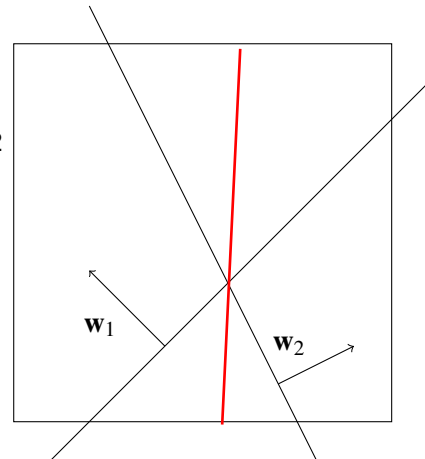


- c. (4 points) The following box represents a 2-dimensional feature space, with the planes and weight vectors associated with  $C_1$  and  $C_2$ . Use a diagram and an explanatory sentence to show how these planes determine a decision boundary, and indicate the decision regions (that is, which part of the feature space will be classified as  $C_1$  and which as  $C_2$ ).

The red plane represents set of points that are equidistant from planes  $C_1$  and  $C_2$

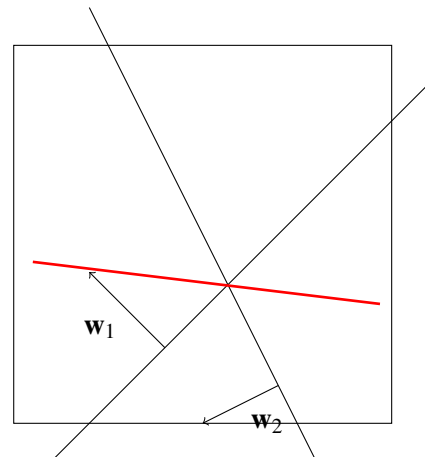
Points to the left are classified as Class  $C_1$  and to the right as  $C_2$



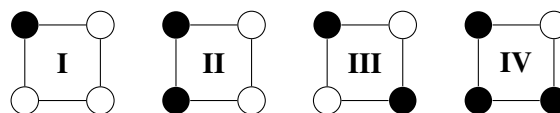
- d. (4 points) Do the same for the following case (diagram and explanatory sentence). What is the difference?

Points above red line are classified as  $C_1$  and below are classified as  $C_2$

The orientation has changed as the decision plane must lie in the same direction as  $w_1 + w_2$



- e. (4 points) The following diagrams represent possible ways to split the four possible observations of two binary features between two classes. Which of the cases below are consistent with conditional independence of the feature values, given the class?



i, ii, iv are consistent with conditional independence of the feature values given the class