

# COMP20005 Workshop Week 5

- 1 Functions. Discuss: Ex. 5.01 5.02, 5.03, 5.05
- 2 (time permitted) Recursive Functions, Ex 5.13
- 3 implement 5.05, 5.06, 5.14
- 4 

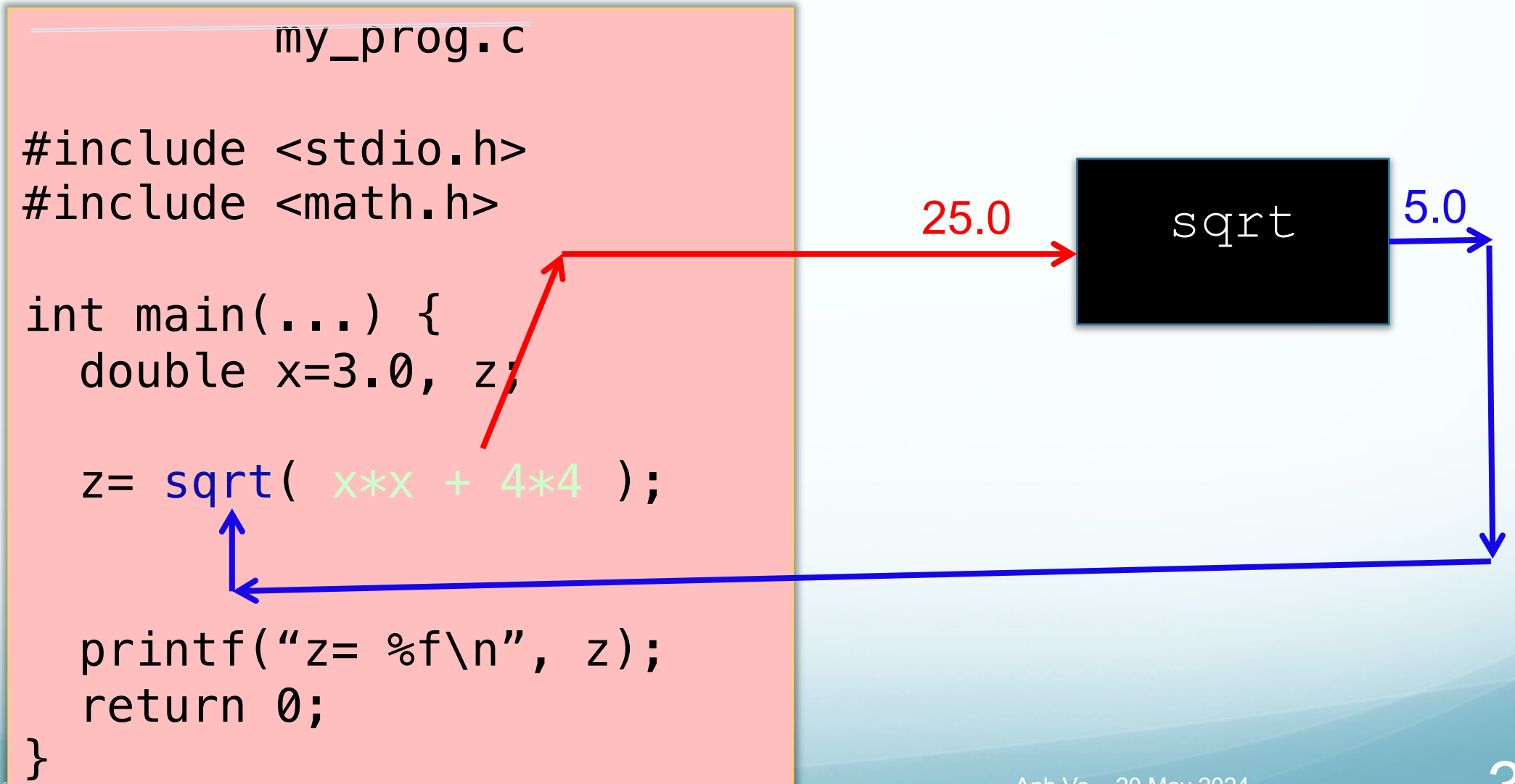
```
while (having_time()){  
    review/ask questions on MST  
    implement("a new exercise from grok C05");  
}
```

# Functions

$x = 2.0$ , need to print out  $\sqrt{x}$

How?

# (Library) functions are black boxes



## Last week solution

```
... scanf("%d", &n) ...  
while (1) {  
    n++;
```

*input:*

**n**

```
int isprime = 1, div;  
for (div = 2; div * div <= n; div++) {  
    if (n % div == 0) {  
        isprime = 0;  
        break;  
    }  
}  
// - if isprime == 1 → prime  
// - if isprime == 0 → not prime
```

*output:*

**isprime**

```
if (isprime) {  
    break;  
}  
}  
printf("next prime= %d\n", n);
```

## Functions - Useful Abstraction

Exercise 4.09: Write a program nextprime that calculates the *next* prime number after a given value.

Alistair's code  
for checking if n  
is a prime  
number

## Last week solution

```
... scanf("%d", &n) ...  
while (1) {  
    n++;
```

*input:*

**n**

```
int isprime = 1, div;  
for (div = 2; div * div <= n; ...  
    if (n % div == 0) {  
        isprime = 0;  
        break;  
    }  
}  
// - if isprime == 1 → prime  
// - if isprime == 0 → not prime
```

*output:*

**isprime**

```
if (isprime) {  
    break;  
}  
}  
printf("next prime= %d\n", n);
```

## Using a Function as an Abstraction

```
... scanf("%d", &n) ...  
while (1) {  
    n++;  
    if (is_prime_number(n)) {  
        break;  
    }  
}  
printf("next prime= %d\n", n);  
return 0;  
}
```

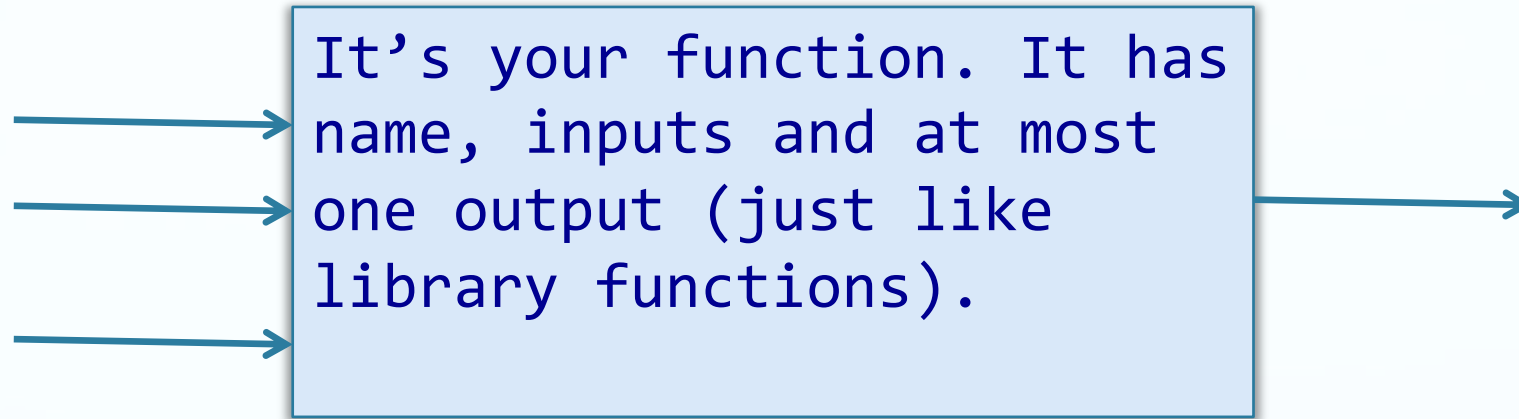
```
int is_prime_number(int n) {
```

```
    int isprime = 1, div;  
    for (div = 2; div * div <= n; div++){  
        if (n % div == 0) {  
            isprime = 0;  
            break;  
        }  
    }
```

```
    return isprime;
```

```
}
```

# How to write our own *functions*



# User-defined functions & program structure

my\_prog.c

```
#include <stdio.h>
int square(int); // function prototype

int main(int argc, char *argv[]) {
    int k= 3;
    printf("k = %d\n", k);
    printf("(k+1)^2 = %d\n", square(k+1) );

    return 0;
}

// input: n
// output: n^2
int square( int k ) {
    return k*k;
}
```

The diagram illustrates the execution flow between the `main` function and the `square` function. A blue arrow points from the `square(k+1)` call in `main` to the `square` function definition. A yellow circle with the number '4' is placed on this blue arrow. A red arrow points from the `return k*k;` line in the `square` function back to the `square(k+1)` call in `main`. A yellow circle with the number '16' is placed on this red arrow. Additionally, a red arrow points from the `square(k+1)` call to a point above the `printf` statement, and another red arrow points from that point back to the `square(k+1)` call, forming a loop.

# how to write a function

First, write the function header, therefore determine:

`int`



`square`



`( int n )`



data type of function  
result

name of the function

list of inputs, for each:

- name
- data type

Then, design the algorithm and write the function body: use the *inputs*, compute and *return* the result.



## my\_program.c

#include & #define  
function prototypes

main() function –start

-end

```
#include ...  
int factorial( int ) ;
```

```
int main(int argc, char *argv[]) {  
    int n;  
    ... // including scanf/set value for n  
    printf( "%d! = %d\n", n, factorial(n));  
    ...  
    return 0;  
}
```

implementation of  
declared functions

```
int factorial( int k ) {  
    ...  
    return ...;  
}
```

# Do-Together Ex 5.01, 5.02, 5.03

For each task, spend a few minutes *before writing* to discuss with your peers:

- **WHAT** are possible approach(es)?
- **WHICH APPROACH** is simpler for us to write?

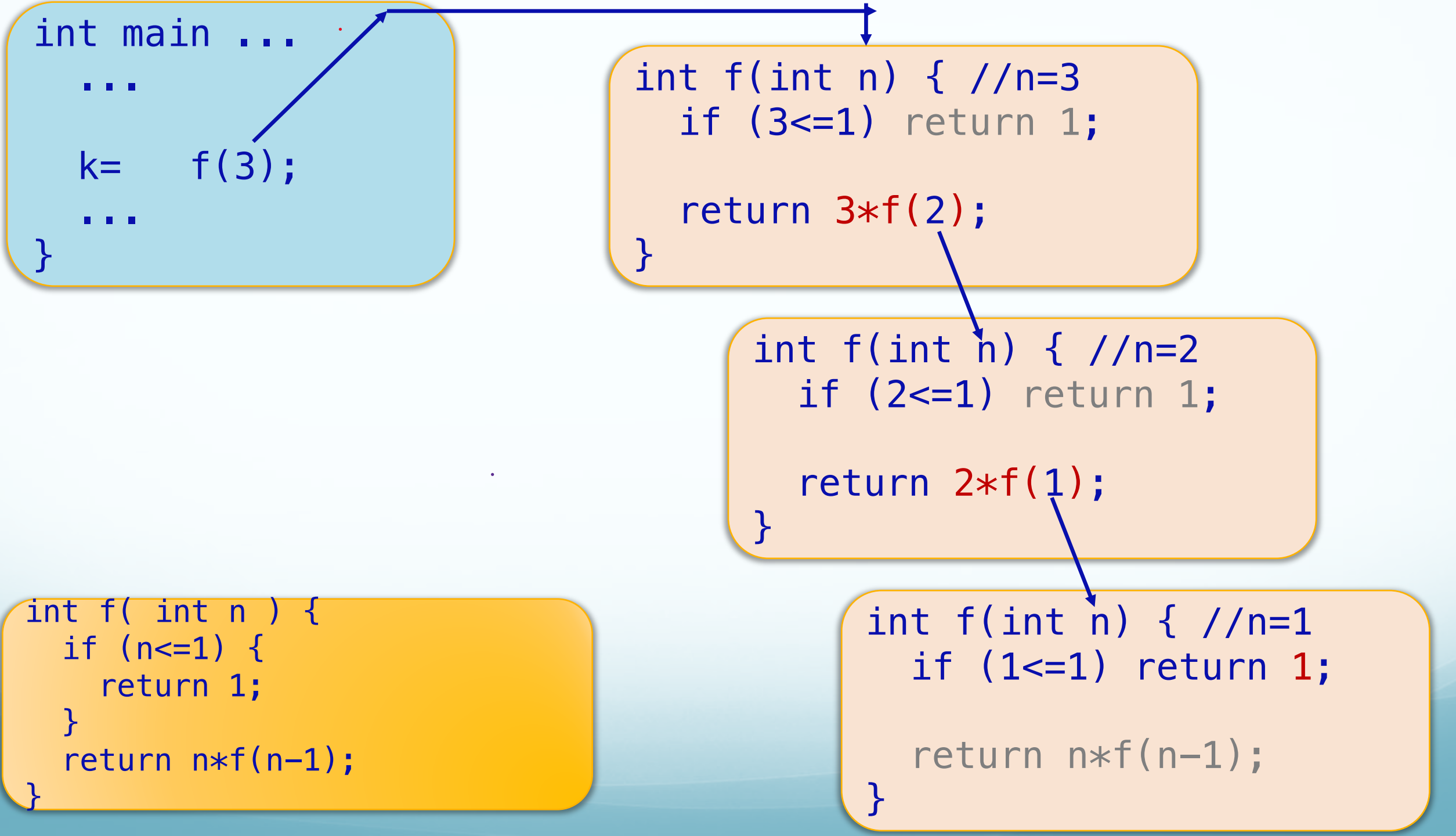
# Recursive functions [time permits]

Recursive function: function that calls itself

```
int fib( int n ) {  
    if (n==1) return 1;  
    if (n==2) return 1;  
    return fib(n-1) + fib(n-2);  
}
```

```
int factorial( int n ) {  
    if (n==1) {  
        return 1;  
    }  
    return n * factorial(n-1);  
}
```

```
int main ...  
...  
k = f(3);  
...  
}
```



```
int f(int n) { //n=3  
    if (3<=1) return 1;  
  
    return 3*f(2);  
}
```

```
int f(int n) { //n=2  
    if (2<=1) return 1;  
  
    return 2*f(1);  
}
```

```
int f( int n ) {  
    if (n<=1) {  
        return 1;  
    }  
    return n*f(n-1);  
}
```

```
int f(int n) { //n=1  
    if (1<=1) return 1;  
  
    return n*f(n-1);  
}
```

```
int main ...
```

```
...
```

```
k= f(3);  
// k is 6
```

```
}
```

```
int f(int n) {  
    if (2<=1) return 1;
```

```
    return 3* f(2);
```

```
}
```

```
int f(int n) {  
    if (2<=1) return 1;
```

```
    return 2* f(1);
```

```
}
```

```
int f( int n ) {  
    if (n) {  
        return 1;  
    }  
    return n*factotial(n-1);  
}
```

```
int f(int n) {  
    if (1<=1) return 1;  
    return n*f(n-1);  
}
```

# Recursive functions: How

- reduce the task of size  $n$  to the same tasks of smaller sizes
- clearly describe **the base cases** where the solutions are trivial
- when writing code, start with solving **the base cases** first

Examples: factorial ( $n$ ):

- base case: when  $n==1$  the solution is 1
- general case: factorial( $n$ ) can be computed from factorial( $n-1$ )

```
int factorial( int n ) {  
    if (n==1) { // base case  
        return 1;  
    }  
    // general case [note: else is normally not needed]  
    return factorial(n-1)*n;  
}
```

- **Do-Together Exercise 5.13**

- Implement 5.05 and 5.06
- Extras: 5.11, 5.6b, 5.14, and other exercises in C05

For each task, spend a few minutes *before writing* to discuss with your peers:

- **WHAT** are possible approach(es)?
- **WHICH APPROACH** is simpler for us to write?

- **Week 6 Workshop:**
  - Review for MST & Ask Questions
  - Try sample tests several times before the workshop

## 5.05 & 5.06

**5.05:** A number is perfect if it equal to the sum of its factors, excluding itself. An example is 6 ( $=1+2+3$ ).

- Write function `int isperfect(int)` that returns true if its argument is a perfect number, and false otherwise.

- Write function `int nextperfect(int)` that returns the next perfect number greater than its argument.

You need a `main()` function that reads a number. If the number is perfect, print out it; if not, print out the next perfect number.

**WARNING:** the first 6 perfect numbers are

6, 28, 496, 8 128, 33 550 336, 8 589 869 056

**5.06:** Two numbers are an amicable pair if their factors (excluding themselves) add up to each other. The first such pair is 220, which has the factors [1, 2, 4, 5, 10, 11, 20, 22, 44, 55, 110], adding to 284; and 284, which has the factors [1, 2, 4, 71, 142], the sum of which is 220. The next pairs are 1,184 and 1,210; and then 2,620 and 2,924.

Write a function that takes two `int` arguments and return true if they are an amicable pair. Then, test your function by writing a simple main program that inputs 2 integers and prints out if they are an amicable pair.



# Remember

Review chapters 1-5 for the MST:

- program structures, data types, expression, precedence order
- `scanf` and `printf`
- `if ...`
- loops: `for ...` , `while ...`
- functions, recursive functions
- others, better not to use: `switch ...` , `do ... while`