



SFI GEC PALAKKAD

Magnetism & electromagnélic throxy

Electro-Magnetic throxy

* Gauss' theoxem in Electroslatics

It states that electric flux over a closed

Surface is equal to the YE Times thange
enclosed by the Surface.

* Gauss' Law in Magnetostatiss
Magnetii blux enclosed by a closed Surface's'
is 3 exo. \$\operatorname{5} \overall \overa

Gauss' Law in magnetism states that the magnetic field lines going into the closed surface is exactly balanced by fieldlines coming out. It tells magnetic monopoles donot exist.

* Ampere Circuital theorem

The lime integral of magnetic flux density is to times current enclosed by the parth.

[-c-) with and (B. dl = wien)

* Faraday's daw of electromagnetic theory when magnetic flux linked with the Circuit changes and EMF is induced in it. This induced EIAT is equal to patrot change of magnetic flux linked with the Circuit. It always opposes the changes in magnetic flux. e = - db * stokers theorem it connects line integral and Eurface integral.

\$ A. de = [(x A) ds

* Gauss Divergance throrem De connects Eurface Integral to Volume integral. JA.d5 - JJ(∇.A).dv

four rest as * Magnetic field It is the area around a magnet in which there is a magnetic force. Correspondent conductor).

Magifield is a vector Quantity it is represented. mag: flux density (B) ox intensity. of magnetic field (H)

* Magnetic flux density Jotal no: of magnetic fieldlines passing Inthough Unit area. Let o' is magnetic flux passing normally through an area A, then blux density = 0/4 (w/m² etesla). Unit & B' is w/m² or

the a measure of magnetisation (M)

It is a measure of magnetical timed as

magnetised speciment les defined as

magnetic moment per volume. Il is

magnetic moment per volume.

magnetic moment (m) is product of polestrongly and total length of spectmen m. 21xp

& Suseptibility (X)

It is a measure of how much a maloxial become magnetized in an applied magnetization magnetic field. It is ratio of magnetization to intensity of magnetic field. (X-11)

permeability (4)

It is defined as the property of material to allow the amagnetic lines of force to pass through it. It is rational magnetic plus pass through it. It is rational magnetic field.

Lensity to contensity of magnetic field.

Relative permeability of malexial is the comparison Relative permeability with Vacuum ox free & pace.

of permeability with Vacuum ox free & pace.

of permeability of medium

the permeability of free & pace.

The permeability of free & pace.

Relationship blue permeability & Suseptability
when a magnetic material is placed in a,
magnetic field of uniform intensity H,

magnetic flux pass through it due to magnetised field (H) and due to material being magnetised then, magnetic flux density, B = 40 (H+M)

$$\frac{\mu_{x}}{\beta} = \mu_{o}(H + M)$$

$$\frac{\beta}{\beta} = \mu_{o}(H + M)$$

$$\frac{\beta}{\beta} = \mu_{o}(H + M)$$

$$\mu_{o} = \mu_{o}(H + M)$$

Deloperatox (V)
The Vector operator (V) is defined as

 $\nabla = i\frac{\partial}{\partial x} + i\frac{\partial}{\partial y} + k \cdot \frac{\partial}{\partial z}, \text{ where } i, j, k$

represents the unit vertors along x, y, z directions. Using V operator, we cando 3 vertor operations. Gradient, divergance and Lurl.

, Gradient: The gradient of a dialar function $\phi(xyz)$ is defined as grad $\phi = \nabla \phi = \begin{bmatrix} i \frac{\partial}{\partial x} + j \frac{\partial}{\partial y} + k \frac{\partial}{\partial z} \end{bmatrix} \phi(xyz)$

=
$$\frac{\partial \phi(xyz)}{\partial x} + \int \frac{\partial \phi(xy,3)}{\partial y} + \frac{\hat{\kappa} \partial \phi(xyz)}{\partial 3}$$

The vector operator of acting on a scalar function of (2,4,2) gives a vector of The direction in which we must move from that point to find the most rapid Increase in function of with Coordinates.)

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Equation of Continuity マラー 一日 jis Current density Imagine a Volume bounded by a closed Surface The amount of charge that Comes out through the Surface is equal to the Rate of decrease of charge contained in the volume, This is Law of Conservation of Electric

charge stated for time Marying Situations. Let, 7' be the lurrent density (current/Area) at a point. V. 7 gives the met Outslow of charge in unit time through closed Surface, that encloses unit Volume. charge contained in the unit Volume is ?. Rate of decreased charge in unit Volume is - DP. Acc to English

Cuyl

curlofa vector valued function in a region is again a vectox-valued function. Let,

A = Ax 1 + Ay 1 + A3 K

Curl A = DXA

$$= \left[\hat{1} \frac{\partial}{\partial x} + \hat{J} \frac{\partial}{\partial y} + \hat{K} \frac{\partial}{\partial z} \right] \times \left[A_x \hat{1} + A_y \hat{J} + A_z \hat{K} \right]$$

$$\frac{1}{2} \cdot \nabla \times \overrightarrow{A} = \frac{1}{2} \cdot \frac{1$$

$$= \hat{1} \left[\frac{\partial A_2}{\partial y} - \frac{\partial A_y}{\partial z} \right] + \hat{1} \left[\frac{\partial A_x}{\partial \bar{z}} - \frac{\partial A_z}{\partial x} \right] + \hat{\kappa} \left[\frac{\partial A_y}{\partial x} - \frac{\partial A_y}{\partial x} \right]$$

If VXA = 0, then A is 1xxo tational

physical Significance

curl is also known as zotation of a Vectox. The magnitude of Curl A gives the line integral of

A arounda closed path that encloses unit area.

direction of Curl'A (15 given by zight hand zule.

* Max Intelles Equation

Gauss Law in Electrostatics

Applying Yauss divergance theorem,

$$\oint \vec{E} \cdot d\vec{s} = \iint \vec{E} \cdot d\vec{s} = \iiint (\nabla \cdot \vec{E}) \cdot d\nu$$

$$e = \frac{dv}{dv} \implies dq = e \cdot dv$$

 $\iiint (\nabla \cdot \vec{\epsilon}) dv = \frac{1}{\epsilon_0} \iiint e \cdot dv$ 111 (0. E). dv = 111 & .dv DE = 0 V.D = P) It is Called first Moxwell's > Electric flux Eg -> Differential form of gauss'dans in electrostatics. In free space, charge density = 0, then Gran Gauss' Law in magneto étaties $\oint \vec{B} \cdot d\vec{s} = 0$ Applying yauss divergence Law, $\iiint_{A} \left(\overrightarrow{\nabla} \cdot \overrightarrow{B} \right) \cdot dv = 0$ J.B = 0 fmagneti (lux Egn).

Second maxwell's Egn

Sodifferential loxm of yours Law in magnetostatics. 1. $\nabla \cdot \vec{D} = R$ They are known as maxwellis divergance E_q^n .

MAGNETIC FIELD

It is a vector field generated by moving electric charge. Magnetic field is area around a magnet in which there is magnetic force, or it is the force experienced by unit positive charge in motion. It is a vector quantity can be represented either by magnetic flux density B or magnetic field intensity H.

Magnetic Flux density or Magnetic Induction B:

Magnetic flux density B is defined as the total number of magnetic field lines passing perpendicularly through unit area.

If ϕ is the magnetic flux passing normally through an area A, then

Magnetic Flux density
$$B = \frac{\phi}{A}$$

Unit of B is weber/m²

Gauss's law for magnetic flux

By Gauss's law the surface integral of magnetic flux over a closed surface is equal to zero

$$\oint \overrightarrow{B} \cdot \overrightarrow{ds} = 0$$

[Flux linked with a closed surface in magnetic field is zero].

Consider a small vector area of element ds of a closed surface S. The Magnetic flux though this area passing normally is $\overrightarrow{BCos\theta}$. $ds = \overrightarrow{B} \cdot \overrightarrow{ds}$

The total magnetic flux passing normally though the closed surface $S = \oint d\phi = \oint \overrightarrow{B} \cdot \overrightarrow{ds}$

By Gauss's $law \notin \overrightarrow{B}$. $\overrightarrow{ds} = 0$

This means that the magnetic flux through a closed surface is always zero because all the magnetic field lines going in to the closed surface are exactly balanced by field lines coming out ie.it is also indicate magnetic mono pole do not exist, there is no starting point and ending point for magnetic flux.

Ampere's Circuital Law

Oersted observed that a magnetic field is always produced around a conductor carrying current. It states that a line integral of magnetic flux density B for a closed path is equal to μ_0 times the net current I enclosed by the path

$$\oint B. \, dl = \mu_0 I$$

 μ_0 is the permeability of free space

$$\mu_0 = 4\pi \ x \ 10^{-7} \ \text{H/m}$$

Faraday's law of electromagnetic induction

- 1. Whenever the magnetic flux linked with a circuit changes an e.m f is induced in the circuit. The induced e.m.f last as long as the flux changes.
- 2. The magnitude of induced em.f is equal to the rate of change of magnetic flux.

Induced e.m.f
$$e = \frac{d\phi}{dt}$$

Lens's Law

It states that the induced current produced in a circuit flows in such a direction that it opposes the change.

 $e = \frac{-d\phi}{dt}$ The -ve sign shows that induced emf opposes the change of magnetic flux.

Intensity of Magnetisation M

It is a measure of magnetisation of a magnetised material or extent to which a specimen is magnetised when placed in a magnetised field. It is defined as magnetic moment per unit volume of maternal. Its unit is A/m.

$$M = \frac{Magnetic\ moment}{Volume}$$
$$M = \frac{P\ x\ 2l}{V}$$

P = Pole strength

2 l= length of magnet.

Magnetic Susceptibility χ

It is a dimension less proportionality constant that indicates the degree of magnetization of a material in response to a applied magnetic field. It is the ratio of magnetisation M to the applied magnetising field intensity.

$$\chi = \frac{M}{H}$$
$$M = \chi H$$

Magnetic permeability μ

It is the property of the material to allow magnetic lines of force to pass through it. The permeability of the, material is equal to ratio of the flux density (B) in the medium to the field intensity (H)

$$\mu = \frac{B}{H}$$

Its Value denotes the ease with which the magnetic field lines pass through the material.

The relative permeability of the material is the comparison of permeability with the permeability of air or vacuum

Relative permeability $\mu_r = \frac{\mu}{\mu_o}$

Let B be the value of magnetic induction in a material when a magnetizing field H is applied, and B_o be the magnetic induction at someplace when material is removed.

$$B_0 \alpha H$$
, $B = \mu_0 H$
 $B \alpha H$, $B = \mu H$

$$\frac{B}{B_0} = \frac{\mu}{\mu_0} = \mu_r$$

When the magnetic material is placed in magnetic field intensity H, magnetic flux pass through it and material being magnetised. Magnetic flux density B is seen inside magnet is the result of applied magnetic field H and intensity of internal magnetisation M.

The flux density $B = \mu_0[M + H]$

$$=\mu_0[\chi H + H] \qquad \left[\because \chi = \frac{M}{H}\right]$$

$$B = \mu_0 H[1 + \chi]$$

$$\mu_0 H[1 + \chi] = \mu H$$

$$\mu = \mu_0[1 + \chi]$$

Where μ is the permeability of the medium In terms of relative permeability

$$\mu_r = \frac{\mu}{\mu_0} = \frac{\mu_0 (1 + \chi)}{\mu_0} = 1 + \chi$$

$$\mu_r = 1 + \chi$$

$$\chi = \mu_r - 1$$

Susceptibility can be zero, positive or negative

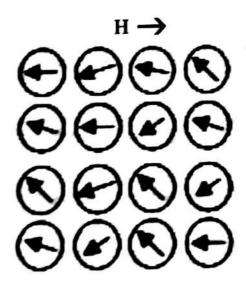
Classification of the Magnetic material

Magnetic Properties are induced in the material in presence of external magnetic field. On the basis of different magnetic properties materials are classified into different types.

- 1.Dimagnetism
- 2.Paramagnetism
- 3.Ferromagnetism

1.Diamagnetism

- If a diamagnetic material is exposed to a magnetizing field, it develops a magnetic moment in material in opposite direction, so that net magnetic field decreases.
- They are the substance which have tendency to move from stronger to weaker magnetic field.
- In diamagnetic substances, the resultant magnetic moment due to all atomic current loop is zero in the absence of an external magnetic field. But in the presence of an external magnetic field, weak magnetic dipole moments are produced in the atoms. The resultant of all the induced magnetic dipole moments produces a feeble net magnetic moment in the material to a direction opposite to that of the external field. This magnetic moment disappears when the external field is removed. Thus, a diamagnetic material placed near to a magnet is repelled by it.
- If a rod of diamagnetic material is freely suspended horizontally in uniform magnetic field it will orient perpendicular to field.
- Susceptibility is a small negative value
- Relative permeability is less than 1.
- When diamagnetic material placed in a magnetic field, magnetic lines of force expelled from the material. The phenomenon of a perfect diamagnetism in super conductors is called Meissner effect
- The diamagnetism is independent of temperature Eg. Water, Hydrogen, Bismuth, Gold, Silver



In the presence of an external field the atomic magnetic dipole moments align opposite to the applied field.

Langevin Theory of diamagnetism

Langevin theoretically calculated the susceptibility of a diamagnetic material taking the magnetic moment produced due to orbital motion of electron.

$$\chi = \frac{\mu_0 e^2 nz}{6m} < r >$$

 μ_0 -Permeability of free space

n - number of atoms per unit volume

z-Atomic number

e-electronic charge

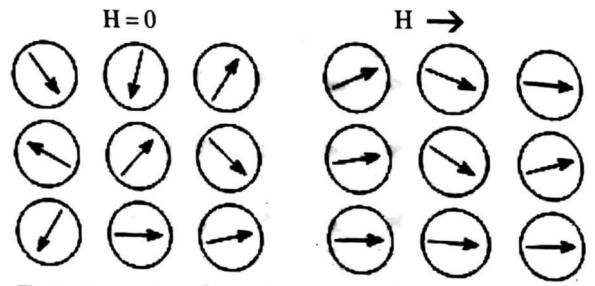
m-mass of electrons

<r>-mean square distance of electrons from nucleus.

2. Para magnetism

- The material which possess a little net magnetic moment in the direction of applied external magnetic field are para magnetic material.
- When paramagnetic substance are placed in an external magnetic field they are feebly magnetised and magnetic moments are aligned in direction of magnetic field.
- They show tendency to move from weak magnetic field to strong magnetic field when kept in non-uniform magnetic field but induced magnetic field is weak.
- Paramagnetism is due to the presence of unpaired electrons in atoms or molecules.
- Paramagnets do not retain any magnetisation in the absences of externally applied magnetic field
- When para magnetic rod is freely suspended in magnetic field, it comes to rest in the direction of field.
- Susceptibility is positive and small. It is of the order of 10^{-3} to 10^{-5}
- Relative permeability is slightly greater than one
- The paramagnetic susceptibility depends on temperature
- According to Curies law magnetic susceptibility of paramagnetic material is inversely proportional to its temperature.
- $\chi \alpha \frac{I}{T}$ $\chi = \frac{C}{T}$ Where C is Curse's constant

Eg Li, Mg, Cu, Cr. Pt,



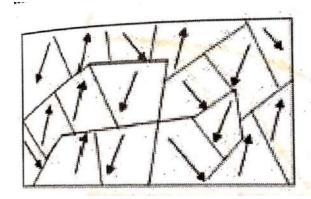
The atomic magnetic dipole moments are oriented randomly in the absence of an external field.

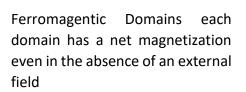
The atomic magnetic dipole moments are alined in the direction of the field.

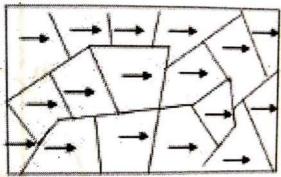
3. Ferro magnetism

- When ferromagnetic substance are placed in a magnetic field, they
 are strongly magnetized in the direction of magnetic field. Eg.
 Iron, cobalt, nickel, steel etc
- In ferromagnetic materials, the magnetisation exists even after the removal of magnetizing field.
- They get their magnetic property not only because of their atomic magnetic moment but also due to certain regions called magnetic domains. In each domain a very large number of atoms are aligned parallel to each other. So, the magnetic force with the domain is very strong.

- Before magnetization the magnetic domains are randomly oriented relative to each other .When strong magnetic field is applied all domains within the material are aligned known as magnetically saturated.
- Susceptibility is positive and very high
- Relative permeability is very high
- When placed in a magnetic filed lines of force have high concentration in materials.
- When ferromagnetic substances are suspended in a magnetic field,
 it comes to rest in direction of field.
- On increasing the temperature, the ferro magnetism gradually decreases and at a particular temperature called curie point the ferro magnetic properties of material disappear and it becomes paramagnetic. The temperature is called Curie temperature.







In the presence of an external field, the magnetic moments of domains alin in the field direction

Curie Weiss Law

According to curie Weiss law at above curie temperature the magnetic susceptibility of a ferromagnetic material is inversely proportional to $T-T_{\rm c}$

$$\chi = \frac{c}{T - T_c}$$
 C is Curie constant

T is the absolute temperature

T_c is the Curie temperature

Comparison

Diamagnetic	Paramagnetic	Ferromagnetic
The individual atoms or	The individual atoms or	The individual atoms, or
molecules have not net	molecules have a net	molecules have a net
magnetic dipole moment	magnetic dipole moment	magnetic dipole moment
in the absence of an	in the absence of an	and these atomic
external field	external field	magnets organises into
	9	domains in the absence
		of an external field.
They are weakly repelled	They are weakly	They are strongly
by a magnet	attracted by a magnet	attracted by a magnet
They try to expel the	They try to concentrate	The magnetic field lines
magnetic field lines	the magnetic field lines	are highly concentrated
when placed in an	within them when placed	within them when placed
external field and the	in an external field and	in an external field and
resultant field within the	the resultant field within	the resultant field is
material is reduced	the material is enhanced.	strongly enhanced.
They tend to move from	They tend to move from	They tend to move from
a region of strong field to	a region of weak field to	a region of weak field to
a region of weak field	a region of strong field	a region of strong field
when placed in non	when placed in a non	when placed in a non
uniform field.	uniform field.	uniform field.

Susceptibility is negative	Susceptibility is small	Susceptibility is large
	and positive	positive value
Susceptibility is	Susceptibility varies	Susceptibility Varies
independent of	inversely with	inversely with
temperature and the	temperature and the	temperature and above
substances does not	substance obeys Curie'	Curie temperature the
obey Curie 's law	law	ferromagnetic substance
		becomes paramagnetic
		above Curie
		temperature, the
		substances obeys Curie-
		Weiss law.
Relative permeability is	Relative permeability is	Relative permeability is
less than unity	slightly greater than	greater that unity
	unity	
Do not exhibit the	Do not exhibit the	Exhibits the
phenomenon of	phenomenon of	phenomenon of
Hysteresis	Hysteresis	Hystereis
Examples: Gold,	Examples: Platinum,	Examples: Iron, Nickel,
Copper, Antimony,	Aluminium, Lithinum,	Cobalt, Steel, Alnico etc
Bismuth, Lead, Quartz,	Magnesium, Chromium,	
Air, Hydrogen, Water,	Copper Chloride, etc	
Alcohol, Sodium		
Cholride etc.		