expression quantitative trait loci (eQTL)

mapping & interpretation

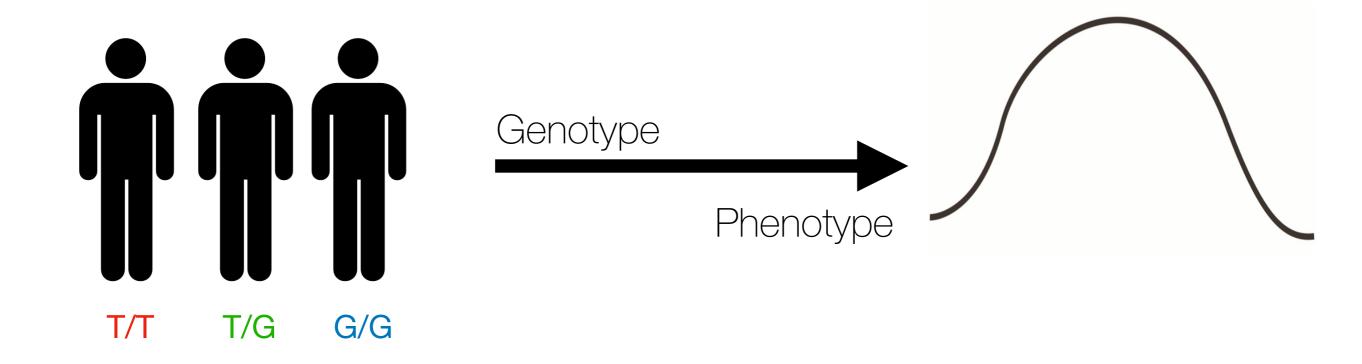
Ankeeta Shah

Li Lab, GGSB

HGEN 47000 Human Genetics I

Computational Workshop II November 20, 2019

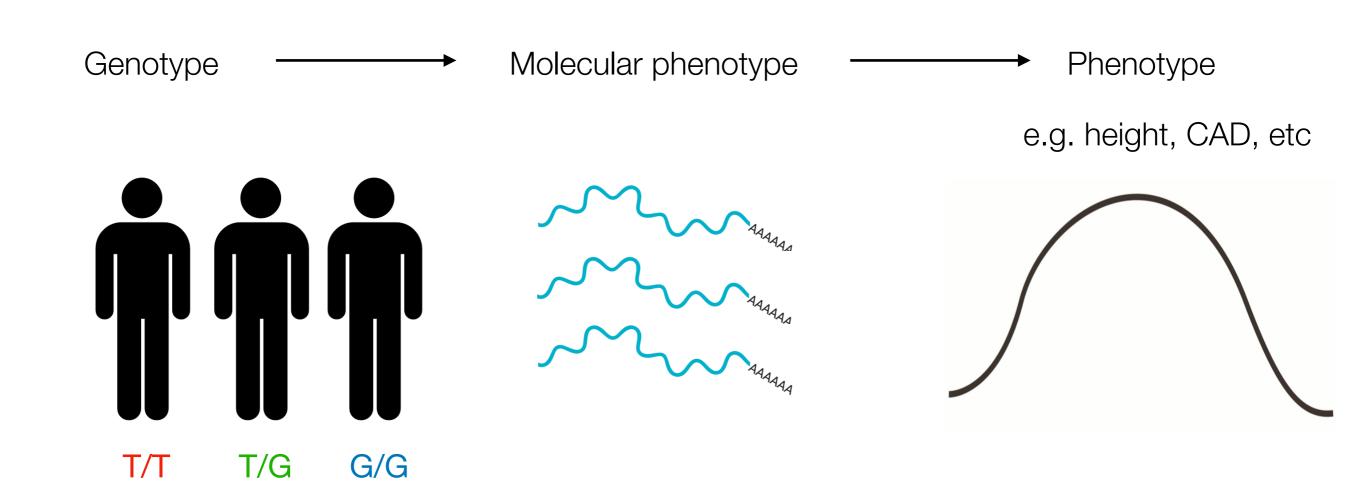
Understanding how genetic variation contributes to phenotypic variation in humans



Why should we map quantitative trait loci (QTL)?

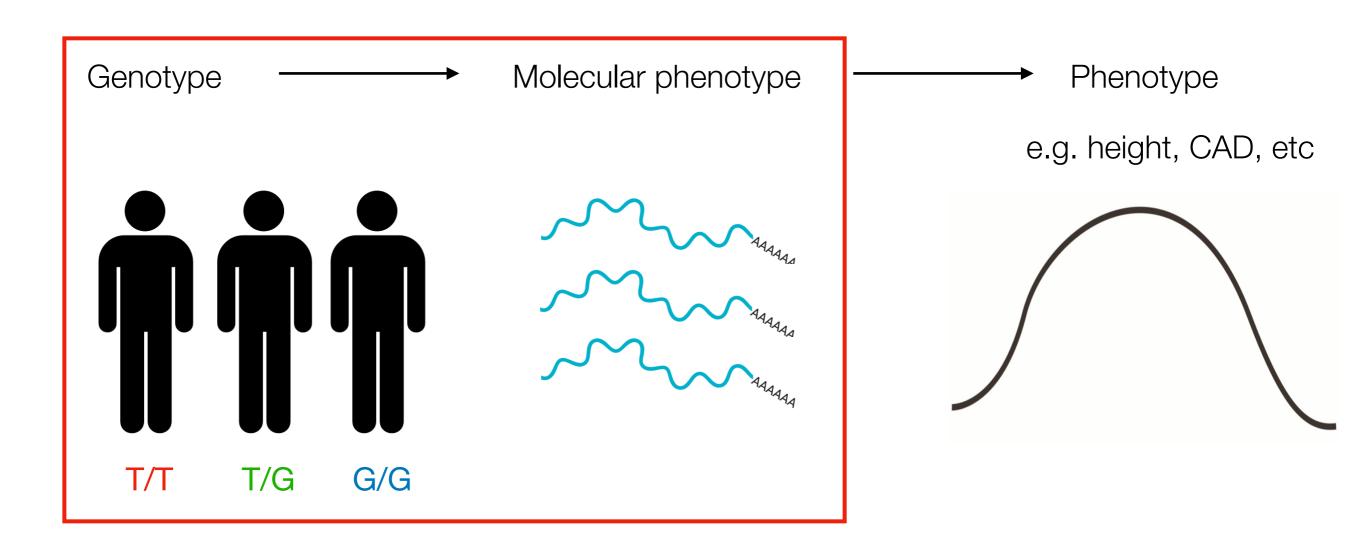
Why should we map QTL?

quantitative trait loci (QTL): regions of the genome that affect the levels of a heritable quantitative trait



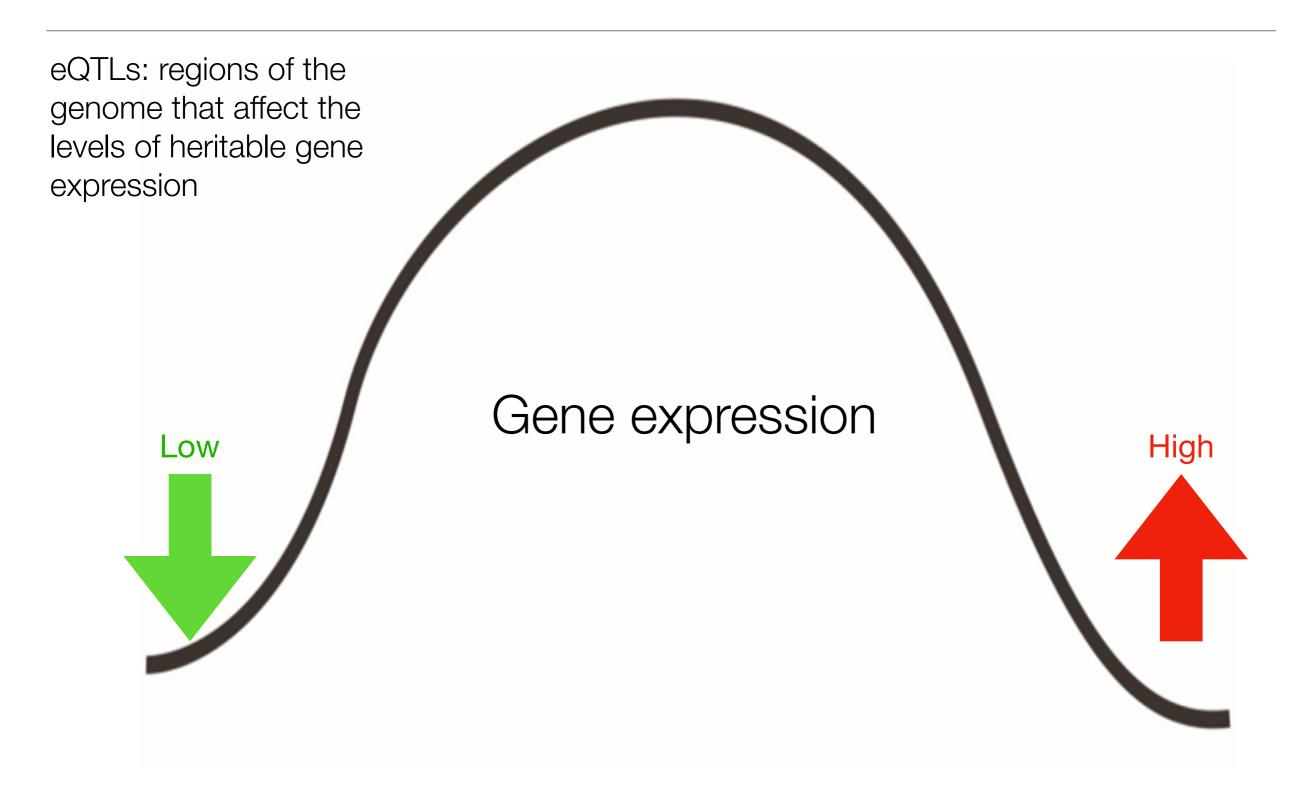
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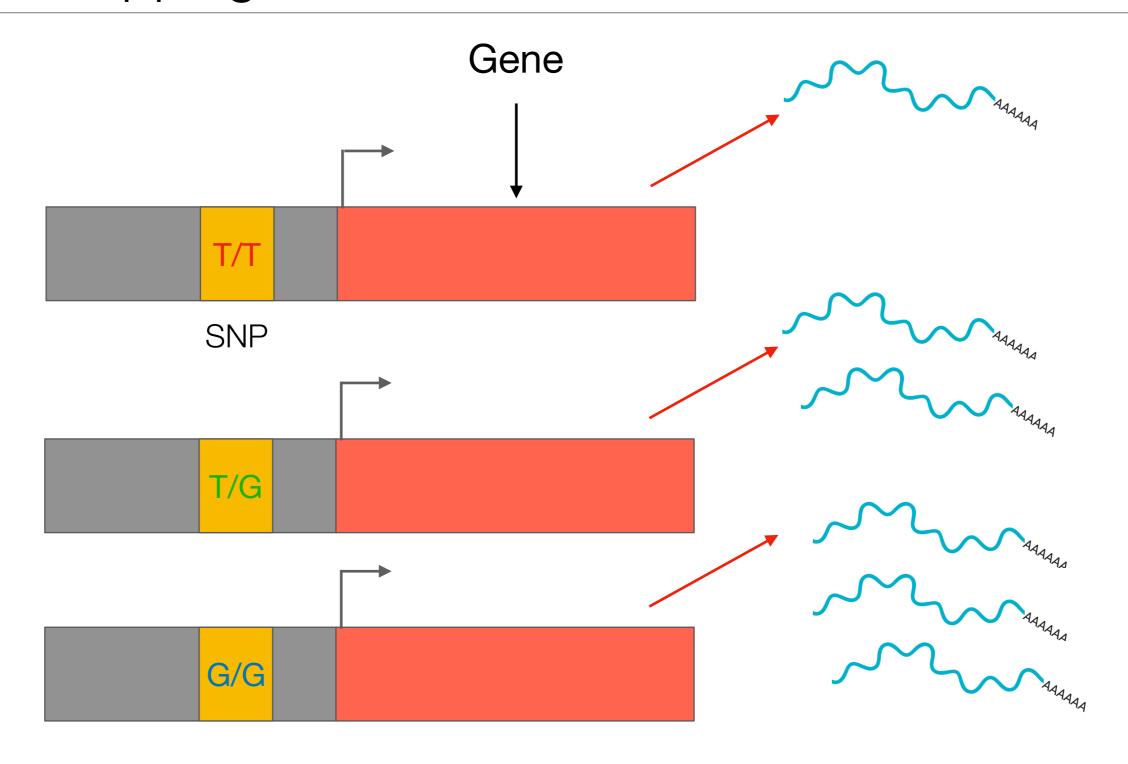


Why should we map expression QTL (eQTL)?

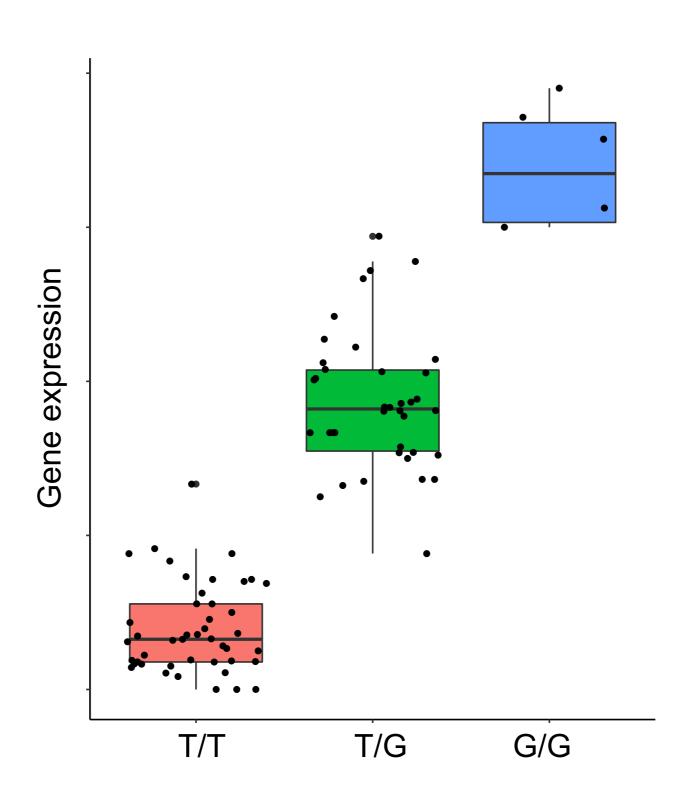
Gene expression is continuous (i.e. "quantitative trait")



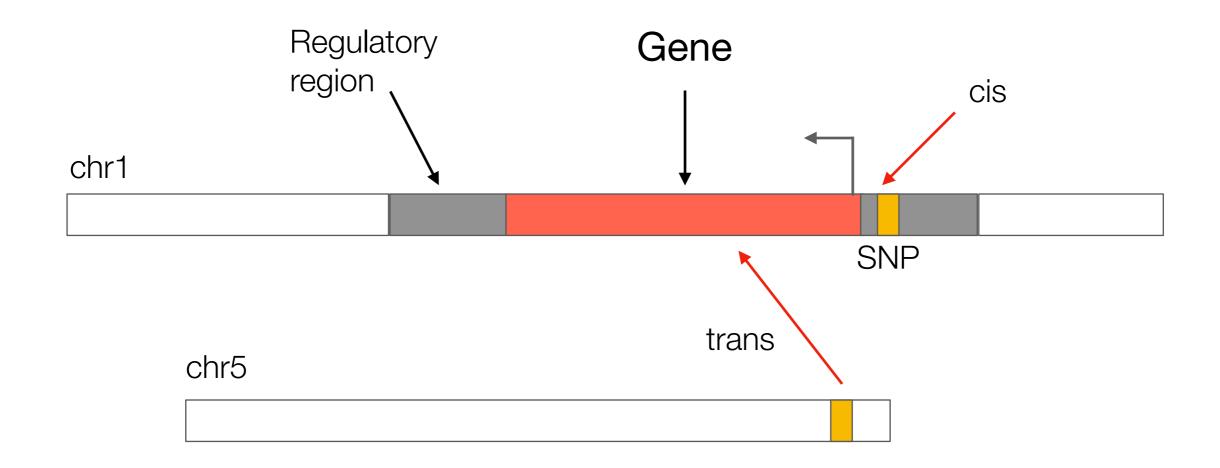
eQTL mapping



eQTL mapping



cis- vs trans-eQTL mapping



cis: test all SNPS within 1MB of the gene

trans: test all other SNPs in the genome

GEUVADIS* Consortium data

Entire dataset: Lymphoblastoid cell lines (LCLs)

Individuals from the 1000 Genomes Project Across 5 populations: CEPH (CEU), Finns (FIN), British (GBR), Toscani (TSI), and Yoruba (YRI))

Total of ~500 individuals with genotypes and RNA-seq

We are going to be working with the Yoruba (YRI) individuals (N = 89)

You can find the raw data here: https://www.internationalgenome.org/data-portal/data-collection/geuvadis

Data processing steps

1. Pre-processing:

- 1. Filtering allele-specific biases
- 2. Normalizing gene counts (transcripts per million, TPM)

2. Normalization:

1. Quantile normalize the gene expression data (i.e. make an adjustment such that the expression data is normally distributed).

3. Association:

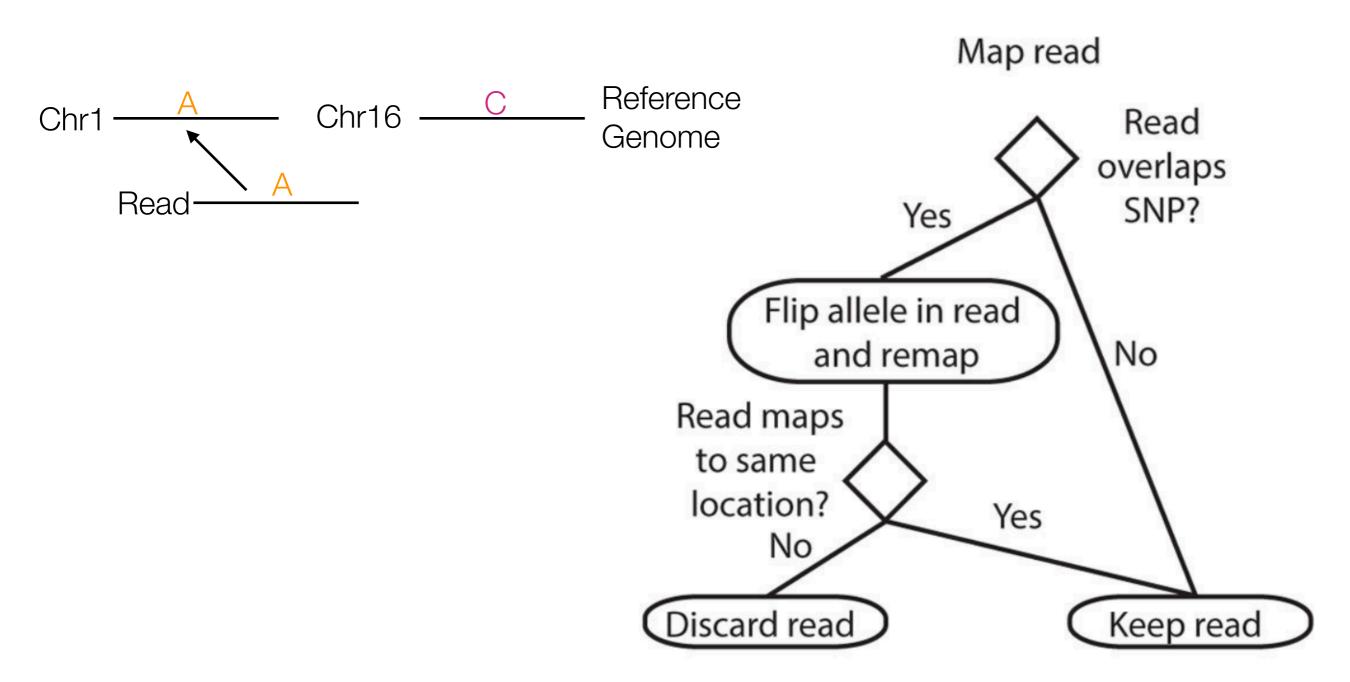
 Test for association between SNPs and gene expression, while adjusting for covariates

4. Significance testing:

- 1. Permutations
- 2. Multiple testing correction

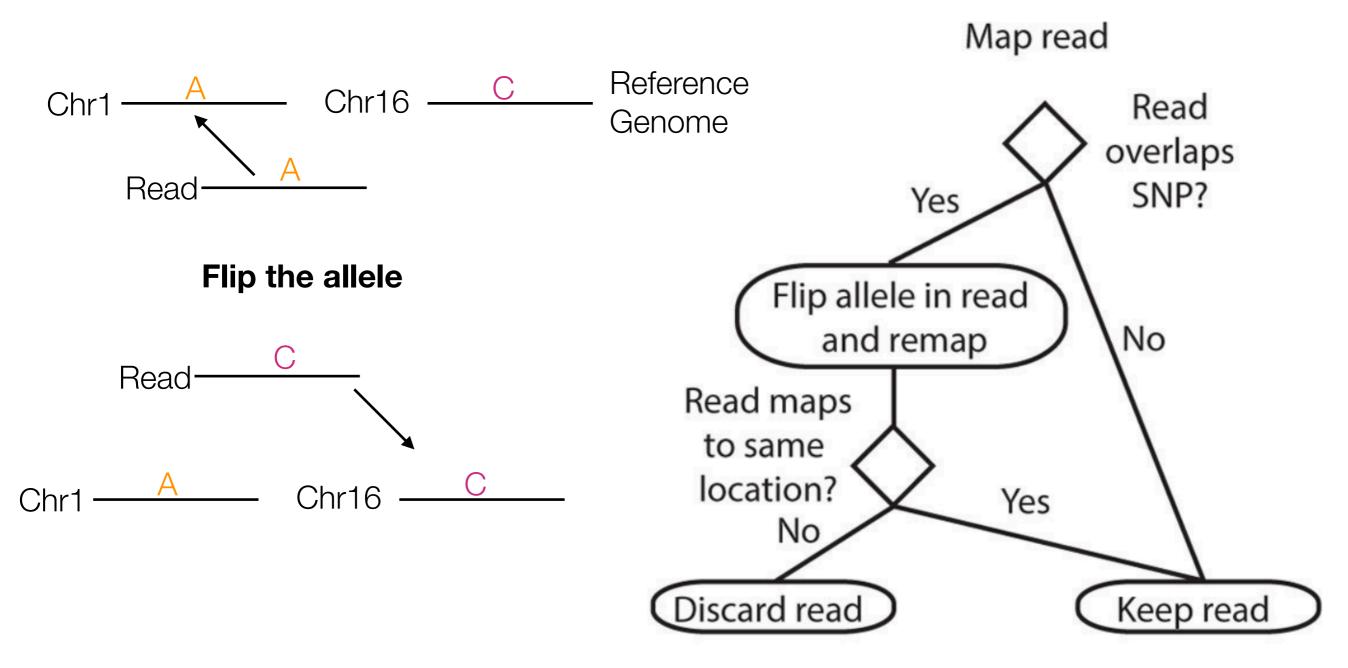
Filtering allele-specific biases

Read alignment with STAR (Dobin et al., *Bioinformatics*, 2013). Note: we have to be careful to remove allele-specific mapping biases (to avoid false positives).



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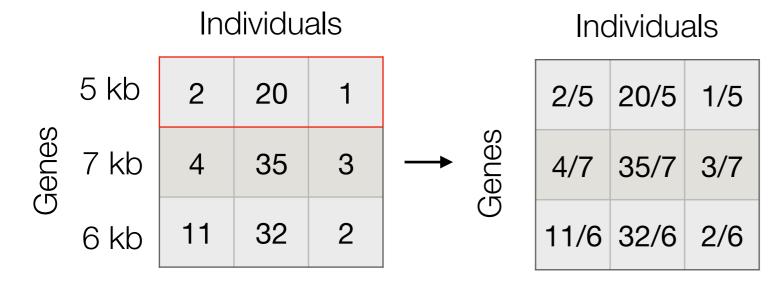
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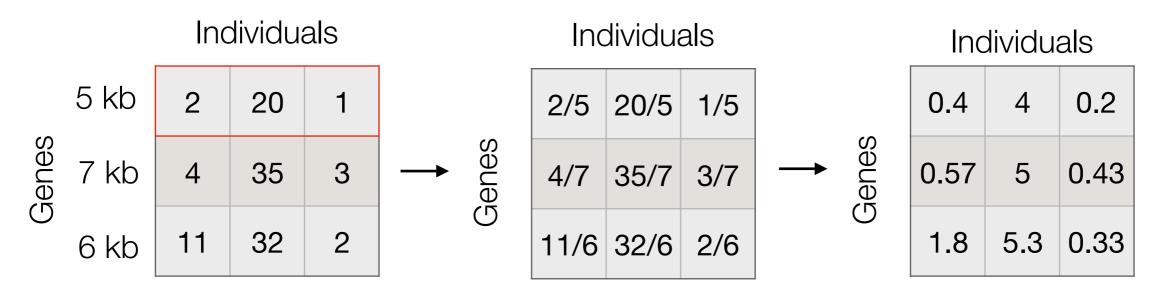
Individuals

	5 kb	2	20	1
Jenes	7 kb	4	35	3
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	Individuals			Individuals				Individuals		als		
	5 kb	2	20	1		2/5	20/5	1/5		0.4	4	0.2
Genes	7 kb	4	35	3	• enes	4/7	35/7	3/7	+ Henes	0.57	5	0.43
Ü	6 kb	11	32	2	<u> </u>	11/6	32/6	2/6	Ŋ	1.8	5.3	0.33

3. Normalize counts for sequencing depth (divide columns by sum columns) Individuals

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3. Normalize counts for sequencing depth (divide columns by (sum columns x 10^-6))

Individuals

0.4 4 0.2 0.57 5 0.43 → Selection 1.8 5.3 0.33 2.8 14.3 0.96

0.4/2.8 x 10^-6	4/14.3 x 10^-6	0.2/0.96 x 10^-6
0.57/2.8 x 10^-6	5/14.3 x 10^-6	0.43/0.96 x 10^-6
1.8/2.8 x 10^-6	5.3/14.3 x 10^-6	0.33/0.96 x 10^-6

TPM CODE DEMO

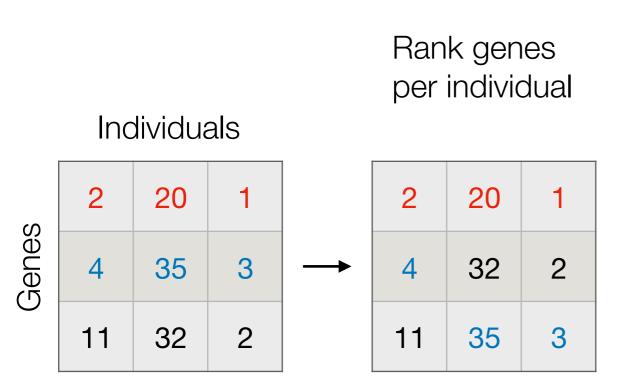
There may be systematic differences between individuals that we can observe in gene expression data that have nothing to do with genotype.

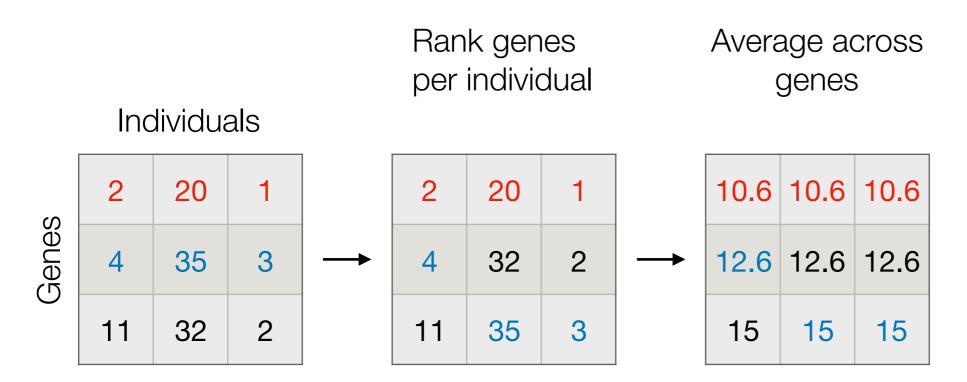
Normalizing the data (e.g. TPM) will allow us to obtain identical distributions of gene expression across individuals.

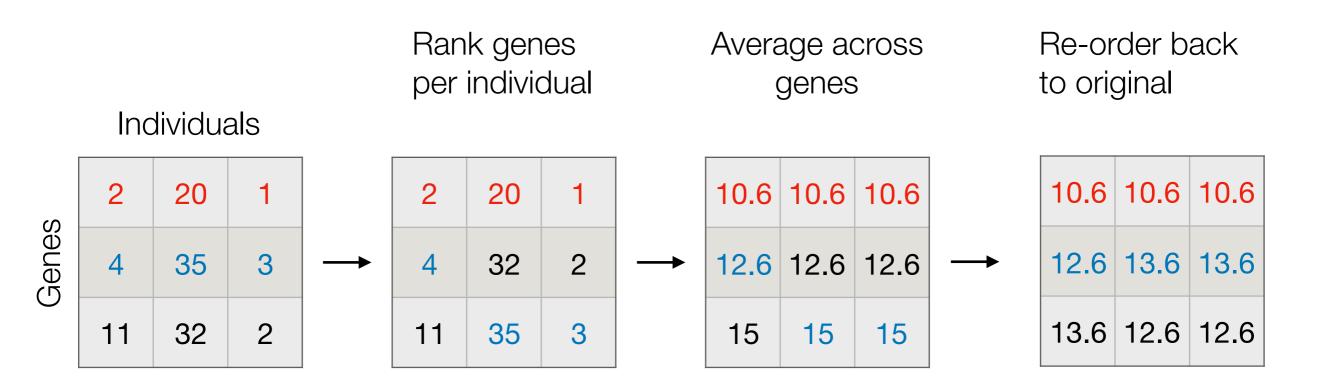
	Individual 1	Individual 2	Individual 3	Individual 4
Gene 1	2	20	1	7
Gene 2	4	35	3	10
Gene 3	4	32	3	9
Gene 4	3	30	3	8
Gene 5	3	30	3	8

Individuals

2	20	1
4	35	3
11	32	2

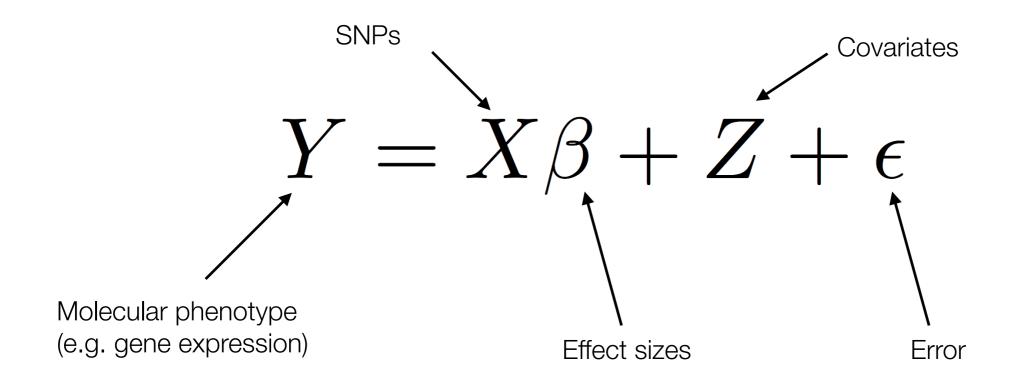






Linear mixed models (LMMs)

Goal: Use a linear model to test for association between gene expression (Y) and SNPs (X), while adjusting for covariates (Z)



Covariates:

Known factors: sex, age, batch effects, etc

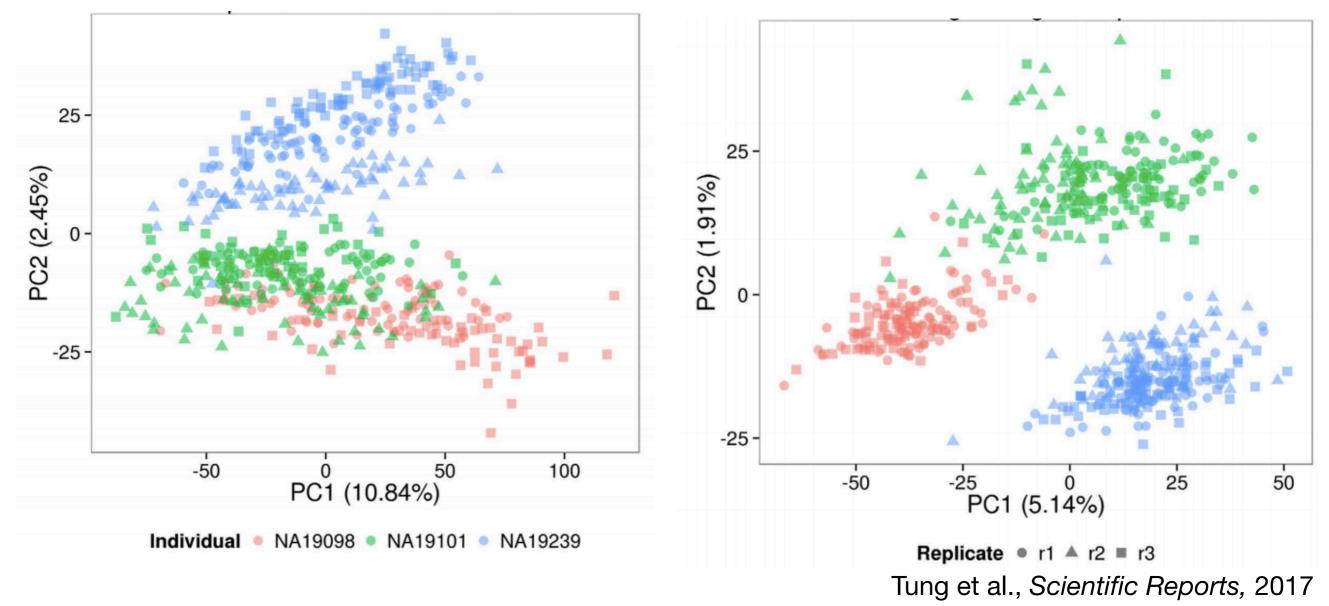
Unmeasured factors: cell type composition, cell growth rate, etc

Regressing out covariates

Covariates:

Known factors: sex, age, batch effects, etc Unmeasured factors: cell type composition, cell growth rate, etc Top PCs should be regressed out because they do not capture cisgenotype effects (the signal / association we want to measure)

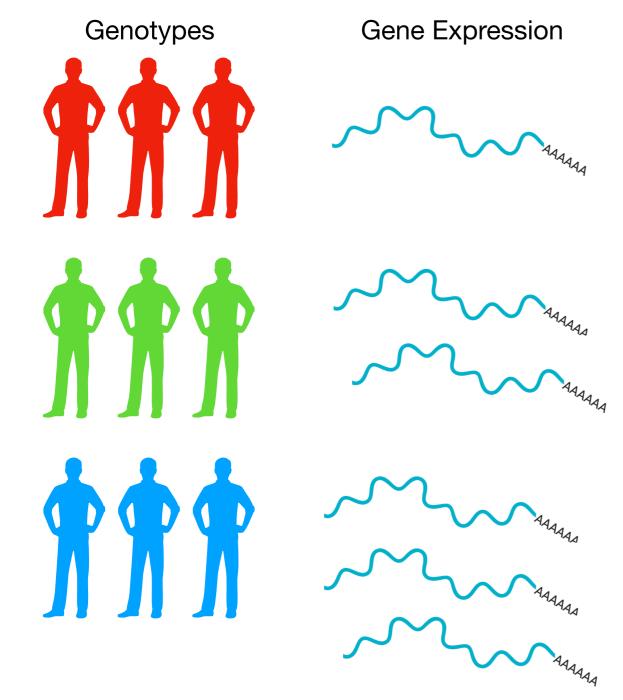
We calculate principal components to be used as covariates in linear regression.



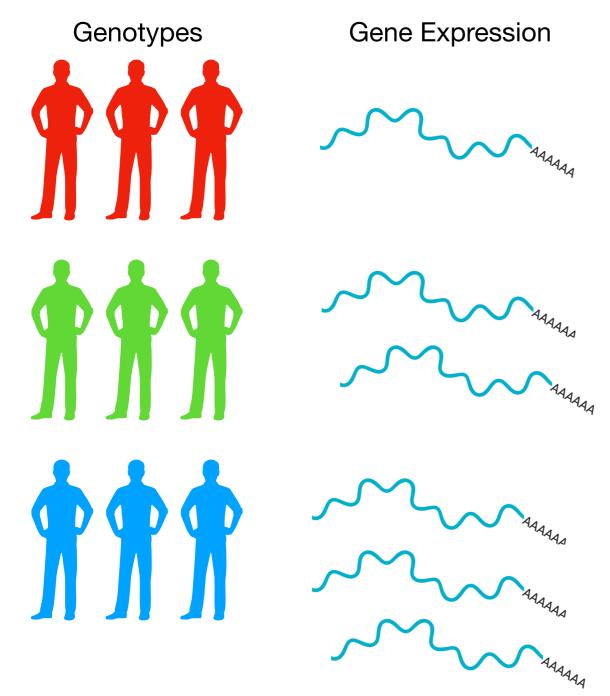
QUANTILE NORMALIZATION COVARIATES DEMO

Nominal p-values: assigned to every SNP-gene pair that is tested (independently)



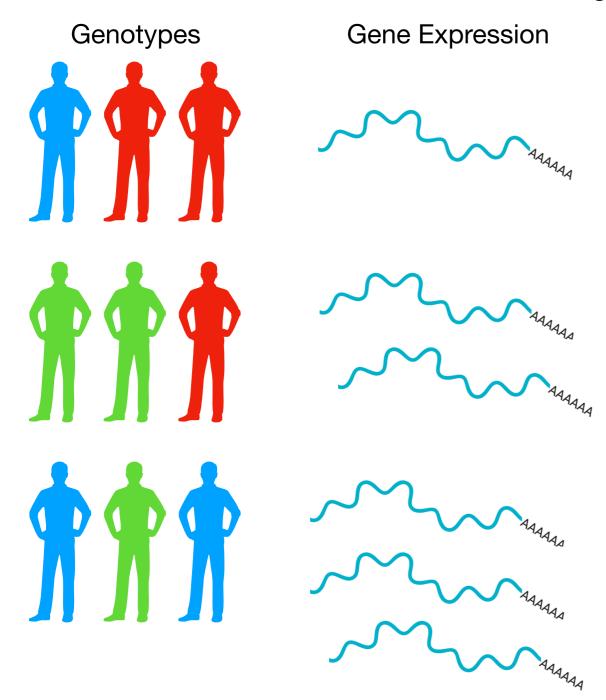


Permutation tests allow us to assess statistical significance in our dataset.



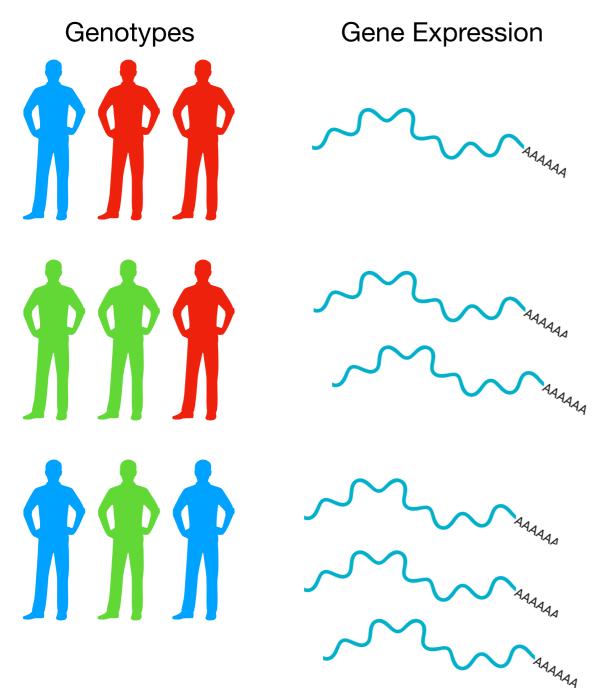
Scramble the genotypes (1,000 times) + re-run associations

Permutation tests allow us to assess statistical significance in our dataset.



The permutation p-value is the proportion of permutations in which at least one SNP-gene pair p-value is $< \alpha$ (nominal association).

Permutation tests allow us to assess statistical significance in our dataset.



The permutation *p*-value is the proportion of permutations in which at least one SNP-gene pair *p*-value is < alpha (nominal association).

NOTE: In a real dataset, we do an approximation as we cannot permute all the data.

ASSOCIATION DEMO

Multiple testing correction

As the number of SNP-gene pairs we test increases, the probability of getting a significant association (by random chance) increases.

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Approach: false discovery rate (FDR) cutoffs can be applied. FDR is defined as the proportion of false positives among all significant results. In QTL mapping, we tend to assume an FDR < 5% or FDR < 10%.

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*

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Benjamini-Hochberg (BH) procedure: controls the FDR at the value you specify (e.g. 10%)

P-value	Rank (Rank / Tests)* FDR cutoff
0.001	1	0.004
0.005	2	0.008
0.007	3	0.012
•••	•••	
0.09	24	0.096
0.12	25	0.1

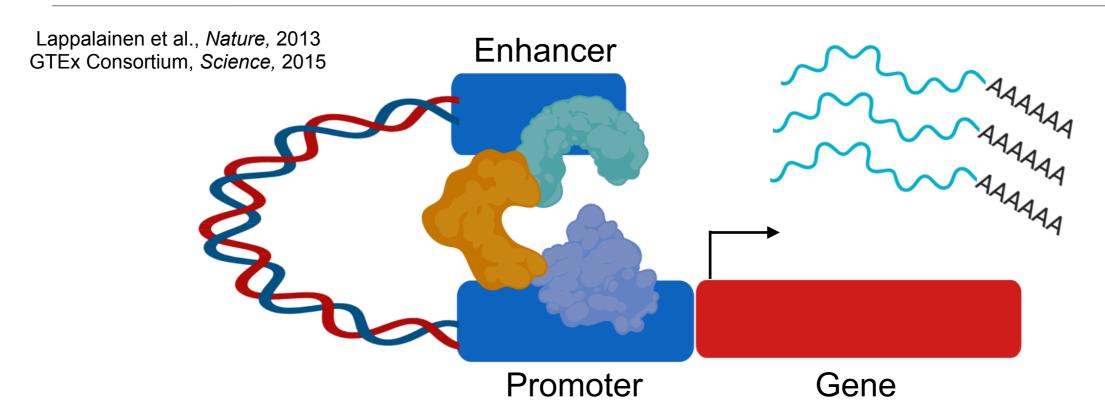
*All above (including this red row) are considered significant

Highest p-val smaller than critical value

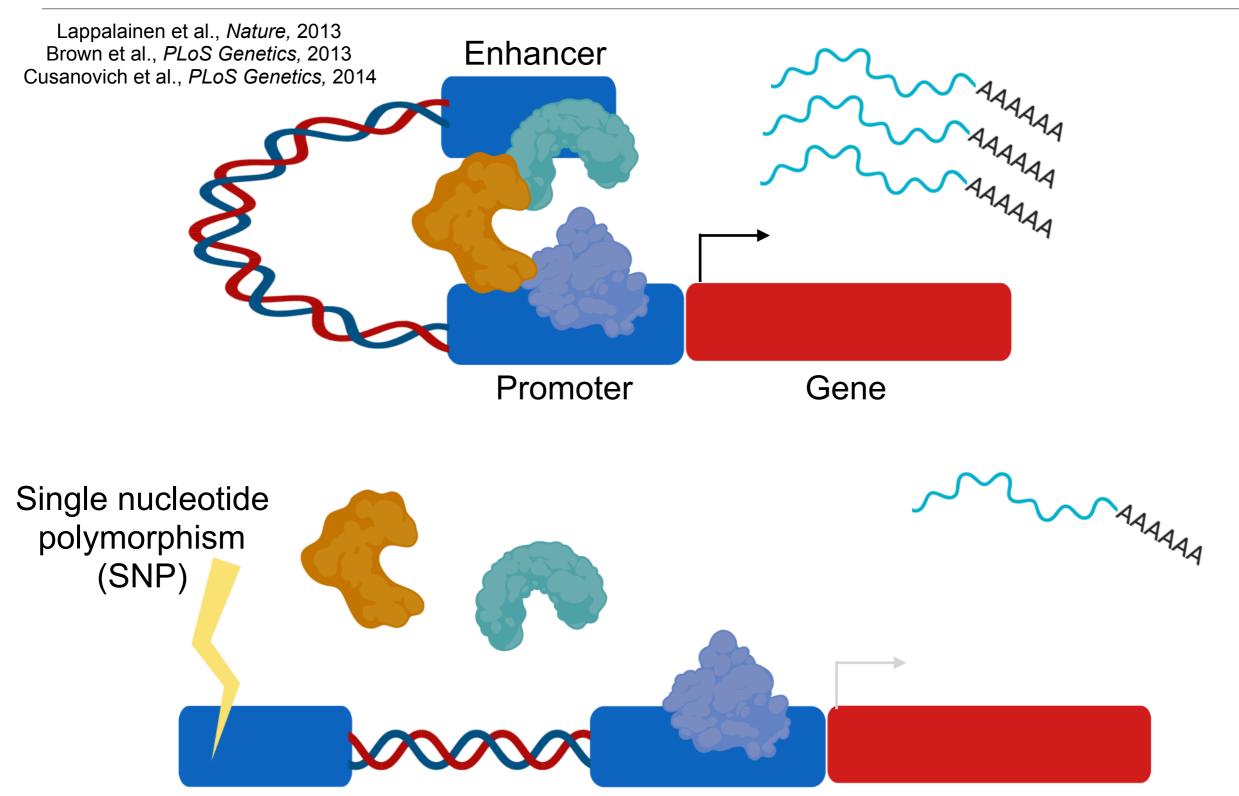
MTC DEMO

What we have learned through extensive eQTL analysis...

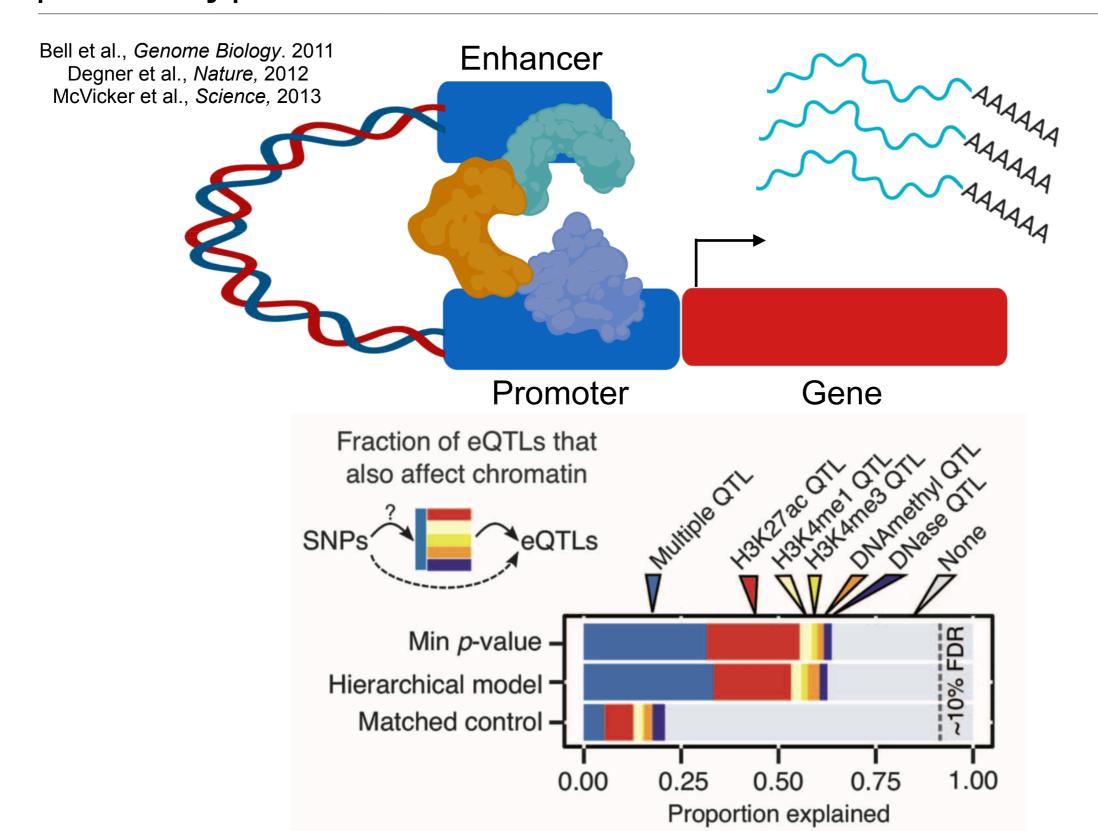
eQTL are enriched in enhancers and promoters



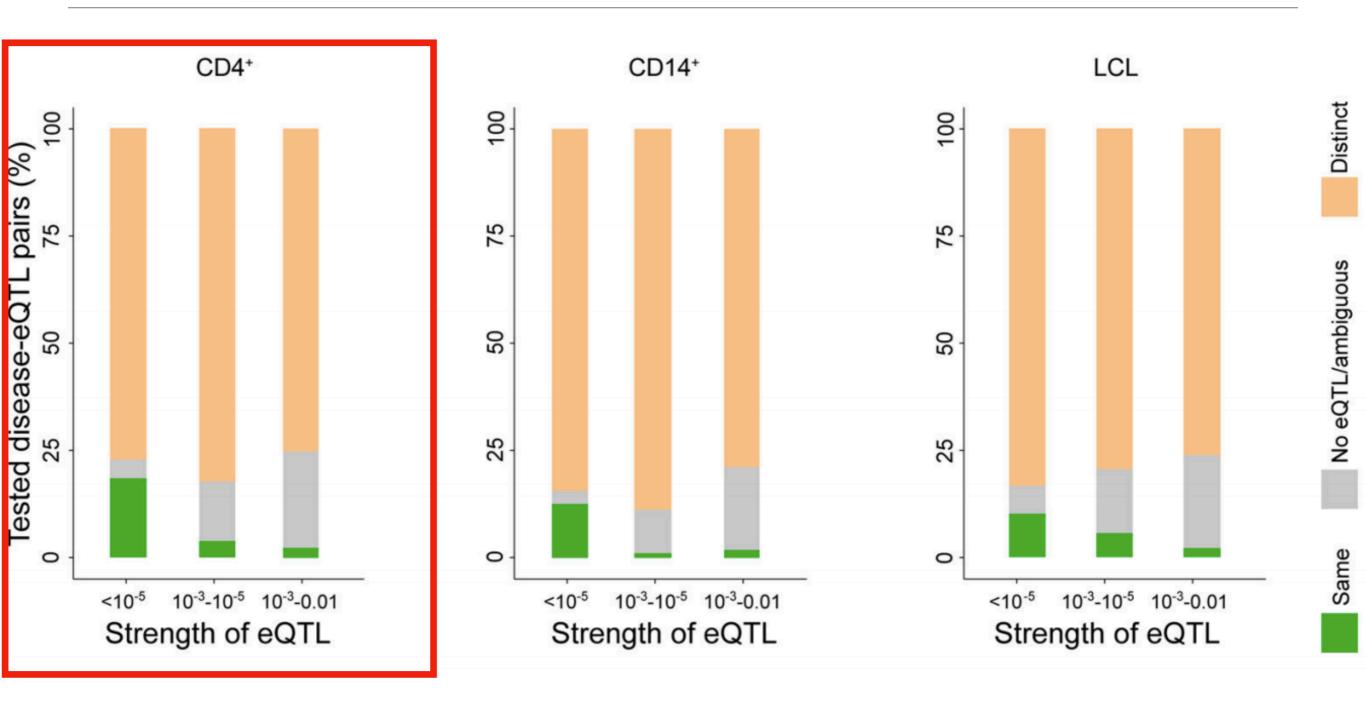
eQTL often affect transcription factor binding sites



Many eQTL can be explained by chromatin-level phenotypes



75% of *disease*-associated variants disrupt gene regulation in a manner *independent* of total mRNA levels / gene expression



Expanding the repertoire of molecular phenotypes

