

# Data Structures and Algorithms

## Lecture 13

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# Agenda

Data Structures

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- ▶ What and Why

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- ▶ What and Why
- ▶ a way to store data/information and
- ▶ a way to retrieve
- ▶ a way to delete
- ▶ a way to create relationship among data, e.g., precedence, successor, etc.

# Data Structures

- ▶ Linear: Arrays, Stacks, Queues, Deques, Linked Lists
- ▶ Non-Linear: Heaps, Binary Search Trees, Graphs
- ▶ Hashing: The magic of  $O(1)$  lookup

## Example

A computer game that stores a deck of playing cards.

A few queries we want to answer:

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A computer game that stores a deck of playing cards.

A few queries we want to answer:

1. We want to add a card into the deck.
2. Which card is at the top of the deck?
3. Is the deck empty?
4. Given a card are there any higher rank cards of the same suit in the deck. E.g., Given 9♣, is there a card  $C \in \{10♣, J♣, Q♣, K♣\}$  in the deck?

# Stacks

Push(a)

Pop()

TopElement()

IsEmpty()



# Stacks

STACK-EMPTY( $S$ )

```
1  if  $S.top == 0$   
2      return TRUE  
3  else return FALSE
```

PUSH( $S, x$ )

```
1  if  $S.top == S.size$   
2      error “overflow”  
3  else  $S.top = S.top + 1$   
4       $S[S.top] = x$ 
```

POP( $S$ )

```
1  if STACK-EMPTY( $S$ )  
2      error “underflow”  
3  else  $S.top = S.top - 1$   
4      return  $S[S.top + 1]$ 
```

# Queues

Enqueue(a)

Dequeue()

IsEmpty()

# Queues

ENQUEUE( $Q, x$ )

```
1   $Q[Q.tail] = x$   
2  if  $Q.tail == Q.size$   
3       $Q.tail = 1$   
4  else  $Q.tail = Q.tail + 1$ 
```

DEQUEUE( $Q$ )

```
1   $x = Q[Q.head]$   
2  if  $Q.head == Q.size$   
3       $Q.head = 1$   
4  else  $Q.head = Q.head + 1$   
5  return  $x$ 
```

# Linked Lists

## Node

- ▶ prev
- ▶ key
- ▶ next

## Operations

- ▶ Search
- ▶ Prepend
- ▶ Insert
- ▶ Delete

# Linked Lists

LIST-SEARCH( $L, k$ )

```
1   $x = L.head$   
2  while  $x \neq \text{NIL}$  and  $x.key \neq k$   
3       $x = x.next$   
4  return  $x$ 
```

# Linked Lists

LIST-PREPEND( $L, x$ )

```
1   $x.next = L.head$   
2   $x.prev = \text{NIL}$   
3  if  $L.head \neq \text{NIL}$   
4       $L.head.prev = x$   
5   $L.head = x$ 
```

# Linked Lists

LIST-INSERT( $x, y$ )

```
1   $x.next = y.next$   
2   $x.prev = y$   
3  if  $y.next \neq \text{NIL}$   
4       $y.next.prev = x$   
5   $y.next = x$ 
```

# Linked Lists

LIST-DELETE( $L, x$ )

```
1  if  $x.prev \neq \text{NIL}$   
2       $x.prev.next = x.next$   
3  else  $L.head = x.next$   
4  if  $x.next \neq \text{NIL}$   
5       $x.next.prev = x.prev$ 
```



## Stacks - A deeper dive

Given  $\{1, 2, \dots, n\}$ , how many permutations can we generate using a stack?