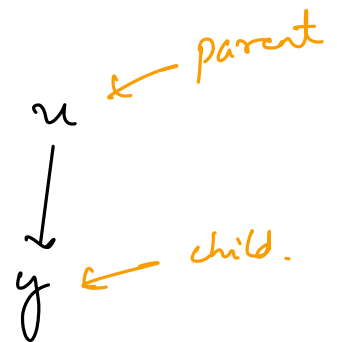
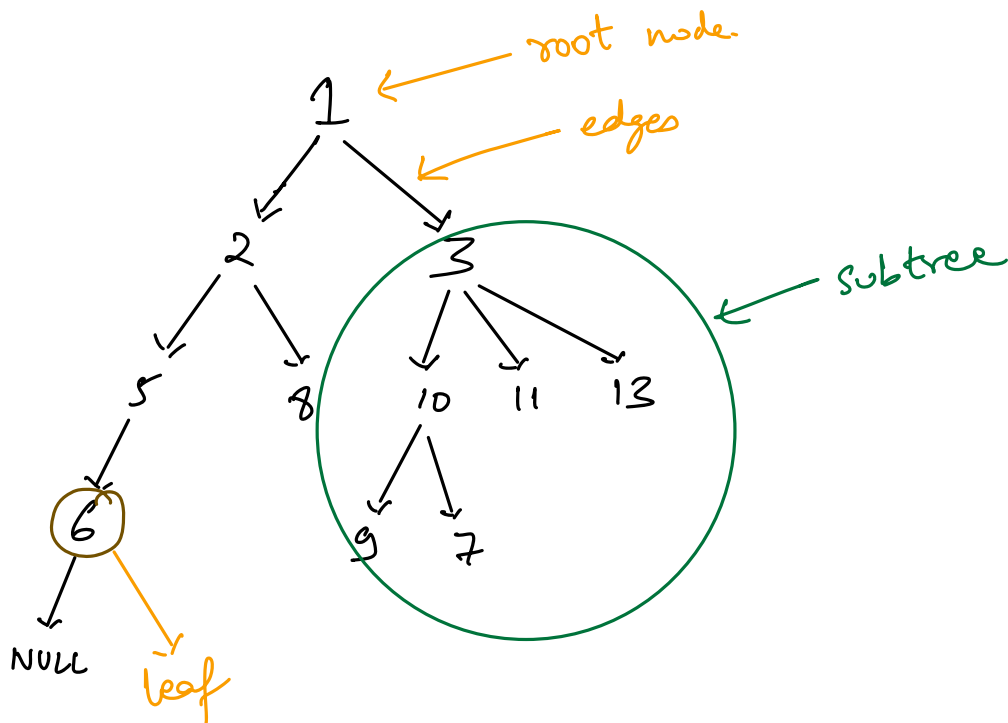
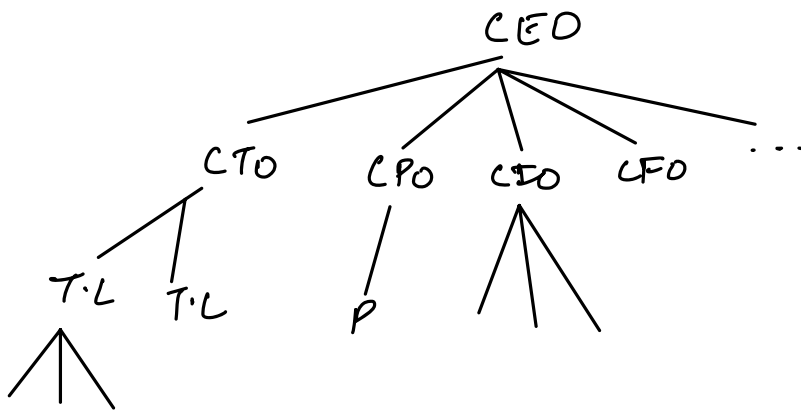


Welcome 😊

Agenda : Tree D.S
Terms
Traversal
1-2 ques's.

Tree D.S

→ non linear D.S / heirarchical D.S
↳ traverse all the data in single run.



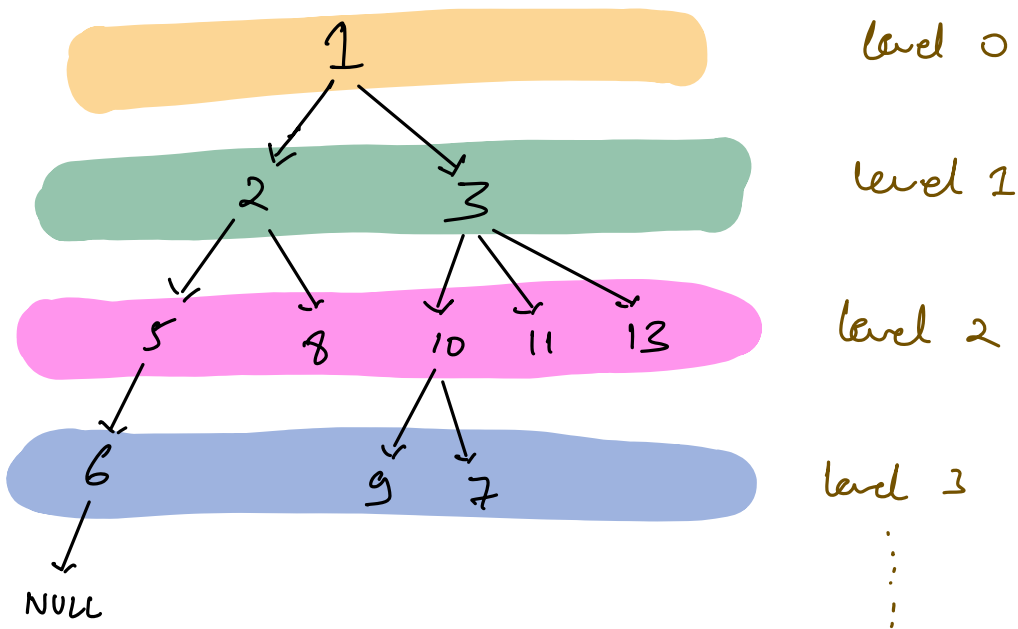
leaf node \rightarrow Nodes without any child

Siblings \rightarrow Nodes which have same parent

Depth \rightarrow # edges to travel from root node to node X

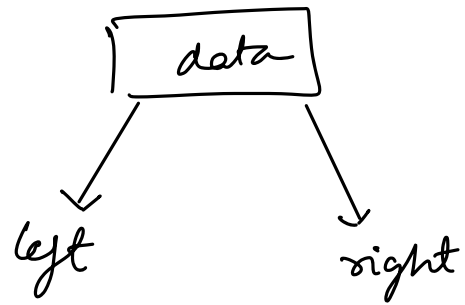
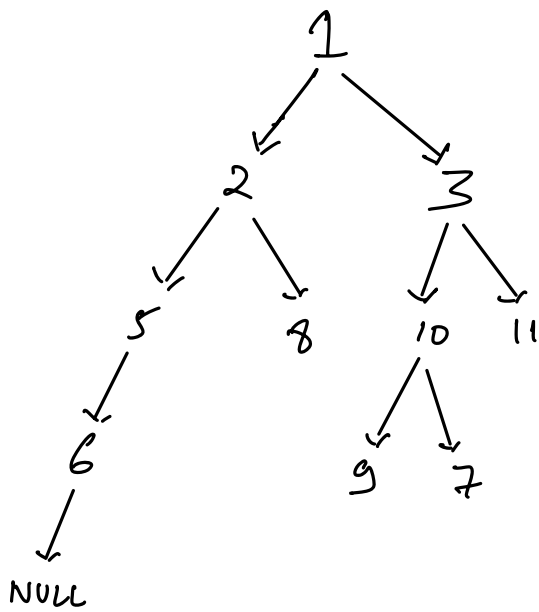
Height \rightarrow # edges to travel from node X to farthest leaf node.

Levels



Binary Tree

\Rightarrow All the nodes can have atmost 2 children



```

class Node
{
    int data ;
    Node* left ;
    Node* right ;
}
  
```

Traversal

1. Preorder

Node Left Right

2. Inorder

left Node Right

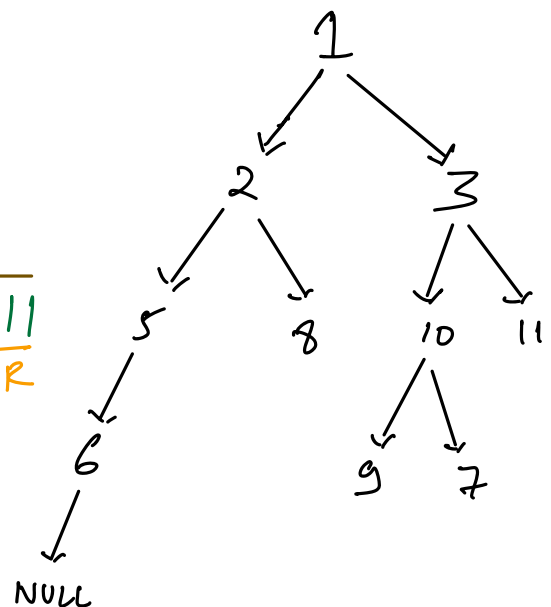
3. Postorder

left Right Node

4. Level Order

1. Pre-order traversal

Node	left			Right					
1	2	5	6	8	3	10	9	7	11
	N	L		R	N	L		R	



Code

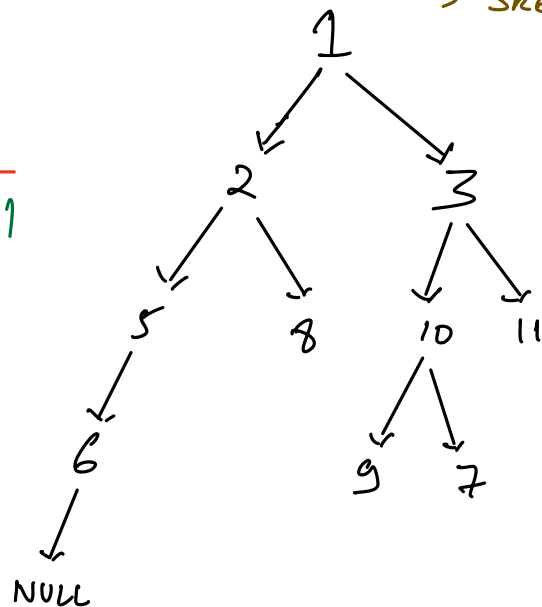
```
void preOrder ( root ) // prints in pre-order.  
{  
    if ( ! root )    return ;  
    print ( root.data ) // Node  
    preOrder ( root.left ) // left subtree  
    preOrder ( root.right ) // Right subtree.  
}
```

T.C $\Rightarrow O(N)$

S.C $\Rightarrow O(H) \rightarrow O(N)$ \rightarrow height of tree.
 \rightarrow skewed tree.

2. Inorder traversal L N R

<u>Left</u>				<u>N</u>	<u>Right.</u>				
6	5	2	8	1	9	10	7	3	11



```
void In Order ( root ) // prints in pre-order.  
{
```

```
    if ( ! root )    return ;
```

```
    In Order ( root.left ) // left subtree
```

```
    print ( root.data ) // Node
```

```
    In Order ( root.right ) // Right subtree.
```

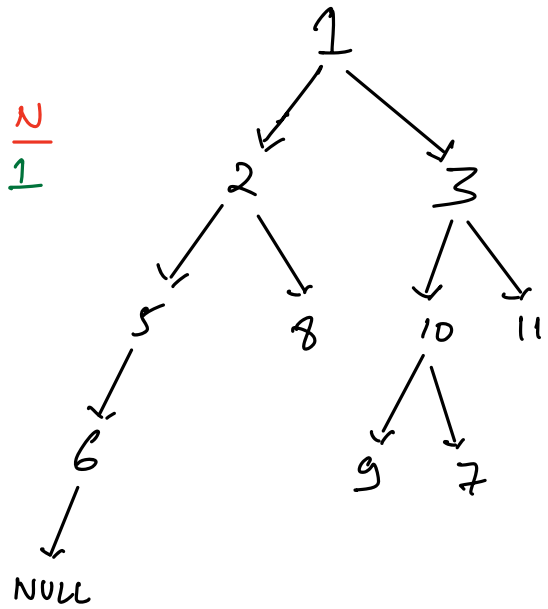
```
}
```

3. Post Order Traversal.

left
 6 5 8 2

Right
 9 7 10 11 3

N
 1



void PostOrder (root) // prints in pre-order.

{

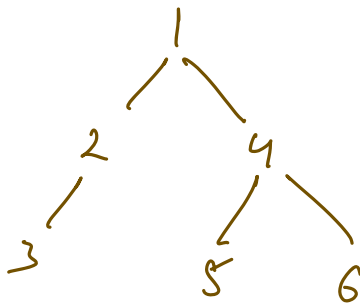
if (! root) return ;

PostOrder (root->left) // left subtree

PostOrder (root->right) // Right subtree.

print (root->data) // Node

}



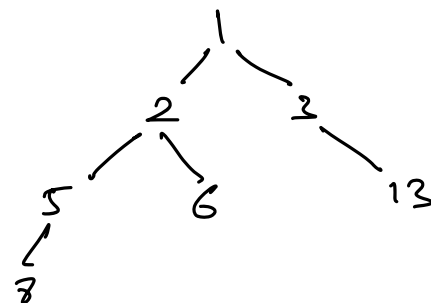
LNR

inorder → 3 2 1 5 4 6

Q Write iterative code for inorder traversal.

~~13~~
~~8~~
~~6~~
~~8~~
~~8~~
~~2~~
~~1~~

8 5 2 6 1 3 13



curr →

Code

curr = root

while (curr != NULL || !st.isEmpty())

{

if (curr != NULL)

{

st.push (curr)

curr = curr.left

}

else

{

curr = st.pop()

print (curr.data)

curr = curr.right

}

}

T.C $\Rightarrow O(N)$

S.C $\Rightarrow O(H)$

h.w Iterative for pre order

Q Construct a binary tree using inorder & post order traversal. (distinct values)

LNR

Inorder \Rightarrow

4 2 7 5

N

$$\begin{array}{r} 3 \quad 6 \\ \hline \end{array}$$

Post Order \Rightarrow

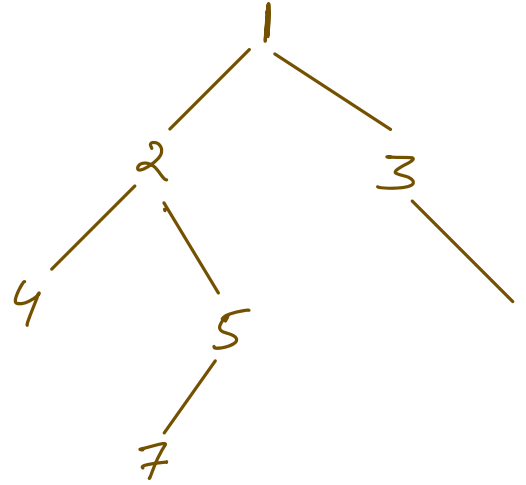
4 7 5 2

L R L N

$$\frac{6}{3} = 2$$

1
N

← root node.



Node tree (in [], post [], st-in, end-in, st-p, end-p)

4

```
if ( st_m > end_m ) return NULL
```

```
root = new Node ( post [ end_p. ] )
```

112. Find root node in inorder traversal.

```
idn = getIndex ( post[end-p], st_in, end_in )
```

$\rightarrow 0110 \rightarrow 011$ hashmap $\langle \text{value}, \text{index} \rangle$

113. Figure out elements in left & right subtree

$$\text{cnt}_L = \text{idm} - \text{st_in}$$
$$\text{cnt}_R = \text{end_in_idn}$$

root.left = tree(in[], post[], st=in, idn-1, end_p=cont_R-1)

$$\text{root} \cdot \text{right} = \text{tree}(\text{in}[], \text{post}[], \text{idn}+1, \text{end-in}, \text{endp}-1)$$

return root