

RBE 549- HomeWork0 :Alohomora

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Abstract—(USING 1 LATE DAY) This report outlines the outcomes of two distinct phases in image processing and analysis. Phase I focuses on traditional methods for edge detection, delving into the creation of various filter kernels through mathematical equations and associated techniques. These kernels are then applied to extract edges from images. Phase II shifts to modern approaches in object classification, emphasizing the use of deep Convolutional Neural Networks (CNNs). This phase involves the implementation of various models and provides an in-depth analysis of their performance.

I. PHASE 1: SHAKEN MY BOUNDARY

A. Introduction

In this section, we will create a streamlined version of the pb lite algorithm. This algorithm detects boundaries by analyzing data on brightness, color, and texture at various scales, accommodating different object sizes and image dimensions. The result of this process will be a probability of boundary assigned to each pixel. The initial stage of the process involves applying a series of filter banks to the image. Following this filtration, a texton, along with brightness and color maps, are produced by clustering the responses from these filters. Subsequently, the image gradients are computed to display the variations in texture, brightness, and color at each pixel. In the final step, these gradient outcomes are integrated with the Sobel and Canny baseline methods, employing specific weights, to achieve the desired result.

B. Generating Filters Blanks

To analyze the texture of an image, we will employ three distinct sets of filter banks. After applying these filters to the image, we will create a texton map. This map visually represents the image's texture by grouping together similar responses from the filters.

1) *Oriented DoG filters*: A simple but effective filter bank is a collection of oriented Derivative of Gaussian (DoG) filters. These filters can be created by convolving a simple Sobel filter and a Gaussian kernel and then rotating the result.

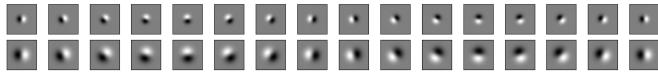


Fig. 1: Generated DoG filter

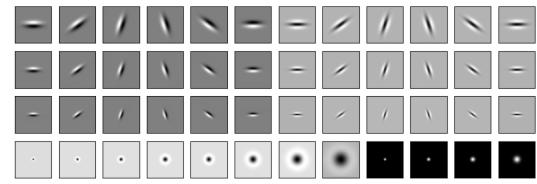


Fig. 2: Generated LM filter

2) *Leung-Malik Filters*: The Leung-Malik filters or LM filters are a set of multi scale, multi orientation filter bank with 48 filters. It consists of first and second order derivatives of Gaussians at 6 orientations and 3 scales making a total of 36; 8 Laplacian of Gaussian (LOG) filters; and 4 Gaussians. In LM Small (LMS), the filters occur at basic scales $\sigma = 1, \sqrt{2}, 2, 2\sqrt{2}$. The first and second derivative filters occur at the first three scales with an elongation factor of 3, i.e., $(\sigma_x = \sigma)$ and $(\sigma_y = 3\sigma_x)$.

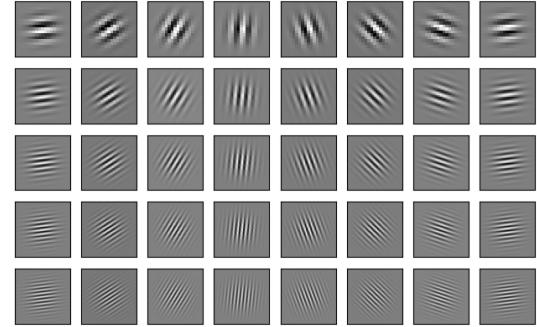


Fig. 3: Generated LM filter

C. Texton, Brightness, and Color Map

Texton maps are generated by applying a comprehensive set of 120 filters to an image, which results in a collection of

output layers. The objective is to classify pixels with similar texture characteristics together and assign a unique texton to each. This classification is achieved through the K-M clustering technique, where pixels with comparable values are grouped into the same cluster. For this process, we use 04 distinct cluster centers to categorize each pixel. Similar to the texton map, brightness maps and color maps are also produced for the same image. The brightness map is derived from gray-scale version of the original image, while the color map is created using the RGB (Red, Green, Blue) version of the image. 16 clusters are used in case of both brightness and color maps.

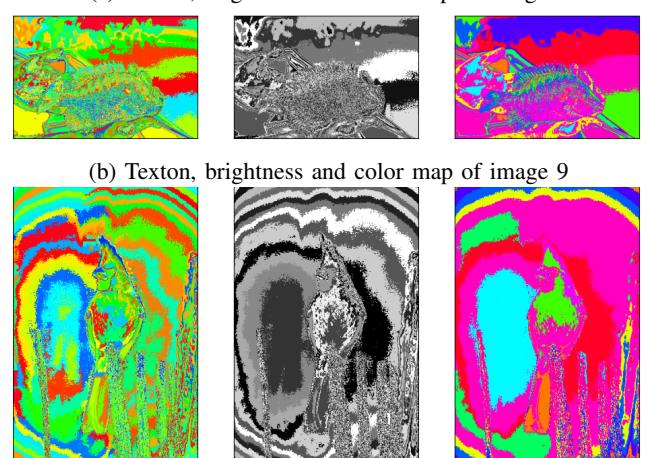
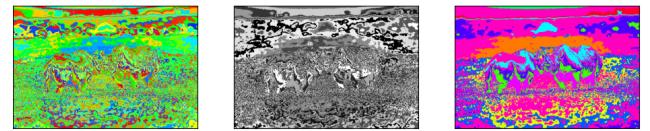
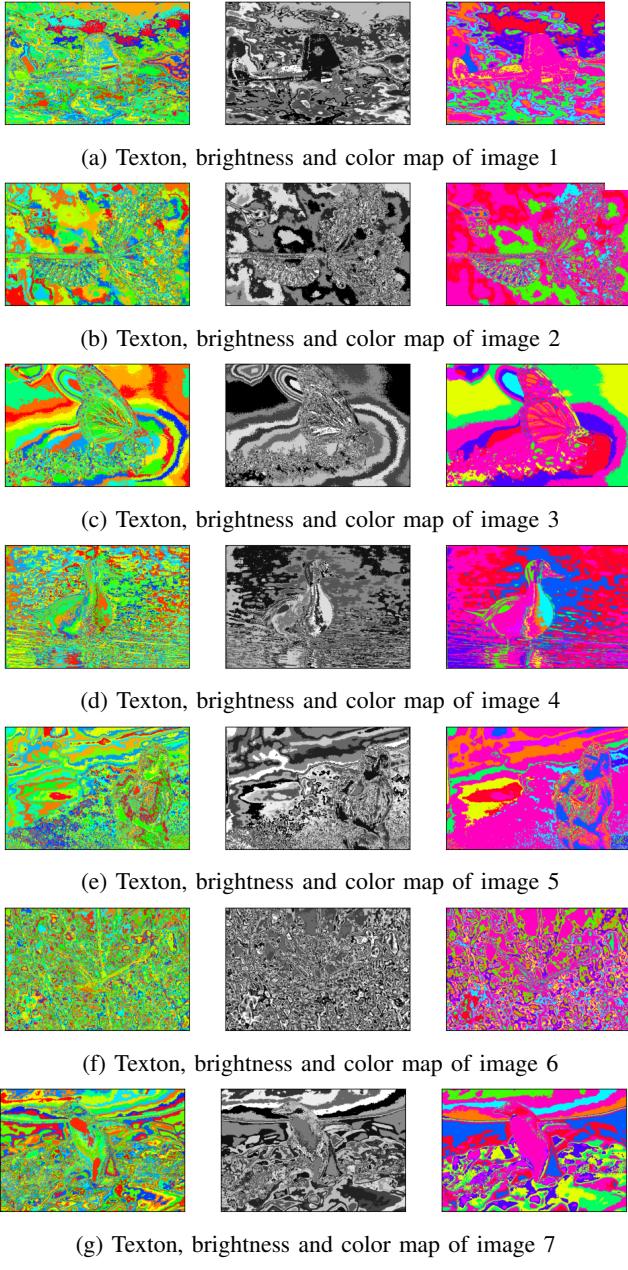


Fig. 5: Texton, brightness and color map

D. Texton, Brightness, and Color gradients

To compute the Texton, Brightness, and Color gradients we need to compute differences of values across different shapes and sizes. This can be achieved very efficiently by the use of Half-disc masks. The half-disc masks are simply (pairs of) binary images of half-discs. This is very important because it will allow us to compute the chi-square distances (finally obtain values of T_g, B_g, C_g) using a filtering operation, which is much faster than looping over each pixel neighborhood and aggregating counts for histograms. Forming these masks is quite trivial. A set of masks generated (8 orientations, 3 scales) is shown in Fig.

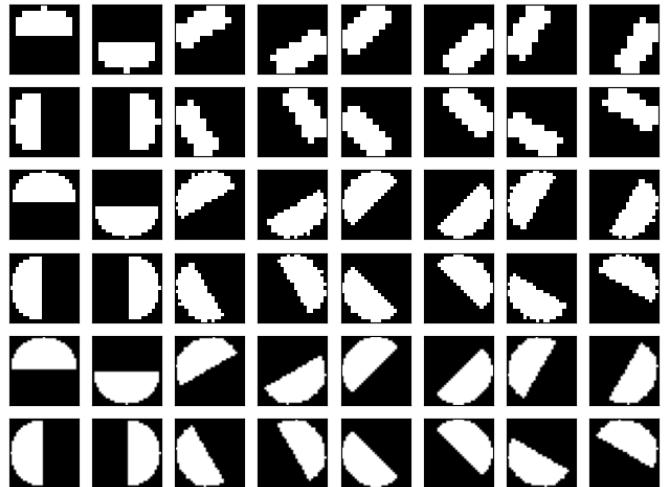
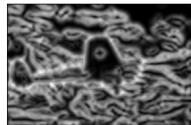
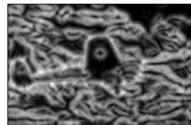
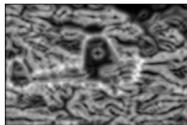
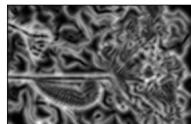
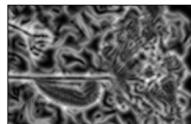
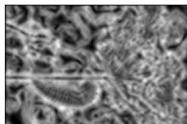


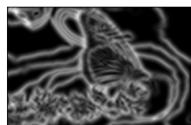
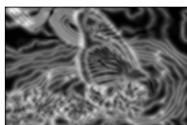
Fig. 6: Half disc mask



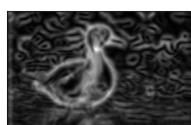
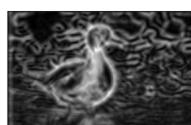
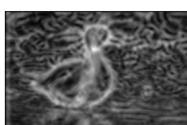
(a) Texton, brightness and color gradients of image 1



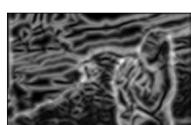
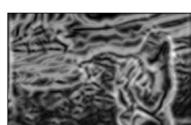
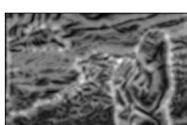
(b) Texton, brightness and color gradients of image 2



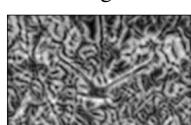
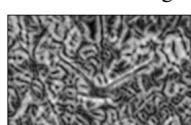
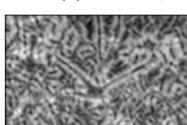
(c) Texton, brightness and color gradients of image 3



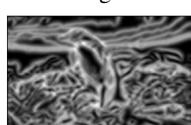
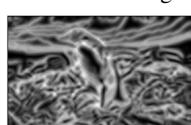
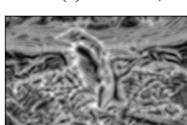
(d) Texton, brightness and color gradients of image 4



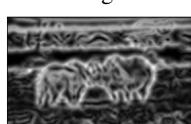
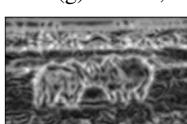
(e) Texton, brightness and color gradients of image 5



(f) Texton, brightness and color gradients of image 6



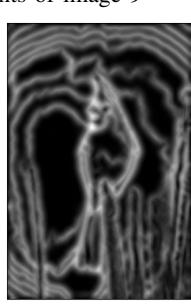
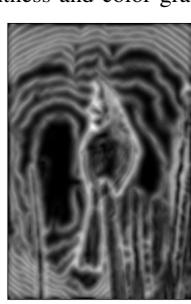
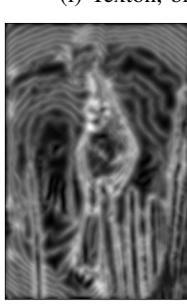
(g) Texton, brightness and color gradients of image 7



(h) Texton, brightness and color gradients of image 8



(i) Texton, brightness and color gradients of image 9



E. Pb-lite Output

The final step is to combine information from the features with a baseline method (based on Sobel or Canny edge detection or an average of both) using a simple equation

$$P_bEdges = \frac{(T_g + B_g + C_g)}{3} \circ (w_1*cannnyPb + w_2*sobelPb)$$

Here \circ is the Hadamard product operator. And w_1, w_2 is choosen as 0.5. The comparison between Canny baseline, Sobel baseline and Pb-lite output is shown below.



(a) Canny, Sobel and Pb-lite of image 1



(b) Canny, Sobel and Pb-lite of image 2



(c) Canny, Sobel and Pb-lite of image 3



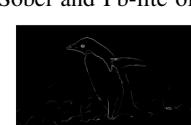
(d) Canny, Sobel and Pb-lite of image 4



(e) Canny, Sobel and Pb-lite of image 5



(f) Canny, Sobel and Pb-lite of image 6



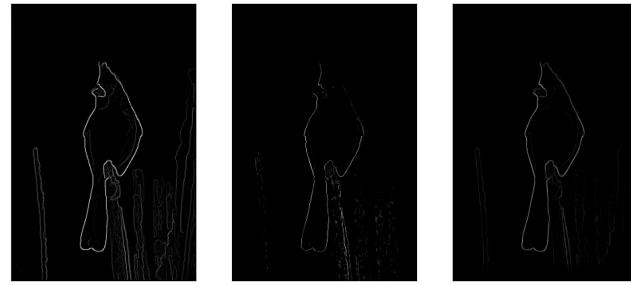
(g) Canny, Sobel and Pb-lite of image 7



(a) Canny, Sobel and Pb-lite of image 8



(b) Canny, Sobel and Pb-lite of image 9



(c) Canny, Sobel and Pb-lite of image 10

Fig. 9: Canny, Sobel and Pb-lite

F. Result

In the comparative analysis, it's observed that the Canny baseline tends to produce an excessive number of false positives. On the other hand, the output from the Sobel baseline appears overly subdued. The performance of the Pb-lite output strikes a balance between these extremes. It effectively moderates the output, ensuring that it doesn't generate as many false positives as the Canny baseline, while also not obscuring critical features like the Sobel baseline.

II. PHASE 2: DEEP DIVE IN DEEP LEARNING

In this part of homework, modern techniques for image classification using Deep Convolutional Networks have been implemented. Various neural network architectures were applied to the CIFAR-10 dataset, and their performances were evaluated and compared in terms of loss and accuracy. The CIFAR-10 dataset comprises 50,000 training images and 10,000 test images, each of 32x32 pixel resolution. These images are categorized into a total of 10 distinct classes.

A. Baseline model

For the baseline model, a neural network architecture inspired by VGG is used. In this design, the number of convolutional filters doubles as the depth of the network increases. Meanwhile, to capture more detailed features in the images, the size of the activation maps is halved using Max Pooling with a 2x2 size, positioned between the convolutional layers. Each convolutional layer is followed by a Rectified Linear Unit (ReLU) activation function. After the convolutional layers, a

collection of detailed activation maps is flattened and connected to a linear layer, which then feeds into the classification layer.

Hyper-parameter	Value
Optimizer	Adam
Learning Rate	1e-3
Epochs	20
Batch Size	128

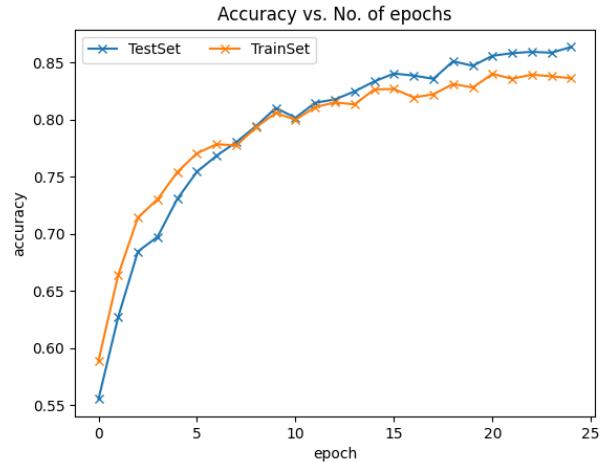


Fig. 10: Base Model - Accuracy vs epochs

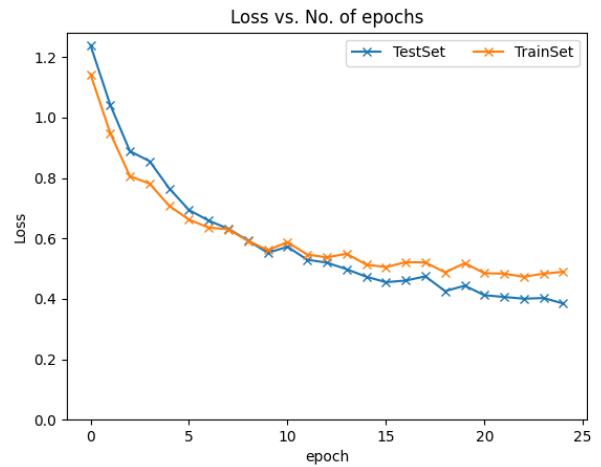


Fig. 11: Base Model - loss vs epochs

[852	12	22	13	4	5	9	11	42	30]	(0)
[5	937	2	1	0	3	4	0	8	40]	(1)
[41	2	767	39	28	37	68	10	7	1]	(2)
[12	5	51	630	21	161	86	24	1	9]	(3)
[13	1	45	34	751	42	68	42	4	0]	(4)
[4	1	34	91	22	795	17	33	1	2]	(5)
[5	0	26	20	4	18	924	1	2	0]	(6)
[7	0	14	21	11	38	6	898	1	4]	(7)
[37	14	9	6	0	4	9	5	900	16]	(8)
[10	51	4	6	0	5	4	5	10	905]	(9)
(0)	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	
Accuracy: 83.59 %										

Fig. 12: Base Model - Test Set confusion Matrix

[4582	21	100	41	18	18	28	32	88	72]	(0)
[12	4834	5	3	0	7	17	2	28	92]	(1)
[132	7	4282	100	57	109	219	75	15	4]	(2)
[32	2	130	3720	48	666	290	94	5	13]	(3)
[43	2	183	149	3983	141	247	237	9	6]	(4)
[6	3	95	323	61	4313	74	123	1	1]	(5)
[10	1	72	35	8	43	4823	6	2	0]	(6)
[13	4	31	87	42	119	19	4677	2	6]	(7)
[60	50	19	18	4	15	30	4	4772	28]	(8)
[32	122	9	20	1	10	20	19	20	4747]	(9)
(0)	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	
Accuracy: 89.466 %										

Fig. 13: Base Model - Train Set confusion Matrix

B. Improvements to Baseline model

1) *Data Augmentation*: Image data is standardized at the start of both the training and testing phases to align with a predetermined mean and variance. This process of normalizing the information on a per-pixel basis is crucial for maintaining consistency, ensuring that the model's weights do not have to adjust to variable targets. In addition to this standardization, the images are upscaled from their original size of 32x32 pixels to a larger resolution of 64x64 pixels.

2) *Batch normalization*: In addition to implementing data augmentation techniques, a batch normalization layer has been incorporated between convolutional layers. This inclusion ensures that each layer receives standardized inputs, thereby stabilizing the learning process and preventing excessive fluctuations in the model's weights.

Hyper-parameter	Value
Optimizer	Adam
Learning Rate	1e-3
Epochs	20
Batch Size	128

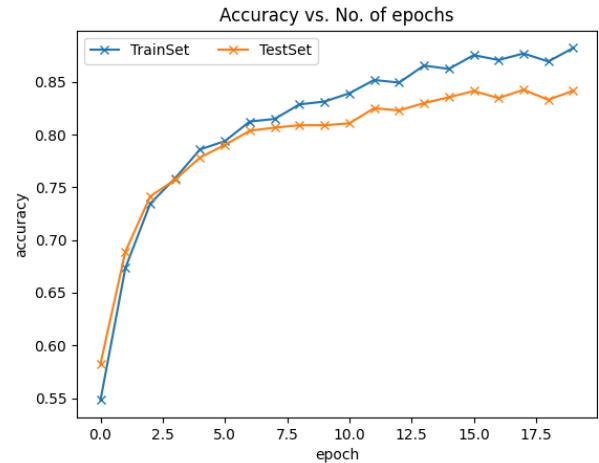


Fig. 14: Base Model - Accuracy vs epochs

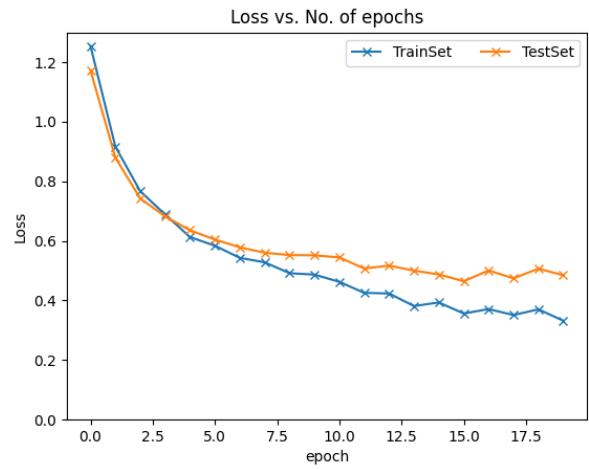


Fig. 15: Base Model - loss vs epochs

[894	12	9	11	4	2	2	7	34	25]	(0)
[6	939	1	3	0	0	0	0	4	47]	(1)
[71	5	698	57	77	35	31	16	4	6]	(2)
[20	4	21	720	48	120	27	23	5	12]	(3)
[12	0	13	32	877	20	9	32	4	1]	(4)
[17	1	12	128	37	763	5	29	0	8]	(5)
[9	2	16	55	36	17	855	2	2	6]	(6)
[13	1	4	29	26	33	3	882	2	7]	(7)
[42	17	4	12	4	1	2	2	895	21]	(8)
[25	54	2	2	1	4	2	4	10	896]	(9)
(0)	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	
Accuracy: 84.19 %										

Fig. 16: Base Model - Test Set confusion Matrix

[4749	19	15	35	22	8	9	11	83	49]	(0)
[20	4842	1	8	1	3	1	2	15	107]	(1)
[309	8	3938	178	265	124	95	59	10	14]	(2)
[68	6	51	4045	178	469	83	62	16	22]	(3)
[36	3	35	116	4651	61	21	63	5	9]	(4)
[24	4	38	439	125	4229	19	108	8	6]	(5)
[21	8	46	141	155	69	4531	3	11	15]	(6)
[29	0	11	117	98	76	8	4642	1	18]	(7)
[123	54	9	16	5	6	5	4	4705	73]	(8)
[54	120	3	12	3	7	4	2	12	4783]	(9)
(0)	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	
Accuracy: 90.23 %										

Fig. 17: Base Model - Train Set confusion Matrix

C. ResNet,ResNeXt,DenseNet

1) **ResNet:** The core concept behind the ResNet architecture involves incorporating skip connections from previous layers. These skip connections, also known as identity connections, ensure that the model's performance does not deteriorate, and may even improve. They enable the model to leverage features from preceding layers. In this homework, the ResNet 9 architecture is employed, which consists of three consecutive residual blocks. These blocks are interspersed with convolution and pooling layers.

Hyper-parameter	Value
Optimizer	Adam
Learning Rate	1e-3
Epochs	20
Batch Size	128
Drop out	0.2
Weight Decay	1e-4

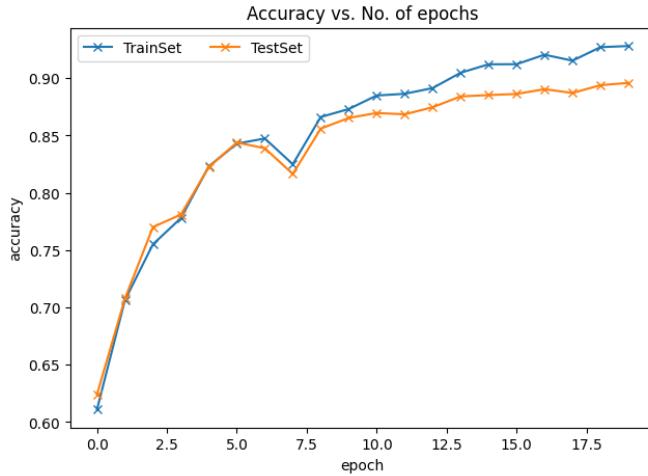


Fig. 18: ResNet Model - Accuracy vs epochs

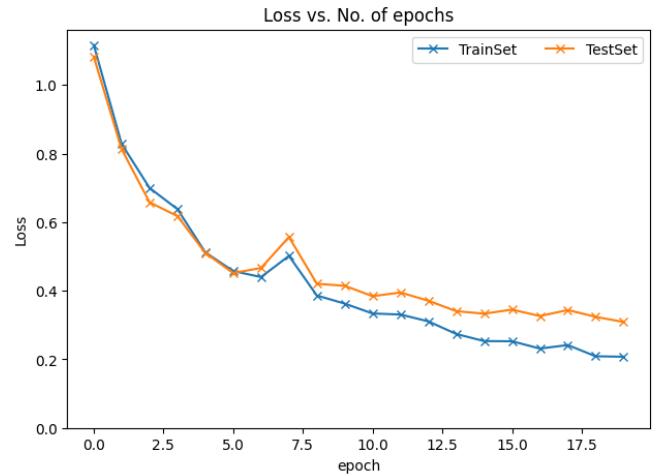


Fig. 19: ResNet Model - loss vs epochs

[678	27	95	9	8	0	1	9	95	78]	(0)
[5	782	12	1	1	1	3	4	52	139]	(1)
[27	8	787	50	12	2	48	23	14	29]	(2)
[19	13	63	698	23	17	37	64	26	40]	(3)
[13	6	67	65	682	2	84	47	13	21]	(4)
[5	9	70	230	17	503	31	91	5	39]	(5)
[6	17	30	49	6	3	829	16	15	29]	(6)
[7	6	29	15	13	1	1	887	3	38]	(7)
[22	13	8	6	2	0	1	3	908	37]	(8)
[2	40	2	6	0	0	5	2	20	923]	(9)
(0)	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	
Accuracy: 93.74 %										

Fig. 20: ResNET Model - Test Set confusion Matrix

[3430	122	459	29	24	0	14	47	430	445]	(0)
[18	4083	53	25	0	1	18	10	216	576]	(1)
[130	44	4189	188	50	20	161	84	59	75]	(2)
[78	66	207	3770	50	102	153	274	90	210]	(3)
[53	27	265	225	3778	24	302	214	46	66]	(4)
[24	55	340	1079	74	2697	125	450	30	126]	(5)
[29	79	165	222	22	11	4227	49	64	132]	(6)
[14	20	104	70	57	10	30	4552	13	130]	(7)
[72	40	36	14	17	0	14	12	4648	147]	(8)
[5	121	19	27	3	1	8	6	41	4769]	(9)
(0)	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	
Accuracy: 95.04 %										

Fig. 21: ResNet Model - Train Set confusion Matrix