

## 641

It shows how an algorithm scales.

**$O(n^2)$** : known as **Quadratic complexity**

- 1 item: 1 second
- 10 items: 100 seconds
- 100 items: 10000 seconds

Notice that the number of items increases by a factor of 10, but the time increases by a factor of  $10^2$ . Basically,  $n=10$  and so  $O(n^2)$  gives us the scaling factor  $n^2$  which is  $10^2$ .

**$O(n)$** : known as **Linear complexity**

- 1 item: 1 second
- 10 items: 10 seconds
- 100 items: 100 seconds

This time the number of items increases by a factor of 10, and so does the time.  $n=10$  and so  $O(n)$ 's scaling factor is 10.

**$O(1)$** : known as **Constant complexity**

- 1 item: 1 second
- 10 items: 1 second
- 100 items: 1 second

The number of items is still increasing by a factor of 10, but the scaling factor of  $O(1)$  is always 1.

**$O(\log n)$** : known as **Logarithmic complexity**

- 1 item: 1 second
- 10 items: 2 seconds
- 100 items: 3 seconds
- 1000 items: 4 seconds
- 10000 items: 5 seconds

The number of computations is only increased by a log of the input value. So in this case, assuming each computation takes 1 second, the log of the input  $n$  is the time required, hence  $\log n$ .

That's the gist of it. They reduce the maths down so it might not be exactly  $n^2$  or whatever they say it is, but that'll be the dominating factor in the scaling.