

TUGAS MAPLE

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LATIHAN I

1. Menjabarkan $(x - 2y)^7$

$$\left[\begin{array}{l} > \text{expand}((x - 2y)^7) \\ x^7 - 14x^6y + 84x^5y^2 - 280x^4y^3 + 560x^3y^4 - 672x^2y^5 + 448xy^6 - 128y^7 \end{array} \right. \quad (1)$$

2. Menjabarkan $(x - y)^5(x + y)^4$

$$\left[\begin{array}{l} > \text{expand}((x - y)^5(x + y)^4) \\ x(x + y)^{20} - 20x(x + y)^{19}y(x + y) + 190x(x + y)^{18}y(x + y)^2 - 1140x(x + y)^{17}y(x + y)^3 \\ + 4845x(x + y)^{16}y(x + y)^4 - 15504x(x + y)^{15}y(x + y)^5 + 38760x(x + y)^{14}y(x + y)^6 \\ - 77520x(x + y)^{13}y(x + y)^7 + 125970x(x + y)^{12}y(x + y)^8 - 167960x(x + y)^{11}y(x + y)^9 \\ + 184756x(x + y)^{10}y(x + y)^{10} - 167960x(x + y)^9y(x + y)^{11} + 125970x(x + y)^8y(x + y)^{12} \\ - 77520x(x + y)^7y(x + y)^{13} + 38760x(x + y)^6y(x + y)^{14} - 15504x(x + y)^5y(x + y)^{15} \\ + 4845x(x + y)^4y(x + y)^{16} - 1140x(x + y)^3y(x + y)^{17} + 190x(x + y)^2y(x + y)^{18} \\ - 20x(x + y)y(x + y)^{19} + y(x + y)^{20} \end{array} \right. \quad (2)$$

3. Memfaktorkan $(x^3 - y^3)$

$$\left[\begin{array}{l} > \text{factor}(x^3 - y^3) \\ (x - y)(x^2 + xy + y^2) \end{array} \right. \quad (3)$$

4. Memfaktorkan $(x^3 - 5x^2y + 8xy^2 - 4y^3)$

$$\left[\begin{array}{l} > \text{factor}(x^3 - 5x^2y + 8xy^2 - 4y^3) \\ (x - y)(x - 2y)^2 \end{array} \right. \quad (4)$$

LATIHAN II

a. $\frac{153}{102}$

$$\left[\begin{array}{l} > \text{normal}\left(\frac{153}{102}\right) \\ \frac{3}{2} \end{array} \right. \quad (5)$$

b. $\cos^2x - \sin^2x$

$$\left[\begin{array}{l} > \text{normal}(\cos^2x - \sin^2x) \\ \cos^2x - \sin^2x \end{array} \right. \quad (6)$$

$$c. \frac{8x^3 - 36x^2 + 54x - 27}{8x^4 - 44x^3 + 90x^2 \cdot 81x + 27}$$

$$\left[\begin{array}{l} \text{normal} \left(\frac{8x^3 - 36x^2 + 54x - 27}{8x^4 - 44x^3 + 90x^2 \cdot 81x + 27} \right) \\ \frac{8x^3 - 36x^2 + 54x - 27}{8x^4 + 7246x^3 + 27} \end{array} \right] \quad (7)$$

LATIHAN III

a. Konversi $\frac{3}{4}\pi$ ke dalam satuan derajat

$$\left[\begin{array}{l} \text{convert} \left(\frac{3}{4}\pi, \text{degrees} \right) \\ 135 \text{ degrees} \end{array} \right] \quad (8)$$

b. Konversi $\cos x$ ke dalam bentuk eksponensial

$$\left[\begin{array}{l} \text{convert}(\cos(x), \text{exp}) \\ \frac{1}{2} e^{ix} + \frac{1}{2} e^{-ix} \end{array} \right] \quad (9)$$

c. Konversi 32 dalam basis 10 ke dalam bentuk basis 2

$$\left[\begin{array}{l} \text{convert}(32, \text{base}, 10) \\ [2, 3] \end{array} \right] \quad (10)$$

$$\left[\begin{array}{l} \text{convert}([2, 3], \text{base}, 10, 2) \\ [0, 0, 0, 0, 0, 1] \end{array} \right] \quad (11)$$

d. Konversi 221 dalam basis 3 ke dalam bentuk basis 10

$$\left[\begin{array}{l} \text{convert}(221, \text{base}, 3) \\ [2, 1, 0, 2, 2] \end{array} \right] \quad (12)$$

$$\left[\begin{array}{l} \text{convert}([2, 1, 0, 2, 2], \text{base}, 3, 10) \\ [1, 2, 2] \end{array} \right] \quad (13)$$

LATIHAN IV

Definisikann fungsi $f(x) = \frac{1}{\sigma\sqrt{\pi}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$

a. nilai f bila $x=0$

$$\left[\begin{array}{l} f := x \rightarrow \frac{1}{\sigma\sqrt{\pi}} e^{-\frac{(x-\mu)^2}{2\sigma^2}} \end{array} \right]$$

$$\begin{array}{l}
 \left[\begin{array}{l}
 f := x \rightarrow \frac{e^{-\frac{1}{2} \frac{(x-\mu)^2}{\sigma^2}}}{\pi^{\frac{1}{\sigma}}} \\
 \\
 > f(0) \\
 \\
 \frac{e^{-\frac{1}{2} \frac{\mu^2}{\sigma^2}}}{\pi^{\frac{1}{\sigma}}}
 \end{array} \right.
 \end{array}
 \quad
 \begin{array}{l}
 (14) \\
 \\
 \\
 (15)
 \end{array}$$

b. Bila $\alpha = 1, \mu = 0$, berapa $f(1)$

$$\begin{array}{l}
 \left[\begin{array}{l}
 > f := (\sigma, \mu, x) \rightarrow \frac{1}{\sigma \sqrt{\pi}} e^{-\frac{(x-\mu)^2}{2\sigma^2}} \\
 \\
 f := (\sigma, \mu, x) \rightarrow \frac{e^{-\frac{1}{2} \frac{(x-\mu)^2}{\sigma^2}}}{\pi^{\frac{1}{\sigma}}} \\
 \\
 > f(1, 0, 1) \\
 \\
 \frac{e^{-\frac{1}{2}}}{\pi}
 \end{array} \right.
 \end{array}
 \quad
 \begin{array}{l}
 \\
 \\
 (16) \\
 \\
 (17)
 \end{array}$$

LATIHAN V

(a) $x - \cos(x) = 0$

$$\begin{array}{l}
 \left[\begin{array}{l}
 > eqn := x - \cos(x) = 0 \\
 \\
 eqn := x - \cos(x) = 0
 \end{array} \right.
 \end{array}
 \quad
 (18)$$

$$\begin{array}{l}
 \left[\begin{array}{l}
 > solve(eqn, \{x\}) \\
 \\
 \{x = RootOf(_Z - \cos(_Z))\}
 \end{array} \right.
 \end{array}
 \quad
 (19)$$

(b) $x^2 \cdot y^2 = 0, x - y = 1$

$$\begin{array}{l}
 \left[\begin{array}{l}
 > eqn1 := x^2 \cdot y^2 = 0 \\
 \\
 eqn1 := x^2 y^2 = 0
 \end{array} \right.
 \end{array}
 \quad
 (20)$$

$$\begin{array}{l}
 \left[\begin{array}{l}
 > eqn2 := x - y = 1 \\
 \\
 eqn2 := x - y = 1
 \end{array} \right.
 \end{array}
 \quad
 (21)$$

$$\begin{array}{l}
 \left[\begin{array}{l}
 > solve(\{eqn1, eqn2\}, \{x, y\}) \\
 \\
 \{x = 0, y = -1\}, \{x = 1, y = 0\}
 \end{array} \right.
 \end{array}
 \quad
 (22)$$

(c) $x^2 = 2^x$

$$\begin{array}{l}
 \left[\begin{array}{l}
 > eqn := x^2 = 2^x
 \end{array} \right.
 \end{array}$$

$$eqn := x^2 = 2^x \quad (23)$$

```
> solve(eqn, {x})
```

$$\{x=2\}, \{x=4\}, \left\{x = -\frac{2 \operatorname{LambertW}\left(\frac{1}{2} \ln(2)\right)}{\ln(2)}\right\} \quad (24)$$

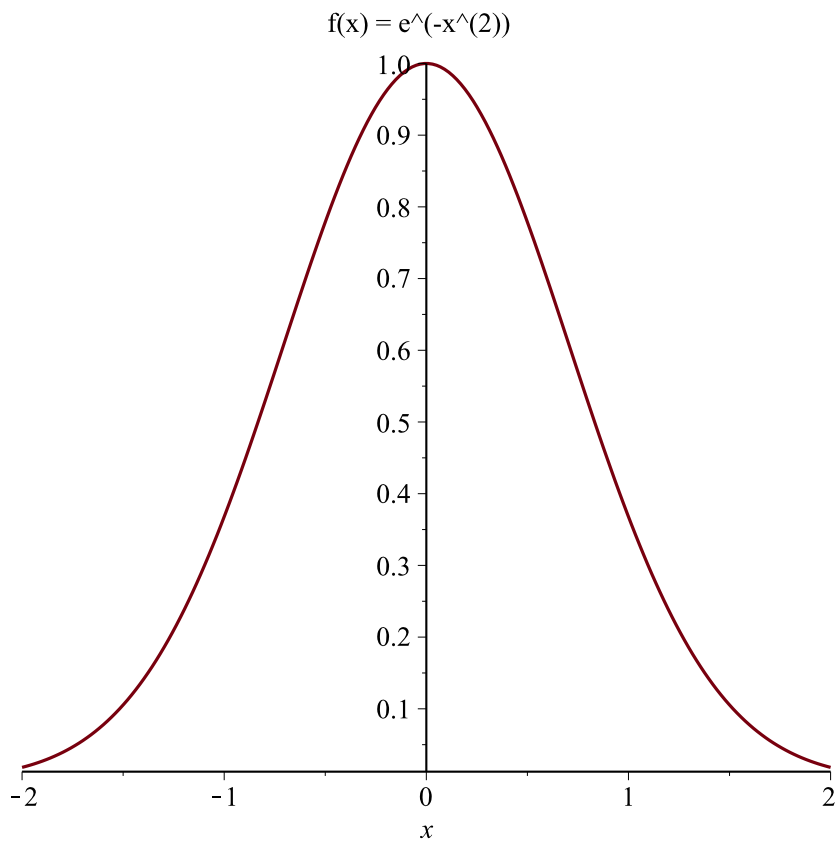
LATIHAN VI

```
> with(plots)
```

```
[animate, animate3d, animatecurve, arrow, changecoords, complexplot, complexplot3d,
conformal, conformal3d, contourplot, contourplot3d, coordplot, coordplot3d, densityplot,
display, dualaxisplot, fieldplot, fieldplot3d, gradplot, gradplot3d, implicitplot,
implicitplot3d, inequal, interactive, interactiveparams, intersectplot, listcontplot,
listcontplot3d, listdensityplot, listplot, listplot3d, loglogplot, logplot, matrixplot, multiple,
odeplot, pareto, plotcompare, pointplot, pointplot3d, polarplot, polygonplot, polygonplot3d,
polyhedra_supported, polyhedraplot, rootlocus, semilogplot, setcolors, setoptions,
setoptions3d, spacecurve, sparsematrixplot, surfdata, textplot, textplot3d, tubeplot] \quad (25)
```

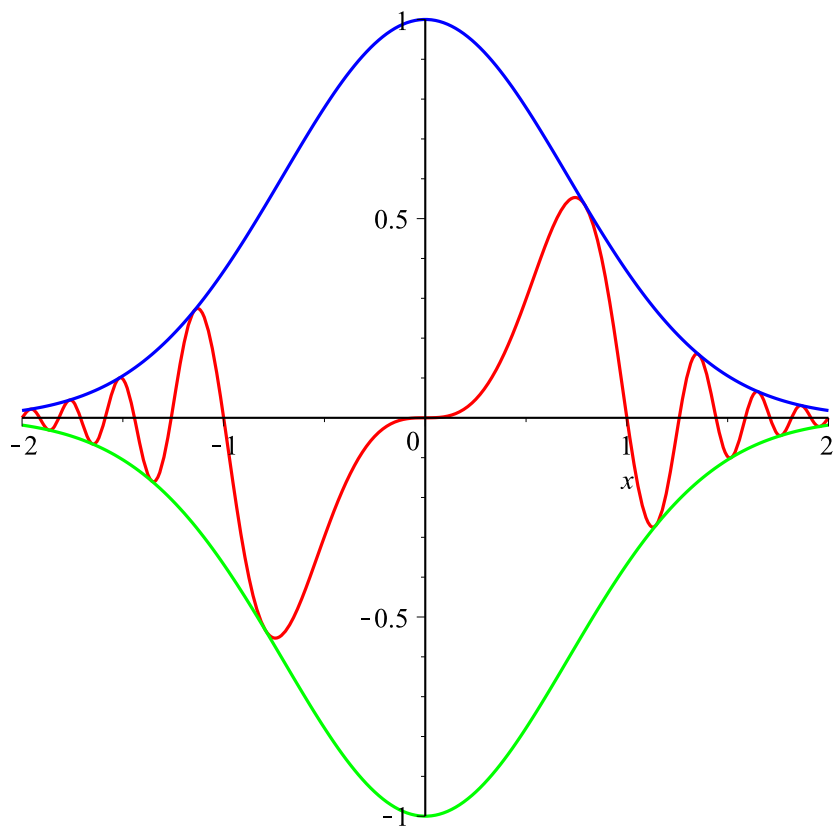
1. $f(x) = e^{-x^2}$ pada domain $x \in [-2, 2]$

```
> plot( e-x2, x = -2 .. 2, title = "f(x) = e-x2" )
```



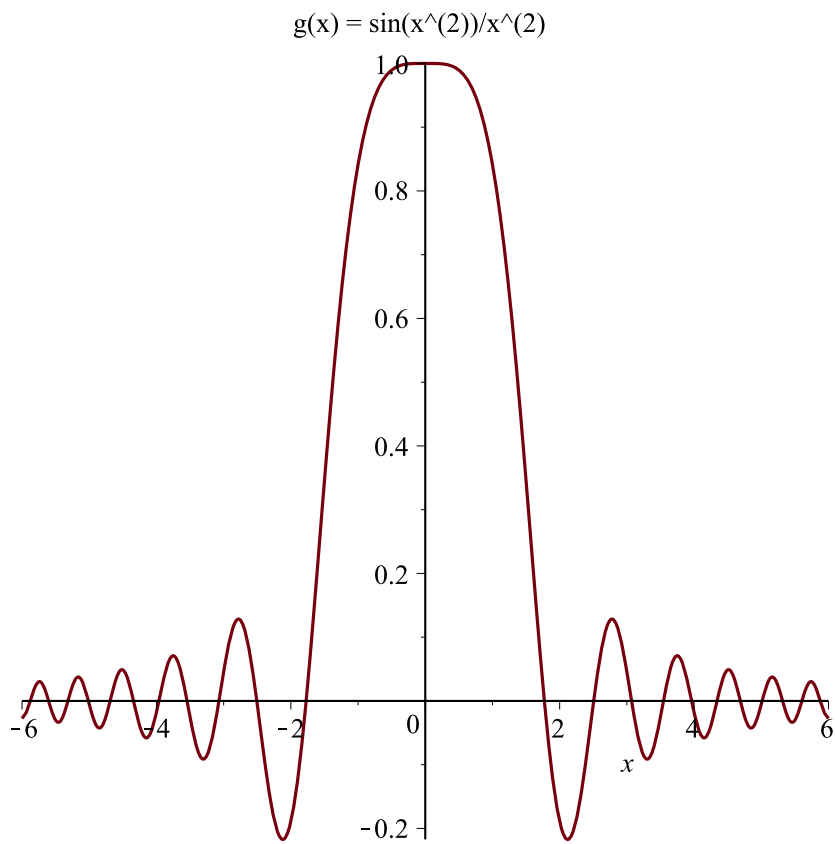
2. Tiga fungsi $g_1(x) = e^{-x^2} \sin(\pi x^3)$, $g_2(x) = e^{-x^2}$ dan $g_3(x) = -e^{-x^2}$ pada dominan $x \in [-2, 2]$

```
> plot([e^(-x^2) sin(pi*x^3), e^(-x^2), -e^(-x^2)], x=-2 .. 2, color=[red, blue, green])
```



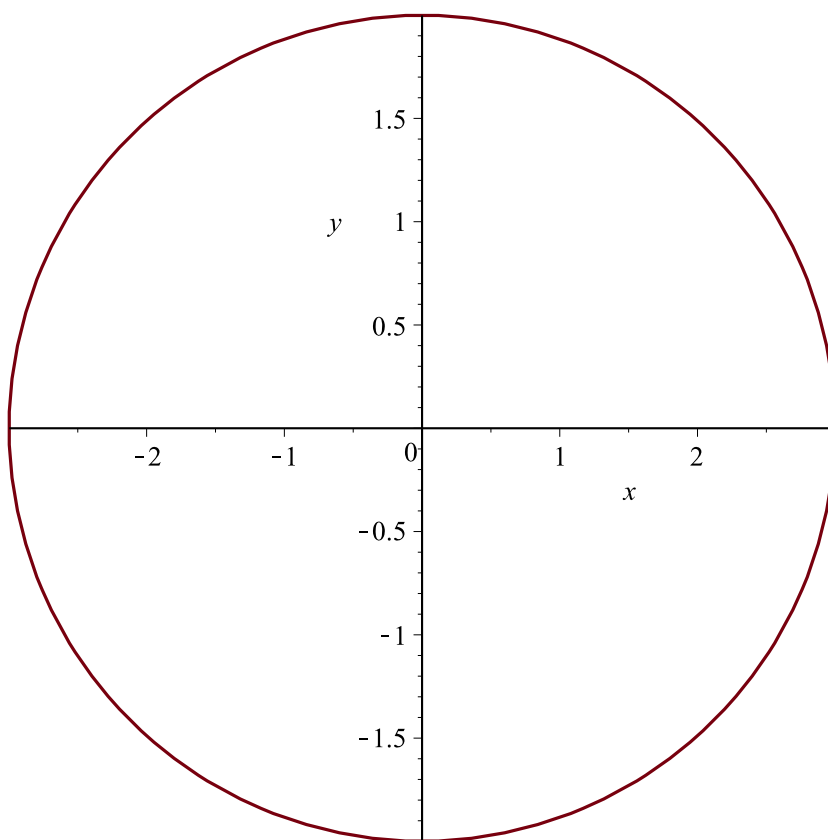
3. $g(x) = \frac{\sin(x^2)}{x^2}$ pada domain $x \in [-6, 6]$

> $\text{plot}\left(\frac{\sin(x^2)}{x^2}, x = -6 .. 6, \text{title} = "g(x) = \frac{\sin(x^2)}{x^2} "\right)$



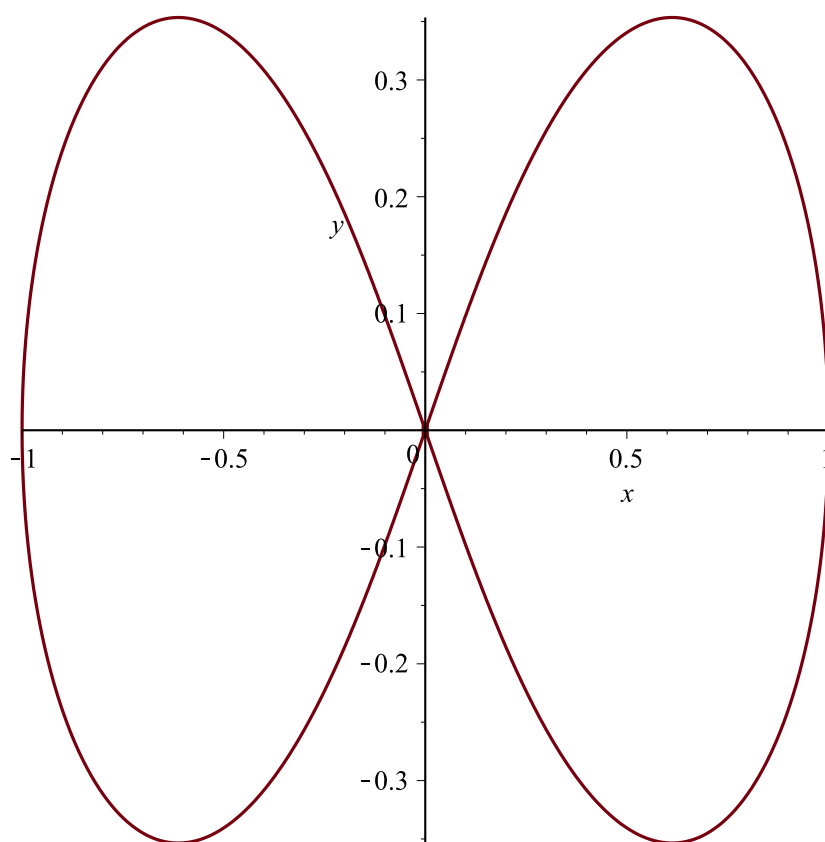
4. $\frac{x^2}{9} + \frac{y^2}{4} = 1$ pada daerah $[-3, 3] \times [2, 2]$

> `implicitplot($\frac{x^2}{9} + \frac{y^2}{4} = 1, x=-3 .. 3, y=-2 .. 2$)`



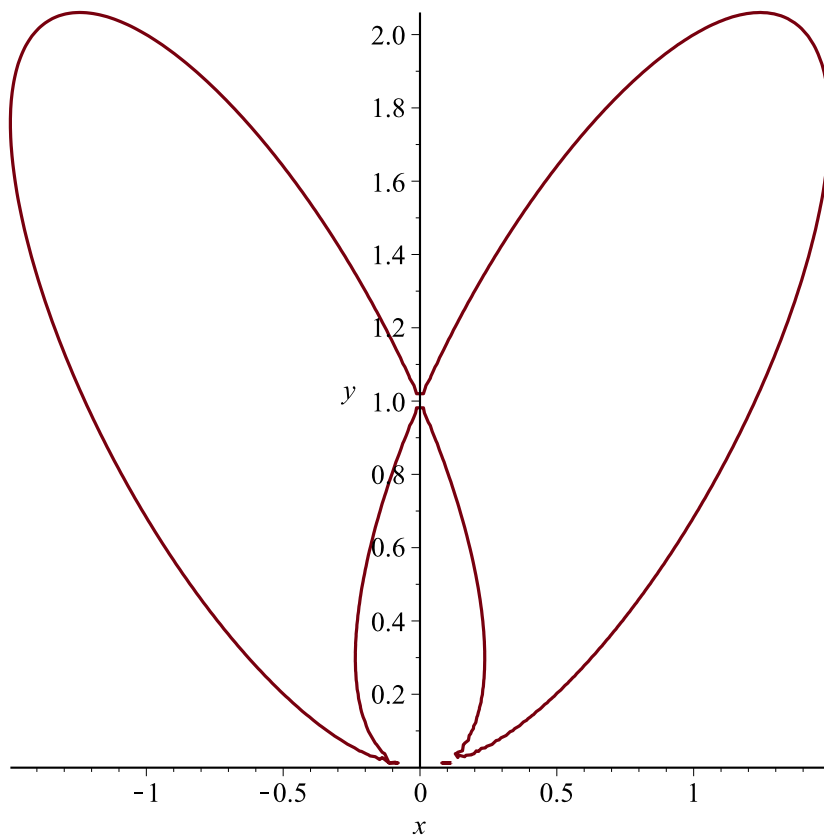
5. $(x^2 + y^2)^2 = (x^2 - y^2)$ pada $[-1, 1] \times [-1, 1]$

> `implicitplot((x2 + y2)2 = (x2 - y2), x=-1 .. 1, y=-1 .. 1, grid=[200, 200])`



6. $2x^4 + y^4 - 3x^2y - 2y^3 + y^2 = 0$ pada $\left[\frac{-5}{2}, \frac{5}{2} \right] \times \left[\frac{-5}{2}, \frac{5}{2} \right]$

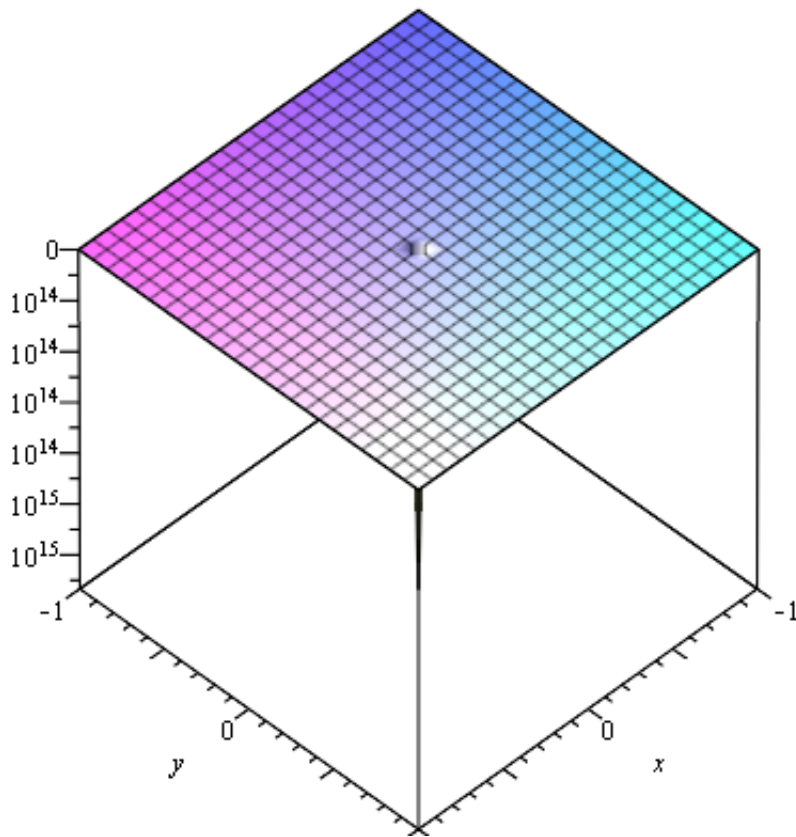
> `implicitplot(2x4 + y4 - 3x2·y - 2y3 + y2 = 0, x = $\frac{-5}{2}$.. $\frac{5}{2}$, y = $\frac{-5}{2}$.. $\frac{5}{2}$, grid = [200, 200])`



LATIHAN VII

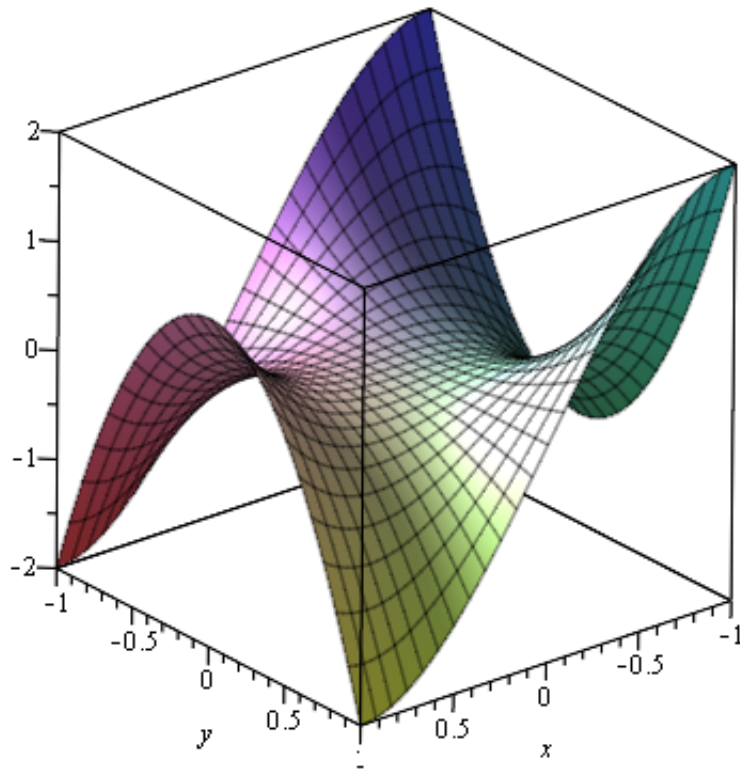
1. $f(x, y) = \frac{x}{x^2 + y^2}$ untuk x dan y pada rentang dari -1 sampai 1

> $\text{plot3d}\left(\frac{x}{x^2 + y^2}, x = -1 \dots 1, y = -1 \dots 1\right)$



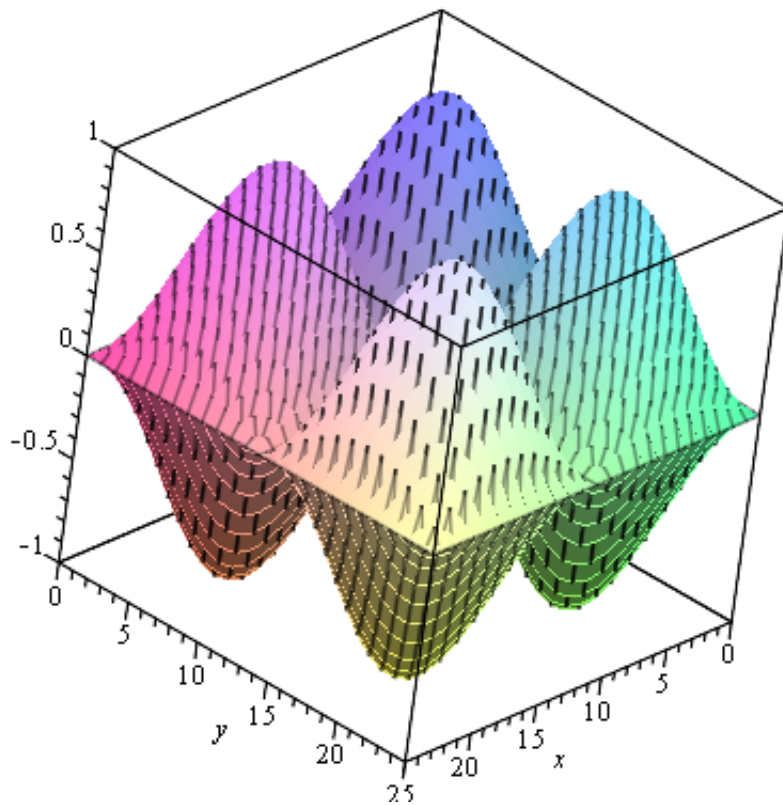
2. $f(x, y) = x(x^2 - 3y^2)$ dengan x dan y diatur sedemikian rupa sehingga grafiknya terlihat utuh

> `plot3d(x (x^2 - 3 ·y^2), x=-1 .. 1, y=-1 .. 1)`



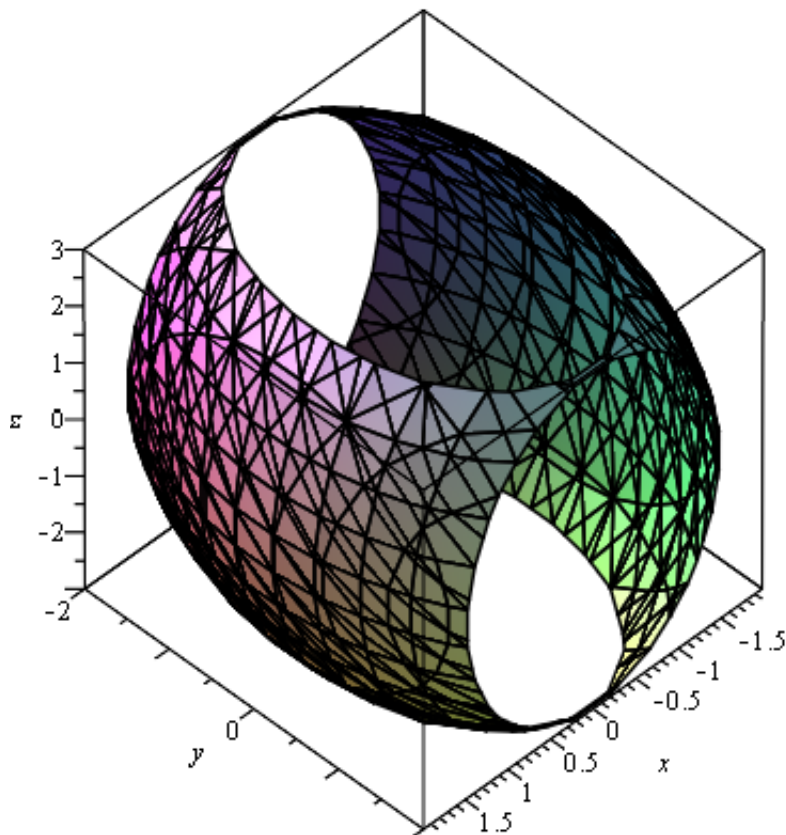
3. $f(x, y) = \sin(2\pi x) \sin(2\pi y)$ dengan x dan y pada rentang dari 0 sampai 25

> `plot3d(sin(2·π·x) sin(2·π·y), x=0 .. 25, y=0 .. 25)`



4. Gambarkan kurva elipsoida $\frac{x^2}{4} + \frac{y^2}{9} + \frac{z^2}{16} = 1$ dengan range diatur sendiri sehingga kurva terlihat utuh

> `implicitplot3d` $\left(\frac{x^2}{4} + \frac{y^2}{9} + \frac{z^2}{16} = 1, x=-2 \dots 2, y=-2 \dots 2, z=-3 \dots 3\right)$



LATIHAN VIII

```
> with(Student[Calculus1])
[AntiderivativePlot, AntiderivativeTutor, ApproximateInt, ApproximateIntTutor, ArcLength,
ArcLengthTutor, Asymptotes, Clear, CriticalPoints, CurveAnalysisTutor, DerivativePlot,
DerivativeTutor, DiffTutor, ExtremePoints, FunctionAverage, FunctionAverageTutor,
FunctionChart, FunctionPlot, GetMessage, GetNumProblems, GetProblem, Hint,
InflectionPoints, IntTutor, Integrand, InversePlot, InverseTutor, LimitTutor,
MeanValueTheorem, MeanValueTheoremTutor, NewtonQuotient, NewtonsMethod,
NewtonsMethodTutor, PointInterpolation, RiemannSum, RollesTheorem, Roots, Rule, Show,
ShowIncomplete, ShowSolution, ShowSteps, Summand, SurfaceOfRevolution,
SurfaceOfRevolutionTutor, Tangent, TangentSecantTutor, TangentTutor,
TaylorApproximation, TaylorApproximationTutor, Understand, Undo, VolumeOfRevolution,
VolumeOfRevolutionTutor, WhatProblem]
```

(26)

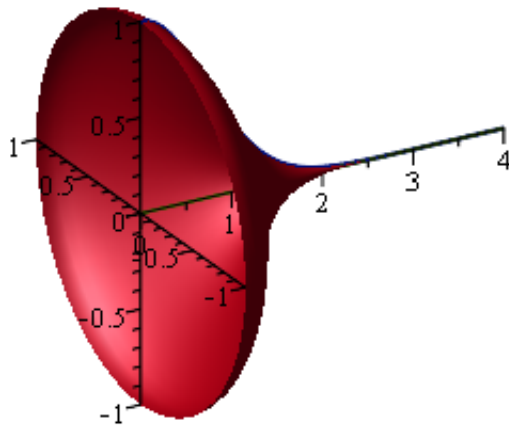
1. Derivatif fungsi $f(x) = x \sin\left(\frac{1}{x}\right)$

$$\left[\begin{array}{l} > \text{diff}\left(x \cdot \sin\left(\frac{1}{x}\right), x\right) \\ & 0 \end{array} \right. \quad (27)$$

2. Luas daerah yang dibatasi kurva $y = e^{-x^2}$ dari $x = 0$ sampai $x = 4$

$$\left[\begin{array}{l} > \text{SurfaceOfRevolution}\left(e^{-x^2}, x=0 \dots 4\right) \\ & \int_0^4 2\pi e^{-x^2} \sqrt{1 + 4x^2 (e^{-x^2})^2} dx \end{array} \right. \quad (28)$$

$$\left[\begin{array}{l} > \text{SurfaceOfRevolution}\left(e^{-x^2}, x=0 \dots 4, \text{output}=\text{plot}\right) \end{array} \right.$$

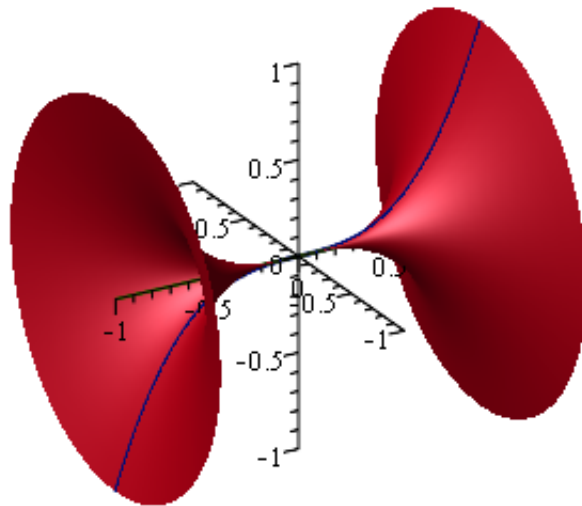


Surface of revolution formed when $f(x) = e^{-x^2}$, $0 \leq x \leq 4$, is rotated about a horizontal axis.

3. Luas dan volume benda putar yang terbentuk dari pemutaran kurva $y = x^3$ dari $x = -1$ sampai $x = 1$

$$\left[\begin{array}{l} > \text{SurfaceOfRevolution}\left(x^3, x=-1 \dots 1\right) \\ & \frac{20}{27} \sqrt{10} \pi - \frac{2}{27} \pi \end{array} \right. \quad (29)$$

> *SurfaceOfRevolution*(x^3 , $x = -1 .. 1$, *output* = *plot*)



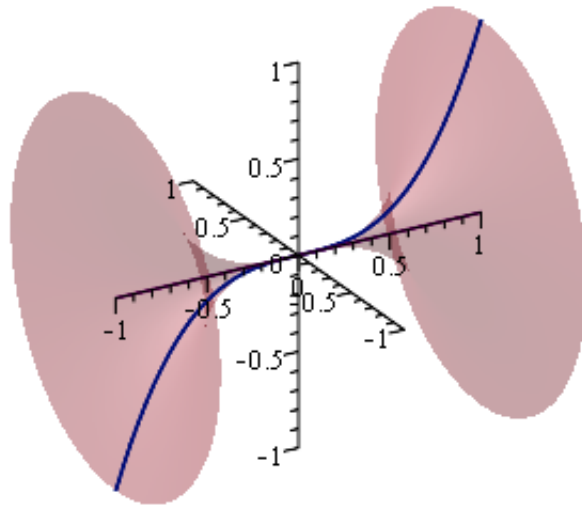
Surface of revolution formed when $f(x) = x^3$, $-1 \leq x \leq 1$, is rotated about a horizontal axis.

> *VolumeOfRevolution*(x^3 , $x = -1 .. 1$)

$$\frac{2}{7} \pi$$

(30)

> *VolumeOfRevolution*(x^3 , $x = -1 .. 1$, *output* = *plot*)



The solid of revolution created on $-1 \leq x \leq 1$ by rotation of $f(x) = x^3$ about the axis $y = 0$.

4. $\lim_{x \rightarrow 0} \left(1 + \frac{1}{x}\right)^x$ bandingkan hasilnya dengan e

$$\left[\begin{array}{l} > \lim \left(\left(\left(1 + \frac{1}{x}\right)^x \right), x=0 \right) \end{array} \right. \quad 1 \quad (31)$$

$$\left[\begin{array}{l} > \lim \left(\left(\left(1 + \frac{1}{x}\right)^x \right), x=e \right) \end{array} \right. \quad \frac{(e+1)^e}{e^e} \quad (32)$$

5. $\lim_{x \rightarrow 0^+} \left(\frac{1}{x} - \frac{1}{\arctan x} \right)$

$$\left[\begin{array}{l} > \lim \left(\left(\frac{1}{x} - \frac{1}{\arctan(x)} \right), x=0, \text{left} \right) \end{array} \right. \quad 0 \quad (33)$$

6.

$$\lim_{x \rightarrow \left(\frac{\pi}{2}\right)^-} (\sec x - \tan x)$$

$$\left[\begin{array}{l} \text{> } \text{limit}\left((\sec(x) - \tan(x)), x = \left(\frac{\pi}{2}\right), \text{right}\right) \end{array} \right] 0 \quad (34)$$

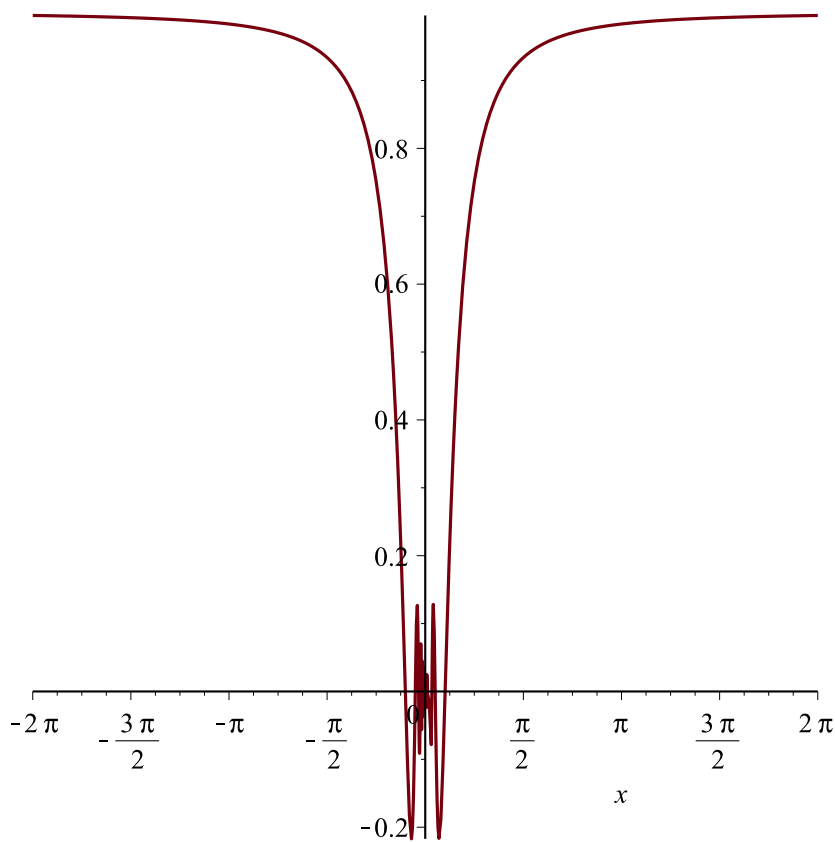
$$7. \text{ fungsi } f(x) = \begin{cases} x \sin\left(\frac{1}{x}\right) & \text{bila } x \neq 0 \\ 0 & \text{bila } x = 0 \end{cases}$$

$$\left[\begin{array}{l} \text{> } \text{piecewise}\left(x \neq 0, x \cdot \sin\left(\frac{1}{x}\right), x = 0, 0\right) \\ \qquad \qquad \qquad \left\{ \begin{array}{ll} x \sin\left(\frac{1}{x}\right) & x \neq 0 \\ 0 & x = 0 \end{array} \right. \end{array} \right] \quad (35)$$

$$\left[\begin{array}{l} \text{> } f := x \rightarrow \text{piecewise}\left(x \neq 0, x \cdot \sin\left(\frac{1}{x}\right), x = 0, 0\right) \\ \qquad \qquad \qquad f := x \rightarrow \text{piecewise}\left(x \neq 0, x \sin\left(\frac{1}{x}\right), x = 0, 0\right) \end{array} \right] \quad (36)$$

(a) Grafik fungsi $y = x$ dan $y = -x$ dari $x = -\frac{1}{\pi}$ sampai $x = \frac{1}{\pi}$

$$\left[\begin{array}{l} \text{> } \text{plot}(f(x), x) \end{array} \right]$$



$$(b) \lim_{x \rightarrow 0} f(x) dx$$

$$\left[\begin{array}{l} \text{> } \text{limit}(f(x), x=0) dx \end{array} \right.$$

0

(37)

$$(c) \int f(x) \, dx$$

$$\left[\begin{array}{l} \text{> } \text{int}(f(x), x) dx \end{array} \right.$$

$$\left(\left\{ \begin{array}{ll} \frac{1}{2} \sin\left(\frac{1}{x}\right) x^2 + \frac{1}{2} \cos\left(\frac{1}{x}\right) x + \frac{1}{2} \text{Si}\left(\frac{1}{x}\right) & x < 0 \\ -\frac{1}{4} \pi & x = 0 \\ \frac{1}{2} \sin\left(\frac{1}{x}\right) x^2 + \frac{1}{2} \cos\left(\frac{1}{x}\right) x + \frac{1}{2} \text{Si}\left(\frac{1}{x}\right) - \frac{1}{4} \pi & 0 < x \end{array} \right. \right) dx$$

(38)

$$(d) \frac{d}{dx} f(x)$$

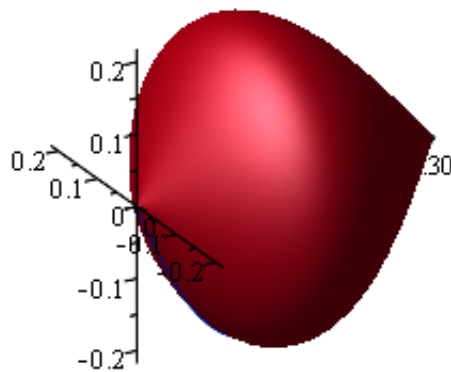
$$\left[\begin{array}{l} \text{> } \text{diff}(f(x), x) \end{array} \right.$$

$$\begin{cases} -1 \dots 1 & x=0 \\ \sin\left(\frac{1}{x}\right) - \frac{\cos\left(\frac{1}{x}\right)}{x} & \text{otherwise} \end{cases} \quad (39)$$

8. Luas daerah dan volume benda putar, jika $f(x)$ pada soal no 7 diputar mengelilingi sumbu x dari $x = \frac{1}{2\pi}$ sampai $x = \frac{1}{\pi}$

$$\begin{aligned} &> \text{SurfaceOfRevolution}\left(f(x), x = \frac{1}{2\pi} \dots \frac{1}{\pi}\right) \\ &\int_{\frac{1}{2\pi}}^{\frac{1}{\pi}} \left(-2\pi \sin\left(\frac{1}{x}\right) \sqrt{\sin^2\left(\frac{1}{x}\right)x^2 - 2\sin\left(\frac{1}{x}\right)\cos\left(\frac{1}{x}\right)x + \cos^2\left(\frac{1}{x}\right) + x^2} \right) dx \end{aligned} \quad (40)$$

$$> \text{SurfaceOfRevolution}\left(f(x), x = \frac{1}{2\pi} \dots \frac{1}{\pi}, \text{output} = \text{plot}\right)$$

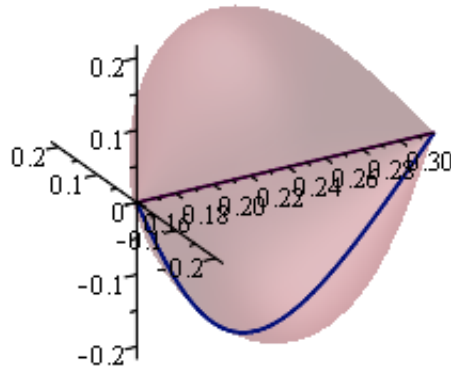


Surface of revolution formed when $f(x) = \begin{cases} x \sin\left(\frac{1}{x}\right) & x \neq 0 \\ 0 & x = 0 \end{cases},$

$\frac{1}{2\pi} \leq x \leq \frac{1}{\pi}$, is rotated about a horizontal axis.

$$\begin{aligned} &> \text{VolumeOfRevolution}\left(f(x), x = \frac{1}{(2\pi)} \dots \frac{1}{\pi}\right) \\ &\quad - \frac{2}{3} \pi \text{Si}(4\pi) + \frac{1}{6} + \frac{2}{3} \pi \text{Si}(2\pi) \end{aligned} \quad (41)$$

$$> \text{VolumeOfRevolution}\left(f(x), x = \frac{1}{(2\pi)} \dots \frac{1}{\pi}, \text{output} = \text{plot}\right)$$



The solid of revolution created on $\frac{1}{2\pi} \leq x \leq \frac{1}{\pi}$ by rotation of

$$f(x) = \begin{cases} x \sin\left(\frac{1}{x}\right) & x \neq 0 \\ 0 & x = 0 \end{cases} \quad \text{about the axis } y=0.$$