

Chal raha hai).

- Lekin ek tum hoti hai burst error, toh yeh burst error kya hoti hai ?? Toh burst error means ek sequence of bits corrupt hue hai, usko hum kya kahate hai burst error.
- Kya single bit kabhi corrupt hoti hai, toh error aati hai due to noise. Agar noise hai toh puri ek waveform destroy hoti hai, ek bit kabhi bhi ~~correct~~ nahi hoti hai, multiple bits corrupt hoti hai. corrupt
- Toh generally it is burst error, toh burst error even length ki bhi hosakte hai odd length ki bhi hosakte hai.
- Toh hum kya kahai gaye ki parity bit can detect single bit error but it cannot detect ~~all~~ burst error.
- Agar burst error k karan apke data ki first bit se 10<sup>th</sup> bit tak corrupt hogayi hai, lekin uska yeh matlab nahi hai ki 1 se lekar 10 tak saare bits corrupt hue hai.
- Burst error k karan kuch bits corrupt hogi kuch nahi hogi.
- Agar <sup>1 se 10</sup> 1 sec tak ki Burst error hai matlab ki 1 se 10 tak kuch bit corrupt hue hai aur kuch sahi hai. for 1 aur 10 corrupt hai.



- Burst error hai toh yeh jaruri nahi hai ki saari bits corrupt hue ho.

(\*) Jhon VRC can detect burst error if it is in odd length.

- Jhon parity scheme itani useful nahi hai, because yeh saari burst error detect nahi kar sakte hai.
- The technique is not foolproof against burst error that inverts more than one bit. If an even number of bits are inverted due to error then error is not detected.

# 2-D Parity Check →

- Other name of this technique is Longitudinal Parity Check (LRC)
- Parity bit mein hum for seven ek parity bit use karvahi hai;
- Performance can be improved by using 2-D parity check which organizes the block of bits in the form of table.
- Parity bit are calculated for each row which is equivalent to simple parity check
- Parity check bit are also calculated for all columns.

- Both are send along with the data.
- At receiver end they are compared with parity bit.

Original Data :-

1011011 : 10101010 : 01011010 : 11010100

	P(even)	
1 0 1 1 0 1 1	1	} → Row parity bit.
1 0 1 0 1 0 1	0	
0 1 0 1 1 0 1	0	
1 1 0 1 0 1 0	0	
1 0 0 1 0 0 1	1	
column bit		

Data to be send :-

10110111 : 10101010 : 01011010 : 11010100 ;  
10010011

# Performance of 2D parity check :-

✓ LRC can detect and correct single bit error, kaise.  
For example agar

1	0	1	1	0	1	1	1	→ corrupt = 1 (even) → column corrupted
1	0	1	0	1	0	1	0	} → Row corrupted.
0	1	0	1	1	0	1	0	
1	1	0	1	0	1	0	0	
1	0	0	1	0	0	1	1	

• So how corrupted hua hai aur jo column unke

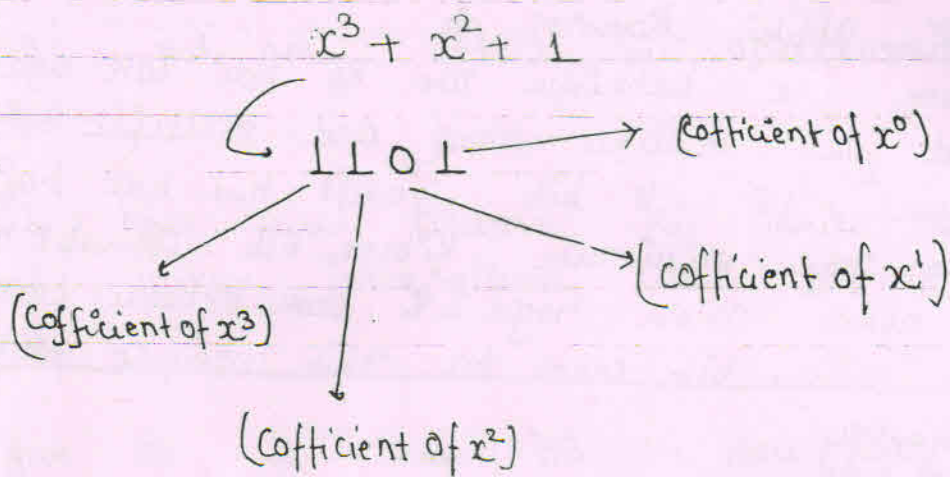


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- Example :-

				1	1			
1	0	1	1	0	0	1	1	1
1	0	1	0	0	1	0	1	1
0	1	0	1	1	0	1	0	0
1	1	0	1	0	1	0	1	1
1	0	0	1	0	1	1	1	1

- Now is given polynomial ka binary representation kya hoga.



- Toh yeh kya hogaya given polynomial ka binary representation.
- Suppose  $x^3 + x^2 + 1$  is our polynomial, iska binary equivalent kitana hogaya, 1101.
- Now aab data mein kitane redundant bit add ki jati hai,
- Toh data mein number of redundant bits is equal to highest power of the polynomial.
- yaha par polynomial ki highest power kitane hai three (3), toh kitane redundant bit add karne hai three.
- Aur agar apka polynomial four bit long hai, toh how many redundant bits, three.
- Then if your polynomial is  $n$  bit long, then



number of Redundant bits will be  $n-1$  bits.

- Yaha hamare polynomial ki degree three hai, toh islye hamare number of redundant bit kitane hogi three.
- Juh yeh Redundant bit kaha add karogay, toh Redundant bit kaha add karne hai apko data k end par.
- Suppose hamara data hai  $\rightarrow$

1 0 1 1 0 0 1 1 0 0 0

data k end mein apko kya add करना hai Redundant bit, Redundant bit kitani add करना hai, jitani ki polynomial ki highest power hai.

- ~~Pro~~ Polynomial ki highest power kitani hai three, toh kitani Redundant bit add karogay three.

- Initially un Redundant bit ki value zero hogi.

1 0 1 1 0 0 1 1 0 0 0 0 0 0

└────────────────────────────────┘

└ data bits.

└

Redundant bits.

- Now aab kya करना hai, toh aab hum is data ko, divide करना by its polynomial.

Polynomial :  $x^3 + x^2 + 1 = 1101$ .

1111111

1101  $\overline{)$  10110011000000

⊕ 1101 ↓

01100

1101 ↓

0001011

1101 ↓

01100

1101 ↓

0001000

1101 ↓

01010

1101 ↓

01110

1101 ↓

0011

XOR

Remainder  $\Rightarrow 011$

- Joh us data mein yeh remainder add karo jisme hamare yeh remainder redundant bits add kare the-

→

$$\begin{array}{r} 10110011000000 \\ + 011 \\ \hline 1011001100011 \end{array}$$

- Now aab hum is data ko send karunga, sendu is data ko send karuga.



- Now aab receiver k pass data <sup>aa</sup> gaya, now aab receiver ko kaise pata chalega ki there is some error.
- Jo receiver k pass joh aaya data woh us data ko polynomial se divide karunga.
- If remainder Agar receiver ko divide karne k baad remainder 0 milta hai, it means there is no error.
- And if remainder is non-zero it means there exist some error in our received data.
- \* yeh technique sirf error ko detect kar sakta hai but correct nahi kar sakta.
- \* CRC can detect the burst error of the length = highest power of the polynomial.
- Agar polynomial ki highest power three hai, toh yeh three length ki burst error ko detect kar sakta hai.
- Agar polynomial ki highest power 16 hai toh yeh 16 bit ki length ki burst error ko detect kar sakta hai.
- \* CRC can detect all odd-length error if polynomial is divisible of  $x+1$ .
- Odd-length error matlab highest degree of polyno. ~~is~~ <sup>is</sup> ~~not~~ <sup>is</sup> divisible by  $x+1$ .



- Kya  $x^3 + x^2 + 1$  yeh  $(x+1)$  ka divisible hai.
- Now question yeh hai ki yeh kaise pata karogay ki hamara polynomial  $x+1$  ka divisible hai ki nahi.
- Agar  $x+1$  ka koi divisible hai toh  $x = -1$  kya hoga iska factor.
- \* Agar  $x$  ko  $-1$  rakha toh polynomial zero aana chahiye.
- Joh kya yaha polynomial mein  $x = -1$  rakhne mein zero aavaha hai kya.

$$f(-1) = (-1)^3 + (-1)^2 + 1 \\ = -1 + 1 + 1 \neq 0$$

- Nahi aavaha hai, toh given polynomial  $(x+1)$  ka divisible nahi hai.
- Abhi tak hamne jitane bhi polynomial dekhte hai unme  $x^0$  ka coefficient one hai. Kya aisa kyo??
- Agar  $x^0$  wali term 0 hoak de, CRC aapke error detect karne mein capable nahi hoga.
- Matlab aapka polynomial agar  $x$  k divisible ho gaya toh CRC aapke error detect nahi kar payegi.
- \* CRC-16 ( $x^{16} + x^{15} + x^2 + 1$ ) used in ATM.