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Minimal character-level language model with a Vanilla Recurrent Neural Network, in Python/numpy

```
o min-char-rnn.py
   2 Minimal character-level Vanilla RNN model. Written by Andrei Karpathy (@karpathy)
      BSD License
   5 import numpy as np
   7 # data I/O
   8 data = open('input.txt', 'r').read() # should be simple plain text file
   9 chars = list(set(data))
      data_size, vocab_size = len(data), len(chars)
  print 'data has %d characters, %d unique.' % (data_size, vocab_size)
  char_to_ix = { ch:i for i,ch in enumerate(chars) }
  ix_to_char = { i:ch for i,ch in enumerate(chars) }
  14
  15 # hyperparameters
  16 hidden size = 100 # size of hidden layer of neurons
       seq_length = 25 # number of steps to unroll the RNN for
  18 learning_rate = 1e-1
  20 # model parameters
  21 Wxh = np.random.randn(hidden_size, vocab_size)*0.01 # input to hidden
  22 Whh = np.random.randn(hidden_size, hidden_size)*0.01 # hidden to hidden
      Why = np.random.randn(vocab_size, hidden_size)*0.01 # hidden to output
  bh = np.zeros((hidden_size, 1)) # hidden bias
  by = np.zeros((vocab size, 1)) # output bias
  27 def lossFun(inputs, targets, hprev):
  28
        inputs.targets are both list of integers.
        hprev is Hx1 array of initial hidden state
        returns the loss, gradients on model parameters, and last hidden state
       xs, hs, ys, ps = {}, {}, {}, {}
  34
       hs[-1] = np.copy(hprev)
        loss = 0
        # forward pass
        for t in xrange(len(inputs)):
         xs[t] = np.zeros((vocab_size,1)) # encode in 1-of-k representation
  38
  39
         xs[t][inputs[t]] = 1
  40
         hs[t] = np.tanh(np.dot(Wxh, xs[t]) + np.dot(Whh, hs[t-1]) + bh) # hidden state
  41
         ys[t] = np.dot(Why, hs[t]) + by # unnormalized log probabilities for next chars
  42
          ps[t] = np.exp(ys[t]) / np.sum(np.exp(ys[t])) # probabilities for next chars
  43
          loss += -np.log(ps[t][targets[t],0]) # softmax (cross-entropy loss)
  44
        # backward pass: compute gradients going backwards
        dWxh, dWhh, dWhy = np.zeros_like(Wxh), np.zeros_like(Whh), np.zeros_like(Why)
  45
  46
        dbh, dby = np.zeros_like(bh), np.zeros_like(by)
  47
        dhnext = np.zeros_like(hs[0])
        for t in reversed(xrange(len(inputs))):
  48
          dy = np.copy(ps[t])
  50
          dy[targets[t]] -= 1 # backprop into y. see http://cs231n.github.io/neural-networks-case-study/#grad if confused here
         dWhy += np.dot(dy, hs[t].T)
         dby += dy
         dh = np.dot(Why.T, dy) + dhnext # backprop into h
  54
          dhraw = (1 - hs[t] * hs[t]) * dh # backprop through tanh nonlinearity
          dbh += dhraw
```

```
dWxh += np.dot(dhraw, xs[t].T)
         dWhh += np.dot(dhraw, hs[t-1].T)
 58
        dhnext = np.dot(Whh.T, dhraw)
     for dparam in [dWxh, dWhh, dWhy, dbh, dby]:
       np.clip(dparam, -5, 5, out=dparam) # clip to mitigate exploding gradients
61
     return loss, dWxh, dWhh, dWhy, dbh, dby, hs[len(inputs)-1]
63 def sample(h, seed_ix, n):
 64
       sample a sequence of integers from the model
66
     h is memory state, seed ix is seed letter for first time step
67
68
      x = np.zeros((vocab_size, 1))
       x[seed ix] = 1
       for t in xrange(n):
        h = np.tanh(np.dot(Wxh, x) + np.dot(Whh, h) + bh)
       y = np.dot(Why, h) + by
        p = np.exp(y) / np.sum(np.exp(y))
 74
        ix = np.random.choice(range(vocab_size), p=p.ravel())
 76
         x = np.zeros((vocab_size, 1))
         x[ix] = 1
        ixes.append(ix)
 78
 79
     return ixes
 80
81 n, p = 0, 0
 82 mWxh, mWhh, mWhy = np.zeros like(Wxh), np.zeros like(Whh), np.zeros like(Why)
    mbh, mby = np.zeros_like(bh), np.zeros_like(by) # memory variables for Adagrad
 84 smooth_loss = -np.log(1.0/vocab_size)*seq_length # loss at iteration 0
85 while True:
 86
     # prepare inputs (we're sweeping from left to right in steps seq_length long)
87
     if p+seq_length+1 >= len(data) or n == 0:
 88
        hprev = np.zeros((hidden size,1)) # reset RNN memory
 89
         p = 0 # go from start of data
 90
       inputs = [char_to_ix[ch] for ch in data[p:p+seq_length]]
91
       targets = [char_to_ix[ch] for ch in data[p+1:p+seq_length+1]]
       # sample from the model now and then
 93
94
      if n % 100 == 0:
       sample ix = sample(hprev, inputs[0], 200)
         txt = ''.join(ix_to_char[ix] for ix in sample_ix)
         print '----\n %s \n----' % (txt, )
98
99
      # forward seq_length characters through the net and fetch gradient
100
       loss, dWxh, dWhh, dWhy, dbh, dby, hprev = lossFun(inputs, targets, hprev)
       smooth loss = smooth loss * 0.999 + loss * 0.001
       if n % 100 == 0: print 'iter %d, loss: %f' % (n, smooth_loss) # print progress
104
       # perform parameter update with Adagrad
105
       for param, dparam, mem in zip([Wxh, Whh, Whv, bh, bv],
106
                                    [dWxh, dWhh, dWhy, dbh, dby],
107
                                    [mWxh, mWhh, mWhy, mbh, mby]):
108
        mem += dparam * dparam
         param += -learning_rate * dparam / np.sqrt(mem + 1e-8) # adagrad update
       p += seq length # move data pointer
       n += 1 # iteration counter
```



```
karpathy commented on Jul 27 2015

Also here is the gradient check code as well. It's ugly but works:

# gradient checking
from random import uniform

def gradCheck(inputs, target, hprev):
    global Wxh, Whh, Why, bh, by
    num_checks, delta = 10, 1e-5
    _, dWxh, dWhh, dWhy, dbh, dby, _ = lossFun(inputs, targets, hprev)
    for param,dparam,name in zip([Wxh, Whh, Why, bh, by], [dWxh, dWhh, dWhy, dbh, dby], ['Wxh', 'Whh', 'Why', 'bh', 'by']):
```

```
s0 = dparam.shape
s1 = param.shape
assert s0 == s1, 'Error dims dont match: %s and %s.' % (`s0`, `s1`)
print name
for i in xrange(num_checks):
 ri = int(uniform(0,param.size))
  \# evaluate cost at [x + delta] and [x - delta]
  old val = param.flat[ri]
  param.flat[ri] = old_val + delta
  cg0, _, _, _, _ = lossFun(inputs, targets, hprev)
  param.flat[ri] = old_val - delta
  cg1, _, _, _, _, _ = lossFun(inputs, targets, hprev)
  param.flat[ri] = old val # reset old value for this parameter
  # fetch both numerical and analytic gradient
  grad_analytic = dparam.flat[ri]
  grad_numerical = (cg0 - cg1) / ( 2 * delta )
  rel_error = abs(grad_analytic - grad_numerical) / abs(grad_numerical + grad_analytic)
  print '%f, %f => %e ' % (grad_numerical, grad_analytic, rel_error)
  # rel_error should be on order of 1e-7 or less
```



denis-bz commented on Aug 1 2015

Nice. Could you add a few words describing the problem being solved, or links? Is there a straw man e.g. naive Bayes, for which RNN is much better?

Bytheway, the clip line should be

np.clip(dparam, -1, 1, out=dparam) # clip to mitigate exploding gradients

(Any ideas on ways to plot gradients before / after smoothing?)



voho commented on Aug 12 2015

Wonderful. For a beginner, could you please add usage description with some example? Would be very grateful!



farizrahman4u commented on Aug 15 2015

Why is the loss going up sometimes during training?



r03ert0 commented on Aug 15 2015

Yes! more comments please (it will not count for the number of lines;D)



suhaspillai commented on Aug 15 2015

I think it goes up for first 100 iterations but reduces for all other iterations. I think the reason it goes up is because initially some letters might have different output letters.

Like for example:

Winter is harsh in Rochester, USA

Summer is harsh in India

now for one sentence n-> R and for another sentence you have n->I. So, for first few iterations the weights are trying to learn this features, I think they might be capturing some information about weather (Summer and Winter, in this eg). Thus, after few hundred iterations your weights have learned that information and then predicts the correct letter based on some conditional information of the past(like weather in this case), thereby increasing the class score for that letter and -log(score) decreases, thus reducing the loss.



daquang commented on Aug 28 2015

Does this code implement mini-batch truncated bptt?



ozancaglayan commented on Sep 17 2015

The original blog post referring to this code is: http://karpathy.github.io/2015/05/21/rnn-effectiveness/



popwin commented on Nov 9 2015

Thank you~I learned a lot from your code



GriffinLiang commented on Nov 20 2015

Thanks for sharing~



kkunte commented on Dec 3 2015

Thanks for sharing an excellent article and the code.

I am bit confused about the [targets[t],0] array reference in following line:

loss += -np.log(ps[t][targets[t],0]) # softmax (cross-entropy loss)

I tried searching the documentation for numpy but with no luck.



bshillingford commented on Dec 13 2015

@kkunte Numpy lets you do: array_of_floats[array_of_indices] to select out the elements of an array, so that syntax computes result[i] = array_of_floats[array_of_indices[i]] for i=0,...,len(array_of_indices)-1.(more quickly, conveniently, and without a loop)



ijkilchenko commented on Jan 8 2016

If you want a word-level language model, insert data = data.split() after reading the input file (after line 8 at the time of writing this comment). Leave everything else as is.



jayanthkoushik commented on Jan 9 2016

What's the purpose of smooth_loss here?



to0ms commented on Jan 17 2016

@bshillingford IMO not the good answer.

@kkunte Targets is a list of integers (so targets[t] is an integer which plays index) and ps[t] a column matrix, so ps[t][targets[t], 0] -> ps[t] [targets[t]][0]

More generally with x, a numpy matrix with (2,4) shape, x[1, 3] == x[1][3]

"Unlike lists and tuples, numpy arrays support multidimensional indexing for multidimensional arrays. That means that it is not necessary to separate each dimension's index into its own set of square brackets."



rajarsheem commented on Jan 30 2016

While performing word level modelling, isn't it better to use word2vec representation for each word instead of onehot encoding?



ShuaiW commented on Feb 9 2016

Thanks for this mini RNN (which I also find easier to read than text).

There is one thing I don't quite understand: what's the intuition of **dhnext** (defined on line 47) and then adding it to the gradient **dh** (line 53)? I turned '+ dhnext' (line 53) off and found that without it the model enjoys a faster convergence rate and a lower loss. Here are my experiment results

Without '+ dhnext' on line 53: iter 10000, loss: 4.696478; iter 40000, loss: 0.763520

With '+ dhnext' on line 53: iter 10000, loss: 5.893804; iter 40000, loss: 1.647147



karpathy commented on Feb 10 2016

Owner

@ShuaiW the hidden state variable h is used twice: one going vertically up to the prediction (y), and one going horizontally to the next hidden state h at the next time step. During backpropagation these two "branches" of computation both contribute gradients to h, and these gradients have to add up. The variable dhnext is the gradient contributed by the horizontal branch. It's strange to see you get better performance without it, but my guess is that if you ran it longer the *proper* way would eventually win out. It's computing the correct gradient.



xiaoyu32123 commented on Feb 15 2016

I think the line 51 should be: dWhy += np.dot(dy, (1/hs[t]).T), also line 53, 56, 57. Am I wrong?



HanuManuOm commented on Mar 9 2016

When I am running this python code, min_char_rnn.py with a text file called input.txt having content as "Hello World. Best Wishes." Then it is un-ending. Its taking more than 24 hours to run. Iterations and Loss are going on but, never ending. Please help me out.



pmichel31415 commented on Mar 18 2016

@HanuManuOm as you can see the last part of the code is a while True: loop so it is supposed not to end. It's just a toy script, you should check out his char-nn on github for a more complete version. This is just to see how it works. Run it on fancy text, look at the random babbling it produces every second and, when you're bored, just ctrl+c your way out of it



CamJohnson26 commented on Apr 2 2016

So I can't get results as good as the article even after 1.5 million iterations. What parameters were you using for the Paul Graham quotes? Mine seems to learn structure but can't consistently make actual words



0708andreas commented on Apr 13 2016

@Mostlyharmless26 In the article, he links to this GitHub repo: https://github.com/karpathy/char-rnn. That code is implemented using Torch and defaults to slightly larger models. You should probably use that if you're trying to replicate his results



laie commented on Apr 18 2016

@ShuaiW, actually, as like @karpathy's calculation, it's correct to add two terms to calculate exact derivative. In that case you are treating previous hidden state as input like they are not influenced by the network's weights. But I think that exact derivative's harming the first-order optimizer more than your wrong assumption. Nowadays most researchers don't fully trust GD's weight update proposition. So they preprocess gradients by clipping, or using element-wise methods like RMSPROP, ADADELTA, ...



ChiZhangRIT commented on Apr 20 2016

@Karpathy Thanks very much for providing the gradient check. When I run the gradient checking, I found that all the relative errors are very small except for some of them in Wxh. They are shown as NaN:

Wxh

0.000000, 0.000000 => nan

0.000000, 0.000000 => nan

-0.025170, -0.025170 => 1.155768e-08

0.000000, 0.000000 => nan 0.000000, 0.000000 => nan 0.000000, 0.000000 => nan 0.000000, 0.000000 => nan 0.010142, 0.010142 => 3.613506e-09 -0.002687, -0.002687 => 2.578197e-08 0.000000, 0.000000 => nan

I tried to change the dtype to np.float64 but it did not go away. Do you have any idea what is going on here?

I appreciate if you could provide help of any kind.



BenMacKenzie commented on May 21 2016

@ShuaiW @Karpathy does adding in dhnext on line 53 really give you the exact gradient? Wouldn't the full gradient for a particular output include gradients from all outputs the occur later in the letter sequence? It looks like this is an approximation that limits influence of an output to the next letter in sequence.



rongjiecomputer commented on Jun 4 2016

@Karpathy Thank you so much for the code, it is really helpful for learning!

For those who don't fancy Shakespeare much, Complete Sherlock Holmes in raw text might be more interesting to play with!



alihassan1 commented on Jun 6 2016 • edited

@Karpathy Thank you so much for this awesome code.

I'm new to Python and I was wondering if you can explain the following line (75)

ix = np.random.choice(range(vocab_size), p=p.ravel())

Shouldn't we be taking the index of max value of 'p' here instead?



rohitsaluja22 commented on Jun 9 2016 • edited

Hi Karpathy, thanks a lot for sharing this code and article on this. It helped me a lot growing my understanding about RNN.

@allhassan1, line 75 is doing the same thing you said, i.e. it is giving maximum value index of p. I do not know exactly how, but if i check on python with some random vocab_size and p, its giving the maximum value index of item in p. range(vocab_size) will give a normal python list - [0 1 2 3 (vocab_size-1)]

p.ravel() just readjust m by n matrix to mn by 1 array.

Check these references and let me know if you figure it out why the line 75 gives max value index in p:-

http://docs.scipy.org/doc/numpy-1.10.1/reference/generated/numpy.ravel.html

http://docs.scipy.org/doc/numpy-dev/reference/generated/numpy.random.choice.html



alihassan1 commented on Jun 11 2016

@rohitsaluja22 Thanks a lot for your response above. I still think it doesn't give maximum value index of p because by definition the function np.random.choice generates a non-uniform random sample when called with p. I wonder what would be the equivalent function in Matlab?



sunshineatnoon commented on Jun 12 2016

@jayanthkoushik, did you figure out the purpose of smooth_loss? I have the same question.



DvHuang commented on Jun 22 2016 • edited

@alihassan1 @rohitsaluja22

the code in line (75),it doesn't return the index of max value of 'p'. As the code down here,when you try some times it return different value p=np.zeros((4,1)) p[:,0]=[0.3,0.2,0.4,0.1] print p,p.ravel(),p.shape,p.ravel().shape

ix = np.random.choice(4, p=p.ravel())

print ix,"ix"

the index of max value of 'p' : p.argmax()



profPlum commented on Jul 2 2016 • edited

@karpathy

I'm trying to understand the math behind this... On line 41 you say that ys[] contains the "unnormalized log probabilities for next chars" and then you use the exp() function to get the real probabilities. At what point did those become "log probabilities"? Is it an effect of the tanh() activation function? Any insight would be appreciated.

EDIT: Ok I figured out that you're computing the softmax by doing that, but now I'm curious why you use a different activation function in the hidden layers than in the output layer?



liuzhi136 commented on Jul 6 2016

Thanks very much for your code. It is the code that I can understand the RNN more deeply. I wander that what dose the code of "# prepare inputs (we're sweeping from left to right in steps seq_length long)" mean. I have read your blog http://karpathy.github.io/2015/05/21/rnneffectiveness/. and test the very simple example "hello". I would be very appreiciate if I could receive your anwser.



eliben commented on Jul 22 2016

@alihassan1 -- correct, this doesn't use argmax to select the one char with highest probability, but rather uses sampling to select from all chars weighted by their probabilities (so the maximal prob char still has the highest chance of being selected, but now it's a probability distribution). Read the documentation of numpy's random.choice for the full insight.

IMHO in @karpathy's https://github.com/karpathy/char-rnn/ repository this is configurable with the sample option which you set to 1 if you want sampling and 0 if you want argmax. In case of sampling you can also use temperature to scale down all probabilities a bit.

I hope this makes sense :)



mohamaddanesh commented on Jul 26 2016 • edited

Hi, could you explain or give a link describing about the usage of dhraw and what's it for in line 54 and 56? I got a little confused about it. thanks



rincerwind commented on Jul 31 2016 • edited

Hi, thanks for the code.

@karpathy, Is it correct to say that this network is Fully Recurrent and that the relationship between the neurons in one layer is a Soft-Winner-Takes-All? It seems like that from the hidden-weight matrix.

Thanks



uvarovann commented on Aug 6 2016

something error...

inputs = [char_to_ix[ch] for ch in data[p:p+seq_length]] targets = [char_to_ix[ch] for ch in data[p+1:p+seq_length]] length inputs one less targets, for example: inputs = [5, 6, 2, 1, 0, 3, 4] targets = [6, 2, 1, 0, 3, 4]



12digimon commented on Aug 15 2016

Hi Is it possible to speak with you



12digimon commented on Aug 15 2016

Hi Is it possible to speak with you



guotong1988 commented on Aug 17 2016 • edited

@uvarovann same question. Have you fixed it?



rukshn commented on Aug 18 2016

@profPlum it's better to use a softmax function as the output's activation function over tanh or sigmoid function. Softmax function also doesn't have the problem of values going to extreme levels, and the vanishing gradient problem. Usually what I heard was that even for the hidden nodes it's better to use the ReLU function over the sigmoid of tanh functions because they also then doesn't suffer the vanishing gradient problem, however it's far more difficult to train the network oppsed to tanh or sigmoid.



rukshn commented on Aug 19 2016

@uvarovann usually this happens at the end of the corpus because there is no character after the last character of the corpus meaning that the target is always one short from the input, what i did was append a space to the end of it



cyrilfurtado commented on Aug 31 2016

When does the training complete?

Also after training how does it output any learnt data like 'code' or 'Shakespeare'?



eduOS commented on Sep 5 2016 • edited

@sunshineatnoon @jayanthkoushik I thought the smooth_loss has nothing to do with the algorithm, since it is only used as a friendly(smooth) dashboard to check the decreasing value of the true loss.



pavelkomarov commented on Sep 16 2016 • edited

I think I've managed to reimplement the above in a slightly more sensible way. I couldn't understand it very well before this exercise. Maybe this will help some others, give you a different jumping-off point.

```
#implemented as I read Andrej Karpathy's post on RNNs.
import numpy as np
import matplotlib.pyplot as plt

class RNN(object):

    def __init__(self, insize, outsize, hidsize, learning_rate):
        self.insize = insize

        self.h = np.zeros((hidsize , 1))#a [h x 1] hidden state stored from last batch of inputs

        #parameters
        self.W_hh = np.random.randn(hidsize, hidsize)*0.01#[h x h]
        self.W_xh = np.random.randn(hidsize, insize)*0.01#[h x x]
```

```
self.W_hy = np.random.randn(outsize, hidsize)*0.01#[y x h]
    self.b h = np.zeros((hidsize, 1))#biases
    self.b_y = np.zeros((outsize, 1))
    #the Adagrad gradient update relies upon having a memory of the sum of squares of dparams
    self.adaW_hh = np.zeros((hidsize, hidsize))
    self.adaW_xh = np.zeros((hidsize, insize))
    self.adaW hy = np.zeros((outsize, hidsize))
    self.adab_h = np.zeros((hidsize, 1))
    self.adab_y = np.zeros((outsize, 1))
   self.learning rate = learning rate
#give the RNN a sequence of inputs and outputs (seq_length long), and use
#them to adjust the internal state
def train(self, x, y):
    #====initialize====
    xhat = {}#holds 1-of-k representations of x
   yhat = {}#holds 1-of-k representations of predicted y (unnormalized log probs)
    p = {} #the normalized probabilities of each output through time
   h = {}#holds state vectors through time
   h[-1] = np.copy(self.h)#we will need to access the previous state to calculate the current state
   dW xh = np.zeros like(self.W xh)
    dW_hh = np.zeros_like(self.W_hh)
    dW_hy = np.zeros_like(self.W_hy)
    db_h = np.zeros_like(self.b_h)
    db_y = np.zeros_like(self.b_y)
   dh next = np.zeros like(self.h)
    #====forward pass=====
    loss = 0
    for t in range(len(x)):
       xhat[t] = np.zeros((self.insize, 1))
       xhat[t][x[t]] = 1#xhat[t] = 1-of-k representation of x[t]
       h[t] = np.tanh(np.dot(self.W_xh, xhat[t]) + np.dot(self.W_hh, h[t-1]) + self.b_h)\#find new hidden state
       yhat[t] = np.dot(self.W_hy, h[t]) + self.b_y#find unnormalized log probabilities for next chars
        p[t] = np.exp(yhat[t]) / np.sum(np.exp(yhat[t]))#find probabilities for next chars
       loss += -np.log(p[t][y[t],0])#softmax (cross-entropy loss)
    #====backward pass: compute gradients going backwards=====
    for t in reversed(range(len(x))):
        #backprop into y. see http://cs231n.github.io/neural-networks-case-study/#grad if confused here
       dy = np.copy(p[t])
       dy[y[t]] -= 1
       #find updates for y
        dW_hy += np.dot(dy, h[t].T)
       db_y += dy
        #backprop into h and through tanh nonlinearity
       dh = np.dot(self.W_hy.T, dy) + dh_next
       dh_raw = (1 - h[t]**2) * dh
        #find updates for h
       dW xh += np.dot(dh_raw, xhat[t].T)
       dW\_hh \ += \ np.dot(dh\_raw, \ h[t-1].T)
       db_h += dh_raw
        #save dh next for subsequent iteration
       dh next = np.dot(self.W hh.T, dh raw)
    for dparam in [dW_xh, dW_hh, dW_hy, db_h, db_y]:
       np.clip(dparam, -5, 5, out=dparam)#clip to mitigate exploding gradients
    #update RNN parameters according to Adagrad
    for param, dparam, adaparam in zip([self.W_hh, self.W_xh, self.W_hy, self.b_h, self.b_y], \
                           [dW_hh, dW_xh, dW_hy, db_h, db_y], \
                           [self.adaW_hh, self.adaW_xh, self.adaW_hy, self.adab_h, self.adab_y]):
        adaparam += dparam*dparam
       param += -self.learning rate*dparam/np.sqrt(adaparam+1e-8)
    self.h = h[len(x)-1]
    return loss
#let the RNN generate text
def sample(self, seed, n):
```

```
ndxs = []
        h = self.h
        xhat = np.zeros((self.insize, 1))
        xhat[seed] = 1#transform to 1-of-k
        for t in range(n):
           h = np.tanh(np.dot(self.W_xh, xhat) + np.dot(self.W_hh, h) + self.b_h)#update the state
            y = np.dot(self.W_hy, h) + self.b_y
            p = np.exp(y) / np.sum(np.exp(y))
            ndx = np.random.choice(range(self.insize), p=p.ravel())
            xhat = np.zeros((self.insize, 1))
            xhat[ndx] = 1
            ndxs.append(ndx)
        return ndxs
    #open a text file
    data = open('shakespeare.txt', 'r').read() # should be simple plain text file
    chars = list(set(data))
    data_size, vocab_size = len(data), len(chars)
    print 'data has %d characters, %d unique.' % (data_size, vocab_size)
    #make some dictionaries for encoding and decoding from 1-of-k
    char to ix = { ch:i for i,ch in enumerate(chars) }
    ix_to_char = { i:ch for i,ch in enumerate(chars) }
    #insize and outsize are len(chars). hidsize is 100. seq_length is 25. learning_rate is 0.1.
    rnn = RNN(len(chars), len(chars), 100, 0.1)
    #iterate over batches of input and target output
    seq_length = 25
    losses = []
    smooth_loss = -np.log(1.0/len(chars))*seq_length#loss at iteration 0
    losses.append(smooth_loss)
    for i in range(len(data)/seq_length):
        x = [char_to_ix[c] for c in data[i*seq_length:(i+1)*seq_length]]#inputs to the RNN
        y = [char_to_ix[c] for c in data[i*seq_length+1:(i+1)*seq_length+1]]#the targets it should be outputting
        if i%1000==0:
            sample_ix = rnn.sample(x[0], 200)
            txt = ''.join([ix_to_char[n] for n in sample_ix])
            print txt
        loss = rnn.train(x, y)
        smooth_loss = smooth_loss*0.999 + loss*0.001
        if i%1000==0:
            print 'iteration %d, smooth_loss = %f' % (i, smooth_loss)
            losses.append(smooth_loss)
    plt.plot(range(len(losses)), losses, 'b', label='smooth loss')
    plt.xlabel('time in thousands of iterations')
    plt.ylabel('loss')
    plt.legend()
    plt.show()
if __name__ == "__main__":
    test()
```



pavelkomarov commented on Sep 21 2016 • edited

@karpathy How can we extend this to multiple layers? It's irritating to me that all the implementations I can easily Google use libraries like tensorflow. I want to know how to do this at a rawer level.



pavelkomarov commented on Sep 21 2016 • edited

@karpathy I also would like a more granular explanation of how to backprop through matrix multiplications like this. These are great http://cs231n.github.io/optimization-2/, but it is unclear how that scales up to more dimensions.

I can follow the notes and understand how to get from p to dy, and I can see your expressions for propagating through the rest of this, but I do not understand how they are derived analytically. If I want to understand what gradient I should be passing from one layer of a network to the previous one in backpropagation, I need to be able to get through all of this.



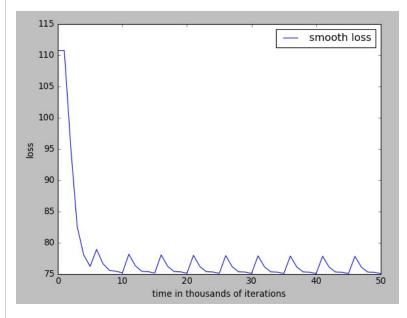
pavelkomarov commented on Sep 22 2016 • edited

I managed to find something that sort of works, but I am still having issues.

If I calculate dy for the output layer as before, let dx = np.dot(self.W_xh.T, dh_raw) in backprop steps, and use dx as dy for the next layers, I see my loss function decrease. But it only does so to some point, and I know that my 3-layer RNN should have more characterizing power than this.

I implemented a smooth_error like smooth_loss and ran it over the first 50th of my shakespeare.txt training set 10 times. I should see that the network is getting more and more overfit to these inputs, but the error rate remains at about 0.77 through the 10 iterations. Why should it get stuck? I am using a small update and Adagrad.

Here is a plot of the loss during that process:



Here is the complete but not-cleaned-up code in case you want to run or comb through it:

```
#An attempt at a batched RNNS
#
#I don't think this is an LSTM. What is the difference, exactly? I want to
#know the more complicated functional forms, how to backprop them, and what
#the advantage is.
import numpy as np
import matplotlib.pyplot as plt

class RNNlayer(object):

    def __init__(self, x_size, h_size, y_size, learning_rate):
        self.h_size = h_size
        self.learning_rate = learning_rate#ugh, nightmares

    #inputs and internal states for each layer, used during backpropagation
    self.x = {}
    self.h = {}
    self.h_last = np.zeros((h_size, 1))

#x is the input. h is the internal hidden stuff. y is the output.
```

```
self.W_xh = np.random.randn(h_size, x_size)*0.01#x -> h
    self.W hh = np.random.randn(h size, h size)*0.01#h -> h
    self.W_hy = np.random.randn(y_size, h_size)*0.01#h \rightarrow y
    self.b_h = np.zeros((h_size, 1))\#biases
    self.b_y = np.zeros((y_size, 1))
    #the Adagrad gradient update relies upon having a memory of the sum of squares of dparams
    self.adaW_xh = np.zeros((h_size, x_size))#start sums at 0
    self.adaW_hh = np.zeros((h_size, h_size))
    self.adaW_hy = np.zeros((y_size, h_size))
    self.adab_h = np.zeros((h_size, 1))
   self.adab y = np.zeros((y size, 1))
#given an input, step the internal state and return the output of the network
#Because the whole network is together in one object, I can make it easy and just
#take a list of input ints, transform them to 1-of-k once, and prop everywhere.
  Here is a diagram of what's happening. Useful to understand backprop too.
                    [b_h]
                                                                         [b_y]
   x \to [\texttt{W\_xh}] \to [\texttt{sum}] \to \texttt{h\_raw} \to [\texttt{nonlinearity}] \to \texttt{h} \to [\texttt{W\_hy}] \to [\texttt{sum}] \to \texttt{y} \dots \to [\texttt{e}] \to \texttt{p}
                      '----h_next------[W_hh]------
def step(self, x):
    #load the last state from the last batch in to the beginning of h
    #it is necessary to save it outside of h because h is used in backprop
   self.h[-1] = self.h last
   self.x = x
   p = {}#p[t] = the probabilities of next chars given chars passed in at times <=t
    for t in range(len(self.x)):#for each moment in time
        #self.h[t] = np.maximum(0, np.dot(self.W_xh, self.xhat[t]) + \
        # np.dot(self.W_hh, self.h[t-1]) + self.b_h)#ReLU
        \# find new hidden state in this layer at this time
        self.h[t] = np.tanh(np.dot(self.W_xh, self.x[t]) + \
            np.dot(self.W_hh, self.h[t-1]) + self.b_h)#tanh
        #find unnormalized log probabilities for next chars
        y[t] = np.dot(self.W\_hy, self.h[t]) + self.b\_y\#output from this layer is input to the next
        p[t] = np.exp(y[t]) \; / \; np.sum(np.exp(y[t])) \# find \; probabilities \; for \; next \; chars
    #save the last state from this batch for next batch
    self.h last = self.h[len(x)-1]
    return y, p
#given the RNN a sequence of correct outputs (seq_length long), use
#them and the internal state to adjust weights
def backprop(self, dy):
    #we will need some place to store gradients
    dW_xh = np.zeros_like(self.W_xh)
    dW_hh = np.zeros_like(self.W_hh)
    dW hy = np.zeros like(self.W hy)
    db_h = np.zeros_like(self.b_h)
    db_y = np.zeros_like(self.b_y)
    dh_next = np.zeros((self.h_size, 1))#I think this is the right dimension
   dx = \{\}
    for t in reversed(range(len(dy))):
        #find updates for y stuff
        dW_hy += np.dot(dy[t], self.h[t].T)
        db_y += dy[t]
        #backprop into h and through nonlinearity
        dh = np.dot(self.W_hy.T, dy[t]) + dh_next
        dh_raw = (1 - self.h[t]**2)*dh#tanh
        #dh_raw = self.h[t][self.h[t] <= 0] = 0#ReLU
        #find updates for h stuff
        dW_xh += np.dot(dh_raw, self.x[t].T)
        dW_hh += np.dot(dh_raw, self.h[t-1].T)
        db h += dh raw
        #save dh next for subsequent iteration
```

```
dh_next = np.dot(self.W_hh.T, dh_raw)
                         #save the error to propagate to the next layer. Am I doing this correctly?
                         dx[t] = np.dot(self.W_xh.T, dh_raw)
                 #clip to mitigate exploding gradients
                 for dparam in [dW_xh, dW_hh, dW_hy, db_h, db_y]:
                        dparam = np.clip(dparam, -5, 5)
                 for t in range(len(dx)):
                         dx[t] = np.clip(dx[t], -5, 5)
                #update RNN parameters according to Adagrad
                 \mbox{\tt \#yes}, it calls by reference, so the actual things do get updated
                 for param, dparam, adaparam in zip([self.W_hh, self.W_xh, self.W_hy, self.b_h, self.b_y], \
                                          [dW_hh, dW_xh, dW_hy, db_h, db_y], \
                                          [self.adaW_hh, self.adaW_xh, self.adaW_hy, self.adab_h, self.adab_y]):
                         adaparam += dparam*dparam
                         param += -self.learning rate*dparam/np.sqrt(adaparam+1e-8)
                 return dx
def test():
        #open a text file
        data = open('shakespeare.txt', 'r').read() # should be simple plain text file
        chars = list(set(data))
        data_size, vocab_size = len(data), len(chars)
        print 'data has %d characters, %d unique.' % (data_size, vocab_size)
        #make some dictionaries for encoding and decoding from 1-of-k
        char_to_ix = { ch:i for i,ch in enumerate(chars) }
        ix_to_char = { i:ch for i,ch in enumerate(chars) }
        #num hid layers = 3, insize and outsize are len(chars). hidsize is 512 for all layers. learning rate is 0.1.
        rnn1 = RNNlayer(len(chars), 50, 50, 0.001)
        rnn2 = RNNlayer(50, 50, 50, 0.001)
        rnn3 = RNNlayer(50, 50, len(chars), 0.001)
        #iterate over batches of input and target output
        seq length = 25
        losses = []
         smooth\_loss = -np.log(1.0/len(chars))*seq\_length\#loss \ at \ iteration \ 0
        losses.append(smooth_loss)
        smooth error = seq length
        for j in range(10):
                 print "====== j = ",j," ==========
                 for i in range(len(data)/(seq_length*50)):
                         inputs = [char to ix[c] for c in data[i*seq length:(i+1)*seq length] #inputs to the RNN
                         \texttt{targets} = [\texttt{char\_to\_ix[c]} \ \texttt{for} \ \texttt{c} \ \texttt{in} \ \texttt{data[i*seq\_length+1:(i+1)*seq\_length+1]}] \\ \texttt{#the} \ \texttt{targets} \ \texttt{it} \ \texttt{should} \ \texttt{be} \ \texttt{outputting} \\ \texttt{targets} \ \texttt{it} \ \texttt{should} \ \texttt{be} \ \texttt{outputting} \\ \texttt{targets} \ \texttt{it} \ \texttt{should} \ \texttt{be} \ \texttt{outputting} \\ \texttt{targets} \ \texttt{it} \ \texttt{should} \ \texttt{be} \ \texttt{outputting} \\ \texttt{targets} \ \texttt{it} \ \texttt{should} \ \texttt{be} \ \texttt{outputting} \\ \texttt{targets} \ \texttt{it} \ \texttt{should} \ \texttt{be} \ \texttt{outputting} \\ \texttt{targets} \ \texttt{it} \ \texttt{should} \ \texttt{be} \ \texttt{outputting} \\ \texttt{targets} \ \texttt{targets} \ \texttt{it} \ \texttt{should} \ \texttt{be} \ \texttt{outputting} \\ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \\ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \\ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \\ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \\ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \\ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \ \texttt{targets} \\ \texttt{targets} \ \texttt{targ
                         if i%1000==0:
                                 sample_ix = sample([rnn1, rnn2, rnn3], inputs[0], 200, len(chars))
                                 txt = ''.join([ix_to_char[n] for n in sample_ix])
                                 print txt
                                 losses.append(smooth_loss)
                         #forward pass
                         x = oneofk(inputs, len(chars))
                         y1, p1 = rnn1.step(x)
                         y2, p2 = rnn2.step(y1)
                         y3, p3 = rnn3.step(y2)
                         #calculate loss and error rate
                         loss = 0
                         error = 0
                          for t in range(len(targets)):
                                 loss += -np.log(p3[t][targets[t],0])
                                 if np.argmax(p3[t]) != targets[t]:
                                        error += 1
                         smooth loss = smooth loss*0.999 + loss*0.001
                         smooth_error = smooth_error*0.999 + error*0.001
                                print i, "\tsmooth loss = ", smooth loss, "\tsmooth error rate = ", float(smooth error)/len(targets)
                         #backward pass
                         dy = logprobs(p3, targets)
                         dx3 = rnn3.backprop(dy)
                         dx2 = rnn2.backprop(dx3)
                         dx1 = rnn1.backprop(dx2)
```

```
plt.plot(range(len(losses)), losses, 'b', label='smooth loss')
    plt.xlabel('time in thousands of iterations')
    plt.ylabel('loss')
    plt.legend()
    plt.show()
#let the RNN generate text
def sample(rnns, seed, n, k):
    ndxs = []
    ndx = seed
    for t in range(n):
        x = oneofk([ndx], k)
        for i in range(len(rnns)):
            x, p = rnns[i].step(x)
        \label{eq:ndx} ndx = np.random.choice(range(len(p[0])), p=p[0].ravel())
        ndxs.append(ndx)
    return ndxs
#I have these out here because it's not really the RNN's concern how you transform
#things to a form it can understand
#get the initial dy to pass back through the first layer
def logprobs(p, targets):
    dy = \{\}
    for t in range(len(targets)):
        #see http://cs231n.github.io/neural-networks-case-study/#grad if confused here
        dy[t] = np.copy(p[t])
        dy[t][targets[t]] -= 1
    return dy
#encode inputs in 1-of-k so they match inputs between layers
def oneofk(inputs, k):
    x = \{\}
    for t in range(len(inputs)):
        x[t] = np.zeros((k, 1))#initialize x input to 1st hidden layer
        x[t][inputs[t]] = 1#it's encoded in 1-of-k representation
    return x
if __name__ == "__main__":
    test()
```



mfagerlund commented on Sep 24 2016

@pavelkomarov, for an analytical treatment of this very code, have a look here: http://www.existor.com/en/ml-rnn.html



caverac commented on Oct 10 2016

@karpathy thanks a lot for this posting! I tried to run it with your hello example ... and this is what I get

Traceback (most recent call last):
File "min-char-rnn.py", line 100, in
loss, dWxh, dWhh, dWhy, dbh, dby, hprev = lossFun(inputs, targets, hprev)
File "min-char-rnn.py", line 43, in lossFun
loss += -np.log(ps[t][targets[t],0]) # softmax (cross-entropy loss)
IndexError: list index out of range

Any ideas?

d

Thanks!

pavelkomarov commented on Oct 12 2016 • edited

@mfagerlund Damn, that's some crazy calculus, but thanks. Karpathy should have referenced something like this in his post for those of us who want to do it ourselves. How to backpropagate through to get dx (the thing you would want to pass back to the next layer in the network) is still unclear, so I have no idea whether I did it correctly. I also still have no idea why my loss stops decreasing as it does.

Also, is my diagram/flowchart correct?



delijati commented on Nov 1 2016 • edited

 $\textbf{Explanation of the rnn code:} \ https://youtu.be/cO0a0QYmFm8? list=PLIJy-eBtNFt6EuMxFYRiNRS07MCWN5UIA\&t=836$



georgeblck commented on Nov 29 2016

@pavelkomarov and all others

If you want to check the math more thoroughly, you can do so with the recently published Deep Learning Book by Goodfellow/Bengio/Courville. Check Chapter 10.1 & 10.2 or more specifically look on page 385-386 for the Backprop equations. The architecture used in that example is exactly the same as the one used here.

It does take some time to connect the notation in the book with the notation in the code, but it is worth it.



100ZeroGravity commented on Dec 18 2016 • edited

Just discovered github and this is my favorite gist for the moment wow. Helped me with my post thanks.



taosiqin1991 commented on Dec 18 2016

wonderful



Zoson commented on Dec 24 2016

The loss divided by the length of inputs before backprop will be better.



somah1411 commented on Jan 11

how can i use this code for translation where shall i put the input and target langauge



ppaquette commented on Jan 16

@caverac The variable seq_length must be smaller than the size of the data in your input.txt, otherwise there are not enough targets to calculate the loss function. Decreasing seq_length or adding more text in your input.txt should fix the issue.



georgeblck commented on Feb 7

For anyone interested, I rewrote the entire code in R. You can find it **here**.



bhomass commented on Feb 8

is seq_length the same as the the number of hidden nodes? I think it is, just want to be sure.



georgebick commented on Feb 9

@bhomass seq_length is not the number of hidden nodes. seq_length determines for how many time steps you want to unravel your RNN. In this case one time step is a letter, so you train your network based on the 25 previous time steps/letters.

bhomass commented on Feb 9 • edited



@georgeblck That agrees with my understanding what seq_length is. I see now there is another variable for hidden_size of 100. I understand the difference now. Thanks!



inexxt commented on Feb 21 • edited

@ChiZhangRIT The reason is because if two of the derivatives are exactly zero, you're dividing by zero - it's a special case not handled by the code

@karpathy Worse situation is when exactly one of them is equal to zero - then dividing by the abs(sum) yields just that value, which can be correctly greater than the treshold.



shaktisd commented on Mar 4

@karpathy can you share similar implementation using Keras? It is much easier to understand the code using Keras.



hkxlron commented on Mar 6

According to 《Supervised Sequence Labelling with Recurrent Neural Networks》, Alex Graves, 2012, we have no gradient for dh and dhnext, can you explain it?



coolBoyGym commented on Mar 11

A nice material. Thanks a lot!



wilderfield commented on Mar 13

I want to apply this concept to a different problem without using one-hot encoding. My input vector has 2^48 possibilities. I am afraid to one-hot encode that. If I strip out the one-hot encoding, can I use a different cost function such as 1/2 L2Norm^2 ?? I feel like I can't use softmax since I am not expecting the log probabilities to add up to 1... My input could be 0,0,1,1... and my output could be 1,0,1,0



wilderfield commented on Mar 14

@karapathy Why the need for dictionaries to hold various y[t] vectors when you could just create a matrix Y, whose columns are time steps, and rows are dimensions?



fmthoker commented on Apr 3

@karapathy In the forward pass, you hs[t] is calculated as $hs[t] = np.tanh(np.dot(Wxh, xs[t]) + np.dot(Whh, hs[t-1]) + bh) # hidden state. However in the backward pass shouldn,t we back propagate through tanh using this formula 1-tanh^2(X). where X= np.dot(Wxh, xs[t]) + np.dot (Whh, hs[t-1]) + bh. in place of hs[t] which is the ouput after applying tanh.$



GuntaButya commented on Apr 9 • edited

Can you please give detail on how the line: ix = np.random.choice(range(vocab_size), p=p.ravel()) accurately returns a sequence that is human readable:

 $sample_ix = sample(hprev, inputs[0], 200) \ txt = \text{``.join}(ix_to_char[ix] \ for \ ix \ in \ sample_ix) \ print \text{'---} \ \% \ h----' \% (txt,)$

Thank You Very Much!!!



cgoliver commented 27 days ago

Hello,

Thanks for this! Just a quick question.

I'm trying to learn a model that generates sequences in a character based manner exactly like this one. Except the training data is not one long corpus. It is actually a set of fixed length sequences. And I want to generate new sequences of the same length. So I don't want the model to read the end of one sequence and the beginning of another as would happen with the way the scanning is implemented here. I was wondering if there is a workaround here like padding by the window size or maybe preparing the data differently that could make this work. Thanks!



gongxijun commented 19 days ago

Thanks a lot!



bishwa420 commented 5 days ago

It's a wonderful post to begin with. Thanks Karpathy.



zklgame commented 7 hours ago

Wonderful code!

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