real roots. Use your quadratic() function to write a function find_roots() that either: a) finds the real roots, or b) returns a message "No real roots" if there are no real roots

For example:

```
find_roots(a = 1, b = -1, c = -2)

## $sol1
## [1] 2
##
## $sol2
## [1] -1

find_roots(a = 1, b = 2, c = 2)

## [1] "No real roots"
```

Converting Miles to other units

The table below shows the different formulas for converting miles (mi) into other scales:

Units	Formula
Inches	mi x 63360
Feet	$mi \times 5280$
Yards	$mi \times 1760$
Meters	$\min / 0.00062137$
Kms	$\mathrm{mi}\ /\ 0.62137$

Write the following five functions for each type of conversion. Each function must take one argument x with default value: x = 1.

- miles2inches()
- miles2feet()
- miles2yards()
- miles2meters()
- miles2kms()

For example:

```
miles2inches(2)

## [1] 126720

miles2feet(2)

## [1] 10560
```

```
miles2yards(2)

## [1] 3520

miles2meters(2)

## [1] 3218.694

miles2kms(2)

## [1] 3.218694
```

Using switch()

Create a function convert() that converts miles into the specified units. Use switch() and the previously defined functions—miles2inches(), miles2feet(), ..., miles2kms—to define convert(). Use two arguments: x and to, like this:

```
convert(40, to = "in")
```

By default, to = "km", but it can take values such as "in", "ft", "yd", or "m".

For instance:

```
convert(3, "in")
convert(3, "ft")
convert(3, "yd")
convert(3, "m")
convert(3, "km")
```

Create your histogram plotting function

Write a function histogram() that plots a histogram with added vertical lines for the following summary statistics: minimum value, median, mean, and maximum value. The main idea is to wrap the high-level function hist() and then plot the lines with a low-level plotting function.

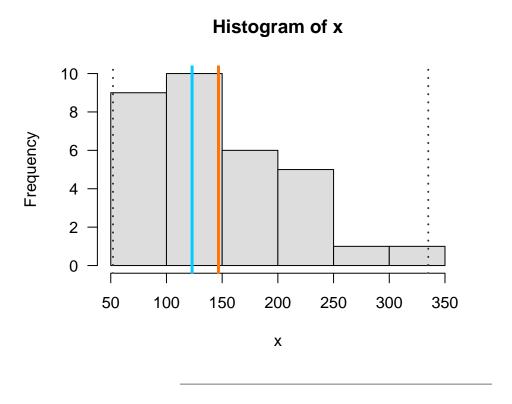
Define your function with the following requirements:

- bars of histogram colored in "#DDDDDD"
- line of minimum value in color "#333333", and dotted type
- line of maximum value in color "#333333", and dotted type
- line of median value in color "#00CCFF"
- line of mean value in color "#FF7502"
- max and min lines with a width of 2
- median and mean lines with a width of 3

• axis tick labels in horizontal orientation

For instance:

histogram(mtcars\$hp)



Frequency Table

Write a function freq_table() that takes a factor and generates a frequency table with 5 columns:

- 1) category: the levels of the factor
- 2) frequency: absolute frequency
- 3) proportion: relative frequency (round to four decimal digits)
- 4) cumfreq: cumulative absolute frequency
- 5) cumprop: cumulative relative frequency (round to four decimal digits)

 $freq_table()$ must have two arguments: x and decreasing. The argument x is the provided factor. The argument decreasing indicates whether to return the results of the table in decreasing or increasing order. Give decreasing a default value of NULL.

By default decreasing = NULL means that the table is returned as is. decreasing = TRUE indicates that the results are displayed by frequency in decreasing order; decreasing = FALSE indicates that the results are displayed by frequency in increasing order. Make sure that the input is a factor (otherwise the function should convert the input into factor). Likewise, the output should be in data.frame format.

Here's an example of how the output should look like:

```
# some factor
set.seed(13)
sizes <- factor(</pre>
 sample(c('small', 'medium', 'large'), size = 90, replace = TRUE)
# frequency table (default)
freq_table(sizes)
## category frequency proportion cumfreq cumprop
## 1
      large 23 0.2556 23 0.2556
## 2 medium
                                 63 0.7000
                  40
                        0.4444
## 3
    small
                 27
                        0.3000
                                 90 1.0000
# frequencies in decreasing order
freq_table(sizes, decreasing = TRUE)
   category frequency proportion cumfreq cumprop
## 1 medium 40 0.4444 40 0.4444
                  27
                                  67 0.7444
## 2
     small
                        0.3000
## 3
                  23
                        0.2556
                                  90 1.0000
      large
# frequencies in increasing order
freq_table(sizes, decreasing = FALSE)
##
   category frequency proportion cumfreq cumprop
      large 23 0.2556 23 0.2556
## 1
## 2
      small
                27
                       0.3000
                                  50 0.5556
                27 0.3000
40 0.4444
## 3 medium
                                 90 1.0000
```