## Assignment 4

Use MATLAB for parts 1 and 2,

1. Given a unity feedback system with a forward loop plant transfer function of

$$G(s) = \frac{K(s+5)}{(s+2)(s+4)(s+7)(s+9)}$$

- a. Sketch the root locus.
- b. Find the coordinates of the dominant poles for which  $\zeta = 0.7$ .
- c. Find the gain for which  $\zeta = 0.7$ .
- d. If the system is to be cascade-compensated so that Ts 1 second and  $\zeta$  0.7, find the compensator pole if the compensator zero is at 4.5.
- e. Discuss the validity of your second-order approximation and support your argument based on appropriate plots.
- f. Simulate both uncompensated and compensated systems and compare the results to those expected.
- g. Change the compensator's zero location a few times and collect data on the compensated system to see if any other choices of compensator zero yield advantages over the original design.
- 2. Upon implementing the designed controller, the client asked for a reduction in the peak time by 2 times, and a reduction in the percentage overshoot by 30%. Using a MATLAB script, find the location of the zero to be added to achieve the desired performance. In the process, write a separate function for calculating the angle difference to be compensated.
- 3. Hypothesis: The state variables in controllable canonical representation, observable canonical representation and diagonal canonical representation are identical. Mathematically, validate or invalidate this hypothesis. (written solution).