

Magic Sum of Divisors

JAVA Solution: (<https://leetcode.com/problems/four-divisors/discuss/659702/JAVA-or-Clean-Code-Solution>)

```
class Solution {

    int number = 1, sum = 1;

    private void divisor(int n) {

        for(int i = 2; i * i <= n; i++) {

            if(n % i == 0) {

                sum += i;

                if(n / i == i) ++number;

                else {

                    sum += n / i;

                    number += 2;

                }

            }

            if(number > 4) break;

        }

    }

    public int sumFourDivisors(int[] nums) {

        int finalSum = 0;

        HashMap<Integer, Integer> map = new HashMap<Integer, Integer>();

        for(int i = 0; i < nums.length; i++) {

            number = 2;

            sum = nums[i] + 1;

        }

    }

}
```

```

        if(!map.containsKey(nums[i])) divisor(nums[i]);

        if(map.containsKey(nums[i]) || number == 4) {

            if(!map.containsKey(nums[i])) map.put(nums[i], sum);

            finalSum += map.get(nums[i]);

        }

    }

    return finalSum;

}
}

```

CPP Solution:

Traverse all numbers in the array one by one and check if any number has exactly 4 divisors . If any number exists add the sum of factors of those numbers into the final result. Do this for all the numbers.

CODE:

```

#include <bits/stdc++.h>

using namespace std;

int getDivisorSum(int num){

    int sum = 0;
    int count = 0;
    int sq = sqrt(num);
    for (int i = 1; i <= sq; i++){
        if (num % i == 0){
            sum += i;
            count++;
            if (i*i != num){
                sum += (num/i);
                count++;
            }
        }
        if (count > 4){
            break;
        }
    }
    if (count == 4){
        return sum;
    }
}

```

```

        } else {
            return 0;
        }
    }

int sumFourDivisors(vector<int>& nums) {

    int sum = 0;
    for (auto& num : nums){
        sum += getDivisorSum(num);
    }
    return sum;
}

int main() {

    int n;
    cin>>n;
    vector<int> v(n);
    for(int i=0;i<n;i++){
        cin>>v[i];
    }
    cout<<sumFourDivisors(v);
}

```

Time Complexity : $O(N \sqrt{m})$.

Fractional Problem

JAVA Solution: (<https://leetcode.com/problems/simplified-fractions/discuss/659712/JAVA-or-Clean-Code-or-GCD-Method>)

```
class Solution {  
  
    private int gcd(int a, int b) {  
        if(a == 0) return b;  
        return gcd(b % a, a);  
    }  
  
    public List<String> simplifiedFractions(int n) {  
        List<String> ans = new LinkedList<>();  
        for(int i = 1; i < n; i++)  
            for(int j = i + 1; j <= n; j++)  
                if(gcd(i, j) == 1) ans.add(i + "/" + j);  
        return ans;  
    }  
}
```

CPP Solution:

Using gcd we can approach the problem

```
class Solution {  
  
    private int gcd(int a, int b) {  
        if(a == 0) return b;  
        return gcd(b % a, a);  
    }  
  
    public List<String> simplifiedFractions(int n) {  
        List<String> ans = new LinkedList<>();  
        for(int i = 1; i < n; i++)  
            for(int j = i + 1; j <= n; j++)  
                if(gcd(i, j) == 1) ans.add(i + "/" + j);  
        return ans;  
    }  
}
```

Counting Ending 0's

JAVA Solution: (<https://leetcode.com/problems/factorial-trailing-zeroes/discuss/659737/JAVA-or-Clean-Code-Solution-or-Easy-To-Understand>)

```
class Solution {  
    public int trailingZeroes(int n) {  
        int trailingZeroes = 0;  
        while(n >= 5) {  
            n /= 5;  
            trailingZeroes += n;  
        }  
        return trailingZeroes;  
    }  
}
```

C++ Solution:

```
class Solution {  
public:  
    int trailingZeroes(int n) {  
        long long cnt=0,i=5;  
        while(i<=n) {cnt+=n/i; i*=5;}  
        return cnt;  
    }  
};
```

Fun With Divisors

Given a positive integer value **N**. The task is to find how many numbers **less than or equal to N** have numbers of divisors exactly equal to **3**.

Input:

The first line contains integer T, denoting number of test cases. Then T test cases follow. The only line of each test case contains an integer N.

Output:

For each testcase, in a new line, print the answer of each test case.

Your Task:

This is a function problem. You only need to complete the function **exactly3Divisors()** that takes **N** as parameter and **returns** count of numbers **less than or equal to N** with exactly **3 divisors**.

Constraints :

$1 \leq T \leq 100$

$1 \leq N \leq 10^9$

Example:

Input :

3
6
10
30

Output :

1
2
3

Explanation:

Testcase 1: There is only one number 4 which has exactly three divisors 1, 2 and 4.

Testcase 2: 4 and 9 are the only two numbers less than or equal to 10 that have exactly three divisors.

Testcase 3: 4, 9, 25 are the only numbers less than or equal to 30 that have exactly three divisors.

JAVA Solution:

```
class Divisors
```

```
{
```

```
    public int exactly3Divisors(int N)
```

```
    {
```

```
        boolean[] prime = new boolean[N + 1];
```

```
        prime[0] = true;
```

```
        prime[1] = true;
```

```
        for(int i = 2; i * i <= N; i++)
```

```
            if(!prime[i])
```

```
                for(int j = i + i; j <= N; j += i)
```

```
                    prime[j] = true;
```

```
        int count = 0;
```

```
        for(int i = 2; i * i <= N; i++) if(!prime[i]) ++count;
```

```
        return count;
```

```
    }
```

```
}
```

CPP Solution:

```
#include <bits/stdc++.h>
using namespace std;

// Generates all primes upto n and prints their squares
void numbersWith3Divisors(int n)
{
    bool prime[n+1];
    memset(prime, true, sizeof(prime));
    prime[0] = prime[1] = 0;

    for (int p=2; p*p<=n; p++)
    {
        // If prime[p] is not changed, then it is a prime
        if (prime[p] == true)
        {
            // Update all multiples of p
            for (int i=p*2; i<=n; i += p)
                prime[i] = false;
        }
    }

    // print squares of primes upto n.
    cout << "Numbers with 3 divisors :\n";
    for (int i=0; i*i <= n ; i++)
        if (prime[i])
            cout << i*i << " ";
}

// driver program
int main()
{
    // sieve();
    int n = 96;
    numbersWith3Divisors(n);

    return 0;
}
```