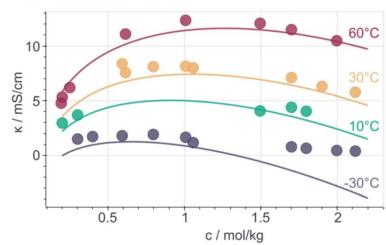


#### Motivation

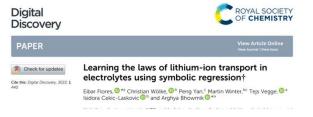
#### b. Fit on withheld set

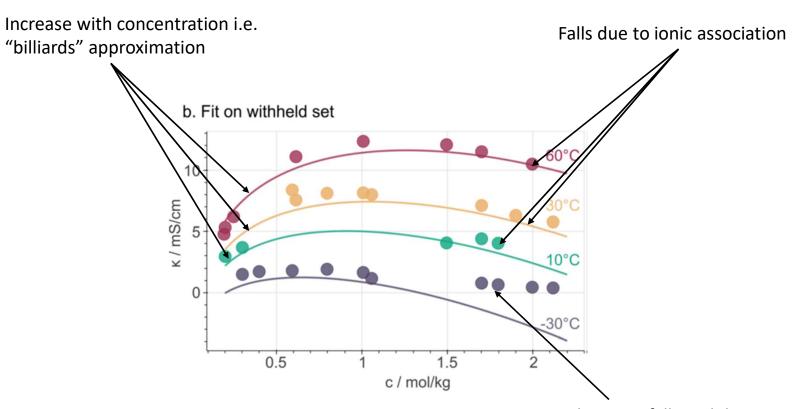


- Authors modeled electrolyte conductivity as a function of
  - Li salt loading
  - Fraction of propylene carbonate in electrolyte
  - Temperature
- Basically conductivity = f(salt loading, PC fraction) at a given temperature
- Approach predicted good trends overall
  - Unable to capture the trends at low temperature



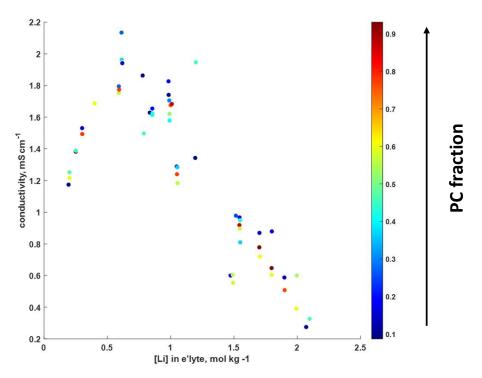
## Possible explanation for trends





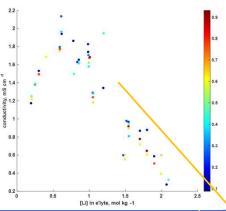
Ionic association ~ coagulation -> falls with lower temperature

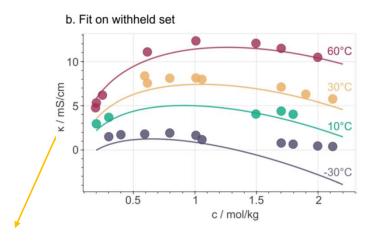
How does conductivity vary with salt loading and PC fraction at 243K?



- Zoomed in on the conductivity scale
  - Clearly defined trend with Li salt loading
  - Haphazard behaviour with PC fraction

## Proposed corrections

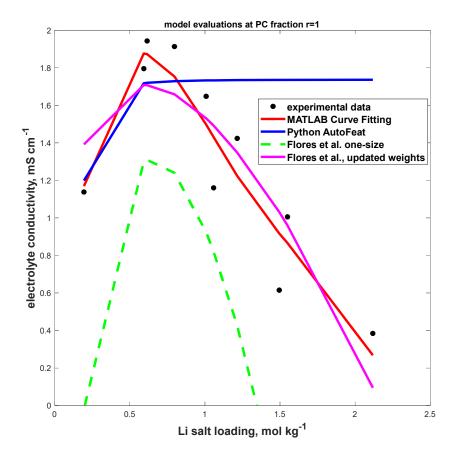




| Method  | Rationale   | Package                      | Name                       |
|---|---|------------------------------|----------------------------|
| Fit a high (≥2)degree polynomial in c,<br>force through zero                                  | Behaviour at constant temperature is essentially dependent on c and not r | MATLAB Curve Fitting Toolbox | polynomial fitting         |
| Train a symbolic regression model in the lower temperature regime                             | Possible need to change weights due                                       | Python Autofeat              | symbolic regression, low T |
| Use features from Flores et al but update weights in a linear combination, force through zero | to shallow trends at higher concentration                                 | Python ski-kitlearn          | updated weights            |

- c = lithium salt loading, mol kg-1
- r = fraction of propylene carbonate in electrolyte solvent (along with ethylene carbonate and ethyl methyl carbonate)
- *T* = temperature (constant for this study)

# Comparing different approaches

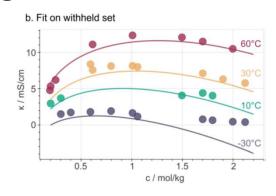


### How do the fitted coefficients change?

$$\kappa = \beta_1 c + \beta_2 T + \beta_3 r^{\frac{1}{2}} c^{\frac{5}{2}} + \beta_4 T^2 c^{\frac{1}{4}}$$

Not implemented since we're considering constant temperature

| Coefficient | Flores et al          | Current effort         |
|-------------|-----------------------|------------------------|
| $eta_1$     | -5.11                 | -2.804                 |
| $eta_2$     | -0.04                 | 0                      |
| $eta_3$     | -0.35                 | -0.059                 |
| $eta_4$     | 2.73x10 <sup>-4</sup> | 7.437x10 <sup>-5</sup> |



- The higher value of  $\beta_1$  moves the curve upwards
- Lower values for  $\beta_3$  and  $\beta_4$  help "shallow" the curve