```
In [1]:
import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
%matplotlib inline
In [2]:
from sklearn.datasets import load_breast_cancerast_cancer
In [3]:
cxer=load_breast_cancer()
In [4]:
type(cxer)
Out[4]:
sklearn.utils.Bunch
In [5]:
cxer.keys()
Out[5]:
dict_keys(['data', 'target', 'target_names', 'DESCR', 'feature_names', 'fi
```

lename'])

```
In [6]:
```

print(cxer['DESCR'])

```
.. _breast_cancer_dataset:
Breast cancer wisconsin (diagnostic) dataset
**Data Set Characteristics:**
    :Number of Instances: 569
    :Number of Attributes: 30 numeric, predictive attributes and the class
    :Attribute Information:
       - radius (mean of distances from center to points on the perimete
r)

    texture (standard deviation of gray-scale values)

       - perimeter
       - area
       - smoothness (local variation in radius lengths)
       - compactness (perimeter^2 / area - 1.0)
       - concavity (severity of concave portions of the contour)
       - concave points (number of concave portions of the contour)
       - fractal dimension ("coastline approximation" - 1)
       The mean, standard error, and "worst" or largest (mean of the thre
e
       largest values) of these features were computed for each image,
       resulting in 30 features. For instance, field 3 is Mean Radius, f
ield
       13 is Radius SE, field 23 is Worst Radius.
       - class:
               - WDBC-Malignant
               - WDBC-Benign
    :Summary Statistics:
```

| | Min | Max |
|--|-------|--------|
| | ===== | ===== |
| radius (mean): | 6.981 | 28.11 |
| texture (mean): | 9.71 | 39.28 |
| perimeter (mean): | 43.79 | 188.5 |
| area (mean): | 143.5 | 2501.0 |
| <pre>smoothness (mean):</pre> | 0.053 | 0.163 |
| <pre>compactness (mean):</pre> | 0.019 | 0.345 |
| <pre>concavity (mean):</pre> | 0.0 | 0.427 |
| <pre>concave points (mean):</pre> | 0.0 | 0.201 |
| <pre>symmetry (mean):</pre> | 0.106 | 0.304 |
| fractal dimension (mean): | 0.05 | 0.097 |
| radius (standard error): | 0.112 | 2.873 |
| texture (standard error): | 0.36 | 4.885 |
| perimeter (standard error): | 0.757 | 21.98 |
| area (standard error): | 6.802 | 542.2 |
| smoothness (standard error): | 0.002 | 0.031 |
| compactness (standard error): | 0.002 | 0.135 |
| <pre>concavity (standard error):</pre> | 0.0 | 0.396 |
| concave points (standard error): | 0.0 | 0.053 |
| symmetry (standard error): | 0.008 | 0.079 |
| fractal dimension (standard error): | 0.001 | 0.03 |
| radius (worst): | 7.93 | 36.04 |

```
texture (worst):
                               12.02 49.54
                               50.41 251.2
perimeter (worst):
                               185.2 4254.0
area (worst):
                               0.071 0.223
smoothness (worst):
compactness (worst):
                               0.027 1.058
concavity (worst):
                               0.0
                                     1.252
concave points (worst):
                               0.0
                                     0.291
symmetry (worst):
                               0.156 0.664
fractal dimension (worst):
                               0.055 0.208
```

:Missing Attribute Values: None

:Class Distribution: 212 - Malignant, 357 - Benign

:Creator: Dr. William H. Wolberg, W. Nick Street, Olvi L. Mangasarian

:Donor: Nick Street

:Date: November, 1995

This is a copy of UCI ML Breast Cancer Wisconsin (Diagnostic) datasets. https://goo.gl/U2Uwz2

Features are computed from a digitized image of a fine needle aspirate (FNA) of a breast mass. They describe characteristics of the cell nuclei present in the image.

Separating plane described above was obtained using Multisurface Method-Tree (MSM-T) [K. P. Bennett, "Decision Tree Construction Via Linear Programming." Proceedings of the 4th Midwest Artificial Intelligence and Cognitive Science Society, pp. 97-101, 1992], a classification method which uses linear programming to construct a decision tree. Relevant features were selected using an exhaustive search in the space of 1-4 features and 1-3 separating planes.

The actual linear program used to obtain the separating plane in the 3-dimensional space is that described in:
[K. P. Bennett and O. L. Mangasarian: "Robust Linear Programming Discrimination of Two Linearly Inseparable Sets", Optimization Methods and Software 1, 1992, 23-34].

This database is also available through the UW CS ftp server:

ftp ftp.cs.wisc.edu
cd math-prog/cpo-dataset/machine-learn/WDBC/

.. topic:: References

- W.N. Street, W.H. Wolberg and O.L. Mangasarian. Nuclear feature extra ction

for breast tumor diagnosis. IS&T/SPIE 1993 International Symposium on Electronic Imaging: Science and Technology, volume 1905, pages 861-87 0.

San Jose, CA, 1993.

- O.L. Mangasarian, W.N. Street and W.H. Wolberg. Breast cancer diagnos

prognosis via linear programming. Operations Research, 43(4), pages 5 70-577,

July-August 1995.

- W.H. Wolberg, W.N. Street, and O.L. Mangasarian. Machine learning techniques $\ \ \,$

to diagnose breast cancer from fine-needle aspirates. Cancer Letters 77 (1994)

163-171.

In [7]:

df=pd.DataFrame(cxer['data'],columns=cxer['feature_names'])

In [8]:

df.head()

Out[8]:

| | mean radius | mean texture | mean perimeter | mean area | mean smoothness | mean compactness | mean concavity | mean concave points | m symme |
|---|----------------|-----------------|-------------------|--------------|--------------------|---------------------|-------------------|---------------------------|------------|
| 0 | 17.99 | 10.38 | 122.80 | 1001.0 | 0.11840 | 0.27760 | 0.3001 | 0.14710 | 0.2 |
| 1 | 20.57 | 17.77 | 132.90 | 1326.0 | 0.08474 | 0.07864 | 0.0869 | 0.07017 | 0.1 |
| 2 | 19.69 | 21.25 | 130.00 | 1203.0 | 0.10960 | 0.15990 | 0.1974 | 0.12790 | 0.2 |
| 3 | 11.42 | 20.38 | 77.58 | 386.1 | 0.14250 | 0.28390 | 0.2414 | 0.10520 | 0.2 |
| 4 | 20.29 | 14.34 | 135.10 | 1297.0 | 0.10030 | 0.13280 | 0.1980 | 0.10430 | 0.1 |

5 rows × 30 columns

4

```
In [9]:
cxer['target']
Out[9]:
0, 0, 1, 0, 1, 1, 1, 1, 0, 0, 1, 0, 0, 1, 1, 1, 1, 0, 1, 0, 0,
      1, 1, 1, 1, 0, 1, 0, 0, 1, 0, 1, 0, 0, 1, 1, 1, 0, 0, 1, 0, 0, 0,
      1, 1, 1, 0, 1, 1, 0, 0, 1, 1, 1, 0, 0, 1, 1, 1, 1, 0, 1, 1, 0, 1,
      1, 1, 1, 1, 1, 1, 0, 0, 0, 1, 0, 0, 1, 1, 1, 0, 0, 1, 0, 1, 0,
      0, 1, 0, 0, 1, 1, 0, 1, 1, 0, 1, 1, 1, 1, 0, 1, 1, 1, 1, 1, 1, 1, 1,
      1, 1, 0, 1, 1, 1, 1, 0, 0, 1, 0, 1, 1, 0, 0, 1, 1, 0, 0, 1, 1, 1,
      1, 0, 1, 1, 0, 0, 0, 1, 0, 1, 0, 1, 1, 1, 0, 1, 1, 0, 0, 1, 0, 0,
      0, 0, 1, 0, 0, 0, 1, 0, 1, 0, 1, 1, 0, 1, 0, 0, 0, 0, 1, 1, 0, 0,
      1, 1, 1, 0, 1, 1, 1, 1, 1, 0, 0, 1, 1, 0, 1, 1, 0, 0, 1, 0, 1, 1,
      1, 1, 0, 1, 1, 1, 1, 0, 1, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0,
      0, 0, 1, 1, 1, 1, 1, 0, 1, 0, 1, 1, 0, 1, 1, 0, 1, 0, 0, 1, 1,
      1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 0, 1, 0, 1, 0, 1, 1, 1, 1, 1,
      1, 1, 1, 1, 1, 1, 1, 1, 0, 1, 1, 0, 1, 0, 1, 1, 1, 1, 1, 0, 0,
      0, 1, 1, 1, 1, 0, 1, 0, 1, 0, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 0,
      0, 0, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 0, 0, 1, 0, 0, 0, 1, 0, 0,
      1, 1, 1, 1, 1, 0, 1, 1, 1, 1, 1, 0, 1, 1, 0, 1, 1, 0, 0, 1, 1,
      1, 1, 1, 1, 0, 1, 1, 1, 1, 1, 1, 0, 1, 1, 1, 1, 1, 0, 1, 1, 0,
      1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 0, 1, 0, 0, 1, 0, 1, 1, 1, 1,
      1, 0, 1, 1, 0, 1, 0, 1, 1, 0, 1, 0, 1, 1, 1, 1, 1, 1, 1, 1, 0, 0,
      1, 1, 1, 1, 1, 1, 0, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 0, 1, 1, 1, 1,
      1, 1, 1, 0, 1, 0, 1, 1, 0, 1, 1, 1, 1, 1, 0, 0, 1, 0, 1, 0, 1, 1,
      1, 1, 1, 0, 1, 1, 0, 1, 0, 1, 0, 0, 1, 1, 1, 0, 1, 1, 1, 1, 1,
      1, 1, 1, 1, 1, 0, 1, 0, 0, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1,
      1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 0, 0, 0, 0, 0, 0, 1])
In [14]:
#We are scaling our data first so that each feature has a single unit variance before u
sing variance
from sklearn.preprocessing import StandardScaler
In [11]:
scaler=StandardScaler()
In [12]:
scaler.fit(df)
Out[12]:
StandardScaler(copy=True, with_mean=True, with_std=True)
In [15]:
scaled_data=scaler.transform(df)
In [16]:
#Lets's start with principal component analysis
from sklearn.decomposition import PCA
```

```
In [18]:
pca=PCA(n_components=2)
In [19]:
pca.fit(scaled_data)
Out[19]:
PCA(copy=True, iterated_power='auto', n_components=2, random_state=None,
    svd_solver='auto', tol=0.0, whiten=False)
In [20]:
x_pca=pca.transform(scaled_data)
In [22]:
scaled_data.shape
Out[22]:
(569, 30)
In [23]:
x_pca.shape
Out[23]:
(569, 2)
In [25]:
```

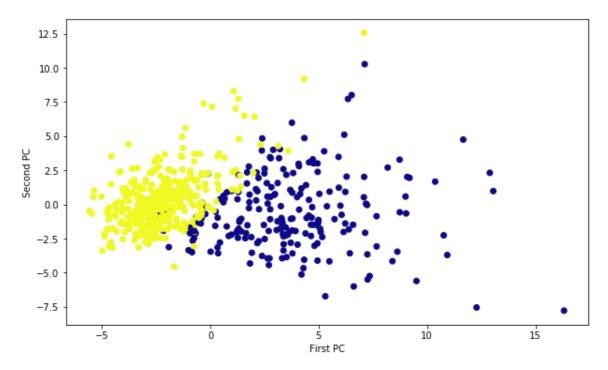
#WE can see the component reduction to principal components

In [28]:

```
plt.figure(figsize=(10,6))
plt.scatter(x_pca[:,0],x_pca[:,1],c=cxer['target'],cmap='plasma') #i want to color thes
e points by malingnant or benign
plt.xlabel('First PC')
plt.ylabel('Second PC')
```

Out[28]:

Text(0, 0.5, 'Second PC')



In [29]:

#This really shows the power of pca , based on the first PC and second PC , we can very clearly
#See the separation of what malingnant vs benign tumors look like
#and this just based of two principal components vs 30 dimensions of data
#almost used as a compression algorithm , we are doing a lot with 2 columns instead of
30 colums

In [30]:

 $\#The\ components\ do\ represent\ something\ specific\ ,\ basically\ a\ combination\ of\ mutiple\ fe$ atures against each other

In [31]:

pca.components_ #each row represents a principal component and each column relates bac k to original feature

Out[31]:

```
array([[ 0.21890244, 0.10372458, 0.22753729, 0.22099499, 0.14258969,
        0.23928535, 0.25840048, 0.26085376, 0.13816696, 0.06436335,
        0.20597878, 0.01742803, 0.21132592, 0.20286964,
                                                            0.01453145,
        0.17039345, \quad 0.15358979, \quad 0.1834174 \ , \quad 0.04249842, \quad 0.10256832,
        0.22799663, 0.10446933, 0.23663968, 0.22487053, 0.12795256,
        0.21009588, 0.22876753, 0.25088597, 0.12290456,
                                                            0.13178394],
       [-0.23385713, -0.05970609, -0.21518136, -0.23107671,
                                                            0.18611302,
        0.15189161, 0.06016536, -0.0347675, 0.19034877, 0.36657547,
       -0.10555215, 0.08997968, -0.08945723, -0.15229263, 0.20443045,
                                                            0.28009203,
        0.2327159 , 0.19720728, 0.13032156, 0.183848 ,
        -0.21986638, -0.0454673 , -0.19987843, -0.21935186,
                                                            0.17230435,
        0.14359317, 0.09796411, -0.00825724, 0.14188335, 0.27533947]])
```

In [32]:

```
#Lets visualize this relation with heatmap
df_comp=pd.DataFrame(pca.components_,columns=cxer['feature_names'])
```

In [33]:

df_comp

Out[33]:

| | mean radius | mean texture | mean perimeter | mean area | mean smoothness | mean compactness | mean concavity | mea concav point |
|---|----------------|-----------------|-------------------|--------------|--------------------|------------------|-------------------|------------------------|
| 0 | 0.218902 | 0.103725 | 0.227537 | 0.220995 | 0.142590 | 0.239285 | 0.258400 | 0.26085 |
| 1 | -0.233857 | -0.059706 | -0.215181 | -0.231077 | 0.186113 | 0.151892 | 0.060165 | -0.03476 |

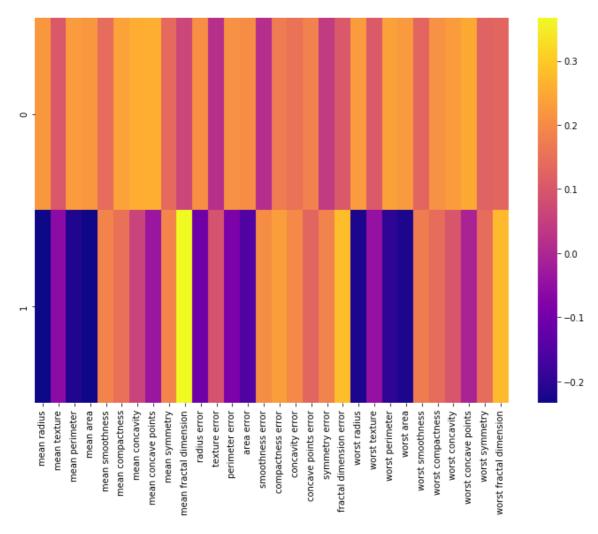
2 rows × 30 columns

In [35]:

```
plt.figure(figsize=(12,8))
sns.heatmap(df_comp,cmap='plasma')
```

Out[35]:

<matplotlib.axes._subplots.AxesSubplot at 0x258dddf3308>



In [36]:

#We can visualize what these principal components are nearest to.

In []: