

## 1. ROOTS OF QUADRATIC EQUATION

```
#include<stdio.h>
#include<stdlib.h>
#include<math.h>
int main()
{
    double a,b,c;
    printf("Enter the values of a,b,c: ");
    scanf("%lf%lf%lf",&a,&b,&c);
    if (a == 0) {
        printf("Invalid Equation");
    }
    int d = b * b - 4 * a * c;
    double sqrt_val = sqrt(abs(d));
    if (d > 0) {
        printf("Roots are real and distinct \n");
        printf("%f\n%f", (double)(-b + sqrt_val) / (2 * a),
            (double)(-b - sqrt_val) / (2 * a));
    }
    else if (d == 0) {
        printf("Roots are real and equal \n");
        printf("%f", -(double)b / (2 * a));
    }
    else
    {
        printf("Roots are imaginary \n");
    }
}
```

```
printf("%f + i%f\n%f - i%f", -(double)b / (2 * a),  
sqrt_val / (2 * a), -(double)b / (2 * a),  
sqrt_val / (2 * a));  
}  
}
```

## OUTPUT:

```
PS C:\Accessible Folder\Academic\CBNST> cd "c:\Accessible Folc  
Enter a,b and c: 16 4 60  
Roots are imaginary:  
-0.125 + i1.93245  
-0.125 - i1.93245  
PS C:\Accessible Folder\Academic\CBNST> █
```

## 2. BISECTION METHOD

```
#include <stdio.h>

#include <math.h>

double cal(double x, double a, double b, double c, double d)
{
    return pow(x, 3) * a + pow(x, 2) * b + pow(x, 1) * c + d;
}

int main()
{
    double a, b, c, d, x=0, y=1, z=0;
    printf("Enter the value of a,b,c,d:\n");
    scanf("%lf%lf%lf%lf", &a, &b, &c, &d);
    int count = 0, cnt = 0;
    while (count < 3)
    {
        double fx1 = cal(x, a, b, c, d);
        double fx2 = cal(y, a, b, c, d);
        if (fx1 * fx2 < 0)
        {
            z = (x + y) / 2.0;
            double fx3 = cal(z, a, b, c, d);
            if (fx3 == 0.0)
                break;
            if (fx1 * fx3 < 0)
                y = z;
            else if (fx3 * fx2 < 0)
```

```
    x=z;
count++;
}
else
{
x = y;
y++;
}
}
printf("Answer : %.4lf", z);
}
```

## OUTPUT:

```
PS C:\Accessible Folder\Academic\CBNST> cd "c:\Ac
Enter the values of a,b,c and d: 0 2 0 -10
Answer : 2.1250
PS C:\Accessible Folder\Academic\CBNST> █
```

### 3. NEWTON RAPHSON METHOD

```
#include<stdio.h>
#include<math.h>
float f(float x)
{
    return x*log10(x) - 1.2;
}
float df (float x)
{
    return log10(x) + 0.43429;
}
int main()
{
    int itr, maxmitr;
    float h, x0, x1, allerr;
    printf("\nEnter x0, allowed error and maximum iterations\n");
    scanf("%f %f %d", &x0, &allerr, &maxmitr);
    for (itr=1; itr<=maxmitr; itr++)
    {
        h=f(x0)/df(x0);
        x1=x0-h;
        printf(" At Iteration no. %3d, x = %9.6f\n", itr, x1);
        if (fabs(h) < allerr)
        {
            printf("After %3d iterations, root = %8.6f\n", itr, x1);
            return 0;
        }
    }
}
```

```
}  
x0=x1;  
}  
printf(" The required solution does not converge or iterations are  
insufficient\n");  
return 1;  
}
```

## OUTPUT:

```
PS C:\Accessible Folder\Academic\CBNST> cd "c:\  
son }  
  
Enter x0, allowed error and maximum iterations  
2 0.0001 16  
At Iteration no.1, x = 2.81317  
At Iteration no.2, x = 2.74111  
At Iteration no.3, x = 2.74065  
At Iteration no.4, x = 2.74065  
After 4 iterations, root =2.74065  
PS C:\Accessible Folder\Academic\CBNST> █
```

#### 4. REGULA FALSI METHOD

```
#include <stdio.h>

#include <math.h>

float f(float x)
{
    return cos(x) - x * exp(x);
}

void regula(float *x, float x0, float x1, float fx0, float fx1, int *itr)
{
    *x = x0 - ((x1 - x0) / (fx1 - fx0)) * fx0;
    ++(*itr);
    printf("Iteration no. %3d X = %7.5f \n", *itr, *x);
}

void main()
{
    int itr = 0, maxmitr;

    float x0, x1, x2, x3, allerr;

    printf("\nEnter the values of x0, x1, allowed error and maximum iterations:\n");

    scanf("%f %f %f %d", &x0, &x1, &allerr, &maxmitr);

    regula(&x2, x0, x1, f(x0), f(x1), &itr);

    do{
        if (f(x0) * f(x2) < 0)
            x1 = x2;
        else
            x0 = x2;
        regula(&x3, x0, x1, f(x0), f(x1), &itr);
    }
```

```

if (fabs(x3 - x2) < allerr){
printf("After %d iterations, root = %6.4f\n", itr, x3);
return 0;
}
x2 = x3;
} while (itr < maxmitr);
printf("Solution does not converge or iterations not sufficient:\n");
return 1;
}

```

## OUTPUT:

```

Enter the values of x0, x1, allowed error and maximum iterations:
0 1 0.0005 16
Iteration no.   1 X = 0.31467
Iteration no.   2 X = 0.44673
Iteration no.   3 X = 0.49402
Iteration no.   4 X = 0.50995
Iteration no.   5 X = 0.51520
Iteration no.   6 X = 0.51692
Iteration no.   7 X = 0.51748
Iteration no.   8 X = 0.51767
After 8 iterations, root = 0.5177
PS C:\Accessible Folder\Academic\CBNST> 

```



## 5. GAUSS ELIMINATION METHOD

```
#include<stdio.h>

int main()
{
    int i,j,k,n;
    float A[20][20],c,x[10],sum=0.0;
    printf("\nEnter the order of matrix: ");
    scanf("%d",&n);
    printf("\nEnter the elements of augmented matrix row-wise:\n\n");
    for(i=1; i<=n; i++){
        for(j=1; j<=(n+1); j++){
            printf("A[%d][%d] : ", i,j);
            scanf("%f",&A[i][j]);
        }
        for(j=1; j<=n; j++){
            for(i=1; i<=n; i++){
                if(i>j){
                    c=A[i][j]/A[j][j];
                    for(k=1; k<=n+1; k++)
                    {
                        A[i][k]=A[i][k]-c*A[j][k];
                    }
                }
            }
        }
        x[n]=A[n][n+1]/A[n][n];
        for(i=n-1; i>=1; i--)
        {
```

```

sum=0;
for(j=i+1; j<=n; j++){
sum=sum+A[i][j]*x[j];
}
x[i]=(A[i][n+1]-sum)/A[i][i];
}
printf("\nThe solution is: \n");
for(i=1; i<=n; i++){
printf("\nx%d=%f\t",i,x[i]);
}
return(0);
}

```

## OUTPUT:

Enter the order of matrix: 3

Enter the elements of augmented matrix row-wise:

```

A[1][1] : 3
A[1][2] : -1
A[1][3] : 6
A[1][4] : 4
A[2][1] : 1
A[2][2] : 5
A[2][3] : 8
A[2][4] : 5
A[3][1] : 7
A[3][2] : 6
A[3][3] : 5
A[3][4] : 7

```

The solution is:

```

x1=0.520408
x2=0.193878
x3=0.438775

```

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