



COMPUTER SCIENCE

Database Management System

Transaction & Concurrency Control

Lecture_01

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A graphic of a construction barrier with orange and white diagonal stripes and two yellow bollards at the top.

**TOPICS
TO BE
COVERED**

01

Normal Form Decomposition

02

Transaction Concept

RDBMS Concept

FD Concept & its type

Attribute closure

Key Concept

↳ Subkey

↳ Candidate key

↳ Finding Multiblock
Membership set

Equality b/w 2 FD set

Finding # Subkeys

Closure of FD Set

Minimal [Canonical Cover]

Properties of Decomposition

↳ ① Lossless Join

↳ ② Dependency Preserving
Composition.

$\boxed{AB \rightarrow C}$ is Partial Dependency.

if $A \rightarrow C$

(OR)

if $B \rightarrow C$

Normal Form

① LNF

② 2NF.

③ 3NF.

④ BCNF.

2NF Violation



its just violation of 2NF.

Check BNF

Every $X \rightarrow Y$ Non Trivial
is in BNF

X: Super key

OR

Y: Key / Prime Attribute

BCNF

$X \rightarrow Y$ Non Trivial FD

X: Must be Superkey

Normal Forms

3NF

$X \rightarrow Y$ Every Non Trivial FD
is in 3NF

either X : Super key
OR
 Y : Prime Attribute

BCNF

$X \rightarrow Y$ Every Non Trivial FD
is in BCNF if &

X : Super key.

Normal Forms

$R(ABCDE) \{ A \rightarrow B, B \rightarrow C, C \rightarrow D, D \rightarrow A \}$

Candidate key = (AE, BE, CE, DE)

Check 3NF?

$\begin{array}{l} X \rightarrow Y \\ A \rightarrow B \\ B \rightarrow C \\ C \rightarrow D \\ D \rightarrow A \end{array}$

X is Not Super Key

But

Y: is Prime/Key Prime Attribute

R is 3NF

But Not in BCNF.

Normal Forms

Binary Relation (Relation with 2 Attribut) is
always in BCNF.

$R(AB)$ [$A \rightarrow B$]

Cond. key : [A]

$\frac{A \rightarrow B}{\text{Subkey}}$

$R(AB)$ [$B \rightarrow A$]

Cond. key = [B]

$\frac{B \rightarrow A}{\text{Subkey}}$

$R(AB)$ [$A \rightarrow B, B \rightarrow A$]

Cond. key = [A, B]

$\frac{A \rightarrow B, B \rightarrow A}{\text{Subkey}}$

Normal Forms

15.3.5 Second Normal Form

Second normal form (2NF) is based on the concept of *full functional dependency*. A functional dependency $X \rightarrow Y$ is a **full functional dependency** if removal of any attribute A from X means that the dependency does not hold any more; that is, for any attribute $A \in X$, $(X - \{A\})$ does *not* functionally determine Y . A functional dependency $X \rightarrow Y$ is a **partial dependency** if some attribute $A \in X$ can be removed from X and the dependency still holds; that is, for some $A \in X$, $(X - \{A\}) \rightarrow Y$. In Figure 15.3(b), $\{\text{Ssn}, \text{Pnumber}\} \rightarrow \text{Hours}$ is a full dependency (neither $\text{Ssn} \rightarrow \text{Hours}$ nor $\text{Pnumber} \rightarrow \text{Hours}$ holds). However, the dependency $\{\text{Ssn}, \text{Pnumber}\} \rightarrow \text{Ename}$ is partial because $\text{Ssn} \rightarrow \text{Ename}$ holds.

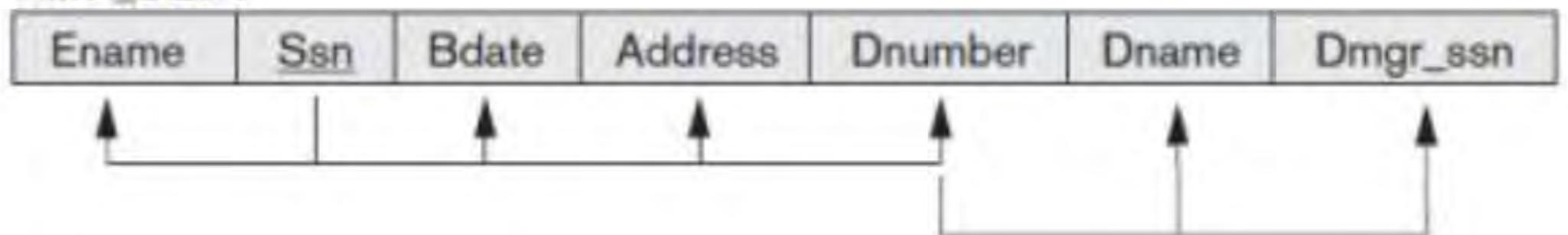
Definition. A relation schema R is in 2NF if every nonprime attribute A in R is *fully functionally dependent* on the primary key of R .

Figure 15.3

(a)

EMP_DEPT

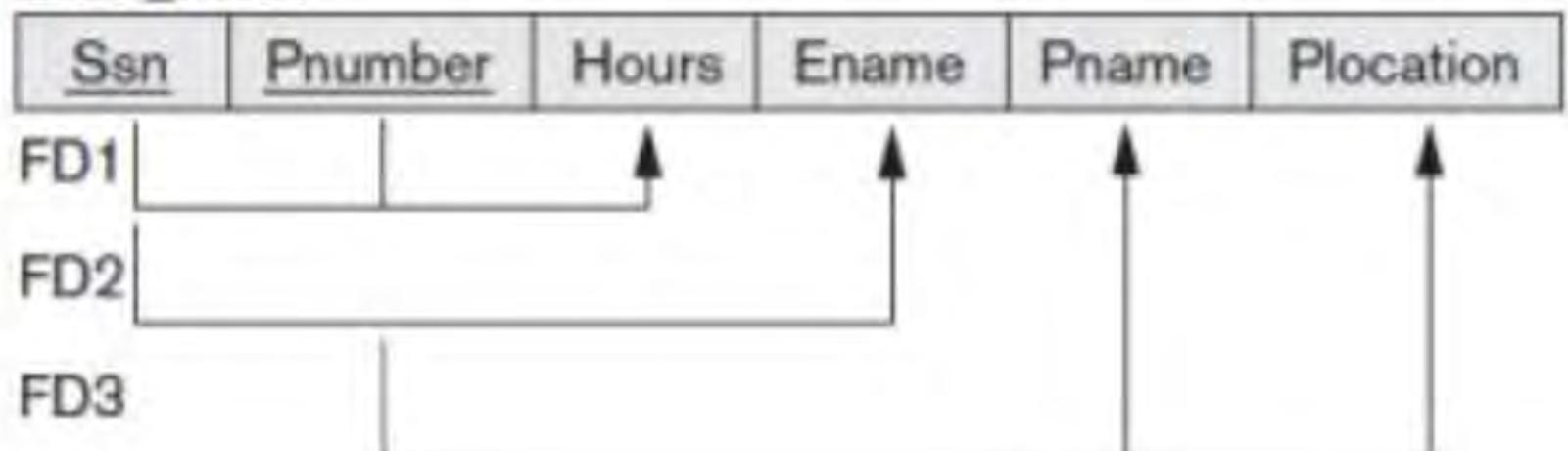
Ename	<u>Ssn</u>	Bdate	Address	Dnumber	Dname	Dmgr_ssn



(b)

EMP_PROJ

<u>Ssn</u>	Pnumber	Hours	Ename	Pname	Plocation
FD1					
FD2					
FD3					



Normal Forms

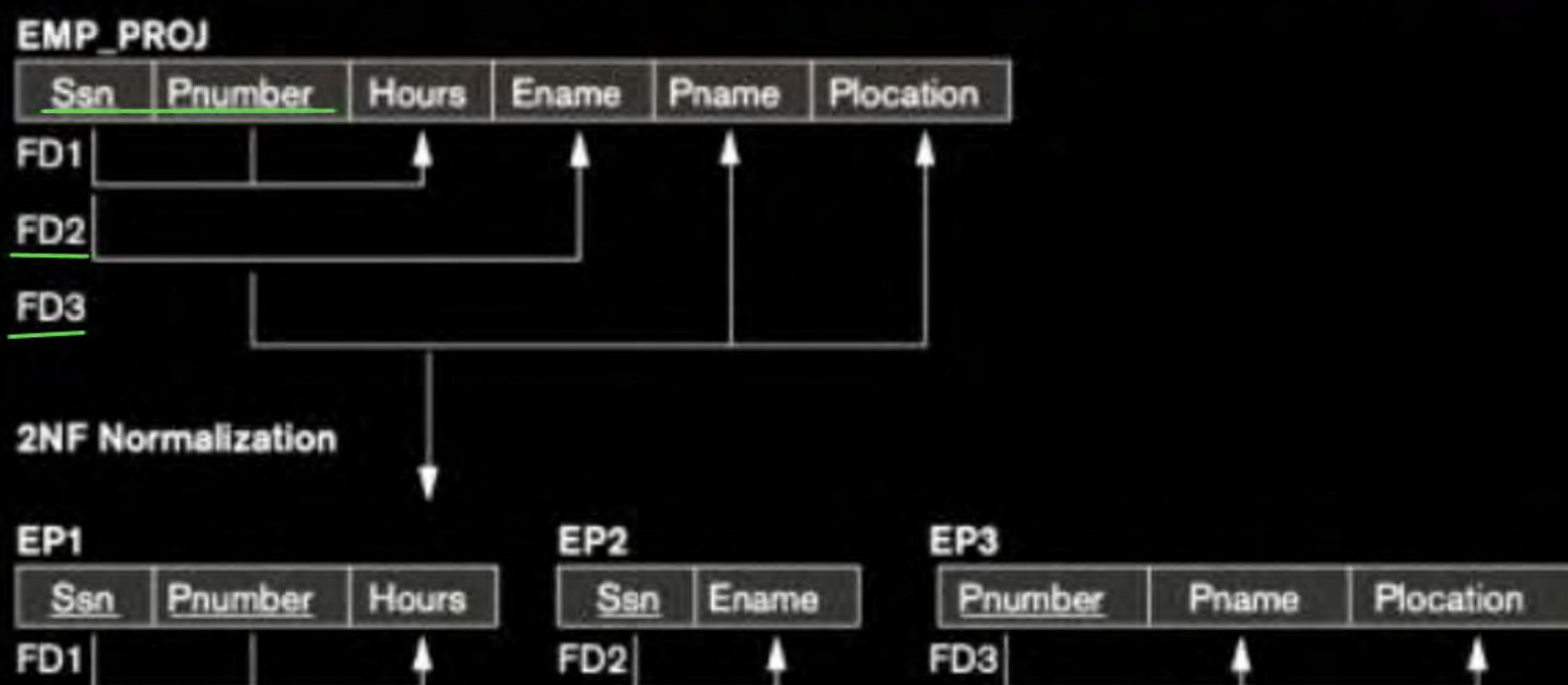
8.17 A functional dependency $\alpha \rightarrow \beta$ is called a **partial dependency** if there is a proper subset γ of α such that $\gamma \rightarrow \beta$. We say that β is *partially dependent* on α . A relation schema R is in **second normal form** (2NF) if each attribute A in R meets one of the following criteria:

- It appears in a candidate key.
- It is not partially dependent on a candidate key.

Normal Forms

Second Normal Form

Definition: A relation schema R is in 2NF if every nonprime attribute A in R is fully functionally dependent on the primary key of R.



R(ABCDEF) {ABC → DE, DE → ABC, AB → D, DE → F, E → C}

(i) ABC → D

(ii) AE → C

(iii) AF → D

(iv) AB → D

(v) AC → D

(vi) BC → D

(vii) DE → C

(vi) AB → F

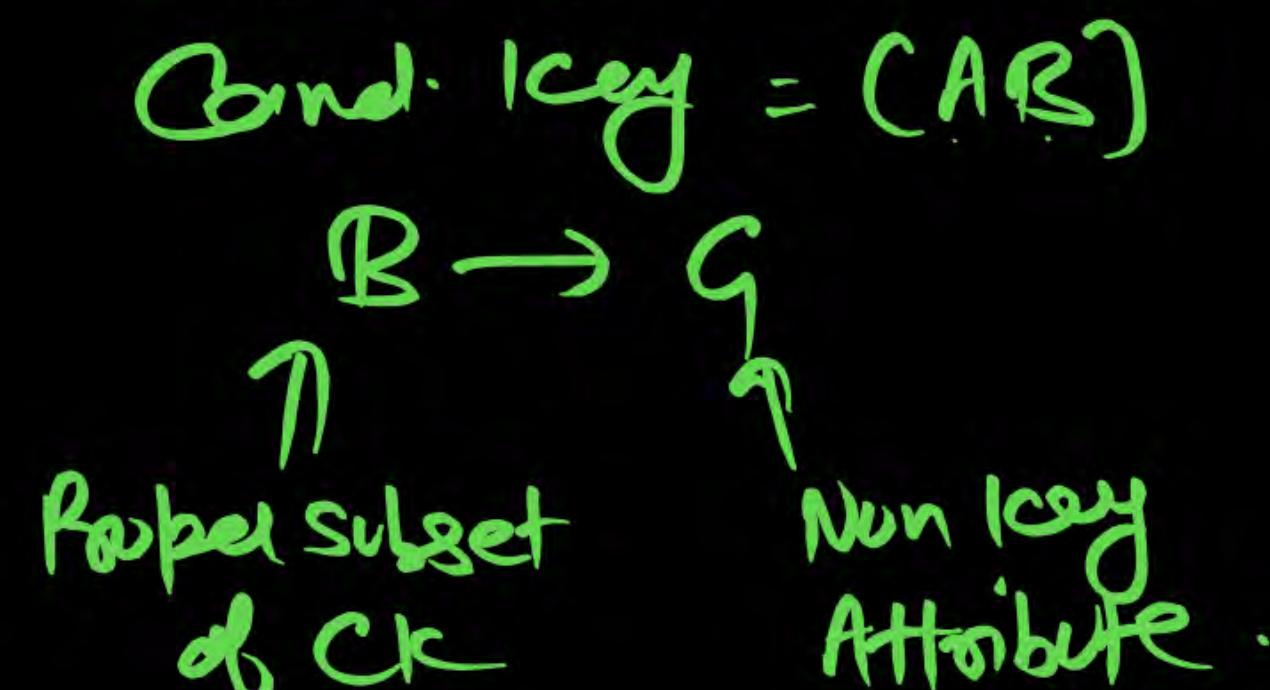
Q.

Let $R(A, B, C, D, E, P, G)$ be a relational schema in which the following functional dependencies are known to hold:

$$AB \rightarrow CD, DE \rightarrow P, C \rightarrow E, P \rightarrow C \text{ and } \underline{B \rightarrow G}.$$

The relational schema R is

- A In BCNF
- B In 3NF, but not in BCNF
- C In 2NF, but not in 3NF
- D Not in 2NF

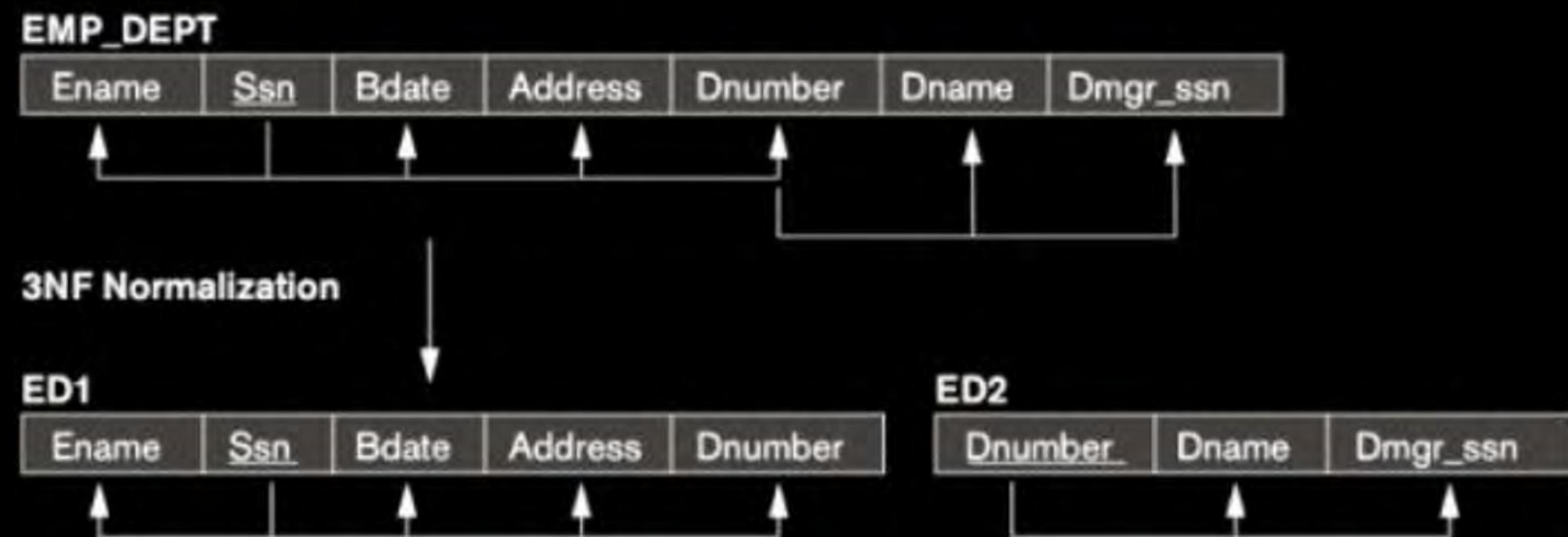


Normal Forms

Third Normal Form

Definition: According to Codd's original definition, a relation schema R is in 3NF if it satisfies 2NF and no nonprime attribute of R is transitively dependent on the primary key.

Definition: A relation schema R is in third normal form (3NF) if, whenever a nontrivial functional dependency $X \rightarrow A$ holds in R either (a) X is a superkey of R , or (b) A is a prime attribute of R .



Boyce – Codd Normal Form

Definition: A relation schema R is in BCNF if whenever a nontrivial functional dependency $X \rightarrow A$ holds in R, then X is a superkey of R.

Q.

In a relational data model, which one of the following statements is TRUE?

- A relation with only two attributes is always in BCNF.
Binary Reln
- If all attributes of a relation are prime attributes, then the relation is in BCNF.
- Every relation has at least one non-prime attribute.
- BCNF decompositions preserve functional dependencies.



Let $R(A, B, C, D, E, P, G)$ be a relational schema in which the  following functional dependencies are known to hold:

$AB \rightarrow CD$, $DE \rightarrow P$, $C \rightarrow E$, $P \rightarrow C$ and $B \rightarrow G$.

The relational schema R is

- A In BCNF
- B In 3NF, but not in BCNF
- C In 2NF, but not in 3NF
- D Not in 2NF

Q

Consider the following statements:

[MSQ] 

- S₁: If every attribute is prime attribute in R, then Relation R will always be in BCNF.
- S₂: Any Relation with two Attribute is in 3 NF and 2 NF.
- S₃: If every key of relation R is a simple candidate key (No composite key) then the relation R not always in NF.
- S₄: In BCNF there is always a lossless join and Dependency Preserving Decomposition.

Which of the above statement are incorrect

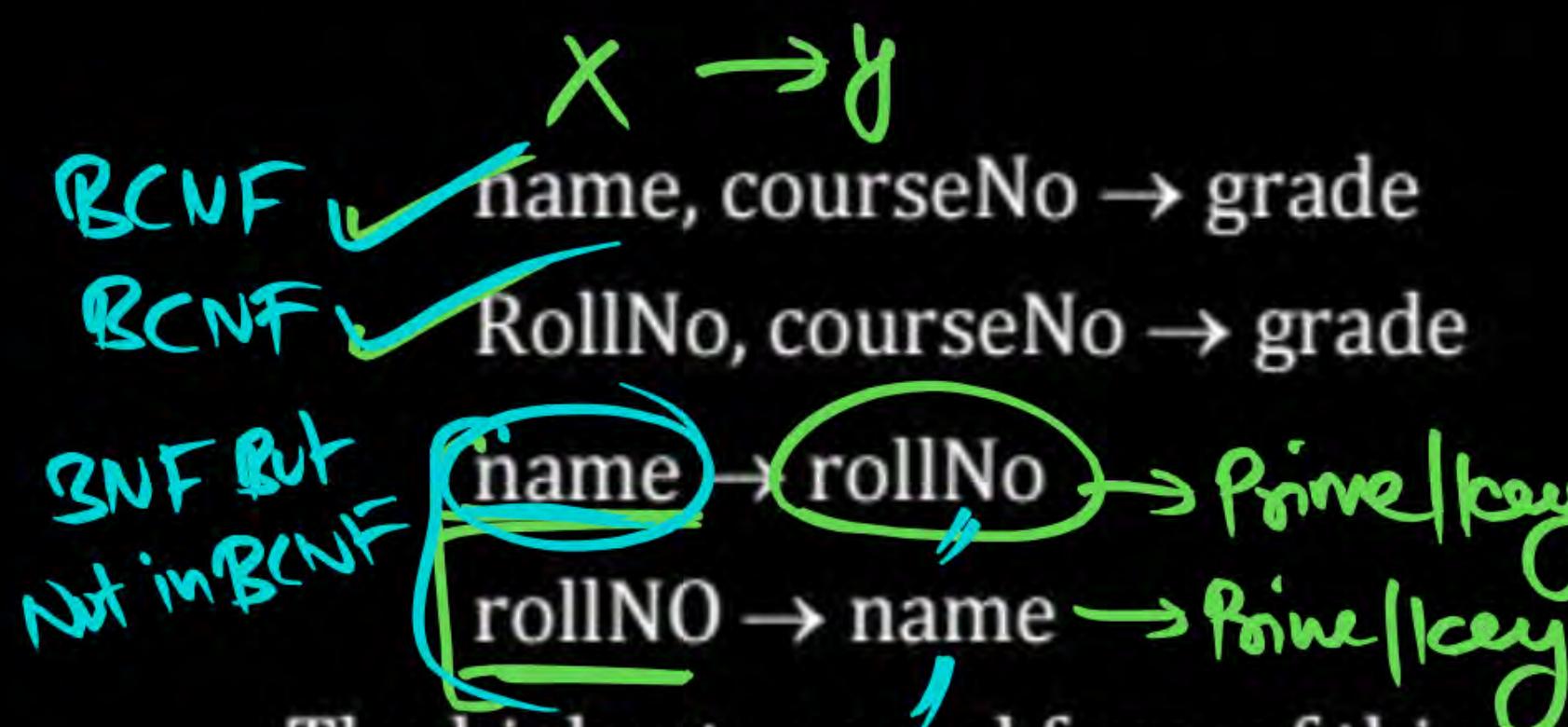
AS₁**B**S₂**C**S₃**D**S₄

Q

The relation scheme student Performance (name, courseNO, rollNo, grade) has the following functional dependencies:

P
W

[2004: 2 Marks]



Cand.Key = [Name CourseNo]
[RollNo CourseNo]

3NF But Not in BCNF.

The highest normal form of this relation scheme is

A

2 NF

B

3 NF

C

BCNF

D

4 NF

In a relational data model, which one of the following statements is TRUE?

GATE-2022-CS: 1M]

- A A relation with only two attributes is always in BCNF.
- B If all attributes of a relation are prime attributes, then the relation is in BCNF.
- C Every relation has at least one non-prime attribute.
- D BCNF decompositions preserve functional dependencies.

Consider a relation $R(A, B, C, D, E)$ with the following three functional dependencies.

$$AB \rightarrow C; BC \rightarrow D; C \rightarrow E;$$

The number of super keys in the relation R is 8 Ans

Cand. key = (AB)

$$\# \text{Super key} = \frac{5-2}{2} = 2^3$$

= 8 Ans

[GATE-2022-CS: 1M]

$$\begin{array}{c} \cancel{AB} \quad \cancel{CDE} \\ \downarrow \\ 2^3 = \textcircled{8} \text{ Ans} \end{array}$$

Consider a relational table R that is in 3 NF, but not in BCNF. Which one of the following statements is TRUE?

[GATE-2020-CS: 2M]

- A R has a non-trivial functional dependency $X \rightarrow A$, where X is not a superkey and A is a prime attribute.
- B R has a non-trivial functional dependency $X \rightarrow A$, where X is not a superkey and A is a non-prime attribute and X is not a proper subset of any key.
- C R has a non-trivial functional dependency $X \rightarrow A$, where X is not a superkey and A is a non-prime attribute and X is a proper subset of some key.
- D A cell in R holds a set instead of an atomic value.

3NF

X: Super key \times

OR

Y: key | Prime Attribuk

BCNF

X: super key \times

MCQ

Let the set of functional dependencies $F = \{QR \rightarrow S, R \rightarrow P, S \rightarrow Q\}$ hold on a relation schema $X = (PQRS)$. X is not in BCNF. Suppose X is decomposed into two schemas Y and Z , where $Y = (P R)$ and $Z = (Q R S)$.

Consider the two statements given below.

- I. Both Y and Z are in BCNF
- II. Decomposition of X into Y and Z is dependency preserving and lossless

Which of the above statements is/are correct?

[GATE-2019-CS: 2M]

A Both I and II

B I only

C II only

D Neither I nor II

Q.

Consider the following four relational schemas. For each schema, all non-trivial functional dependencies are listed. The underlined attributes are the respective primary keys.

Schema I: Registration (rollno, courses)

Field 'courses' is a set-valued attribute containing the set of courses a student has registered for.

Non-trivial functional dependency:

rollno → courses BCNF

Schema II: Registration (rollno, courseid, email)

Non-trivial functional dependencies:

rollno, courseid → email] 3NF But Not in BCNF
email → rollno

Schema III: Registration (rollno, courseid, marks, grade)

Non-trivial functional dependencies:

rollno, courseid → marks, grade

marks → grade] 2NF But Not in 3NF

Schema IV: Registration (rollno, courseid, marks, credit)

Non-trivial functional dependencies:

rollno, courseid → credit

courseid → credit] Not in QNF

Which one of the relational schemas above is in 3NF but not in BCNF?

A Schema I

B Schema II

C Schema III

D Schema IV

[MCQ: 2018: 2M]

Q.

A database of research articles in a journal uses the following schema.

(VOLUME, NUMBER, STARTPAGE, ENDPAGE, TITLE, YEAR, PRICE)

The primary key is (VOLUME, NUMBER, STARTPAGE, ENDPAGE) and the following functional dependencies exist in the schema.

(VOLUME, NUMBER, STARTPAGE, ENDPAGE) → TITLE

(VOLUME, NUMBER) → YEAR

(VOLUME, NUMBER, STARTPAGE, ENDPAGE) → PRICE.

The database is redesigned to use the following schemas.

(VOLUME, NUMBER, STARTPAGE, ENDPAGE, TITLE, PRICE)

(VOLUME, NUMBER, YEAR)

Which of the weakest normal form that the new database satisfies, but the old one does not?

[MCQ: 2016: 1M]

A 1NF

C 2NF

B 3NF

D BCNF

Given an instance of the STUDENTS relation as shown below:

Student ID	Student Name	Student Email	Student Age	CPI
2345	Shankar	shankar@math	X	9.4
1287	Swati	swati@ee	19	9.5
7853	Shankar	shankar@cse	19	9.4
9876	Swati	swati@mech	18	9.3
8765	Ganesh	ganesh@civil	19	8.7

For (Student Name, Student Age) to be a key for this instance, the value X should NOT be equal to 19.

[GATE-2014-CS: 1M]

The maximum number of superkeys for the relation schema R (E, F, G, H) with E as the key is _____.

[GATE-2014-CS: 1M]

Given the following two statements:

- S1: Every table with two single-valued attributes is in 1 NF, 2 NF, 3 NF and BCNF.
- S2: $AB \rightarrow C$, $D \rightarrow E$, $E \rightarrow C$ is a minimal cover for the set of functional dependencies $AB \rightarrow C$, $D \rightarrow E$, $AB \rightarrow E$, $E \rightarrow C$.

Which one of the following is CORRECT?

[GATE-2014-CS: 2M]

- A** S1 is TRUE and S2 is FALSE.
- B** Both S1 and S2 are TRUE.
- C** S1 is FALSE and S2 is TRUE
- D** Both S1 and S2 are FALSE.

MCQ

Relation R has eight attributes ABCDEFGH.

Fields of R contain only atomic values.

$F = \{CH \rightarrow G, A \rightarrow BC, B \rightarrow CFH, E \rightarrow A, F \rightarrow EG\}$ is a set of functional dependencies (FDs) so that F^+ is exactly the set of FDs that hold for R.
How many candidate keys does the relation R have?

[GATE-2013-CS: 2M]

A 3

B 4

C 5

D 6

Relation R has eight attributes ABCDEFGH.

Fields of R contain only atomic values.

$F = \{CH \rightarrow G, A \rightarrow BC, B \rightarrow CFH, E \rightarrow A, F \rightarrow E, G\}$ is a set of functional dependencies (FDs) so that F^+ is exactly the set of FDs that hold for R.
The relation R is

[GATE-2013-CS: 2M]

- A in 1 NF, but not in 2 NF.
- B in 2 NF, but not in 3 NF.
- C in 3NF, but not in BCNF.
- D in BCNF.

Which of the following is TRUE?

[GATE-2012-CS: 1M]

- A** Every relation in 3 NF is also in BCNF
- B** A relation R is in 3 NF if every non-prime attribute of R is fully functionally dependent on every key of R
- C** Every relation in BCNF is also in 3 NF
- D** No relation can be in both BCNF and 3 NF

MCQ

Consider the following relational schemes for a library database:

Book (Title, Author, Catalog_no, Publisher, Year, price)

Collection (Title, Author, Catalog_no)

With the following functional dependencies:

- I. TitleAuthor → Catalog_no
- II. Catalog_no → Title Author Publisher Year
- III. Publisher Title Year → Price

Assume { Author, Title} is the key for both schemes.

Which of the following statements is true?

[GATE-2008-CS: 2M]

- A Both Book and Collection are in BCNF
- B Both Book and Collection are in 3 NF only
- C Book is in 2 NF and Collection is in 3NF
- D Both Book and Collection are in 2 NF only

Let $R(A, B, C, D, E, P, G)$ be a relational schema in which the following functional dependencies are known to hold:

$AB \rightarrow CD$, $DE \rightarrow P$, $C \rightarrow E$, $P \rightarrow C$ and $B \rightarrow G$.

The relational schema R is

[GATE-2008-CS: 2M]

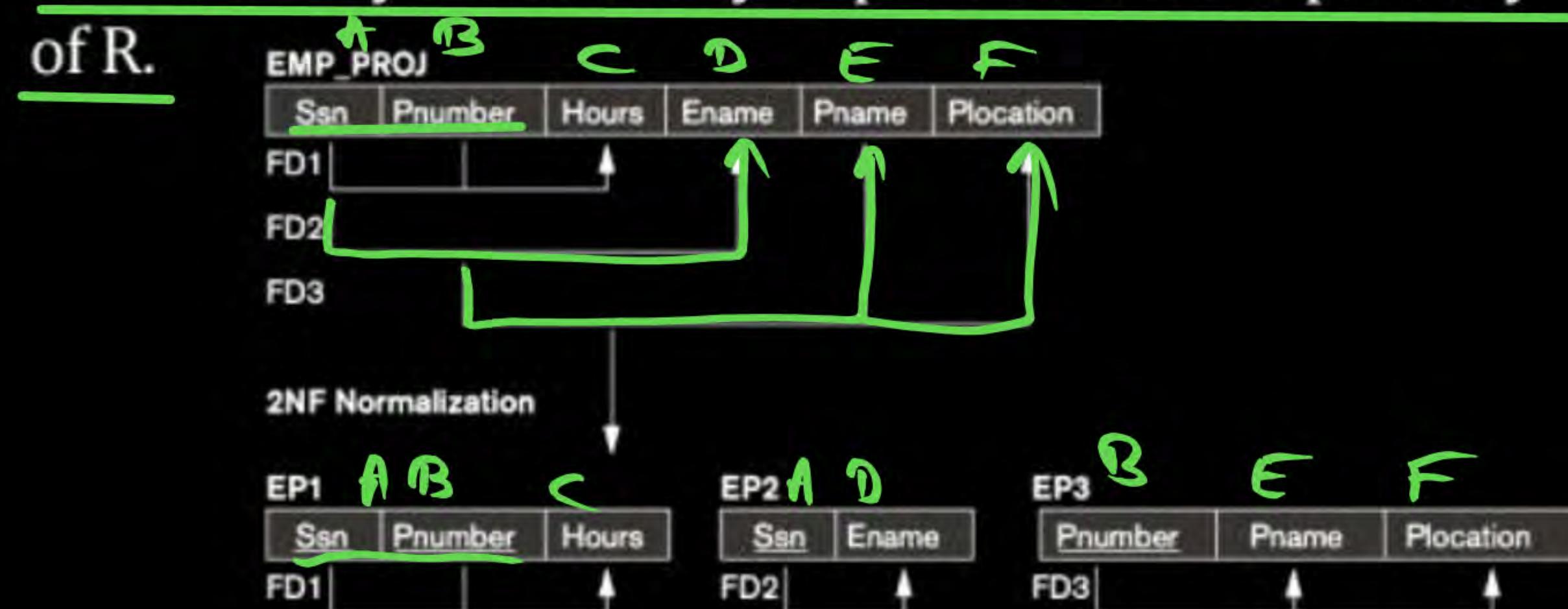
- A in BCNF
- B in 3NF, but not in BCNF
- C in 2 NF, but not in 3 NF
- D not in 2 NF

Normal Form Decomposition

Normal Forms

Second Normal Form

Definition: A relation schema R is in 2NF if every nonprime attribute A in R is fully functionally dependent on the primary key of R.



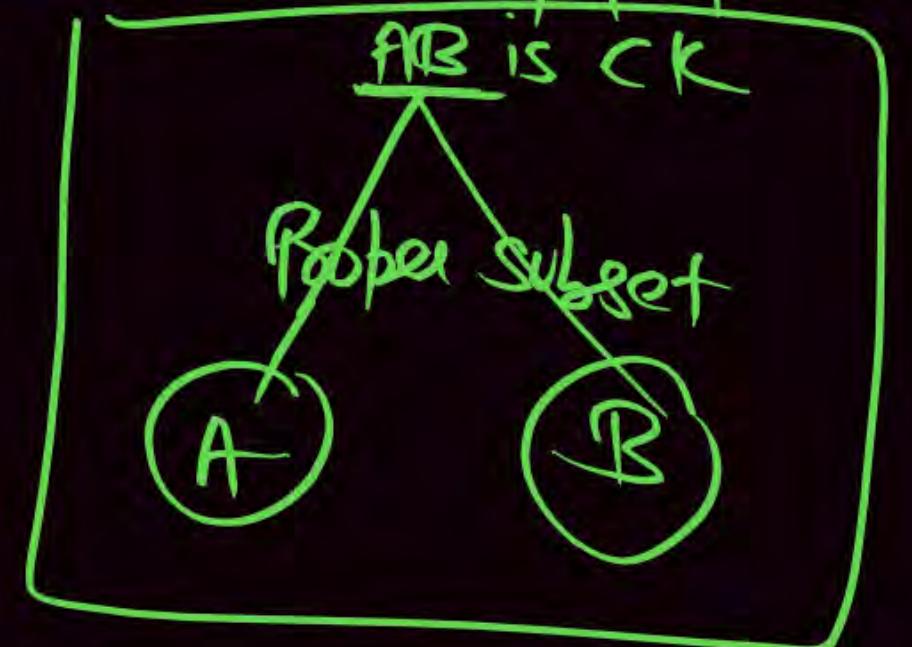
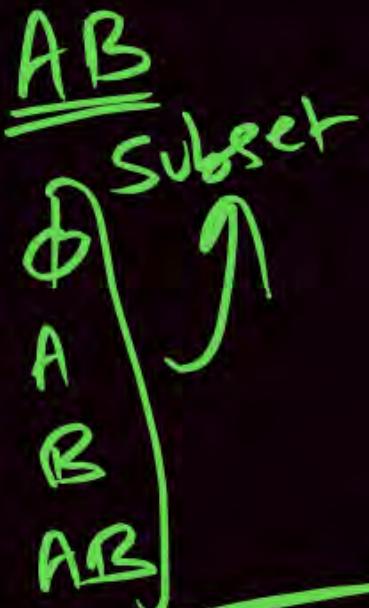
2 NF CHECK ?

If this type of FD exists

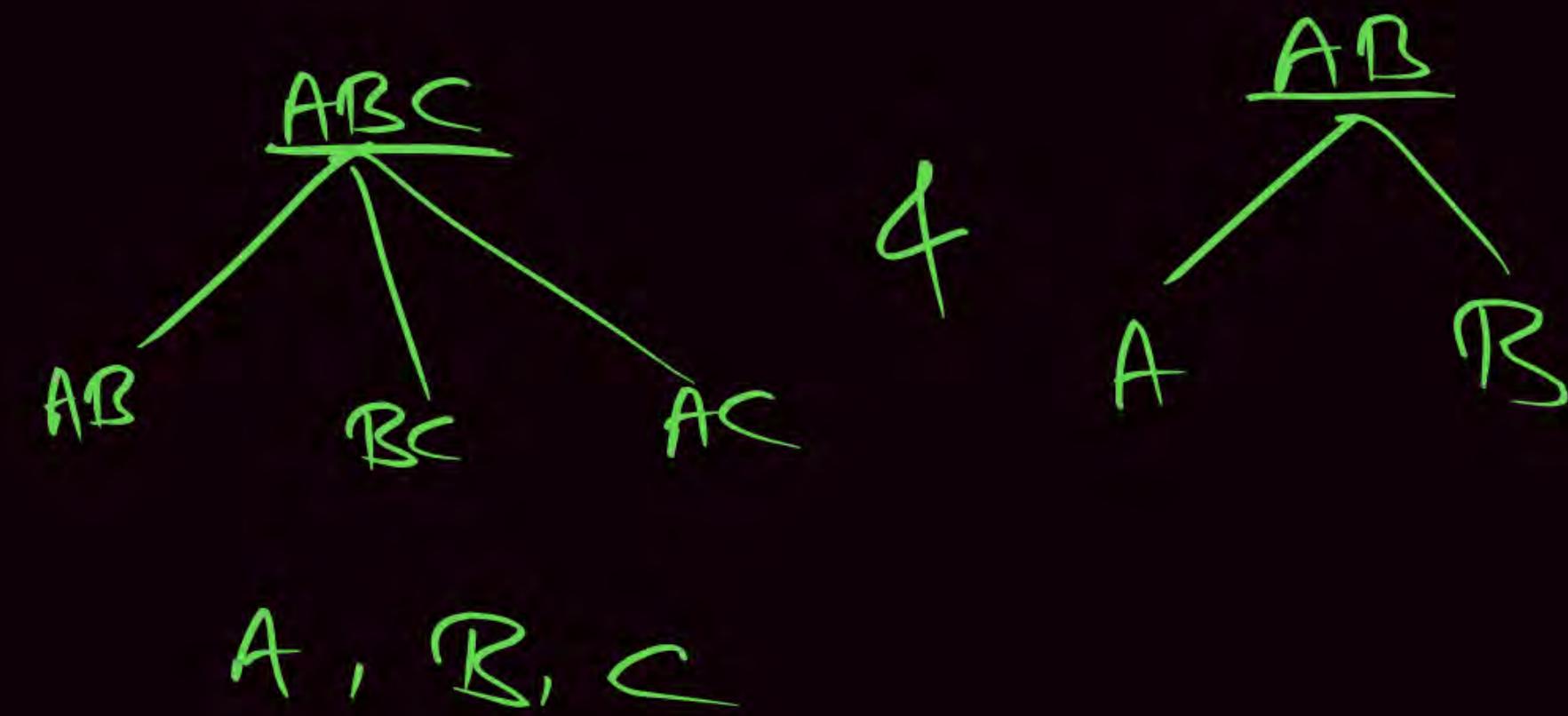
Proper subset of
Candidate key

Non key
Attribute

then Not in 2NF.



Poobler subset



A is CK
↓
then No Poobler
subset

<u>Design Goal</u>	1NF	2NF	3NF	BCNF
01. Redundancy	✗	✗	✗	✓
Lossless Join	✓	✓	✓	✓
Dependency Preservation	✓	✓	✓	May/May Not

2NF Decomposition

Q.1

$R(ABCDEF GH)$ { $AB \rightarrow C$, $C \rightarrow D$, $B \rightarrow E$, $E \rightarrow F$, $G \rightarrow H$ }

Candidate Key = $[AB]$

Non key Attribute = $[C, D, E, F, G, H]$

CHECK 2NF ?

$B \rightarrow E$

↑ ↑
 Proper subset of C.K Non key Attribute

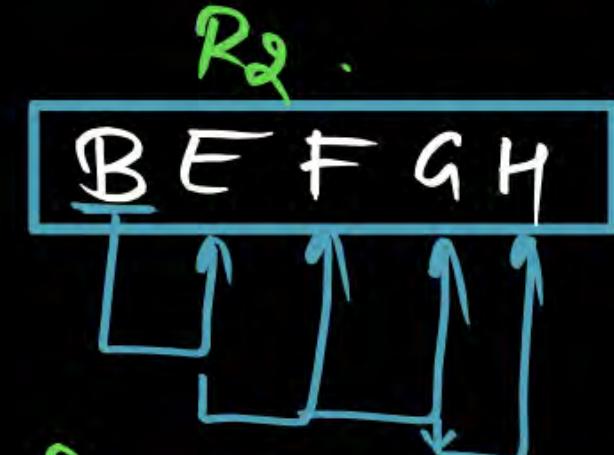
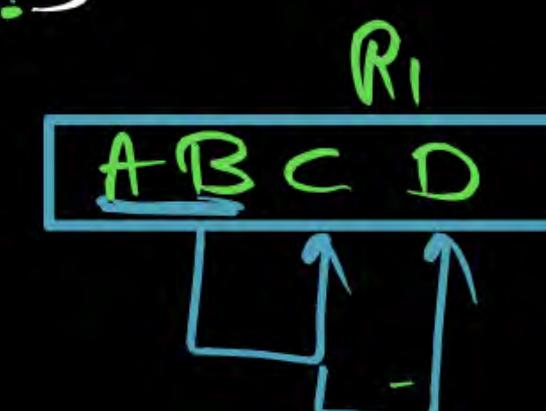
~~Violation of 2NF~~

Not in 2NF

$$(B)^+ = [BEFGH]$$

2NF Decomposition

$R(\underline{ABCDEF} \underline{GH})$



2NF + Dep. Preserved
+ Lossless Join

Common Attribute

$$R_1(ABCD) \cap R_2(REFGH) = [B]$$

$$[B]^+ = [REFGH]$$

Superkey of R_2

Lossless Join

2NF Decomposition

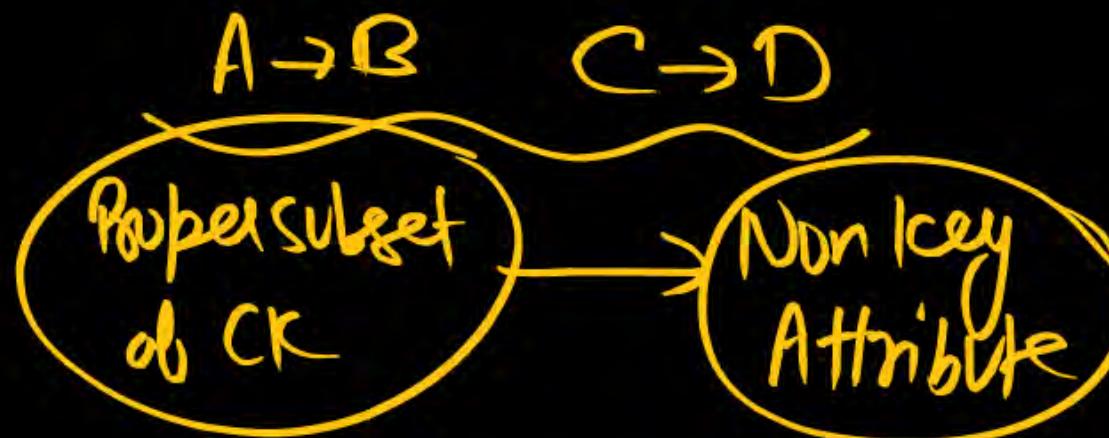
Q.2

$R(ABCDE)$ F: $[A \rightarrow B, B \rightarrow E, C \rightarrow D]$

Decompose it into 2NF.

Candidate key = [AC]

CHECK 2NF ?

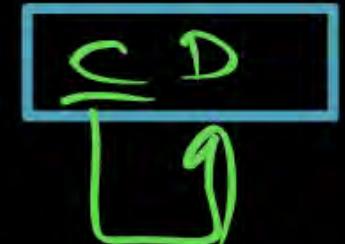


Not in 2NF.

2NF Decomposition

$$(A)^+ = (ABE)$$

$$(C)^+ = (CD)$$



Lossy Join
 (No common attribute)
 (Spurious Tuples)

2NF Decomposition

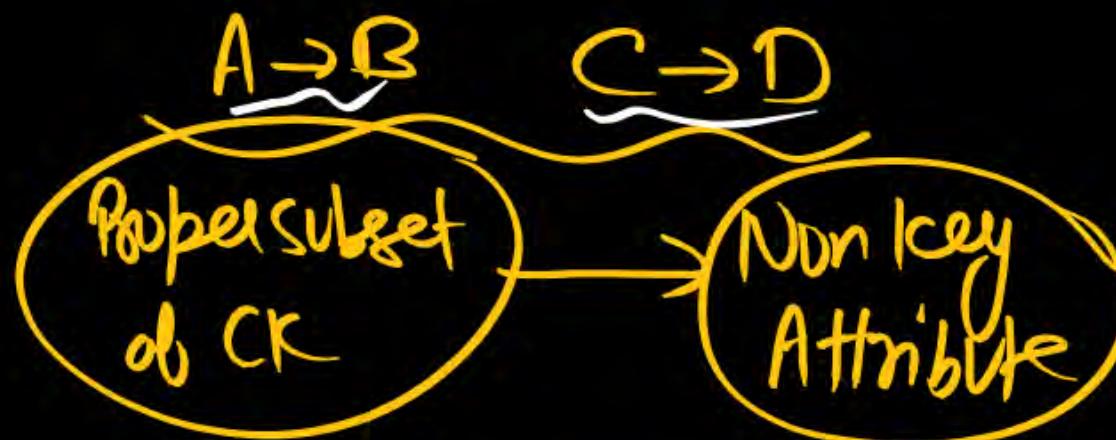
Q.2

$R(ABCDE)$ F: $[A \rightarrow B, B \rightarrow E, C \rightarrow D]$

Decompose it into 2NF.

Candidate key = [AC]

CHECK 2NF ?



Not in 2NF.

2NF Decomposition

$(A)^+ = (ABE)$

$(C)^+ = (CD)$

R_1
AC

R_2
ABE

R_3
CD

2NF +
Lossless +
D.P.

2NF Decomposition

Q.3

$R(ABCDEFGHIJ) \{AB \rightarrow C, BD \rightarrow EF, AD \rightarrow GH, A \rightarrow I, H \rightarrow J\}$

Candidate key = $[ABD]$

Non key Attribute = $[C, E, F, G, H, I, J]$

CHECK 2NF ?

$AB \rightarrow C$
 $BD \rightarrow EF$
 $AD \rightarrow GH$
 $A \rightarrow I$

Violation
of 2NF

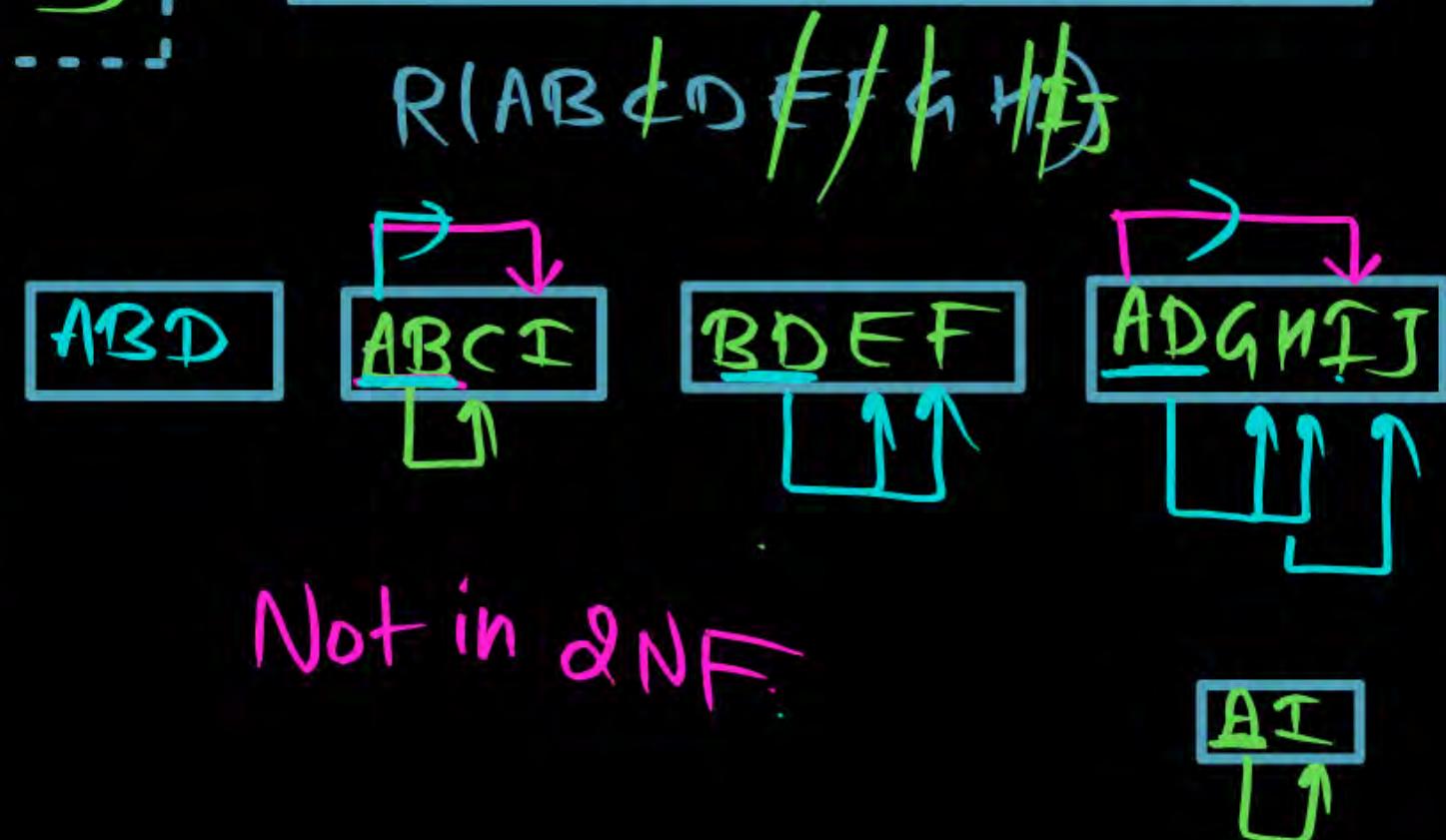
$$(AB)^+ = ABCI$$

$$(BD)^+ = BDEF$$

$$(AD)^+ = ADGHIJ$$

$$(A)^+ = AI$$

2NF Decomposition

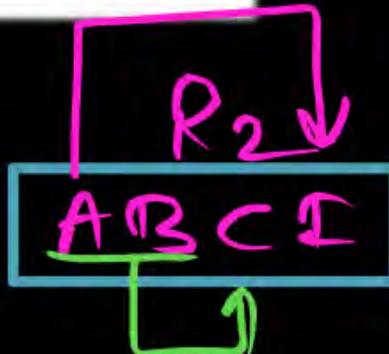


Not in 2NF

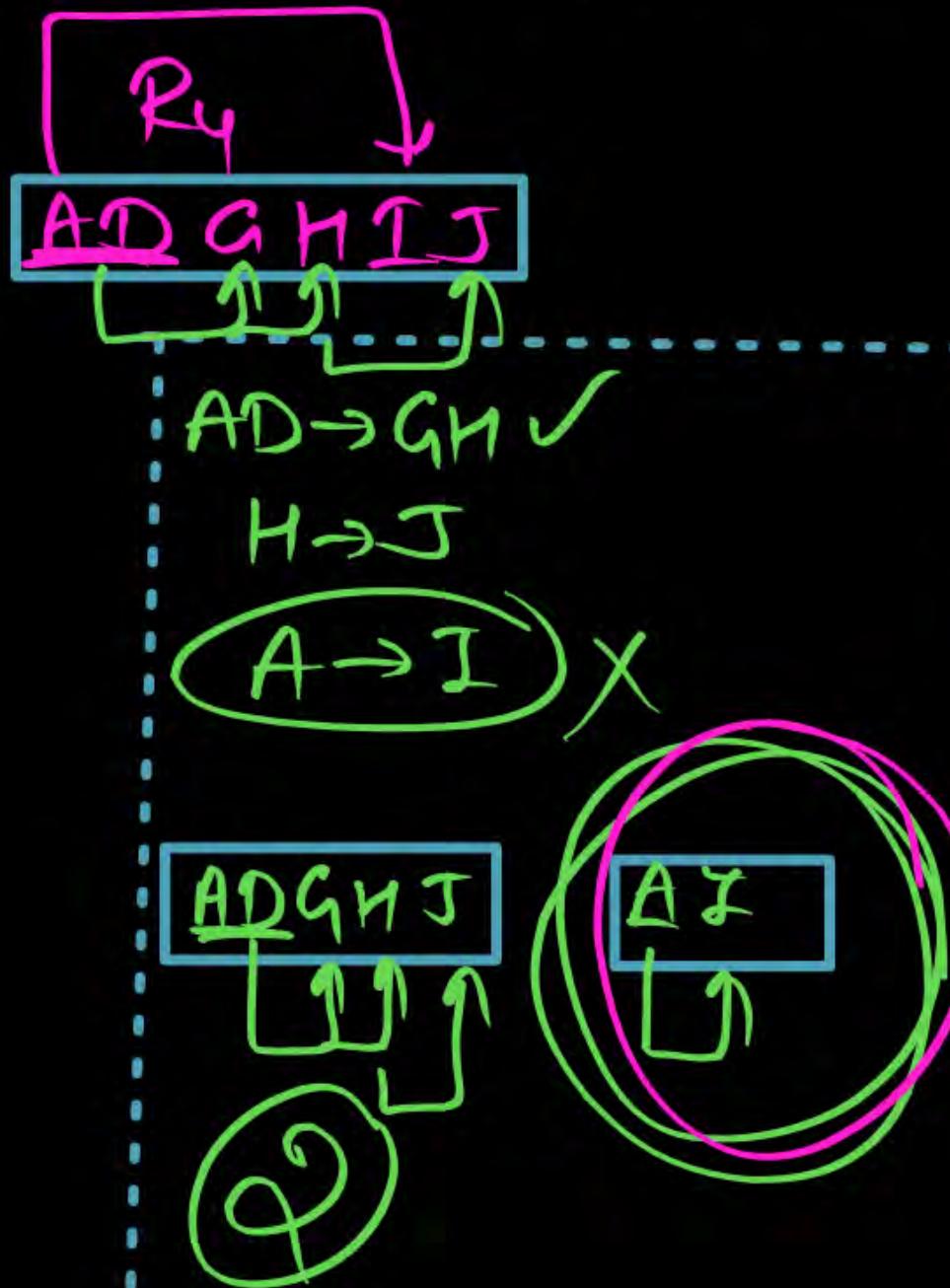
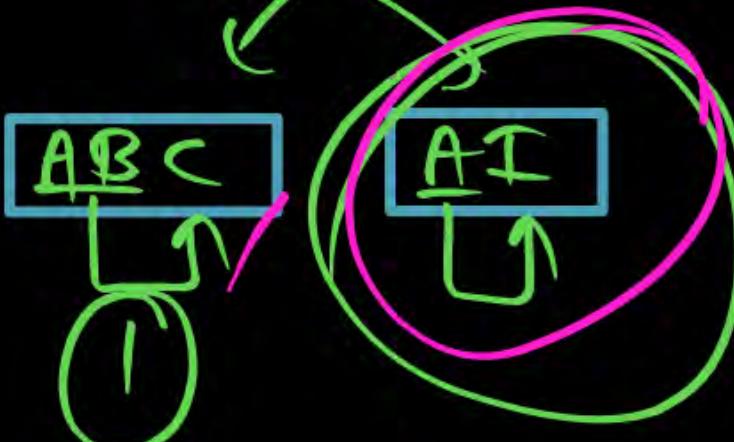
2NF Decomposition

Q.3

$R(ABCDEFHIJ) \{AB \rightarrow C, BD \rightarrow EF, AD \rightarrow GH, A \rightarrow I, H \rightarrow J\}$

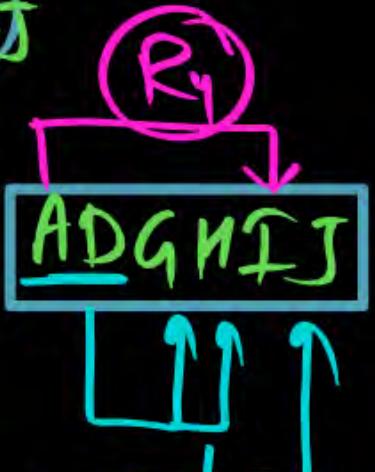


$AB \rightarrow C$
 $A \rightarrow I$



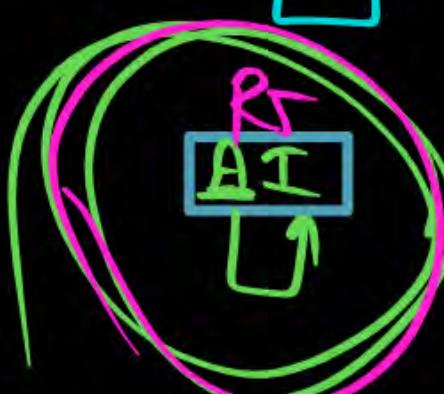
2NF Decomposition

$R(ABCD\textcolor{red}{EF}\textcolor{red}{GH}\textcolor{red}{IJ})$



③

Not in 2NF.



R_1
ABD

R_2
ABC
↓

R_3
ADGH J
↓↓↓

R_4
BDEF
↓↓

R_5
AI
↓

QNF
lossless
+ Dep. Preserving.

2NF Decomposition

Q.4

$R(ABCDEF)$ { $AB \rightarrow C$, $C \rightarrow D$, $B \rightarrow EF$ }

Candidate Key = $\underline{[AB]}$

Non key Attribute = $\underline{\{C, D, E, F\}}$

CHECK 2NF ?

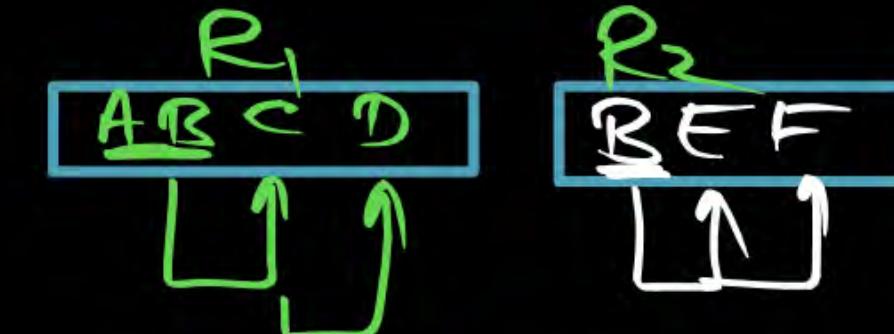
$B \rightarrow EF$
 \uparrow
 Proper subset
 of Non key
 Attribute

Not in 2NF.

$(B)^+ = \{BEF\}$

2NF Decomposition

$R_1 A B C D$



2NF + Lossless
 + D.P

2NF Decomposition

Q.5

$R(ABCDEFGH)$ { $AB \rightarrow C$, $C \rightarrow D$, $B \rightarrow E$, $E \rightarrow F$, $A \rightarrow GH$ }

Candidate key = (AB)

Non key Attribute = $\{C, D, E, F, G, H\}$

CHECK 2NF ?

$B \rightarrow E$
 $A \rightarrow GH$

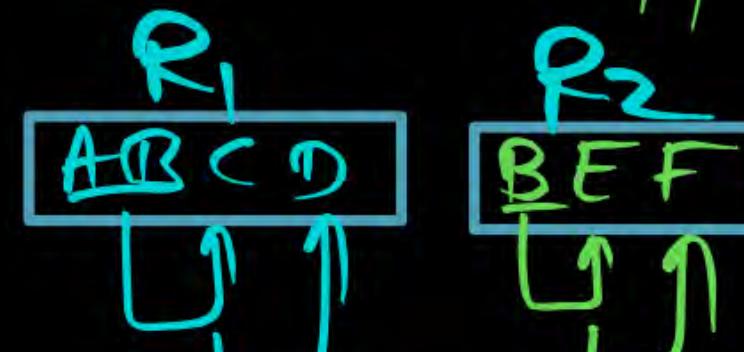
Violation of 2NF.

$$(B)^+ = \{BEF\}$$

$$(A)^+ = \{AGH\}$$

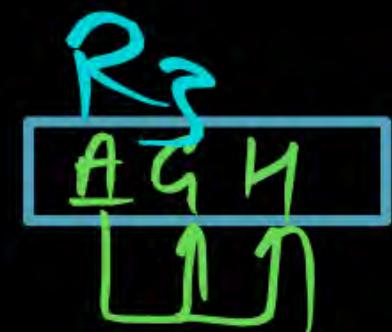
2NF Decomposition

$R(ABCDEFGH)$



2NF + Lossless

+ D.P



$R_1(ABCD)$

$R_2(BEF)$

$R_3(AGH)$

$$R_1(ABCD) \cap R_2(BEF) = B.$$

$(B)^+ = (BEF)$ Super key of R_2

$$R_{12}(ABCDEF) \cap R_3(AGH) = A$$

$(A)^+ = (AGH)$ Super key of R_3
Lossless Join

2NF Decomposition.

Step ① Minimal Cover .

Normal Forms

Third Normal Form

Definition: According to Codd's original definition, a relation schema R is in 3NF if it satisfies 2NF and no nonprime attribute of R is transitively dependent on the primary key.

Definition: A relation schema R is in third normal form (3NF) if, whenever a nontrivial functional dependency $X \rightarrow A$ holds in R either (a) X is a superkey of R , or (b) A is a prime attribute of R .

EMP_DEPT

Ename	<u>Ssn</u>	Bdate	Address	Dnumber	Dname	Dmgr_ssn
-------	------------	-------	---------	---------	-------	----------



3NF Normalization

ED1

Ename	<u>Ssn</u>	Bdate	Address	Dnumber
-------	------------	-------	---------	---------

ED2

Dnumber	Dname	Dmgr_ssn
---------	-------	----------

3NF Decomposition

$A \rightarrow C$

Q.1

R(ABC) [A → B, B → C]

Candidate key = [A]

Non key Attribute = [B, C]

CHECK 2NF ?

R is in 2NF.

① CHECK 3NF ?

$B \rightarrow C$

Non key Attribute → Non key Attribute
Not in 3NF

② CHECK 3NF ?

$A \rightarrow C$

Non Prime

Non key Attribute

Transitive determine by C.k

Not in 3NF

③

CHECK 3NF ?

X: Subkey
OR

Y: Primekey Attribute

$A \rightarrow B$; A is subkey

$B \rightarrow C$; B is Not subkey

C is Not Prime Attr

Not in 3NF

3NF Decomposition

Q.1

$R(ABC)$ $[A \rightarrow B, B \rightarrow C]$

Candidate key = $[A]$

Non key Attribute = $[B, C]$

Check 3NF ?

$B \rightarrow C$

B Not Super key

C is Not key / Not Prime Attribute

So R Not in 3NF

3NF violation

$\underline{B \rightarrow C}$

$A B$

$B C$

R is in 3NF

+ Data Preserved
+ Less Eff

3NF Decomposition

Q.1

$R(ABC)$ [A \rightarrow B, B \rightarrow C]

$R(ABC)$

CK : [A]

	A	B	C
1	b ₁	x	-
2	b ₁	x	-
3	b ₁	x	-
4	b ₁	x	-
5	b ₁	x	-
6	c ₁	y	-
7	c ₁	y	y
8	c ₁	y	y
9	c ₁	y	y
10	c ₁	y	y
11	c ₁	y	y

3NF Decomposition

$R_1(AB)$

	A	B
1	b ₁	
2	b ₁	
3	b ₁	
4	b ₁	
5	b ₁	
6	c ₁	
7	c ₁	
8	c ₁	
9	c ₁	
10	c ₁	
11	c ₁	

R_1

	A	B
1	b ₁	

R_2

	B	C
1	x	-

$R_2(BC)$

	B	C
1	x	-
2	c ₁	y

3NF Decomposition

Q.2

R(ABCDEF) [AB → C, C → D, D → E, E → F]

3NF Decomposition

Q.3

R (ABCDEFGHIJ) {AB→C, BD→EF, AD→GH, A→I, H→J}

3NF Decomposition

Q.4

R (ABCD) {AB→CD, D→A}

3NF Decomposition

Q.5

R (ABCDEFGH) {A→BC, B→DEF, DE→AGH}

Q.6

R(ABCDE) {AB → C, C → D, B → E}

Decompose into 2NF, 3NF, BCNF

P
W

**THANK
YOU!**

