



# **Information Security Systems (CS-408)**

## **Advanced Encryption Standard (AES)**

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## **7-1 INTRODUCTION**

*The Advanced Encryption Standard (AES) is a symmetric-key block cipher published by the National Institute of Standards and Technology (NIST) in December 2001.*

### **Topics discussed in this section:**

- 7.1.1 History**
- 7.1.2 Criteria**
- 7.1.3 Rounds**
- 7.1.4 Data Units**
- 7.1.5 Structure of Each Round**

## **7.1.1 History**

**In February 2001, NIST announced that a draft of the Federal Information Processing Standard (FIPS) was available for public review and comment. Finally, AES was published as FIPS 197 in the Federal Register in December 2001.**

## 7.1.2 Criteria

*The criteria defined by NIST for selecting AES fall into three areas:*

- 1. Security**
- 2. Cost**
- 3. Implementation.**

### 7.1.3 Rounds.

*AES is a non-Feistel cipher that encrypts and decrypts a data block of 128 bits. It uses 10, 12, or 14 rounds. The key size, which can be 128, 192, or 256 bits, depends on the number of rounds.*

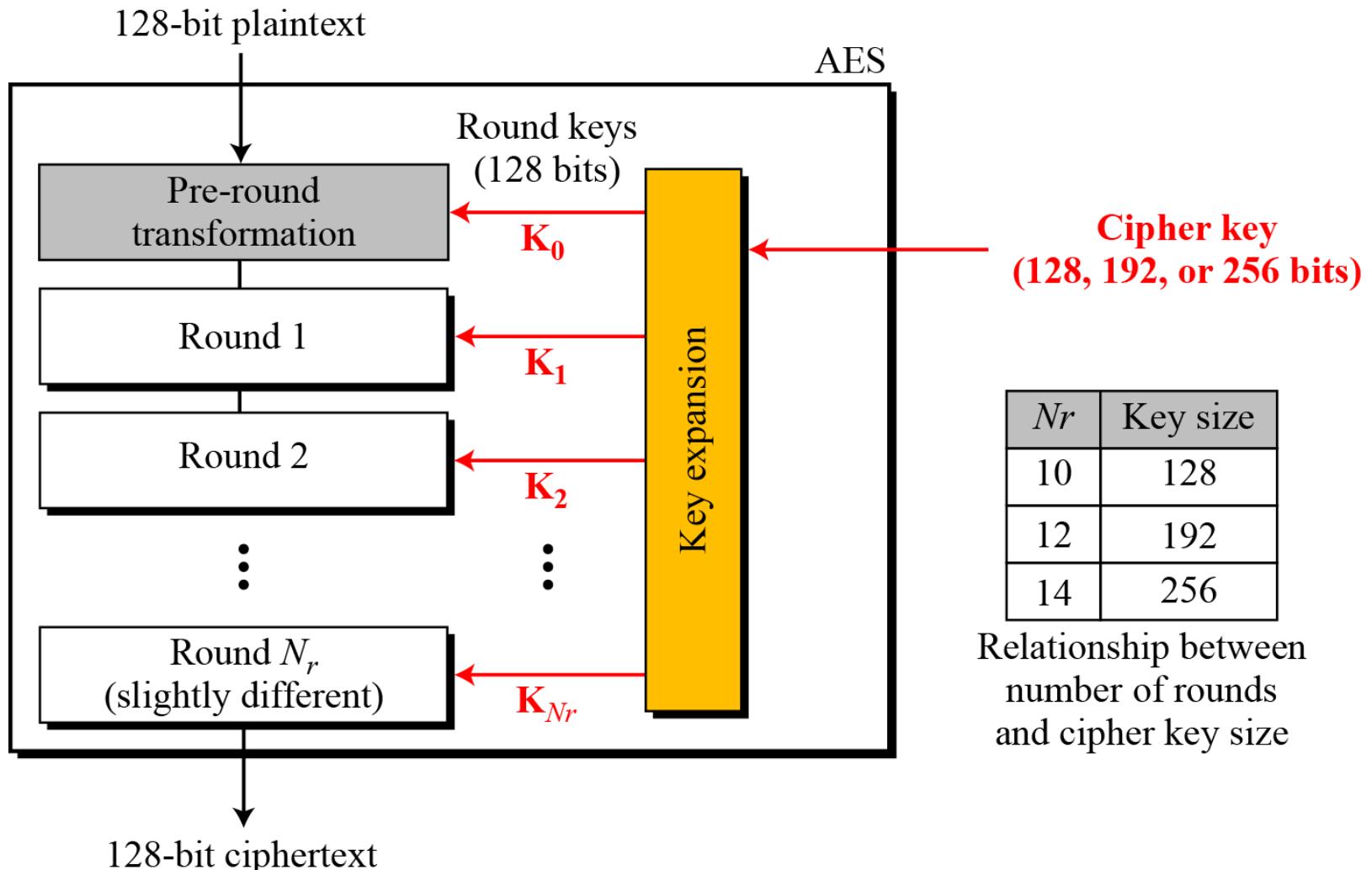
**Note**

**AES has defined three versions, with 10, 12, and 14 rounds.**

**Each version uses a different cipher key size (128, 192, or 256), but the round keys are always 128 bits.**

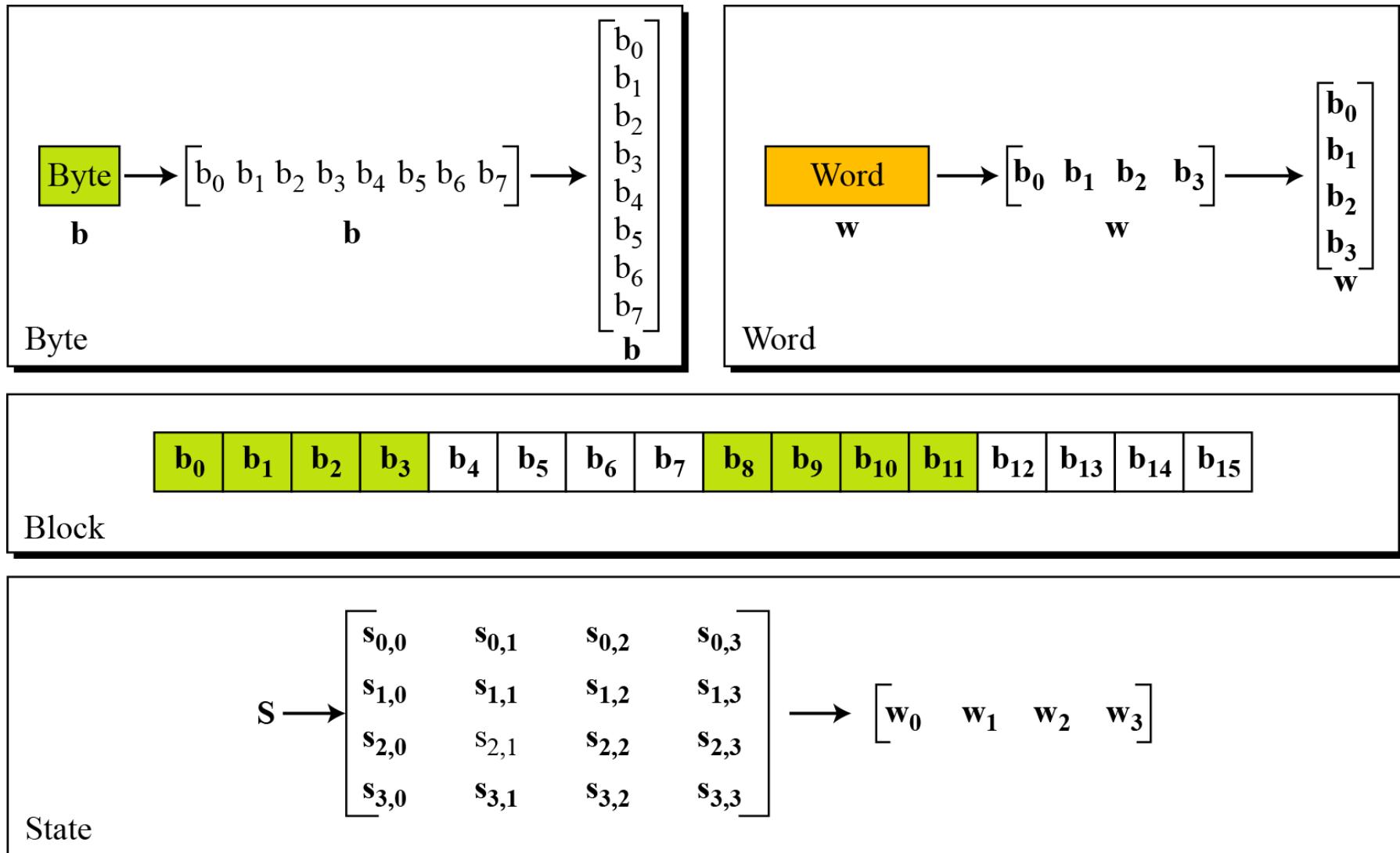
## 7.1.3 Continue

**Figure 7.1 General design of AES encryption cipher**



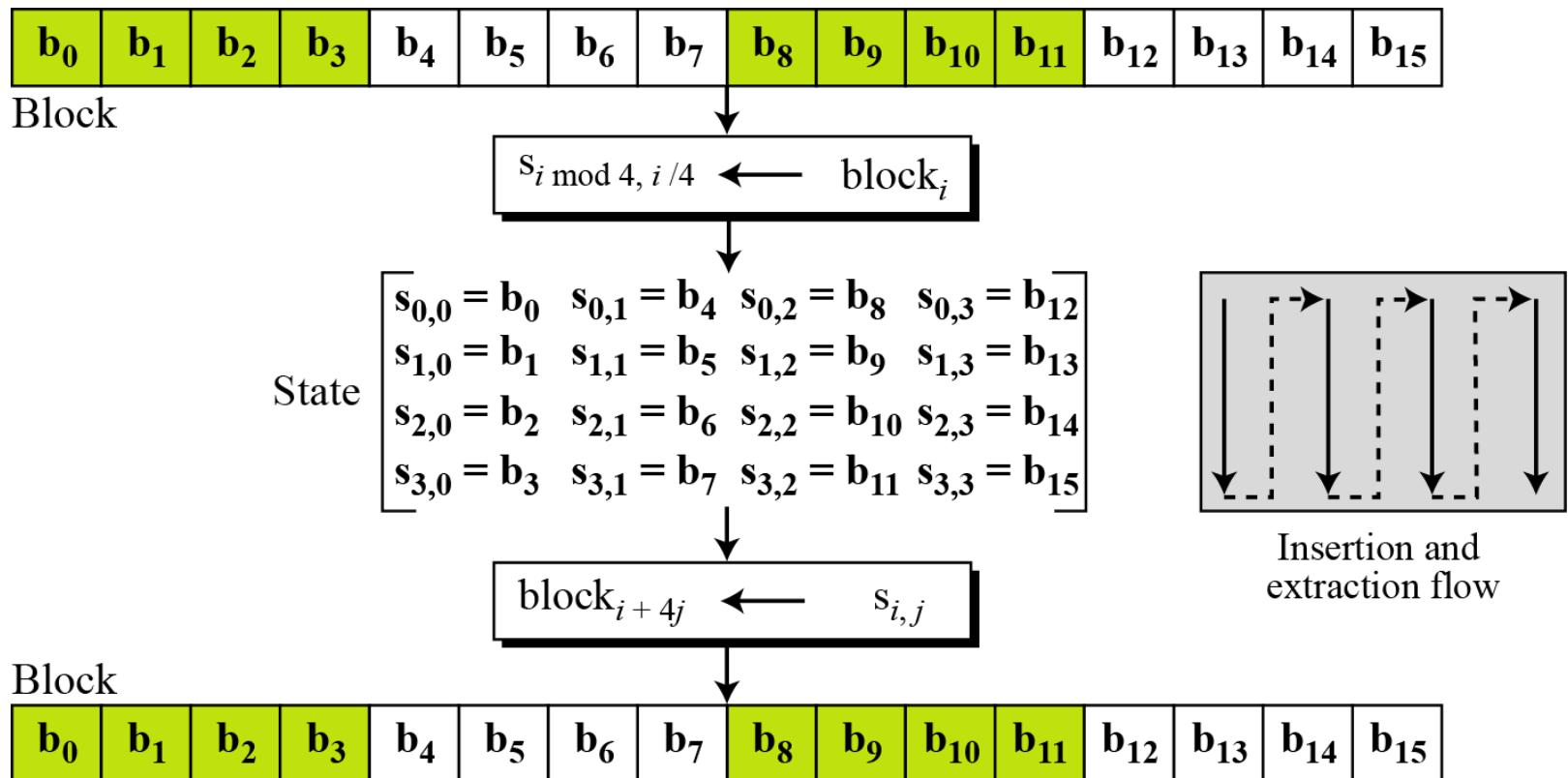
## 7.1.4 Data Units.

**Figure 7.2** Data units used in AES



## 7.1.4 Continue

**Figure 7.3 Block-to-state and state-to-block transformation**



## 7.1.4 Continue

### Example 7.1 *Continue*

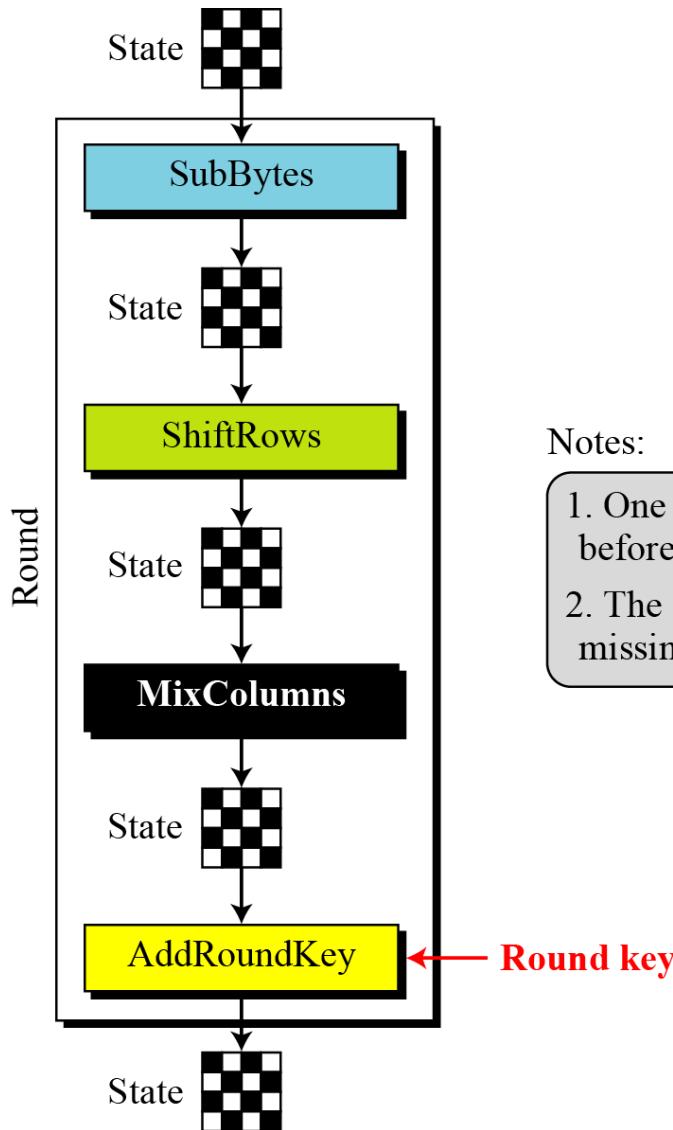
**Figure 7.4** *Changing plaintext to state*

Text	A	E	S	U	S	E	S	A	M	A	T	R	I	X	Z	Z
Hexadecimal	00	04	12	14	12	04	12	00	0C	00	13	11	08	23	19	19
	00	12	0C	08	04	04	00	23	12	12	13	19	14	00	11	19

$$\begin{bmatrix} 00 & 12 & 0C & 08 \\ 04 & 04 & 00 & 23 \\ 12 & 12 & 13 & 19 \\ 14 & 00 & 11 & 19 \end{bmatrix}$$
 State

## 7.1.5 Structure of Each Round

**Figure 7.5** *Structure of each round at the encryption site*



Notes:

1. One AddRoundKey is applied before the first round.
2. The third transformation is missing in the last round.

## **7-2 TRANSFORMATIONS**

*To provide security, AES uses four types of transformations: substitution, permutation, mixing, and key-adding.*

### **Topics discussed in this section:**

**7.2.1 Substitution**

**7.2.2 Permutation**

**7.2.3 Mixing**

**7.2.4 Key Adding**

## 7.2.1 Substitution

*AES, like DES, uses substitution. AES uses two invertible transformations.*

### *SubBytes*

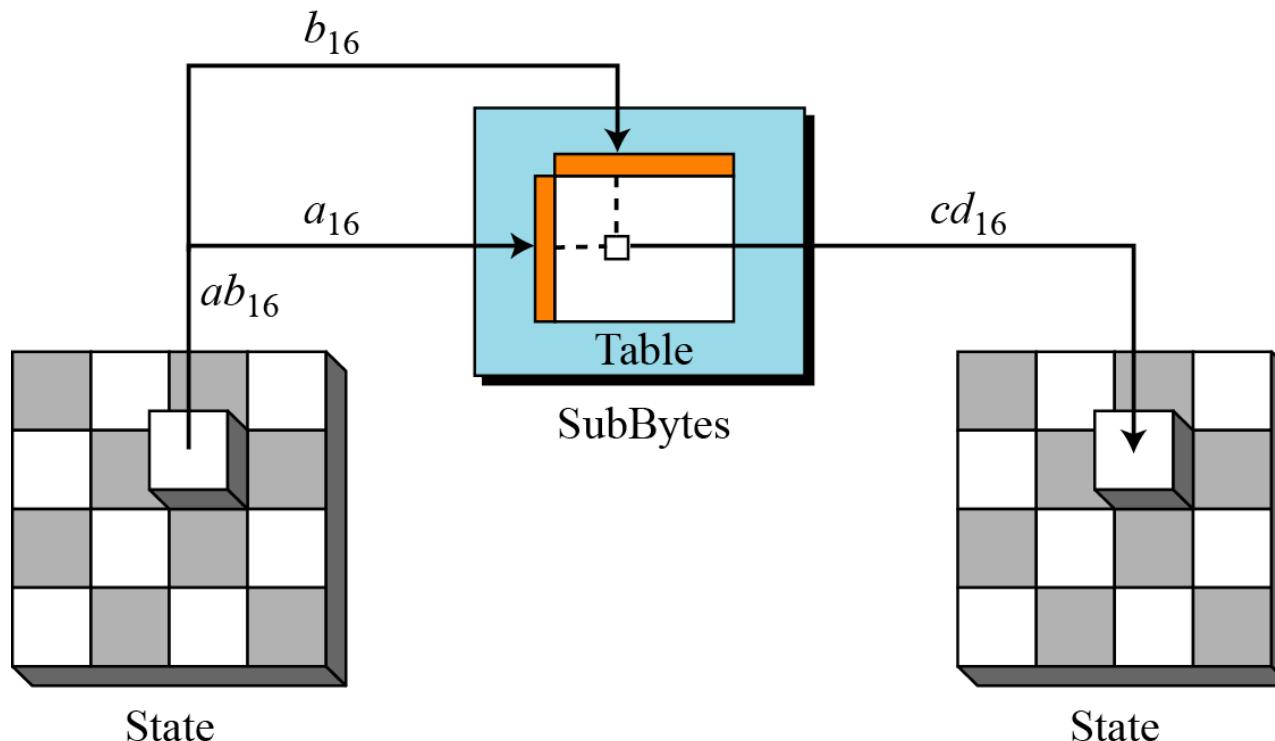
*The first transformation, SubBytes, is used at the encryption site. To substitute a byte, we interpret the byte as two hexadecimal digits.*

#### **Note**

**The SubBytes operation involves 16 independent byte-to-byte transformations.**

## 7.2.1 Continue

**Figure 7.6 SubBytes transformation**



## 7.2.1 Continue

**Table 7.1** SubBytes transformation table

	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
0	63	7C	77	7B	F2	6B	6F	C5	30	01	67	2B	FE	D7	AB	76
1	CA	82	C9	7D	FA	59	47	F0	AD	D4	A2	AF	9C	A4	72	C0
2	B7	FD	93	26	36	3F	F7	CC	34	A5	E5	F1	71	D8	31	15
3	04	C7	23	C3	18	96	05	9A	07	12	80	E2	EB	27	B2	75
4	09	83	2C	1A	1B	6E	5A	A0	52	3B	D6	B3	29	E3	2F	84
5	53	D1	00	ED	20	FC	B1	5B	6A	CB	BE	39	4A	4C	58	CF
6	D0	EF	AA	FB	43	4D	33	85	45	F9	02	7F	50	3C	9F	A8

## 7.2.1 Continue

**Table 7.1** SubBytes transformation table (continued)

	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
7	51	A3	40	8F	92	9D	38	F5	BC	B6	DA	21	10	FF	F3	D2
8	CD	0C	13	EC	5F	97	44	17	C4	A7	7E	3D	64	5D	19	73
9	60	81	4F	DC	22	2A	90	88	46	EE	B8	14	DE	5E	0B	DB
A	E0	32	3A	0A	49	06	24	5C	C2	D3	AC	62	91	95	E4	79
B	E7	CB	37	6D	8D	D5	4E	A9	6C	56	F4	EA	65	7A	AE	08
C	BA	78	25	2E	1C	A6	B4	C6	E8	DD	74	1F	4B	BD	8B	8A
D	70	3E	B5	66	48	03	F6	0E	61	35	57	B9	86	C1	1D	9E
E	E1	F8	98	11	69	D9	8E	94	9B	1E	87	E9	CE	55	28	DF
F	8C	A1	89	0D	BF	E6	42	68	41	99	2D	0F	B0	54	BB	16

## 7.2.1 Continue

### *InvSubBytes*

**Table 7.2** *InvSubBytes transformation table*

	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
0	52	09	6A	D5	30	36	A5	38	BF	40	A3	9E	81	F3	D7	FB
1	7C	E3	39	82	9B	2F	FF	87	34	8E	43	44	C4	DE	E9	CB
2	54	7B	94	32	A6	C2	23	3D	EE	4C	95	0B	42	FA	C3	4E
3	08	2E	A1	66	28	D9	24	B2	76	5B	A2	49	6D	8B	D1	25
4	72	F8	F6	64	86	68	98	16	D4	A4	5C	CC	5D	65	B6	92
5	6C	70	48	50	FD	ED	B9	DA	5E	15	46	57	A7	8D	9D	84
6	90	D8	AB	00	8C	BC	D3	0A	F7	E4	58	05	B8	B3	45	06
7	D0	2C	1E	8F	CA	3F	0F	02	C1	AF	BD	03	01	13	8A	6B

## 7.2.1 Continue

### *InvSubBytes (Continued)*

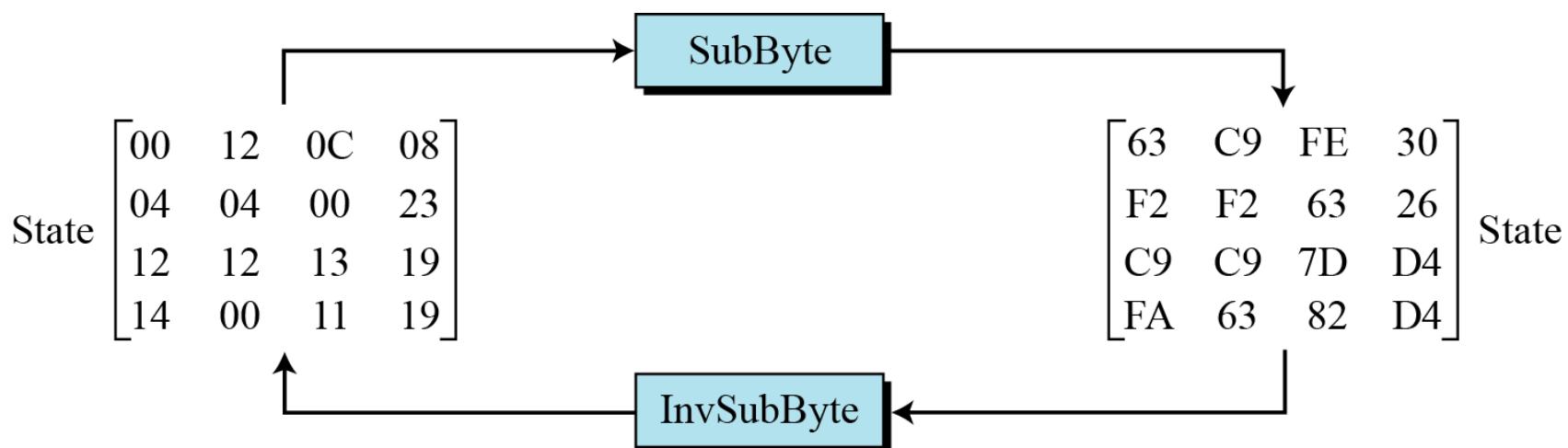
8	3A	91	11	41	4F	67	DC	EA	97	F2	CF	CE	F0	B4	E6	73
9	96	AC	74	22	E7	AD	35	85	E2	F9	37	E8	1C	75	DF	6E
A	47	F1	1A	71	1D	29	C5	89	6F	B7	62	0E	AA	18	BE	1B
B	FC	56	3E	4B	C6	D2	79	20	9A	DB	C0	FE	78	CD	5A	F4
C	1F	DD	A8	33	88	07	C7	31	B1	12	10	59	27	80	EC	5F
D	60	51	7F	A9	19	B5	4A	0D	2D	E5	7A	9F	93	C9	9C	EF
E	A0	E0	3B	4D	AE	2A	F5	B0	C8	EB	BB	3C	83	53	99	61
F	17	2B	04	7E	BA	77	D6	26	E1	69	14	63	55	21	0C	7D

## 7.2.1 Continue

### Example 7.2

Figure 7.7 shows how a state is transformed using the SubBytes transformation. The figure also shows that the InvSubBytes transformation creates the original one. Note that if the two bytes have the same values, their transformation is also the same.

**Figure 7.7** SubBytes transformation for Example 7.2



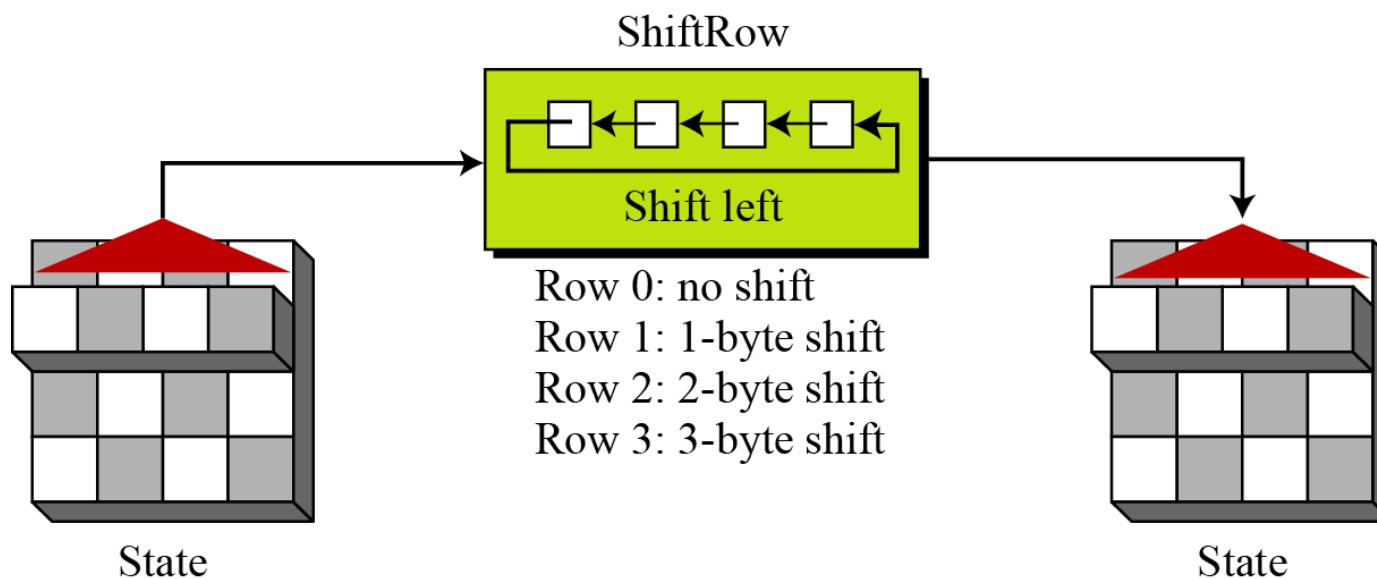
## 7.2.2 Permutation

*Another transformation found in a round is shifting, which permutes the bytes.*

### ShiftRows

*In the encryption, the transformation is called ShiftRows.*

**Figure 7.9 ShiftRows transformation**



## 7.2.2 Continue

### *InvShiftRows*

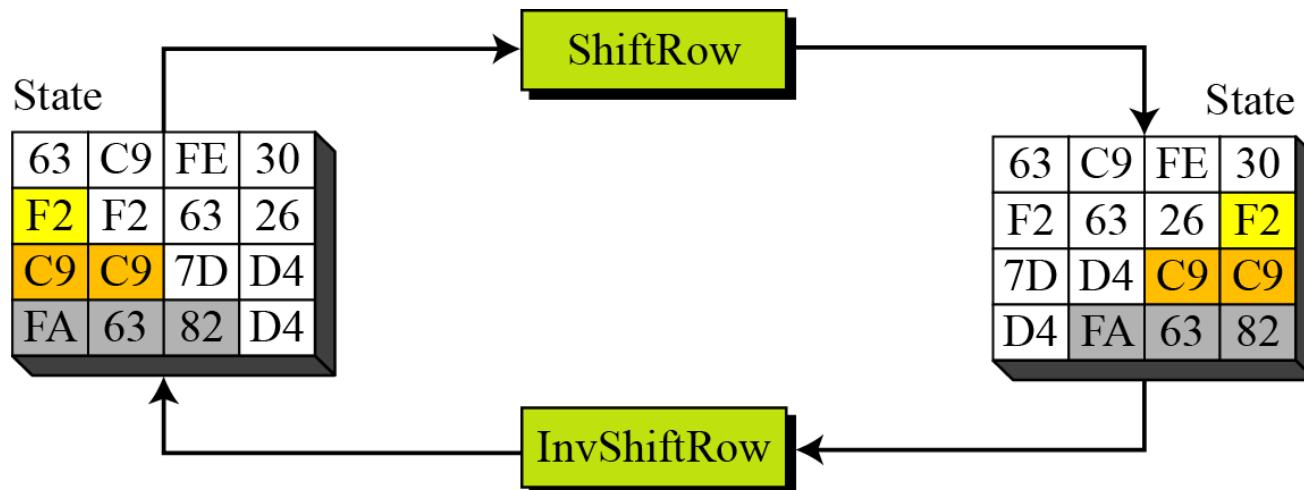
*In the decryption, the transformation is called InvShiftRows and the shifting is to the right.*

## 7.2.2 Continue

### Example 7.4

Figure 7.10 shows how a state is transformed using ShiftRows transformation. The figure also shows that InvShiftRows transformation creates the original state.

**Figure 7.10** *ShiftRows transformation in Example 7.4*



## 7.2.3 Mixing

*We need an interbyte transformation that changes the bits inside a byte, based on the bits inside the neighboring bytes. We need to mix bytes to provide diffusion at the bit level.*

**Figure 7.11** Mixing bytes using matrix multiplication

$$\begin{array}{l} ax + by + cz + dt \\ ex + fy + gz + ht \\ ix + jy + kz + lt \\ mx + ny + oz + pt \end{array} \xrightarrow{\text{New matrix}} = \begin{bmatrix} a & b & c & d \\ e & f & g & h \\ i & j & k & l \\ m & n & o & p \end{bmatrix} \times \begin{bmatrix} x \\ y \\ z \\ t \end{bmatrix}$$

**Constant matrix**

Old matrix

## 7.2.3 Continue

**Figure 7.12** Constant matrices used by MixColumns and InvMixColumns

$$\begin{bmatrix} 02 & 03 & 01 & 01 \\ 01 & 02 & 03 & 01 \\ 01 & 01 & 02 & 03 \\ 03 & 01 & 01 & 02 \end{bmatrix} \xleftrightarrow{\text{Inverse}} \begin{bmatrix} 0E & 0B & 0D & 09 \\ 09 & 0E & 0B & 0D \\ 0D & 09 & 0E & 0B \\ 0B & 0D & 09 & 0E \end{bmatrix}$$

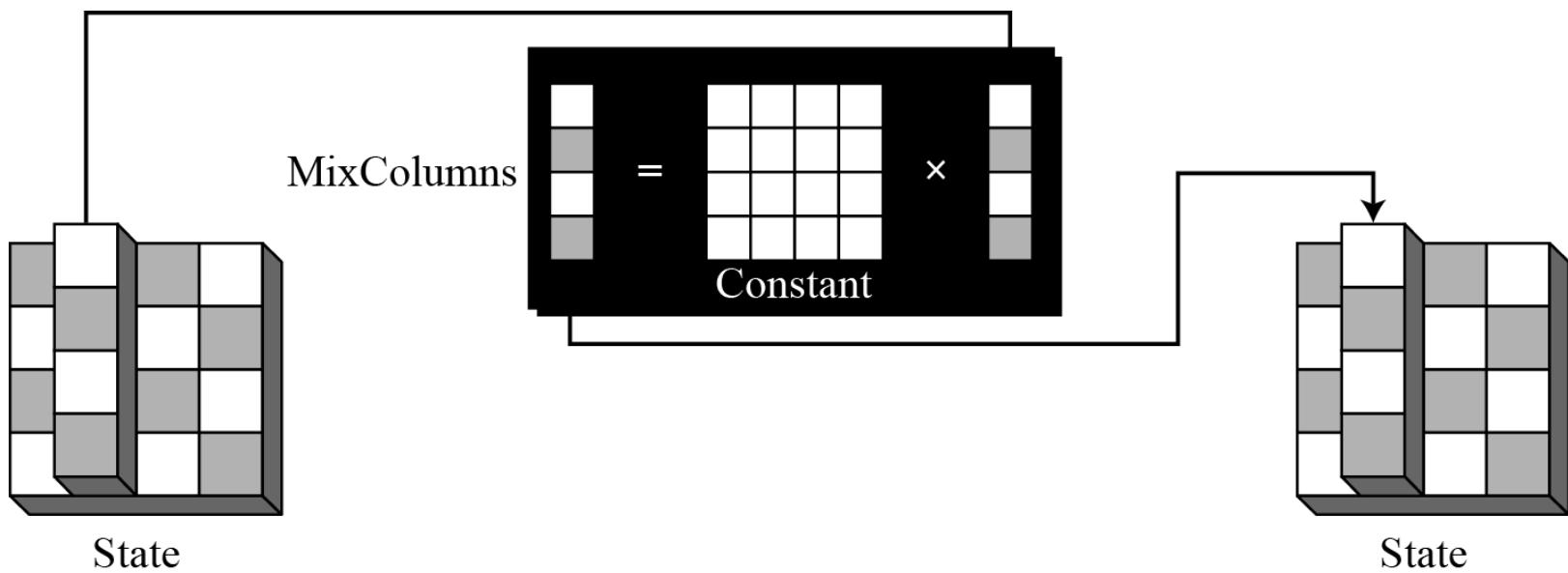
C                                                    C<sup>-1</sup>

## 7.2.3 Continue

### MixColumns

*The MixColumns transformation operates at the column level; it transforms each column of the state to a new column.*

**Figure 7.13** *MixColumns transformation*



## 7.2.3 Continue

### *InvMixColumns*

*The InvMixColumns transformation is basically the same as the MixColumns transformation.*

**Note**

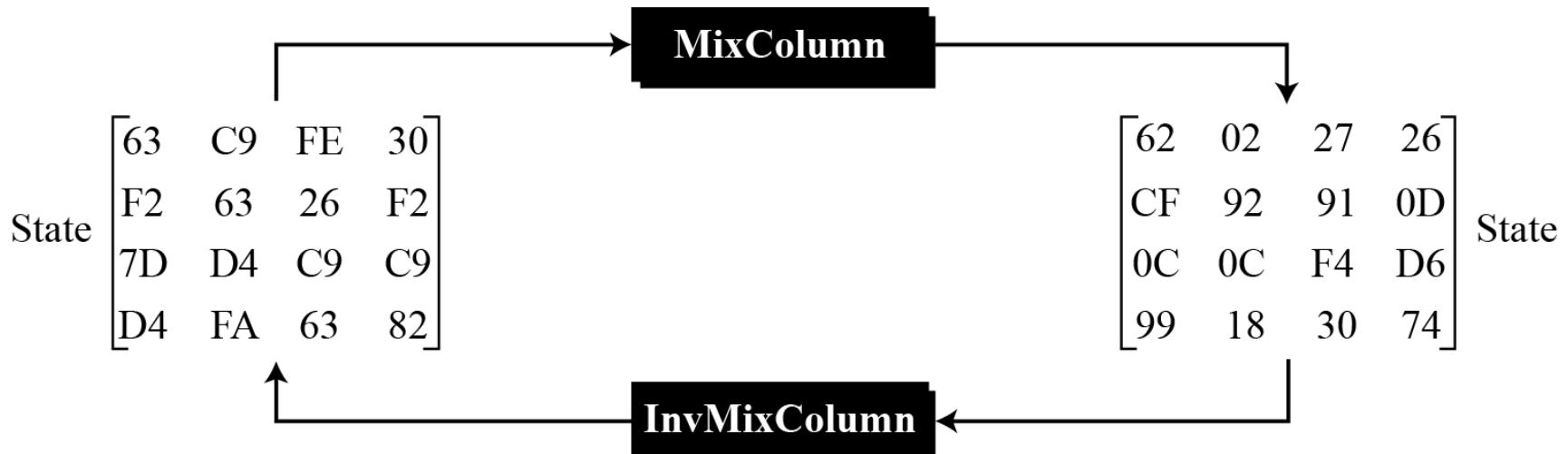
**The MixColumns and InvMixColumns transformations are inverses of each other.**

## 7.2.3 Continue

### Example 7.5

Figure 7.14 shows how a state is transformed using the MixColumns transformation. The figure also shows that the InvMixColumns transformation creates the original one.

**Figure 7.14** *The MixColumns transformation in Example 7.5*



## 7.2.4 Key Adding

### *AddRoundKey*

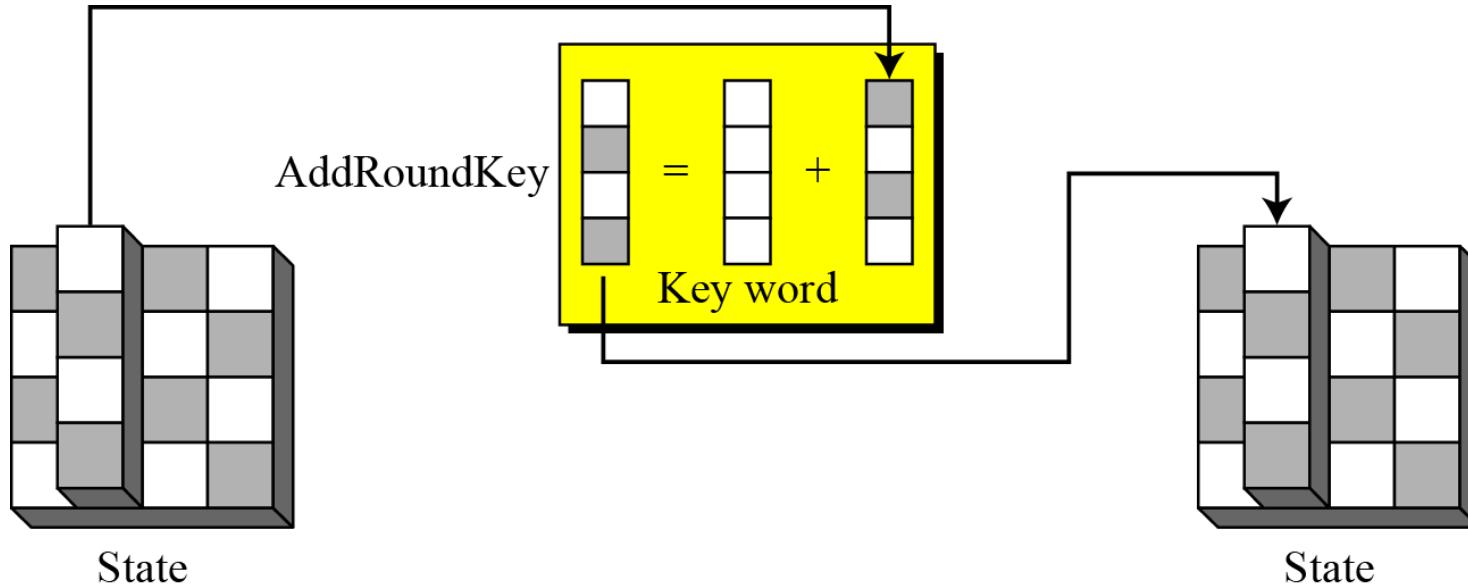
*AddRoundKey proceeds one column at a time. AddRoundKey adds a round key word with each state column matrix; the operation in AddRoundKey is matrix addition.*

**Note**

**The AddRoundKey transformation is the inverse of itself.**

## 7.2.4 Continue

**Figure 7.15** *AddRoundKey transformation*



**Algorithm 7.4** *Pseudocode for AddRoundKey transformation*

**AddRoundKey ( $S$ )**

```
{  
    for ( $c = 0$  to  $3$ )  
         $s_c \leftarrow s_c \oplus w_{\text{round} + 4c}$   
}
```

## **7-3 KEY EXPANSION**

*To create round keys for each round, AES uses a key-expansion process. If the number of rounds is  $N_r$ , the key-expansion routine creates  $N_r + 1$  128-bit round keys from one single 128-bit cipher key.*

### **Topics discussed in this section:**

- 7.3.1 Key Expansion in AES-128**
- 7.3.2 Key Expansion in AES-192 and AES-256**
- 7.3.3 Key-Expansion Analysis**

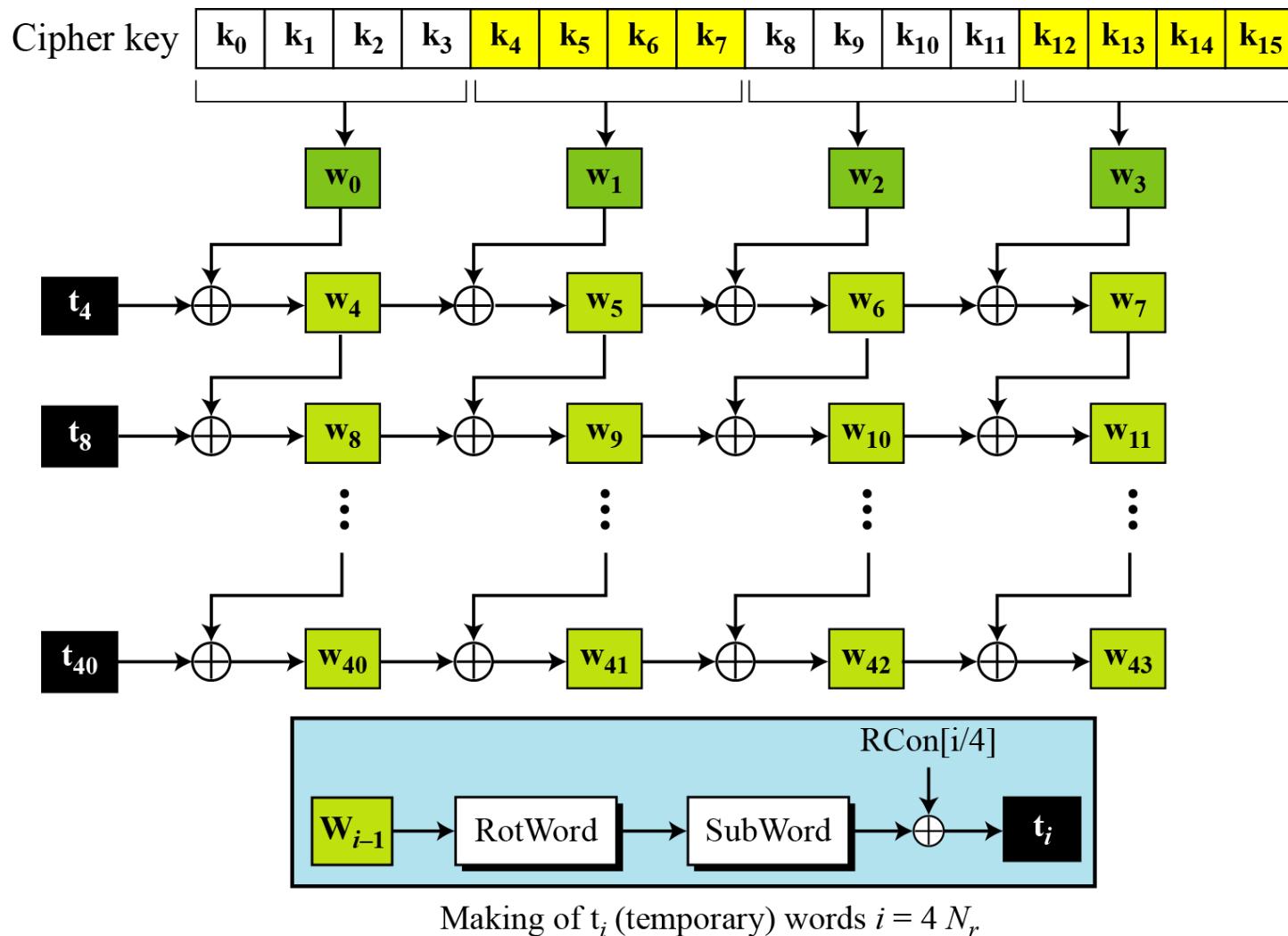
## 7-3 Continued

**Table 7.3** *Words for each round*

<i>Round</i>	<i>Words</i>			
Pre-round	$\mathbf{w}_0$	$\mathbf{w}_1$	$\mathbf{w}_2$	$\mathbf{w}_3$
1	$\mathbf{w}_4$	$\mathbf{w}_5$	$\mathbf{w}_6$	$\mathbf{w}_7$
2	$\mathbf{w}_8$	$\mathbf{w}_9$	$\mathbf{w}_{10}$	$\mathbf{w}_{11}$
...	...			
$N_r$	$\mathbf{w}_{4N_r}$	$\mathbf{w}_{4N_r+1}$	$\mathbf{w}_{4N_r+2}$	$\mathbf{w}_{4N_r+3}$

## 7.3.1 Key Expansion in AES-128

Figure 7.16 Key expansion in AES



Making of  $t_i$  (temporary) words  $i = 4 N_r$

### 7.3.1 Continue

**Table 7.4** *RCon constants*

<i>Round</i>	<i>Constant (RCon)</i>	<i>Round</i>	<i>Constant (RCon)</i>
1	$(\underline{01} \text{ } 00 \text{ } 00 \text{ } 00)_{16}$	6	$(\underline{20} \text{ } 00 \text{ } 00 \text{ } 00)_{16}$
2	$(\underline{02} \text{ } 00 \text{ } 00 \text{ } 00)_{16}$	7	$(\underline{40} \text{ } 00 \text{ } 00 \text{ } 00)_{16}$
3	$(\underline{04} \text{ } 00 \text{ } 00 \text{ } 00)_{16}$	8	$(\underline{80} \text{ } 00 \text{ } 00 \text{ } 00)_{16}$
4	$(\underline{08} \text{ } 00 \text{ } 00 \text{ } 00)_{16}$	9	$(\underline{1B} \text{ } 00 \text{ } 00 \text{ } 00)_{16}$
5	$(\underline{10} \text{ } 00 \text{ } 00 \text{ } 00)_{16}$	10	$(\underline{36} \text{ } 00 \text{ } 00 \text{ } 00)_{16}$

### 7.3.1 Continue

#### Example 7.6

Table 7.5 shows how the keys for each round are calculated assuming that the 128-bit cipher key agreed upon by Alice and Bob is  $(24\ 75\ A2\ B3\ 34\ 75\ 56\ 88\ 31\ E2\ 12\ 00\ 13\ AA\ 54\ 87)_{16}$ .

Table 7.5 Key expansion example

Round	Values of $t$ 's	First word in the round	Second word in the round	Third word in the round	Fourth word in the round
—		$w_{00} = 2475A2B3$	$w_{01} = 34755688$	$w_{02} = 31E21200$	$w_{03} = 13AA5487$
1	AD20177D	$w_{04} = 8955B5CE$	$w_{05} = BD20E346$	$w_{06} = 8CC2F146$	$w_{07} = 9F68A5C1$
2	470678DB	$w_{08} = CE53CD15$	$w_{09} = 73732E53$	$w_{10} = FFB1DF15$	$w_{11} = 60D97AD4$
3	31DA48D0	$w_{12} = FF8985C5$	$w_{13} = 8CFAAB96$	$w_{14} = 734B7483$	$w_{15} = 2475A2B3$
4	47AB5B7D	$w_{16} = B822deb8$	$w_{17} = 34D8752E$	$w_{18} = 479301AD$	$w_{19} = 54010FFA$
5	6C762D20	$w_{20} = D454F398$	$w_{21} = E08C86B6$	$w_{22} = A71F871B$	$w_{23} = F31E88E1$
6	52C4F80D	$w_{24} = 86900B95$	$w_{25} = 661C8D23$	$w_{26} = C1030A38$	$w_{27} = 321D82D9$
7	E4133523	$w_{28} = 62833EB6$	$w_{29} = 049FB395$	$w_{30} = C59CB9AD$	$w_{31} = F7813B74$
8	8CE29268	$w_{32} = EE61ACDE$	$w_{33} = EAFFE1F4B$	$w_{34} = 2F62A6E6$	$w_{35} = D8E39D92$
9	0A5E4F61	$w_{36} = E43FE3BF$	$w_{37} = 0EC1FCF4$	$w_{38} = 21A35A12$	$w_{39} = F940C780$
10	3FC6CD99	$w_{40} = DBF92E26$	$w_{41} = D538D2D2$	$w_{42} = F49B88C0$	$w_{43} = 0DDDB4F40$

### 7.3.1 Continue

#### Example 7.7

Each round key in AES depends on the previous round key. The dependency, however, is **nonlinear** because of SubWord transformation. The addition of the round constants also guarantees that each round key will be different from the previous one.

#### Example 7.8

The two sets of round keys can be created from two cipher keys that are different only in one bit.

Cipher Key 1:	12 45 A2 A1 23 31 A4 A3	B2 CC <u>AA</u> 34	C2 BB 77 23
Cipher Key 2:	12 45 A2 A1 23 31 A4 A3	B2 CC <u>AB</u> 34	C2 BB 77 23

## 7.3.1 Continue

### Example 7.8 *Continue*

**Table 7.6** Comparing two sets of round keys

R.	Round keys for set 1	Round keys for set 2	B. D.
—	1245A2A1 2331A4A3 B2CCAA <u>A</u> 34 C2BB7723	1245A2A1 2331A4A3 B2CC <u>A</u> B34 C2BB7723	01
1	F9B08484 DA812027 684D8 <u>A</u> 13 AAF6 <u>FD</u> 30	F9B08484 DA812027 684D8 <u>B</u> 13 AAF6 <u>FC</u> 30	02
2	B9E48028 6365A00F 0B282A1C A1DED72C	B9008028 6381A00F 0BCC2B1C A13AD72C	17
3	A0EAF11A C38F5115 C8A77B09 6979AC25	3D0EF11A 5E8F5115 55437A09 F479AD25	30
4	1E7BCEE3 DDF49FF6 1553E4FF 7C2A48DA	839BCEA5 DD149FB0 8857E5B9 7C2E489C	31
5	EB2999F3 36DD0605 238EE2FA 5FA4AA20	A2C910B5 7FDD8F05 F78A6ABC 8BA42220	34
6	82852E3C B4582839 97D6CAC3 C87260E3	CB5AA788 B487288D 430D4231 C8A96011	56
7	82553FD4 360D17ED A1DBDD2E 69A9BD <b>D</b>	588A2560 EC0D0DED AF004FDC 67A92FCD	50
8	D12F822D E72295C0 46F948EE 2F50F523	0B9F98E5 E7929508 4892DAD4 2F3BF519	44
9	99C9A438 7EEB31F8 38127916 17428C35	F2794CF0 15EBD9F8 5D79032C 7242F635	51
10	83AD32C8 FD460330 C5547A26 D216F613	E83BDAB0 FDD00348 A0A90064 D2EBF651	52

## 7.3.1 Continue

### Example 7.9

The concept of weak keys, as we discussed for DES, does not apply to AES. Assume that all bits in the cipher key are 0s. The following shows the words for some rounds:

Pre-round:	0000000	0000000	0000000	0000000
Round 01:	62636363	62636363	62636363	62636363
Round 02:	9B9898C9	F9FBFBAA	9B9898C9	F9FBFBAA
Round 03:	90973450	696CCFFA	F2F45733	0B0FAC99
...	...	...	...	...
Round 10:	B4EF5BCB	3E92E211	23E951CF	6F8F188E

The words in the pre-round and the first round are all the same. In the second round, the first word matches with the third; the second word matches with the fourth. However, after the second round the pattern disappears; every word is different.

## 7.3.2 Key Expansion in AES-192 and AES-256

*Key-expansion algorithms in the AES-192 and AES-256 versions are very similar to the key expansion algorithm in AES-128, with the following differences:*

### 7.3.3 Key-Expansion Analysis

*The key-expansion mechanism in AES has been designed to provide several features that thwart the cryptanalyst.*

## **7-4 CIPHERS**

*AES uses four types of transformations for encryption and decryption. In the standard, the encryption algorithm is referred to as the cipher and the decryption algorithm as the inverse cipher.*

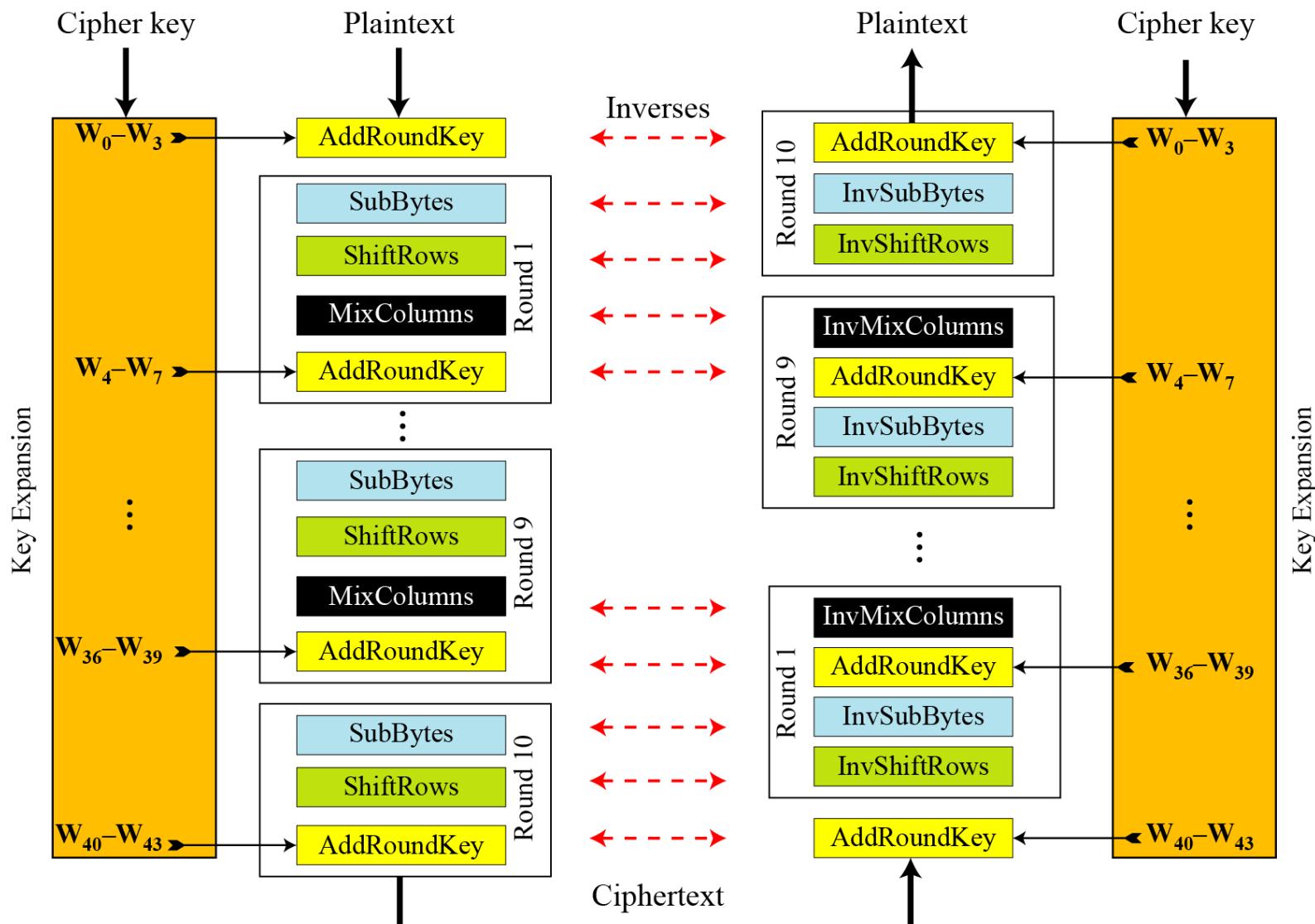
### **Topics discussed in this section:**

**7.4.1 Original Design**

**7.4.2 Alternative Design**

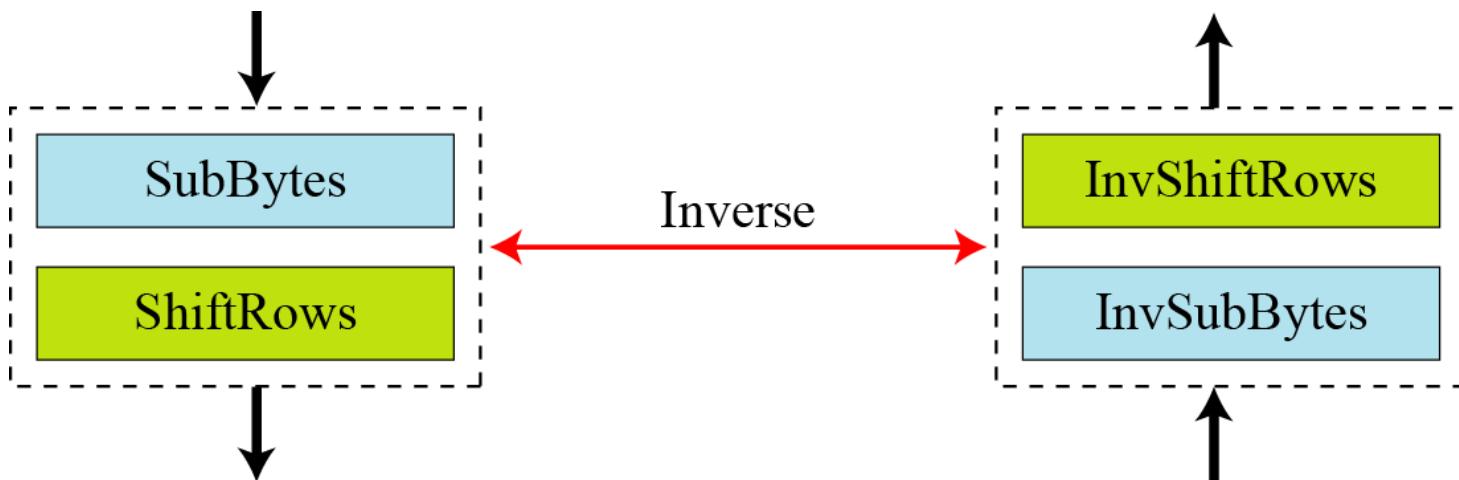
## 7.4.1 Original Design

**Figure 7.17** Ciphers and inverse ciphers of the original design



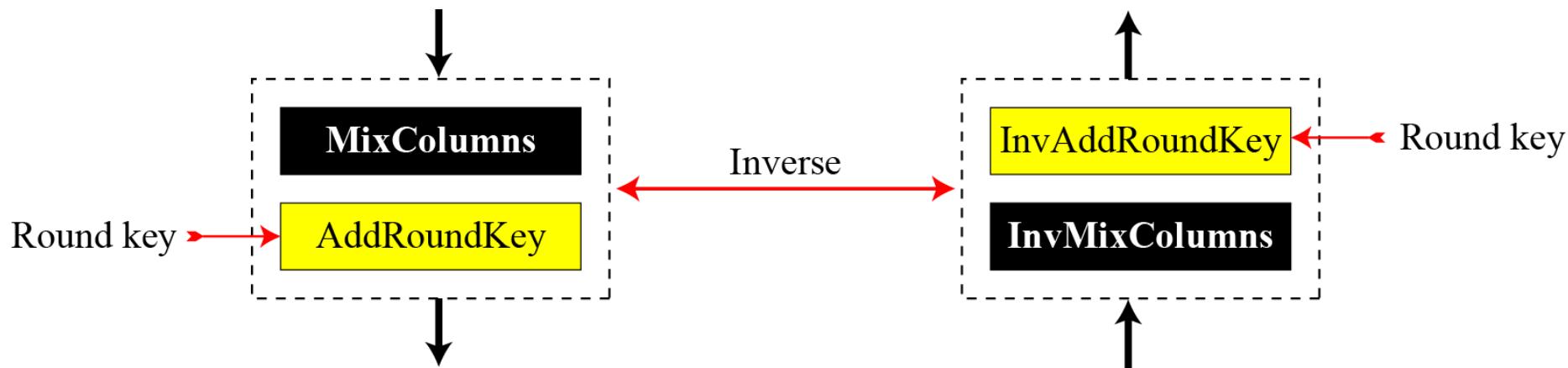
## 7.4.2 Alternative Design

**Figure 7.18 Invertibility of SubBytes and ShiftRows combinations**



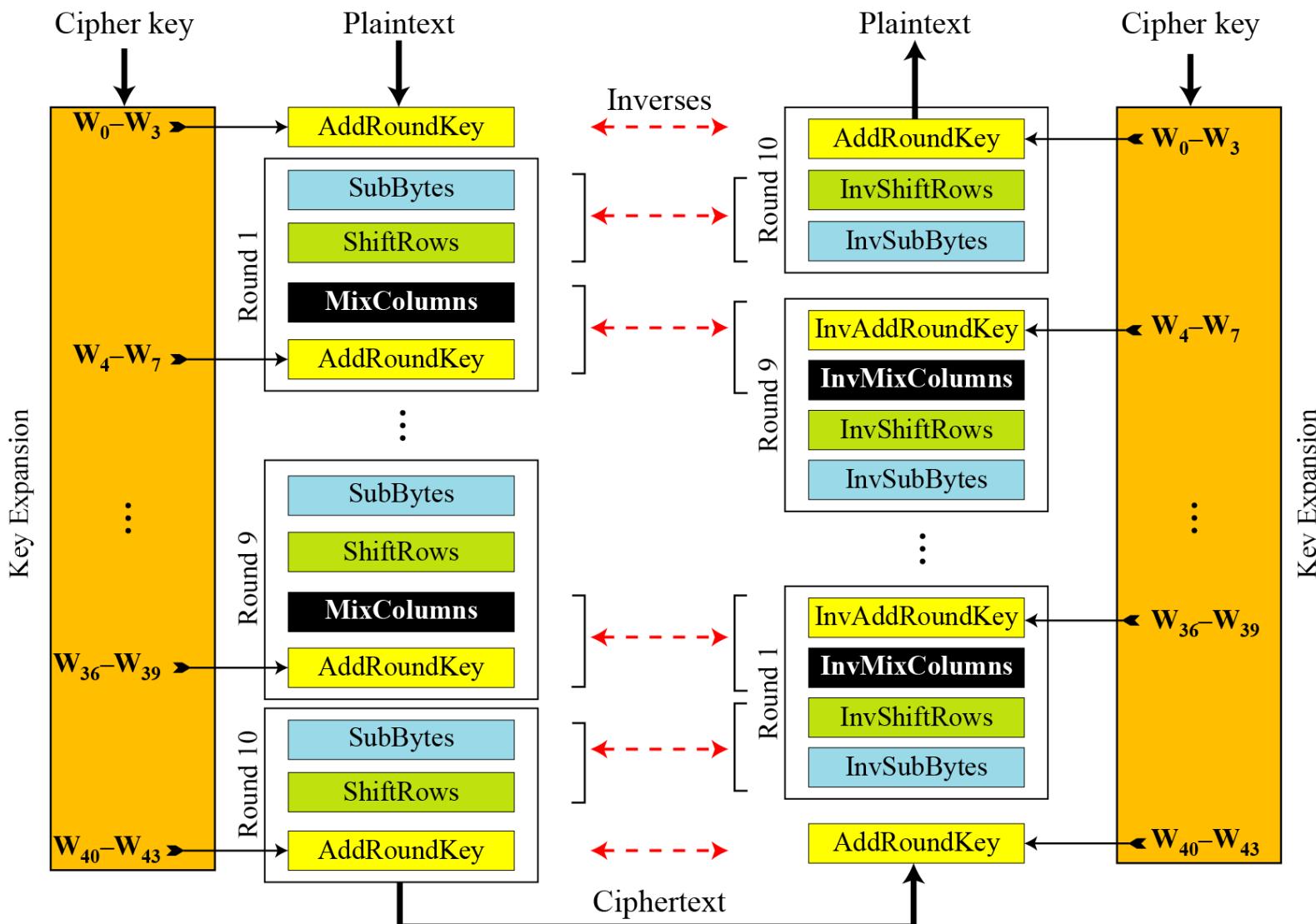
## 7.4.2 Continue

**Figure 7.19 Invertibility of MixColumns and AddRoundKey combination**



## 7.4.2 Continue

**Figure 7.20** Cipher and reverse cipher in alternate design



## 7.4.2 Continue

### *Changing Key-Expansion Algorithm*

*Instead of using InvRoundKey transformation in the reverse cipher, the key-expansion algorithm can be changed to create a different set of round keys for the inverse cipher.*

## 7-5 Examples

*In this section, some examples of encryption/decryption and key generation are given to emphasize some points discussed in the two previous sections.*

### Example 7.10

**The following shows the ciphertext block created from a plaintext block using a randomly selected cipher key.**

<b>Plaintext:</b>	00	04	12	14	12	04	12	00	0C	00	13	11	08	23	19	19
<b>Cipher Key:</b>	24	75	A2	B3	34	75	56	88	31	E2	12	00	13	AA	54	87
<b>Ciphertext:</b>	BC	02	8B	D3	E0	E3	B1	95	55	0D	6D	FB	E6	F1	82	41

# 7-5 Continued

## Example 7.10 Continued

**Table 7.7** Example of encryption

Round	Input State				Output State				Round Key			
Pre-round	00	12	0C	08	24	26	3D	1B	24	34	31	13
	04	04	00	23	71	71	E2	89	75	75	E2	AA
	12	12	13	19	B0	44	01	4D	A2	56	12	54
	14	00	11	19	A7	88	11	9E	B3	88	00	87
1	24	26	3D	1B	6C	44	13	BD	89	BD	8C	9F
	71	71	E2	89	B1	9E	46	35	55	20	C2	68
	B0	44	01	4D	C5	B5	F3	02	B5	E3	F1	A5
	A7	88	11	9E	5D	87	FC	8C	CE	46	46	C1
2	6C	44	13	BD	1A	90	15	B2	CE	73	FF	60
	B1	9E	46	35	66	09	1D	FC	53	73	B1	D9
	C5	B5	F3	02	20	55	5A	B2	CD	2E	DF	7A
	5D	87	FC	8C	2B	CB	8C	3C	15	53	15	D4

# 7-5 Continued

## Example 7.10      Continued

3	1A 90 15 B2 66 09 1D FC 20 55 5A B2 2B CB 8C 3C	F6 7D A2 B0 1B 61 B4 B8 67 09 C9 45 4A 5C 51 09	FF 8C 73 13 89 FA 4B 92 85 AB 74 0E C5 96 83 57
4	F6 7D A2 B0 1B 61 B4 B8 67 09 C9 45 4A 5C 51 09	CA E5 48 BB D8 42 AF 71 D1 BA 98 2D 4E 60 9E DF	B8 34 47 54 22 D8 93 01 DE 75 01 0F B8 2E AD FA
5	CA E5 48 BB D8 42 AF 71 D1 BA 98 2D 4E 60 9E DF	90 35 13 60 2C FB 82 3A 9E FC 61 ED 49 39 CB 47	D4 E0 A7 F3 54 8C 1F 1E F3 86 87 88 98 B6 1B E1
6	90 35 13 60 2C FB 82 3A 9E FC 61 ED 49 39 CB 47	18 0A B9 B5 64 68 6A FB 5A EF D7 79 8E B2 10 4D	86 66 C1 32 90 1C 03 1D 0B 8D 0A 82 95 23 38 D9

## 7-5 Continued

### Example 7.10      Continued

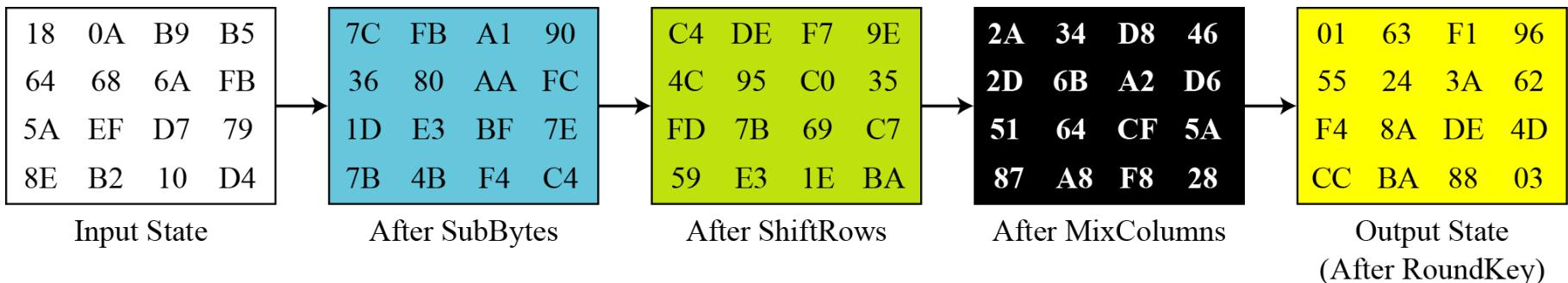
7	18 0A B9 B5 64 68 6A FB 5A EF D7 79 8E B2 10 4D	01 63 F1 96 55 24 3A 62 F4 8A DE 4D CC BA 88 03	62 04 C5 F7 83 9F 9C 81 3E B3 B9 3B B6 95 AD 74
8	01 63 F1 96 55 24 3A 62 F4 8A DE 4D CC BA 88 03	2A 34 D8 46 2D 6B A2 D6 51 64 CF 5A 87 A8 F8 28	EE EA 2F D8 61 FE 62 E3 AC 1F A6 9D DE 4B E6 92
9	2A 34 D8 46 2D 6B A2 D6 51 64 CF 5A 87 A8 F8 28	0A D9 F1 3C 95 63 9F 35 2A 80 29 00 16 76 09 77	E4 0E 21 F9 3F C1 A3 40 E3 FC 5A C7 BF F4 12 80
10	0A D9 F1 3C 95 63 9F 35 2A 80 29 00 16 76 09 77	BC E0 55 E6 02 E3 0D F1 8B B1 6D 82 D3 95 F8 41	DB D5 F4 0D F9 38 9B DB 2E D2 88 4F 26 D2 C0 40

## 7-5 Continued

### Example 7.11

Figure 7.21 shows the state entries in one round, round 7, in Example 7.10.

**Figure 7.21 States in a single round**



## 7-5 Continued

### Example 7.12

**One may be curious to see the result of encryption when the plaintext is made of all 0s. Using the cipher key in Example 7.10 yields the ciphertext.**

Plaintext: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00

Cipher Key: 24 75 A2 B3 34 75 56 88 31 E2 12 00 13 AA 54 87

Ciphertext: 63 2C D4 5E 5D 56 ED B5 62 04 01 A0 AA 9C 2D 8D

## 7-5 Continued

### Example 7.13

Let us check the avalanche effect that we discussed in Chapter 6. Let us change only one bit in the plaintext and compare the results. We changed only one bit in the last byte. The result clearly shows the effect of diffusion and confusion. Changing a single bit in the plaintext has affected many bits in the ciphertext.

Plaintext 1: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00

Plaintext 2: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 01

Ciphertext 1: 63 2C D4 5E 5D 56 ED B5 62 04 01 A0 AA 9C 2D 8D

Ciphertext 2: 26 F3 9B BC A1 9C 0F B7 C7 2E 7E 30 63 92 73 13

## 7-5 Continued

### Example 7.14

The following shows the effect of using a cipher key in which all bits are 0s.

Plaintext:	00	04	12	14	12	04	12	00	0c	00	13	11	08	23	19	19
Cipher Key:	00	00	00	00	00	00	00	00	00	00	00	00	00	00	00	00
Ciphertext:	5A	6F	4B	67	57	B7	A5	D2	C4	30	91	ED	64	9A	42	72

## **7-6 ANALYSIS OF AES**

*This section is a brief review of the three characteristics of AES.*

**Topics discussed in this section:**

**7.6.1 Security**

**7.6.2 Implementation**

**7.6.3 Simplicity and Cost**

## 7.6.1 Security

*AES was designed after DES. Most of the known attacks on DES were already tested on AES.*

### **Brute-Force Attack**

*AES is definitely more secure than DES due to the larger-size key.*

### **Statistical Attacks**

*Numerous tests have failed to do statistical analysis of the ciphertext.*

### **Differential and Linear Attacks**

*There are no differential and linear attacks on AES as yet.*

## 7.6.1 Continue

### *Statistical Attacks*

*Numerous tests have failed to do statistical analysis of the ciphertext.*

### *Differential and Linear Attacks*

*There are no differential and linear attacks on AES as yet.*

## 7.6.2 Implementation

*AES can be implemented in software, hardware, and firmware. The implementation can use table lookup process or routines that use a well-defined algebraic structure.*

## 7.6.3 Simplicity and Cost

*The algorithms used in AES are so simple that they can be easily implemented using cheap processors and a minimum amount of memory.*