

State Space Search

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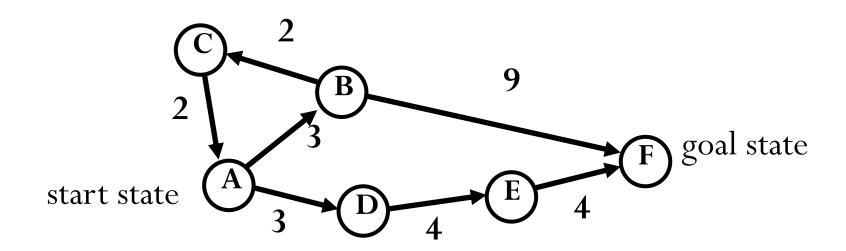


HEIDELBERG LAUREATE FORUM

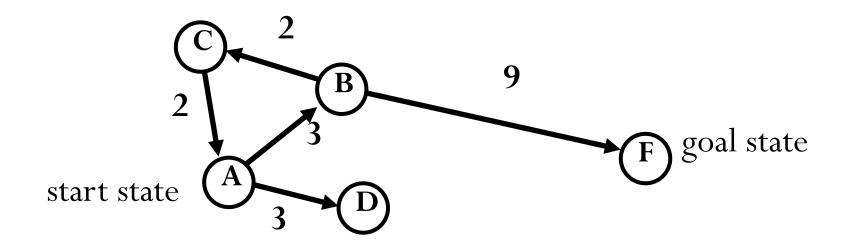
Search

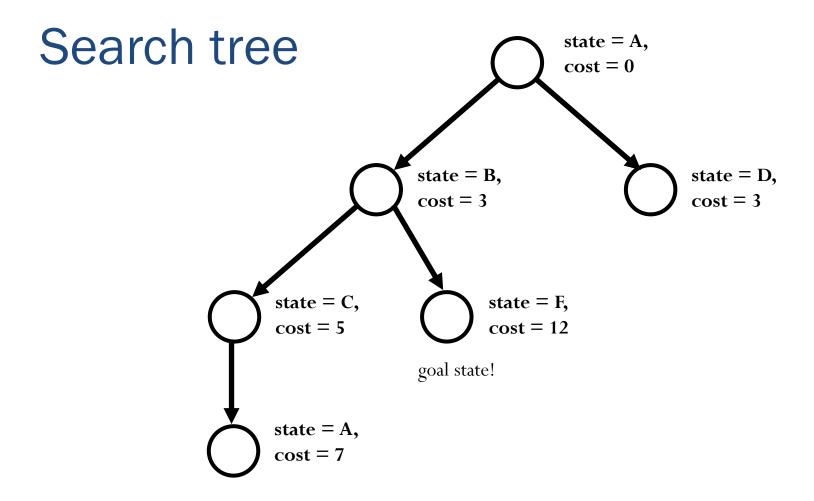
- We have some actions that can change the state of the world
 - Change induced by an action perfectly predictable
- Try to come up with a sequence of actions that will lead us to a goal state
 - May want to minimize number of actions
 - More generally, may want to minimize total cost of actions
- Do not need to execute actions in real life while searching for solution!
 - Everything perfectly predictable anyway

A simple example: traveling on a graph

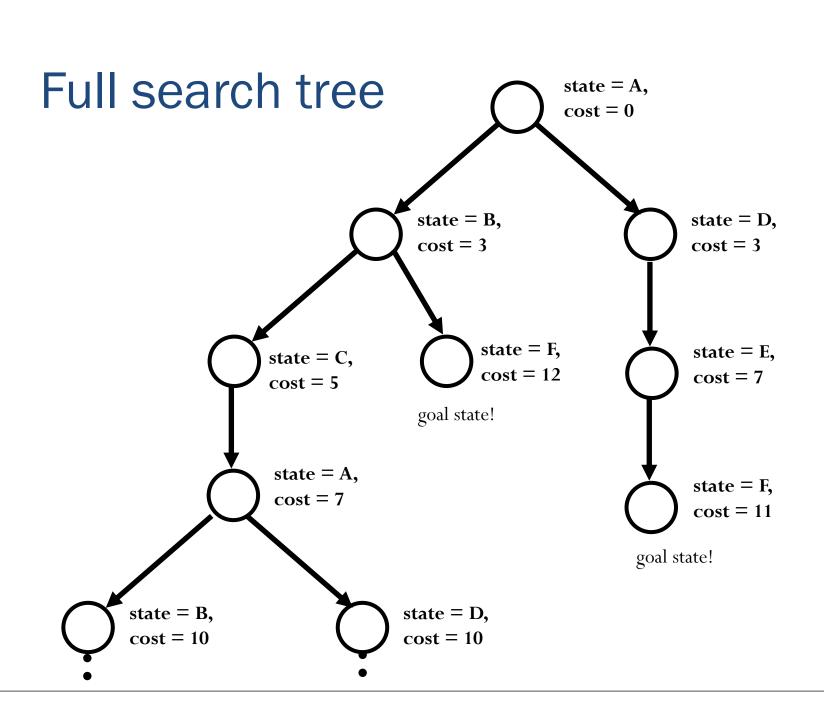


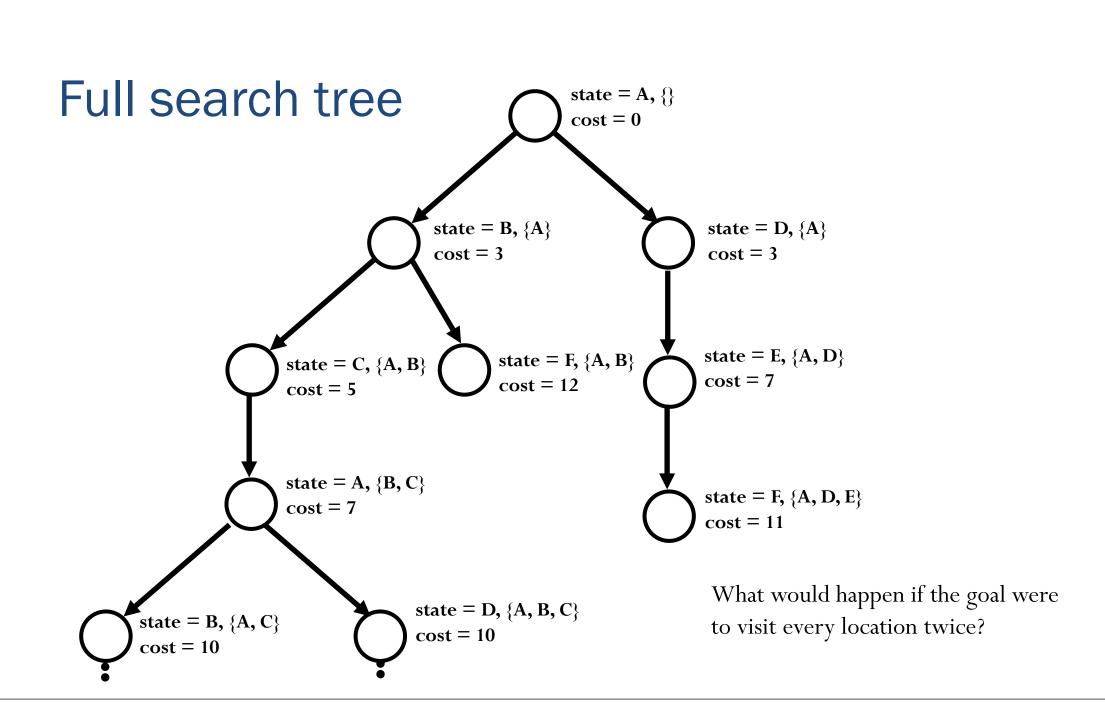
Searching for a solution





search tree nodes and states are not the same thing!





Key concepts in search

- Set of states that we can be in
 - Including an initial state...
 - ... and goal states (equivalently, a goal test)
- For every state, a set of actions that we can take
 - Each action results in a new state
 - Typically defined by successor function
 - Given a state, produces all states that can be reached from it
- Cost function that determines the cost of each action (or path = sequence of actions)
- Solution: path from initial state to a goal state
 - Optimal solution: solution with minimal cost

Uninformed search

Uninformed search

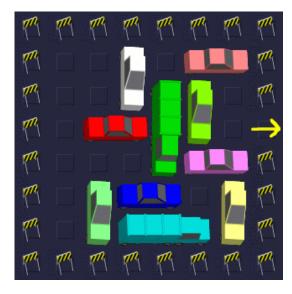
- Given a state, we only know whether it is a goal state or not
- Cannot say one nongoal state looks better than another nongoal state
- Can only traverse state space blindly in hope of somehow hitting a goal state at some point
 - Also called blind search
 - Blind does **not** imply unsystematic!

Searching Examples



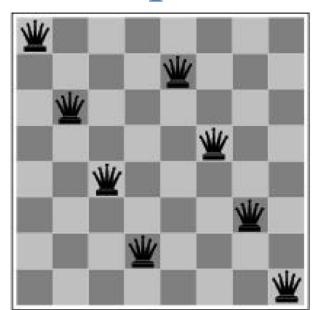


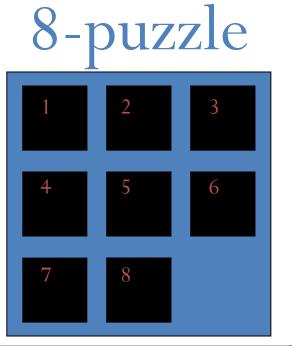
Rush Hour: Move cars forward and backward to "escape"



8-queens problem







Generic search algorithm

- Fringe = set of nodes generated but not expanded
- fringe := {initial state}
- loop:
 - if fringe empty, declare failure
 - choose and remove a node v from fringe
 - check if v's state s is a goal state; if so, declare success
 - if not, expand v, insert resulting nodes into fringe
- Key question in search: Which of the generated nodes do we expand next?

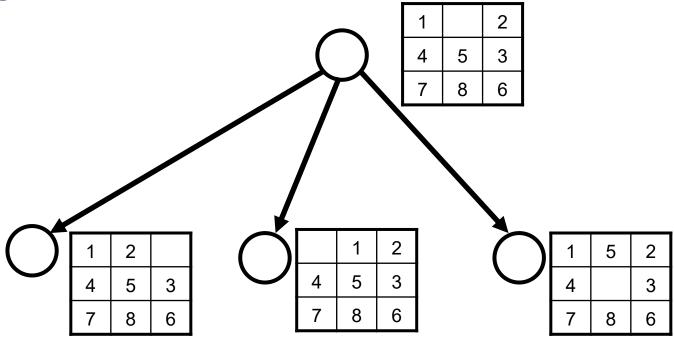
8-puzzle

1		2
4	5	3
7	8	6

1	2	3
4	5	6
7	8	

goal state

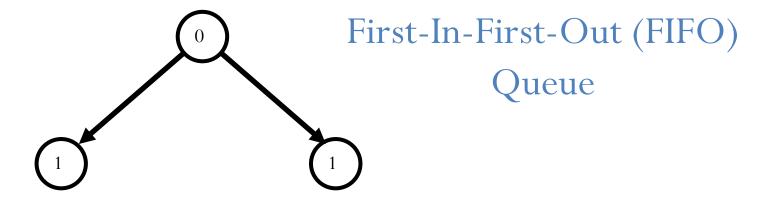
8-puzzle

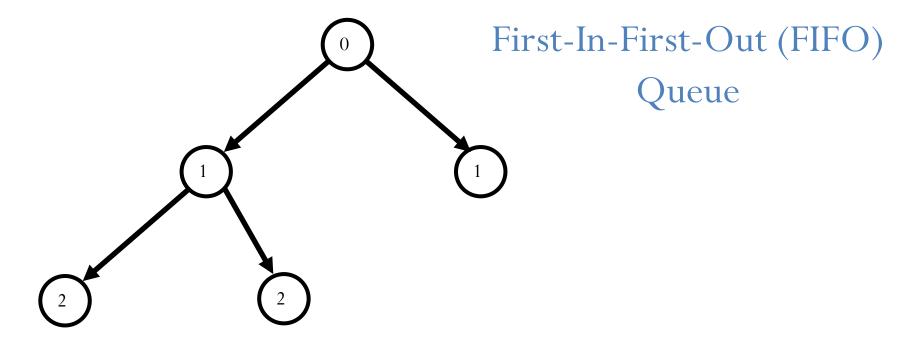


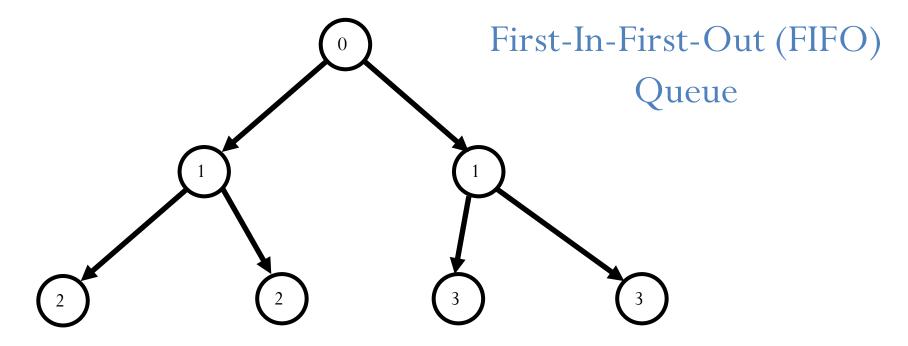


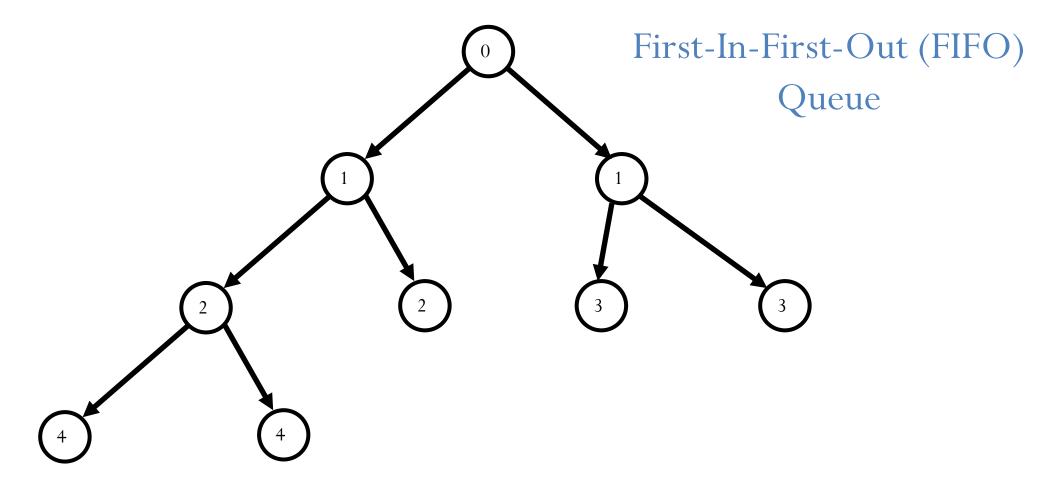
First-In-First-Out (FIFO)

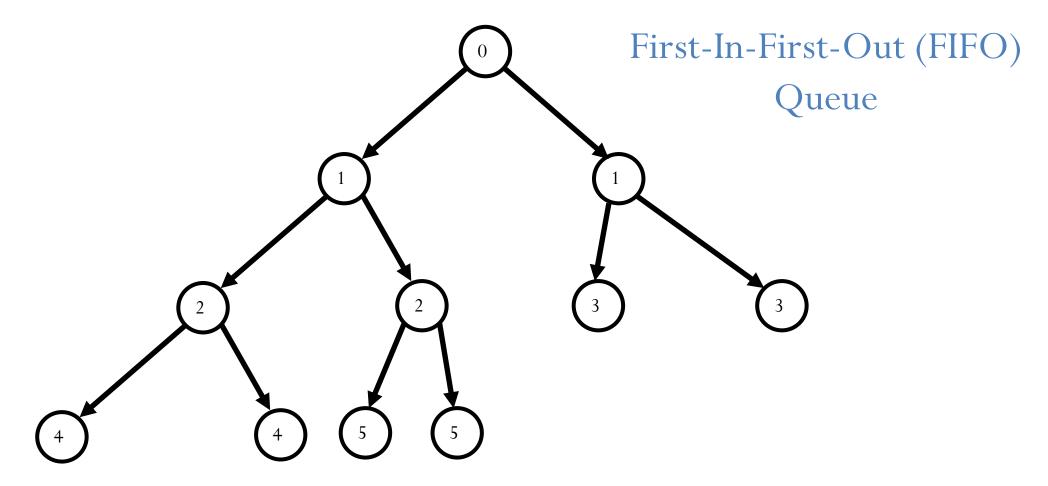
Queue

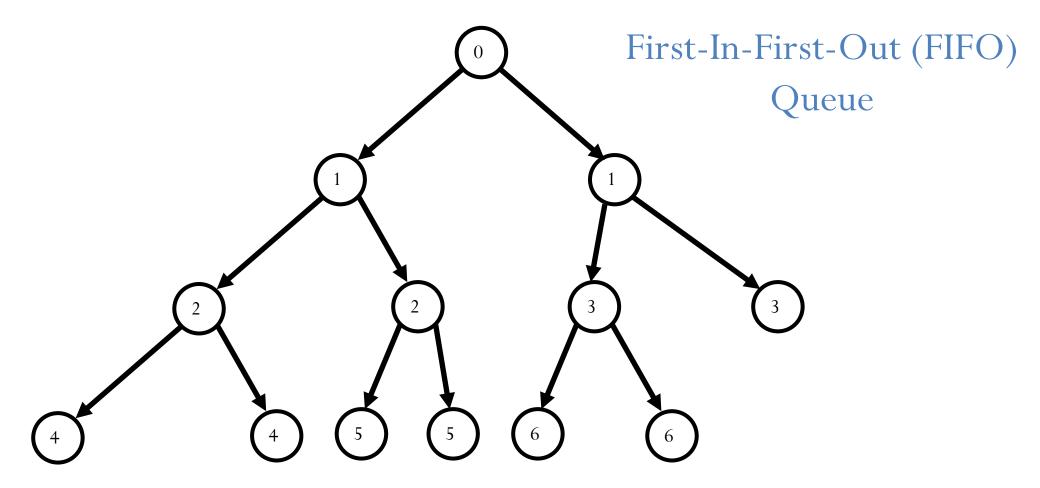


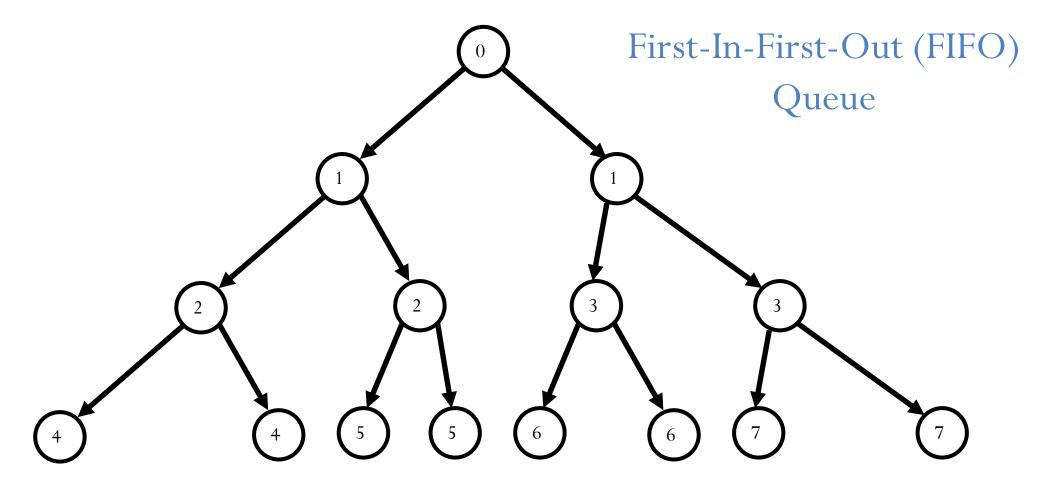


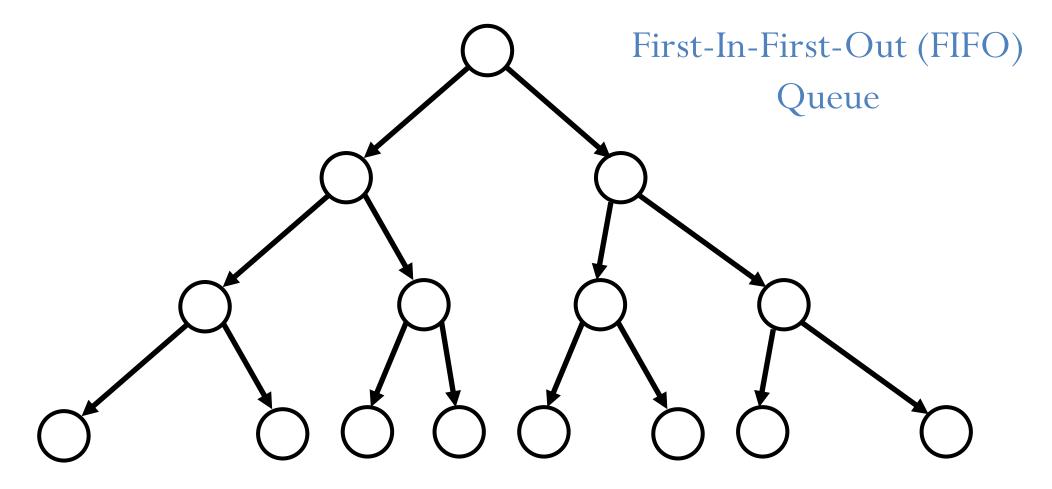






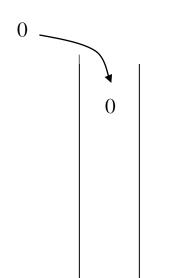






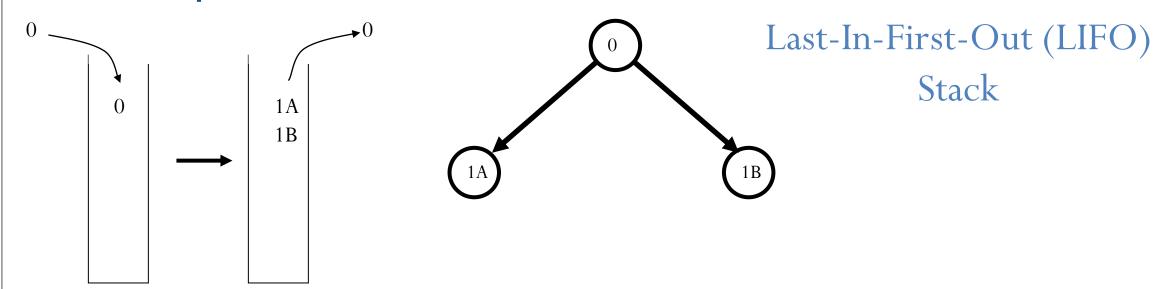
Properties of Breadth-First Search

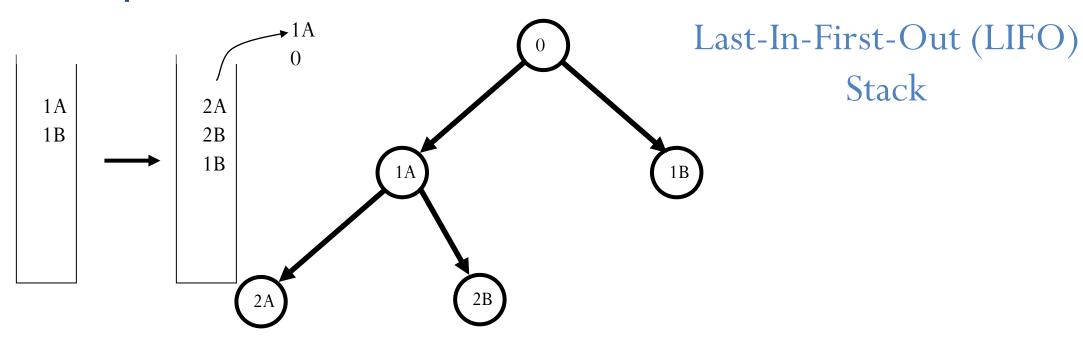
- Nodes are expanded in the same order in which they are generated
 - Fringe can be maintained as a First-In-First-Out (FIFO) queue
- BFS is complete: if a solution exists, one will be found
- BFS finds a shallowest solution
 - Not necessarily an optimal solution
- If every node has b successors (the branching factor), first solution is at depth d, then fringe size will be at least b^d at some point
 - This much space (and time) required 😊

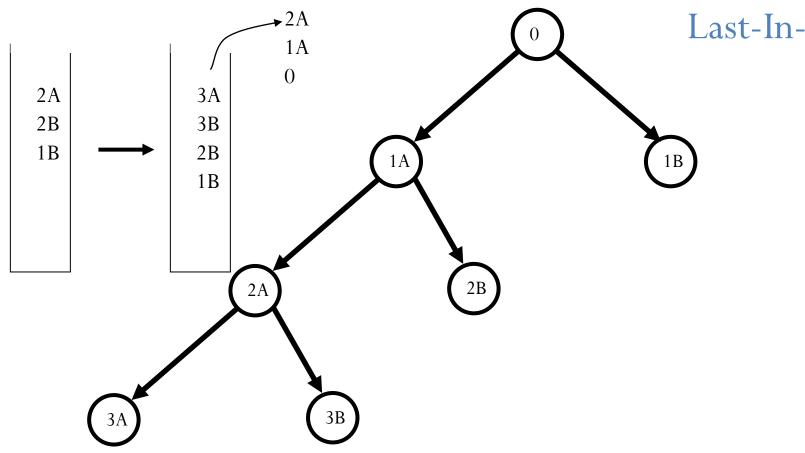




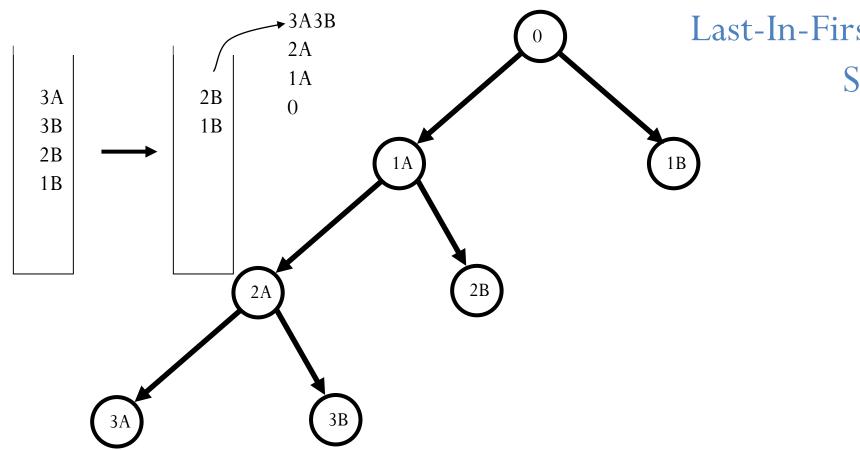
Last-In-First-Out (LIFO)
Stack



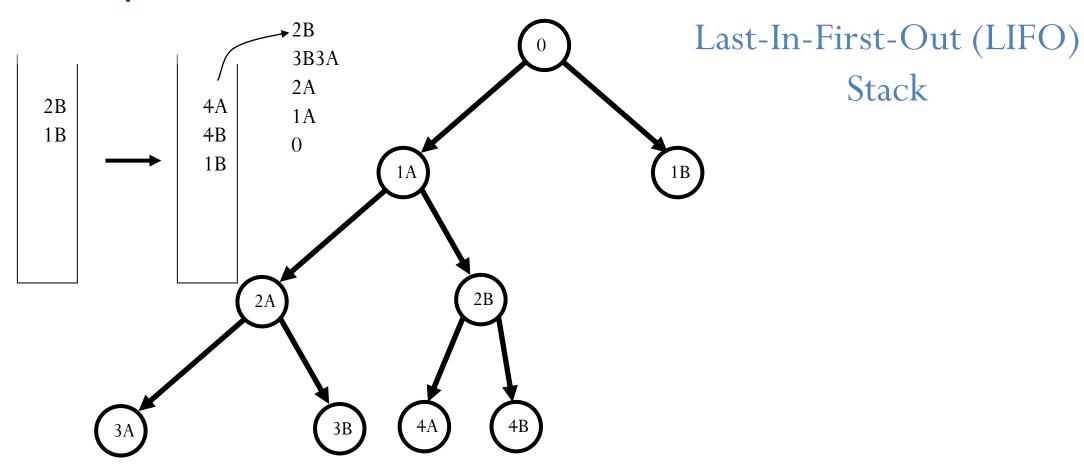




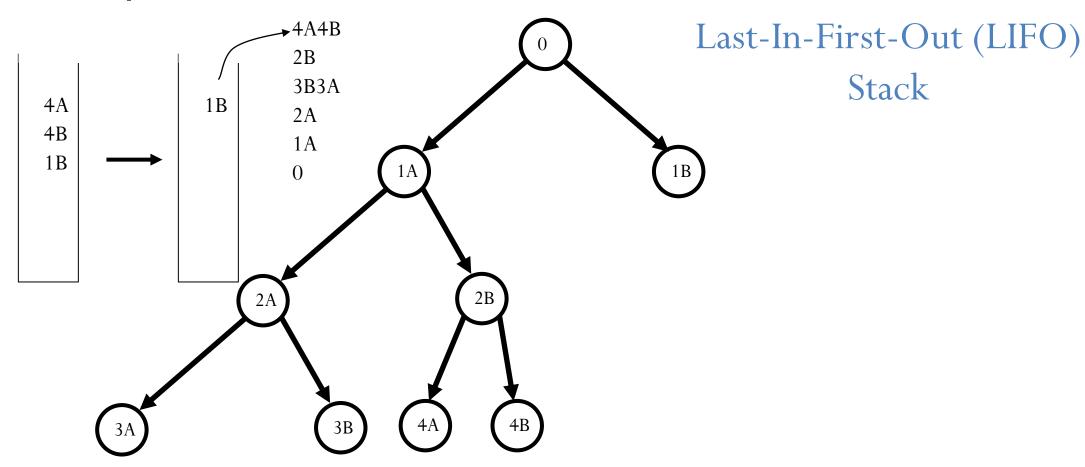
Last-In-First-Out (LIFO)
Stack

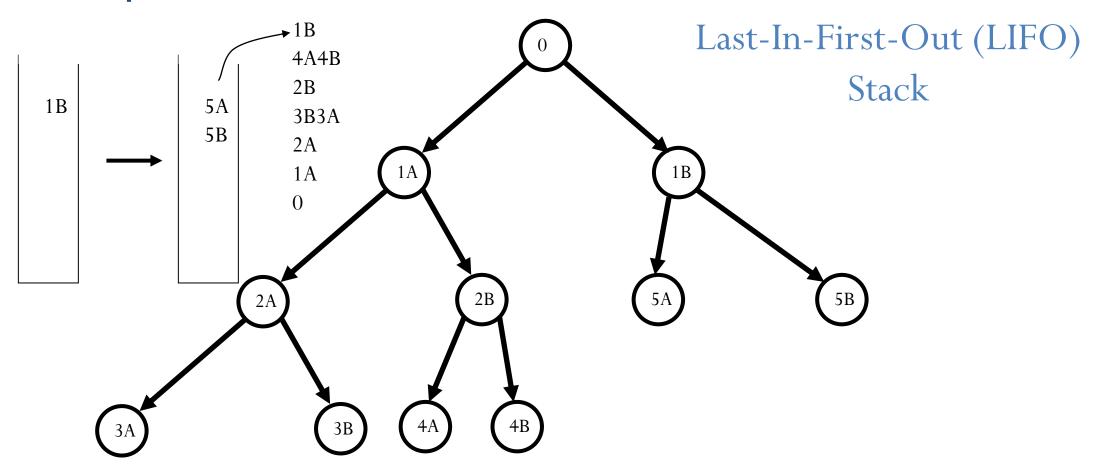


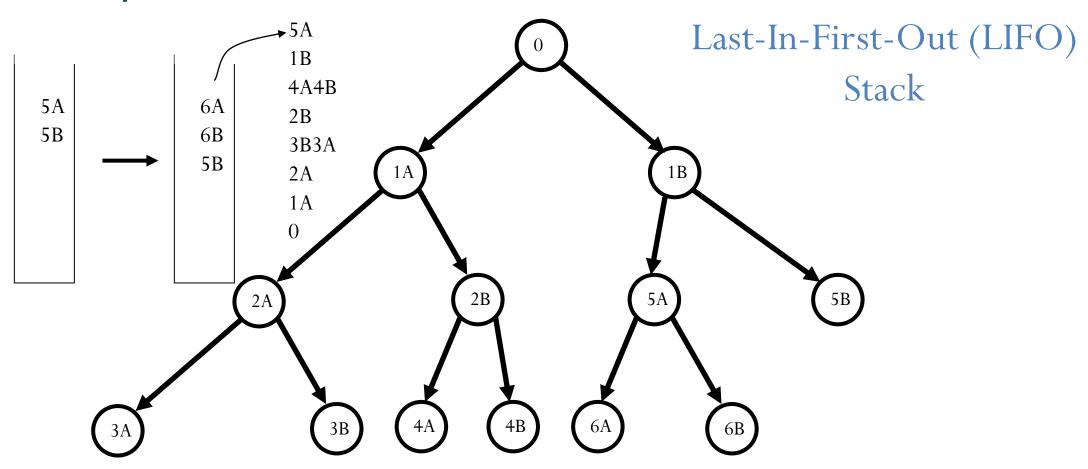
Last-In-First-Out (LIFO)
Stack

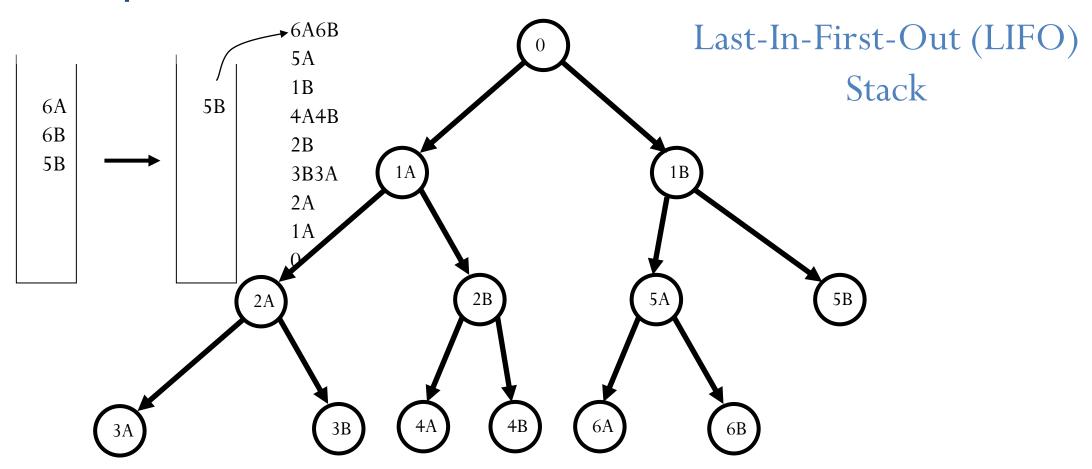


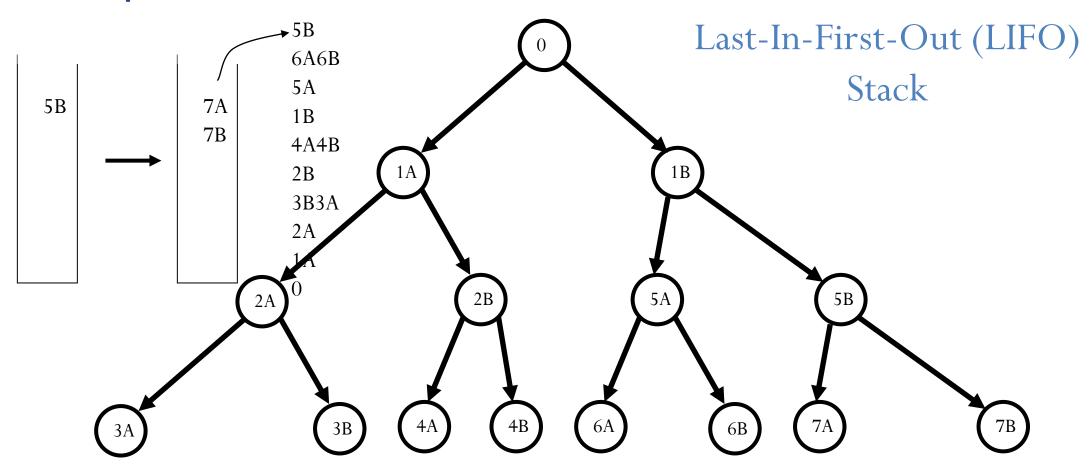
Animated PPT

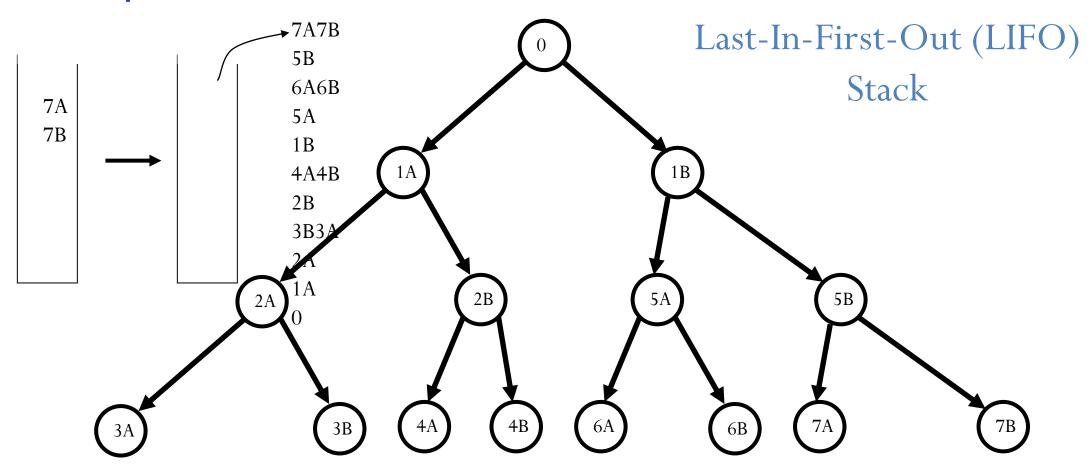


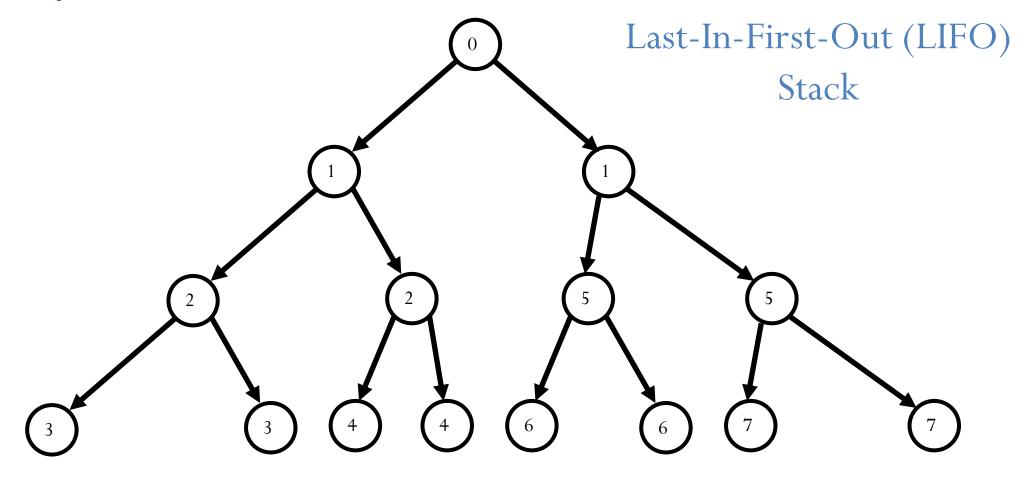












Implementing Depth-First Search

- Fringe can be maintained as a Last-In-First-Out (LIFO) queue (aka. a stack)
- Also easy to implement recursively:
- DFS(node)
 - If goal(node) return solution(node);
 - For each successor of node
 - Return DFS(successor) unless it is *failure*;
 - Return *failure*;

Properties of depth-first search

- Not complete (might cycle through nongoal states)
- If solution found, generally not optimal/shallowest
- If every node has b successors (the branching factor), and we search to at most depth m, fringe is at most bm
 - Much better space requirement ©
 - Actually, generally don't even need to store all of fringe
- Time: still need to look at every node
 - $b^m + b^{m-1} + ... + 1$ (for b > 1, $O(b^m)$)
 - Inevitable for uninformed search methods...

Combining good properties of BFS and DFS

- Limited depth DFS: just like DFS, except never go deeper than some depth d
- Iterative deepening DFS:
 - Call limited depth DFS with depth 0;
 - If unsuccessful, call with depth 1;
 - If unsuccessful, call with depth 2;
 - Etc.
- Complete, finds shallowest solution
- Space requirements of DFS
- May seem wasteful timewise because replicating effort
 - Really not that wasteful because **almost all effort at deepest level**
 - $db + (d-1)b^2 + (d-2)b^3 + ... + 1b^d$ is $O(b^d)$ for b > 1

Searching solution evaluation

- Comparing multiple searching algorithm based on
 - Completeness: does it always find a solution if one exist?
 - Time complexity: How long depends on number of nodes
 - Space complexity: Memory depends on number of nodes
 - Optimality: Find shortest path (or least cost solution)?
 - Systematicity: does it visit each state at most once?

ขอบคุณ

תודה רבה Grazie Italian

Hebrew

Thai

ಧನ್ಯವಾದಗಳು

Kannada

Sanskrit

धन्यवादः

Ευχαριστώ

Greek

Thank You English

Gracias

Spanish

Спасибо

Russian

Obrigado

Portuguese

شكراً

https://sites.google.com/site/animeshchaturvedi07

Merci

French

Arabic

多謝

Traditional

Chinese

धन्यवाद

Hindi

Danke

German



Simplified

Chinese

நன்றி

Tamil

Tamil

ありがとうございました 감사합니다

Japanese

Korean