

Lab Assignment - 06 - Spring 2020

Signals and systems

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Q)Based on the definition of continuous time Fourier transform and inverse Fourier transform, write a matlab code for these transforms. Next, for each of the given aperiodic signals, use these matlab codes to

- To compute the Fourier transform and plot the magnitude and phase components of the spectrum versus frequency.
 - To compute the inverse Fourier transform and plot and compare with the original signal.
- $x_1(t) = \exp(-|t|)(u(t + 2\pi) - u(t - 2\pi))$
 - $x_2(t) = \text{sinc}(t)(u(t + 2\pi) - u(t - 2\pi))$
 - $x_3(t) = \exp(1/(1 + |t|))(u(t) - u(t - 2 * \pi))$

Here's the code for question 1 :

Live Editor - C:\Users\aniru\OneDrive\Documents\MATLAB\assign06_final1.mlx

unit.mlx
assign06_final2.mlx
assign06_final1.mlx
assign06_final3.mlx
assign06_trial3.m
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clear
clc
w=-10*pi:0.01*pi:10*pi;
t=-2*pi:0.01*pi:2*pi;
% PROBLEM 1
x=exp(-abs(t)).*(unit(t+2*pi)-unit(t-2*pi));
subplot(3,3,1);plot(t,x);title('Original signal');

x_w=zeros(size(w));
for i=1:length(w)
    k=w(i);
    basis1=exp(-1i*k*t);
    x_w(i)=trapz(t,x.*basis1);
end
subplot(3,3,3);plot(w,abs(x_w));
title('Plotting magnitude of spectrum versus frequency');
subplot(3,3,4);plot(w,angle(x_w));
title('Plotting phase components of spectrum versus frequency');

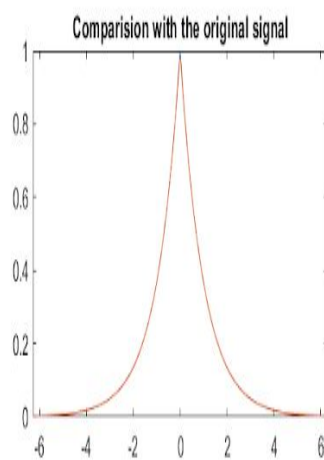
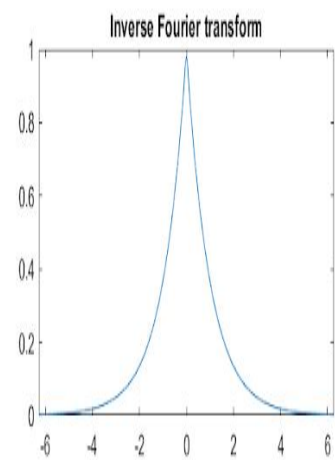
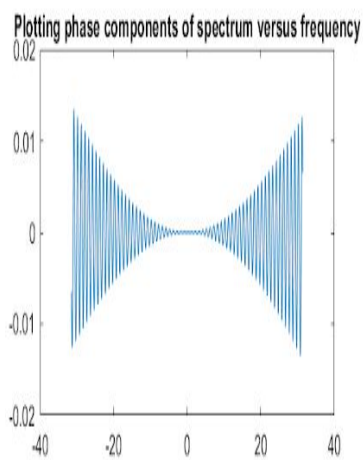
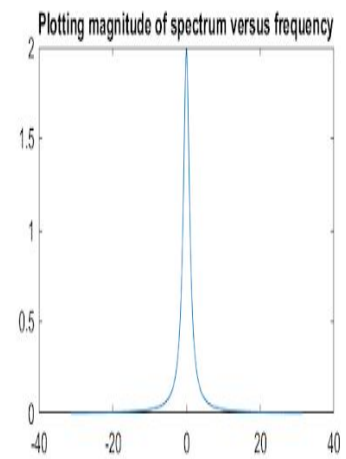
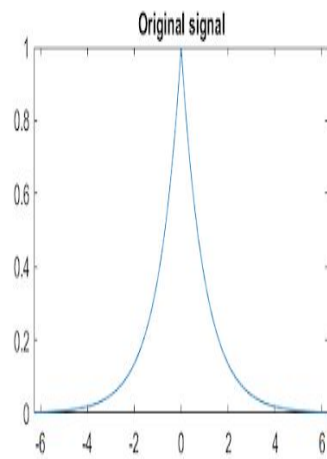
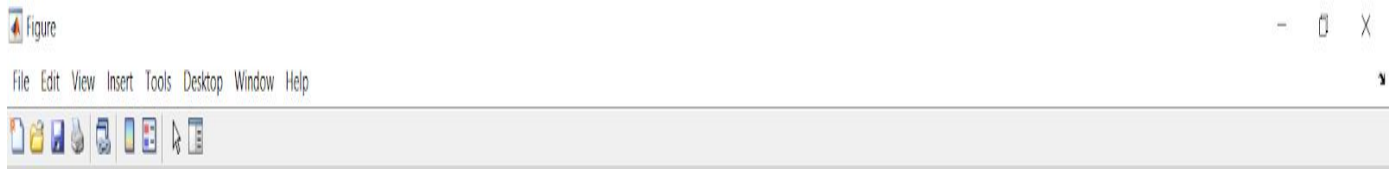
x_t=zeros(size(t));
for i=1:length(t)
    k=t(i);
    basis2=exp(1i*w*k);
    x_t(i)=(1/(2*pi))*trapz(w,x_w.*basis2);
end
subplot(3,3,6);plot(t,real(x_t));title('Inverse Fourier transform');
subplot(3,3,8);plot(t,x);
hold on;
plot(t,real(x_t));title('Comparision with the original signal');

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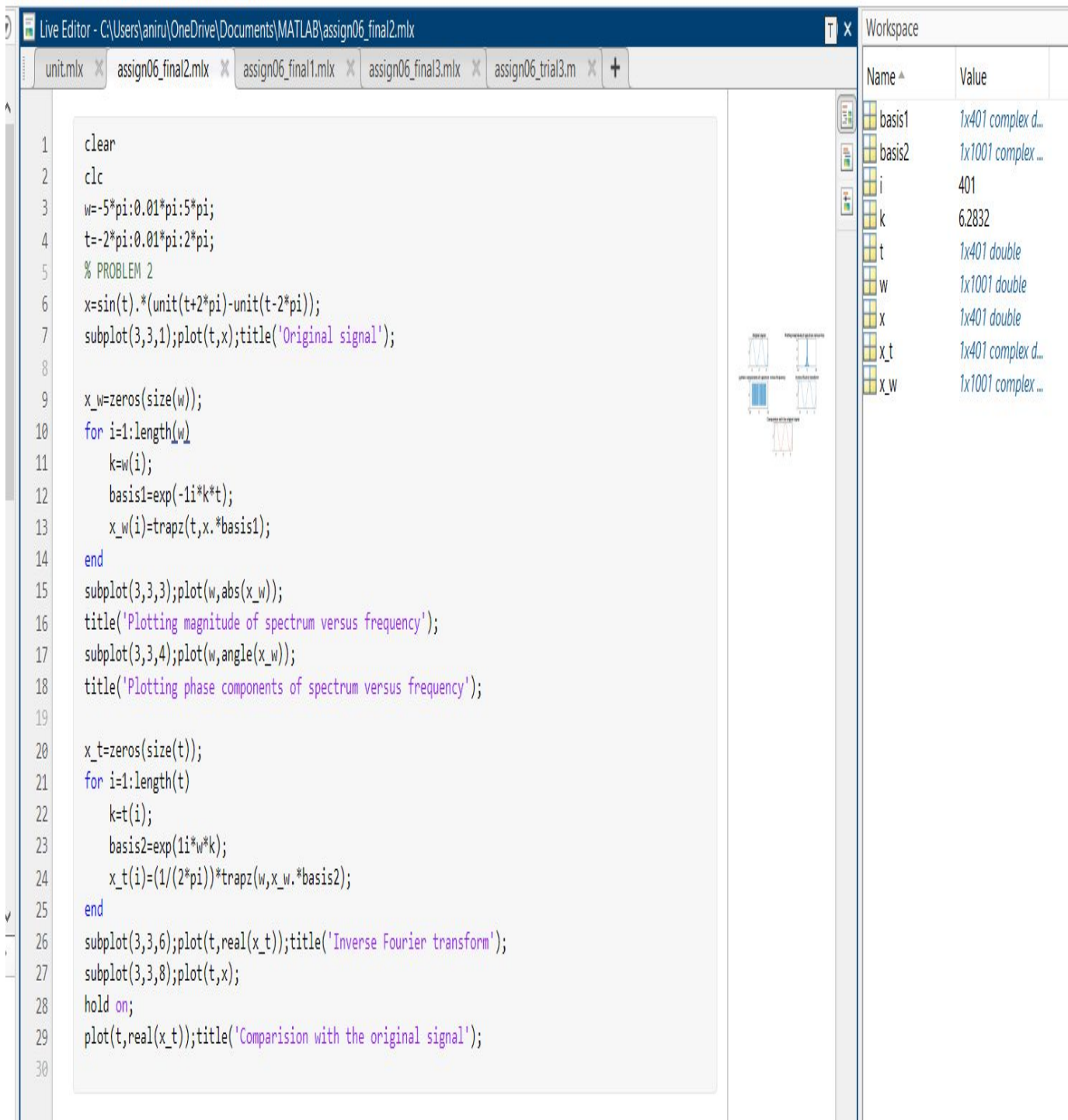
Workspace

Name	Value
b	1x601 double
basis1	1x601 complex d...
basis2	1x2001 complex ...
i	601
k	9.4248
t	1x601 double
t1	9.4248
w	1x2001 double
x	1x601 double
x_t	1x601 complex d...
x_w	1x2001 complex ...

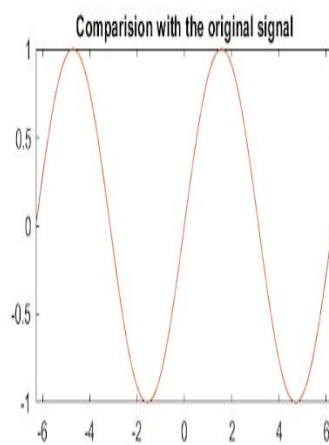
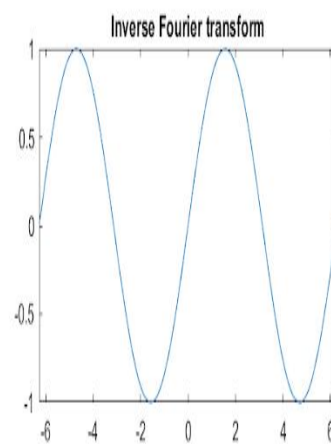
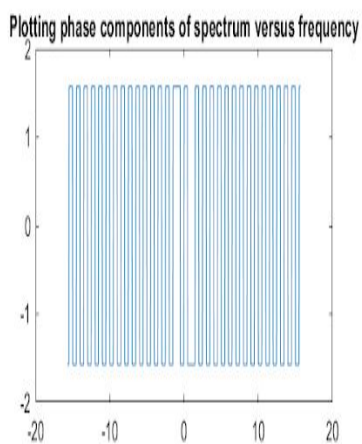
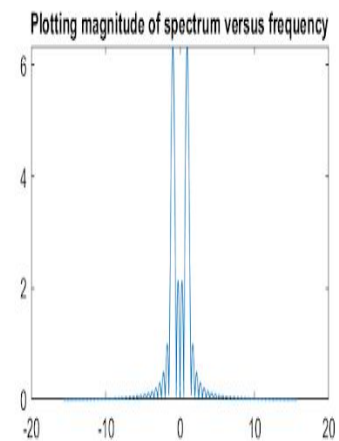
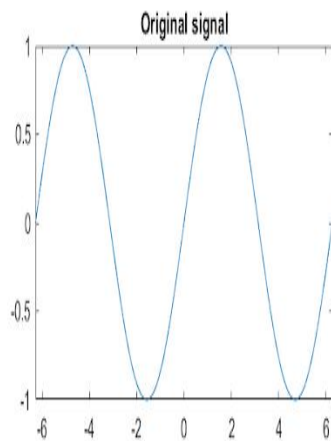
Here's the output for question 1 :



Here's the code for question 2 :



Here's the output for question 2 :



Here's the code for question 3 :

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unit.mlx assign06_final2.mlx assign06_final1.mlx assign06_final3.mlx * assign06_trial3.m

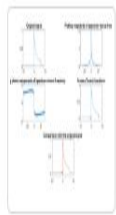
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5 % PROBLEM 3
6 b=zeros(size(t));
7 for i=1:length(t)
8     t1=t(i);
9     k=1+abs(t1);
10    b(i)=1/k;
11 end
12 x=b.*(unit(t)-unit(t-2*pi));
13 subplot(3,3,1);plot(t,x);title('Original signal');
14
15 x_w=zeros(size(w));
16 for i=1:length(w)
17     k=w(i);
18     basis1=exp(-1i*k*t);
19     x_w(i)=trapz(t,x.*basis1);
20 end
21 subplot(3,3,3);plot(w,abs(x_w));
22 title('Plotting magnitude of spectrum versus frequency');
23 subplot(3,3,4);plot(w,angle(x_w));
24 title('Plotting phase components of spectrum versus frequency');
25
26 x_t=zeros(size(t));
27 for i=1:length(t)
28     k=t(i);
29     basis2=exp(1i*w*k);
30     x_t(i)=(1/(2*pi))*trapz(w,x_w.*basis2);
31 end
32 subplot(3,3,6);plot(t,real(x_t));title('Inverse Fourier transform');
33 subplot(3,3,8);plot(t,x);
34 hold on;
35 plot(t,real(x_t));title('Comparision with the original signal');
36
37

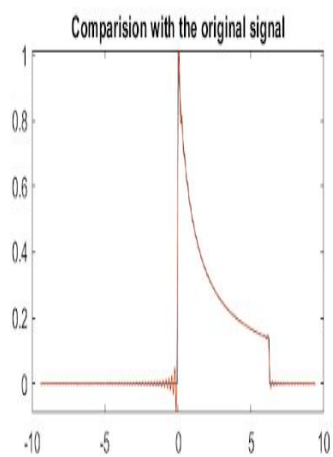
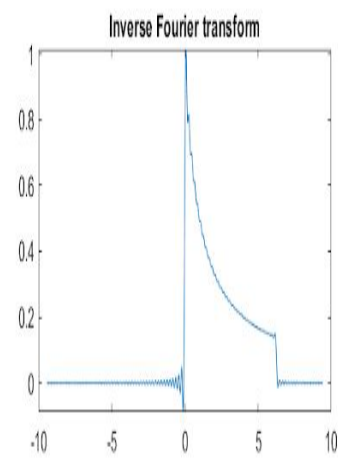
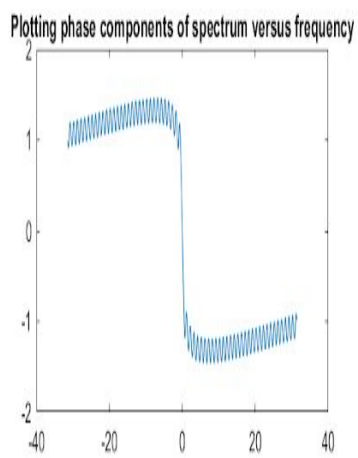
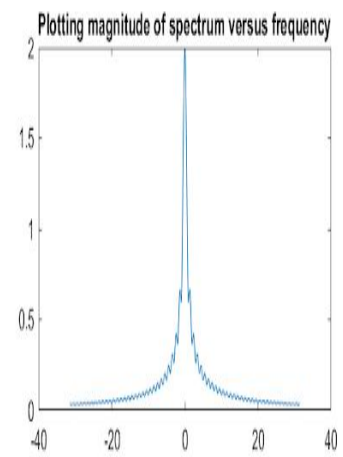
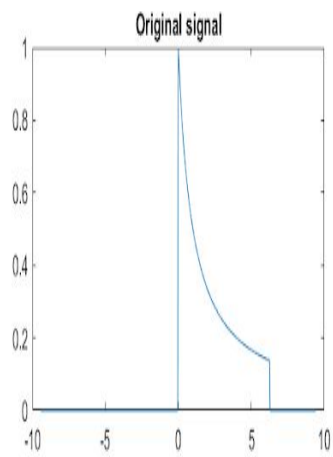
```

Workspace

Name	Value
b	1x601 double
basis1	1x601 complex d...
basis2	1x2001 complex ...
i	601
k	9.4248
t	1x601 double
t1	9.4248
w	1x2001 double
x	1x601 double
x_t	1x601 complex d...
x_w	1x2001 complex ...



Here's the output for question 3 :



Observation :

- Firstly, we wrote the code for plotting the respective signals and then we have computed the fourier transform of each respective signal.
- Then, we have reconstructed the signal using the inverse fourier transform and plotted it respectively for each signal.
- We also compared the original signal with our inverse fourier transform of each signal and plotted it respectively for each signal.
- Thus, we observed that the two signals overlap each other.

----- THE END -----