MATLAB Tutorial 05

ENME 303 Computational Methods for Engineers

Parham Oveissi

MATLAB Debugging Tools

Action	Description	Keyboard Shortcut	Function
Continue	Continue running file until the end of the file is reached or until another breakpoint is encountered.	**F5**	`dbcont`
Step	Run the current line of code.	**F10** (**Shift+Command+O** on macOS systems)	`dbstep`
Step In	Run the current line of code, and, if the line contains a call to another function, step into that function.	**F11** (**Shift+Command+I** on macOS systems)	`dbstep in`
Step Out	After stepping in, run the rest of the called function, leave the called function, and then pause.	**Shift+F11** (**Shift+Command+U** on macOS systems)	`dbstep out`
Stop	End debugging session.	**Shift+F5**	`dbquit`
Set breakpoint	Set a breakpoint at the current line, if no breakpoint exists.	**F12**	`dbstop`
Clear breakpoint	Clear the breakpoint at the current line.	**F12**	`dbclear`

Useful Functions for Debugging Code

- checkcode(“file_name”)
- issues = codeIssues (“file_name”)
  - Since R2022b
- [status, results] = fix(issues, checkID)
  - Since R2023a

“checkcode” Function

```
1   clc; clear
2
3   a = string('hello');
4
5   b = [1 2 3; 4 5 6]
6
7   for i = 1:10
8       x(i) = i^2;
9   end
10
11  c = [1 2 3; 4 5 6; 7 8];
12
```

Command Window

```
>> checkcode('Matlab_Debugging.m')
L 3 (C 5-19): string('...') is not recommended. Use "..." instead.
L 5 (C 3): Add a semicolon after the statement to hide the output (in a script).
L 8 (C 5): Variable appears to change size on every loop iteration (within a script). Consider preallocating for speed.
L 11 (C 20): All matrix rows must be the same length.
```

“codeIssues” Function

```
clc; clear

a = string('hello');

b = [1 2 3; 4 5 6]

for i = 1:10
    x(i) = i^2;
end

c = [1 2 3; 4 5 6; 7 8];
```

d Window

```
                     Date: 28-Sep-2023 10:35:34
                  Release: "R2023a"
                    Files: "D:\Parham\Matlab_Debugging.m"
CodeAnalyzerConfiguration: "active"
                   Issues: [4×10 table]
         SuppressedIssues: [0×11 table]
```

Issues table preview

Location	Severity	Fixability	Description
"Matlab_Debugging.m"	info	auto	"string('...') is not recommended. Use "..." instead."
"Matlab_Debugging.m"	info	auto	"Add a semicolon after the statement to hide the output (in a script)."
"Matlab_Debugging.m"	info	manual	"Variable appears to change size on every loop iteration (within a script
"Matlab_Debugging.m"	error	manual	"All matrix rows must be the same length."

“fix” Function

```
1   clc; clear
2
3   a = string('hello');
4
5   b = [1 2 3; 4 5 6];
6
7   for i = 1:10
8       x(i) = i^2;
9   end
10
11  c = [1 2 3; 4 5 6; 7 8];
12
```

ommand Window

```
>> issues = codeIssues("Matlab_Debugging.m");
>> [status,results] = fix(issues,"NOPTS")
```

codeIssues with properties:

```
                    Date: 28-Sep-2023 10:47:03
                 Release: "R2023a"
                   Files: "D:\Parham\Matlab_Debugging.m"
  CodeAnalyzerConfiguration: "active"
                  Issues: [3×10 table]
        SuppressedIssues: [0×11 table]
```

Issues table preview

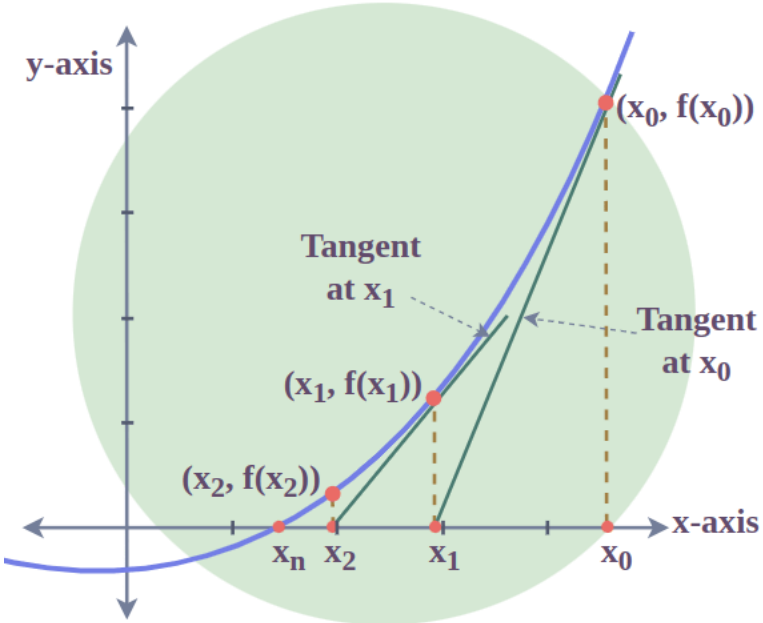
Location	Severity	Fixability	Description
"Matlab_Debugging.m"	info	auto	"string('...') is not recommended. Use "..." instead."
"Matlab_Debugging.m"	info	manual	"Variable appears to change size on every loop iteration (within a script). Consider preallocating for sp
"Matlab_Debugging.m"	error	manual	"All matrix rows must be the same length."

results =

1×9 table

Success	ErrorMessage	FullFilename	CheckID	LineStart	LineEnd	ColumnStart	Column
true	<missing>	"D:\Parham\Matlab_Debugging.m"	NOPTS	5.0000000000000e+00	5.0000000000000e+00	3.0000000000000e+00	3.000000000

Newton's Method



$$x_{n+1} = x_n - \frac{f(x_n)}{f'(x_n)}$$

Implementing Newton's Method

Problem 2. Consider the function

$$f(x) = x^2 + 3x + 2. \tag{1}$$

1. How many roots does (1) have?
2. Can the Newton's method be used to find a root of (1)? If yes, why? If not, why not?
3. Let x_k denote the estimate of the root at step k. Write the update law for the root estimate. Recall that the update law in the Newton's method is

$$x_{k+1} = x_k - \frac{f(x_k)}{f'(x_k)}. \tag{2}$$

4. For each root, describe how you will initialize the Newton's algorithm.
5. Write a MATLAB code to implement the Newton's method to find all the roots of (1). Run your code until the function value reaches 1e-10 in magnitude.

Thanks!