Machine Learning: HW2 Report

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Logistic regression function

```
# This function will return the result of the linear function
1
2
    \# e.g. y = w1x1 + w2x2 + .... + b
    def estim(data):
3
        num = sum(map(mul, data, params[:len(data)]))
4
        num += params[len(params) - 1]
        return num
6
7
    # This function will apply the number to sigmoid function
8
9
    def sigmoid(num):
10
        try:
             return 1 / (1 + math.exp(0 - num))
11
12
        except OverflowError:
             return 0.0
13
    # Adagrad
14
    def rate(grad_sum):
15
        return l_rate / math.sqrt(1 if grad_sum == 0 else grad_sum)
16
17
    # Calculate the result, and find the gradient of the loss function
18
    def gradient(data, ans):
19
        estimate = sigmoid(estim(data))
20
        for i in range(len(data)):
21
             grad[i] -= (ans - estimate) * data[i]
22
        grad[len(grad) - 1] -= ans - estimate
23
        return estimate
24
25
    # Update the parameters using regression
26
27
    def updateParam():
        global grad
28
        for i in range(len(params)):
29
             grad_sq_sum[i] += math.pow(grad[i], 2)
30
             params[i] -= rate(grad_sq_sum[i]) * grad[i]
31
        grad = [0.0 \text{ for } x \text{ in } range(58)]
32
33
    # Predict the correctness using training data
34
35
    def predict():
36
```

```
37
38
    if sys.argv[1] == '--train':
39
         # Variables
40
         train_data = []
41
         train_ans = []
42
         # Store all the parameters into an array
43
44
         params = [0.0 \text{ for x in range}(58)]
         # The gradient of each parameters
45
         grad = [0.0 \text{ for x in range}(58)]
46
         # The sum of all previous gradient value, for Adagrad
47
48
         grad_sq_sum = [0.0 \text{ for } x \text{ in } range(58)]
49
         loop = int(sys.argv[2])
50
51
         l_rate = 0.001
52
         # Read training data
53
54
55
56
         # Training
         for x in range(loop):
57
58
             result = []
59
             for i in range(len(train_data)):
                  result.append(gradient(train_data[i], train_ans[i]))
60
                 updateParam()
61
             # Dump parameter every 10 iterations
62
63
64
65
         outfile.close()
66
    elif sys.argv[1] == '--test':
67
68
         # Read test and do estimation
69
         for line in infile:
70
             split = line.split(',')
71
             result += split[0] + ',' + str(int(estim(map(float, split[1:])) > 0))+
72
73
74
    else:
75
```

Method 2: Simple Neural Network - Logistic Twice

(Only shows the different part)

```
# Update gradient recursively
1
    # Each recursion is one layer, start from 0
2
    def gradient(data, ans, layer):
3
         if layer == len(net_params):
4
              return data [0]
5
         result = []
6
         for node in range(len(net_params[layer])):
 7
              estimate = sigmoid(estim(data, net_params[layer][node]))
8
              result.append(estimate)
9
              # Update gradient list
10
              for i in range(len(data)):
11
12
                  grad[layer][node][i] -= (ans - estimate) * data[i]
13
              grad[layer][node][len(grad[layer][node]) - 1] -= ans - estimate
         # Minus 0.5 to preserve the distibution (P(n > 0) = P(n < 0) = 0.5)
14
         return gradient(map(lambda x: x - 0.5, result), ans, layer + 1)
15
16
     # Regression for each variable
17
     def updateParam():
18
         global grad
19
         for layer in range(len(net_params)):
20
              for node in range(len(net_params[layer])):
21
                  for i in range(len(net_params[layer][node])):
22
                     grad_sq_sum[layer][node][i] += math.pow(grad[layer][node][i], 2)
23
                     net_params[layer][node][i] -= rate(grad_sq_sum[layer][node][i])\
24
                        * grad[layer][node][i]
25
26
         grad = [[0.0 \text{ for } x \text{ in } range(58)] \text{ for } x \text{ in } range(57)] \text{ for } x \text{ in } range(2)]
27
28
29
30
    if sys.arqv[1] == '--train':
31
32
         # Initialize data
         net_params = [[[random.uniform(0, 0.01) for x in range(58)] \setminus
33
         for x in range(nodecount)], \
34
         [[random.uniform(0, 0.02) for x in range(nodecount)] for x in range(1)]]
35
         grad = [[0.0 \text{ for } x \text{ in } range(58)] \text{ for } x \text{ in } range(nodecount)], \
36
37
         [0.0 \text{ for x in range}(58)] \text{ for x in range}(1)]]
         grad_sq_sum = \lceil \lceil 0.0 \text{ for } x \text{ in } range(58) \rceil \text{ for } x \text{ in } range(nodecount) \rceil, \setminus
38
         [[0.0 for x in range(58)] for x in range(1)]]
39
40
```

Comparision

The neural network is quite simple: The first layer will consume the input data, then do its prediction using logistic regression. The second layer is the output layer, it uses the same logistic regression to process the

output for the first layer, which is an array of predictions from the first layer.

For the input of the second layer, I shifted all the results of the output from the first layer with 0.5. This is to make the result that predicts spam has a value > 0, and vice versa.

Because it does many more processing, the running speed is significantly slower than simply using logistic regression. However, the results are better compared with plain logistic regression, which is a nice tradeoff.

I'm not really sure if this is the way how real projects that involves neural network do, as the method used in method 2 is what I assumed it shall be based on slides from the teacher.