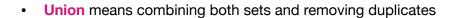
## **Set Operators**

- The operators are given in the right hand side table
- Here we are taking the following sets and performing different set operators.

$$s = \{1,2,3,4,5,6,7,8,9,10\}$$

$$A = \{1,2,3,5,7\}$$

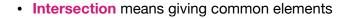
$$B = \{5,7,9,10,11\}$$



$$C = A \mid B$$
 =>  $A \mid B = \{1,2,3,5,7,9,10,11\}$ 

C - Taking result of A, B in var C

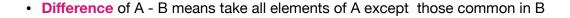
- pipe / union symbol



$$C = A \& B = \{ 5,7 \}$$

C - Taking result of A, B in var C

& - Intersection symbol



$$C = A - B = \{ 1,2,3 \}$$

• Symmetric Difference means take all elements of A and B except those common to both sets

$$C = A ^ B = \{ 1,2,3,9,10,11 \}$$

Taking result of A , B in var C

Symmetric difference



- · Now let us check other operators.
- <,> are useful for checking proper subset (or) proper superset
- <= ,>= they consider equal sets as well while checking subset and superset
- == they check if two sets are equal or not
- != they check if two sets are not equal

```
>>>
>>> S = {1,2,3,4,5,6,7,8,9,10}
>>> A={1,2,3,5,7}
>>> B={5,7,9,10,11}
>>>
>>> A<B
   False
>>> B<A
   False
>>> A<S
   True
>>> S>B
                                                   #11 Is in B but not in S so that's why false
    False
>>> S==S
   True
>>> S!=A
   True
>>> S<=A
   False
>>> S>=B
   False
```

- in , not in are also know as membership operators
- · They check if an element is present in a set or not and return boolean type as result.

```
>>> S = {1,2,3,4,5,6,7,8,9,10}
>>> A={1,2,3,5,7}
>>> B={5,7,9,10,11}
>>>
>> 8 in S
True
>>> 11 in S
False
>>> 11 in B
True
>>>
>>> 11 not in S
True
```

## Note:

• If you store the result of A | B in A, then the result will be go in A itself. So, You can write this as

A | B (same as A = A | B) A & B (same as A = A & B) A - B (same as A = A - B)