

	month town flat_type block street_name storey_range floor_area_sqm flat_model lease_commence_date 0 1990- 01 ANG MO KIO 1 ROOM 309 ANG MO KIO AVE 1 10 TO 12 31.0 IMPROVED 1977
	1 1990- 1 01 ANG MO KIO 1 ROOM 309 ANG MO 04 TO 06 31.0 IMPROVED 1977
	2 1990- 01 ANG MO KIO 1 ROOM 309 ANG MO KIO 10 TO 12 31.0 IMPROVED 1977 3 1990- 01 ANG MO KIO 1 ROOM 309 ANG MO KIO AVE 1 07 TO 09 31.0 IMPROVED 1977
	4 1990- 4 01 ANG MO KIO 3 ROOM 216 ANG MO 04 TO 06 73.0 NEW 1976
	992 1990- 01 KALLANG/WHAMPOA 3 ROOM 82 WHAMPOA DR 13 TO 15 66.0 IMPROVED 1974 996 1990- 01 KALLANG/WHAMPOA 3 ROOM 98 WHAMPOA DR 13 TO 15 65.0 IMPROVED 1974
	997 1990- 01 KALLANG/WHAMPOA 3 ROOM 98 WHAMPOA DR 13 TO 15 65.0 IMPROVED 1974 998 1990- 01 KALLANG/WHAMPOA 3 ROOM 65 KALLANG BAHRU 07 TO 09 65.0 IMPROVED 1981
	999 1990- 01 KALLANG/WHAMPOA 3 ROOM 65 KALLANG 13 TO 15 65.0 IMPROVED 1981
In [298]:	<pre>fig, (ax1, ax2) = plt.subplots(1, 2, figsize=(12, 5)) fig.suptitle('Distributions of latitude and longitude in the Resale Flat Prices dataset', fontsize</pre>
	ax1.hist(new_dataset.latitude) ax1.set_xlabel('Latitude', fontsize=13) ax1.set_ylabel('Frequency', fontsize=13) ax2.hist(new_dataset.longitude) ax2.set_xlabel('Longitude', fontsize=13) ax2.set_ylabel('Frequency', fontsize=13); Distributions of latitude and longitude in the Resale Flat Prices dataset
	700 - 600 - 500 -
	200 - 200 -
[n [299]: [n [300]:	# As we can see with latitude range 0 to 10, maximum flats were sold and same for longitude around 00. # So, these locations might be ideal location for flat sale in future also.
	<pre>import geopandas as gpd from geopandas import GeoDataFrame geometry = [Point(xy) for xy in zip(new_dataset['longitude'], new_dataset['latitude'])] gdf = GeoDataFrame(new_dataset, geometry=geometry) world = gpd.read_file(gpd.datasets.get_path('naturalearth_lowres')) gdf.plot(ax=world.plot(figsize=(10, 6)), marker='o', color='red', markersize=15); #Ref: Stackoverflow</pre>
	50 - 25 - 0 - -25 -
[n [301]:	-5075150 -100 -50 0 50 100 150 import geopandas
In [302]:	<pre>gdf = geopandas.GeoDataFrame(new_dataset, geometry=geopandas.points_from_xy(new_dataset.longitude, ew_dataset.latitude)) print(gdf.head()) month town flat_type block street_name storey_range \ 0 1990-01 ANG MO KIO 1 ROOM 309 ANG MO KIO AVE 1 10 TO 12 1 1990-01 ANG MO KIO 1 ROOM 309 ANG MO KIO AVE 1 04 TO 06 2 1990-01 ANG MO KIO 1 ROOM 309 ANG MO KIO AVE 1 10 TO 12</pre>
	3 1990-01 ANG MO KIO 1 ROOM 309 ANG MO KIO AVE 1 07 TO 09 4 1990-01 ANG MO KIO 3 ROOM 216 ANG MO KIO AVE 1 04 TO 06 floor_area_sqm flat_model lease_commence_date resale_price \ 0 31.0 IMPROVED 1977 9000 1 31.0 IMPROVED 1977 6000 2 31.0 IMPROVED 1977 8000 3 31.0 IMPROVED 1977 6000 4 73.0 NEW GENERATION 1976 47200
	town block street_name Full_Address \ 0 ANG MO KIO 309 ANG MO KIO AVE 1 309, ANG MO KIO AVE 1 1 ANG MO KIO 309 ANG MO KIO AVE 1 309, ANG MO KIO AVE 1 2 ANG MO KIO 309 ANG MO KIO AVE 1 309, ANG MO KIO AVE 1 3 ANG MO KIO 309 ANG MO KIO AVE 1 309, ANG MO KIO AVE 1 4 ANG MO KIO 216 ANG MO KIO AVE 1 216, ANG MO KIO AVE 1 location \
	O (Ang Mo Kio Avenue 1, Ang Mo Kio, Singapore, C 1 (Ang Mo Kio Avenue 1, Ang Mo Kio, Singapore, C 2 (Ang Mo Kio Avenue 1, Ang Mo Kio, Singapore, C 3 (Ang Mo Kio Avenue 1, Ang Mo Kio, Singapore, C 4 (Ang Mo Kio Avenue 1, Ang Mo Kio, Singapore, C point latitude longitude altitude \ 0 (1.3645119, 103.8420761, 0.0) 1.364512 103.842076 0.0 1 (1.3645119, 103.8420761, 0.0) 1.364512 103.842076 0.0
	2 (1.3645119, 103.8420761, 0.0) 1.364512 103.842076 0.0 3 (1.3645119, 103.8420761, 0.0) 1.364512 103.842076 0.0 4 (1.3645119, 103.8420761, 0.0) 1.364512 103.842076 0.0 geometry POINT (103.84208 1.36451) 1 POINT (103.84208 1.36451) 2 POINT (103.84208 1.36451) 3 POINT (103.84208 1.36451)
In [303]:	<pre>4 POINT (103.84208 1.36451) [5 rows x 21 columns] world = geopandas.read_file(geopandas.datasets.get_path('naturalearth_lowres')) # We restrict to Singapore. ax = world[world.continent == 'Singapore'].plot(color='white', edgecolor='black') gdf.plot(ax=ax, color='red')</pre>
	plt.show() 50- 25- 025-
[n [304]:	plt.figure(figsize = (10,8)) plt.scatter(new_dataset.longitude, new_dataset.latitude ,c=new_dataset.resale_price, cmap = 'cool' s=1) plt.colorbar().set_label('Resale Flat Price (\$)', fontsize=14) plt.xlabel('Longitude', fontsize=14) plt.ylabel('Latitude', fontsize=14) plt.title('Resale Flat Price (\$)', fontsize=17)
	Resale Flat Price (\$) Resale Flat Price (\$) -200000
	atitude - 1500001 Flat Price (\$)
	-100000 gg -50000
In [2]:	# As we can see Locations for which longitude is between -100 to 50 and latitude between 30 to 50, # Flat prices are below 5000\$.
[n [307]:	Building the Model: Predicting the resale flat price ## Once we get a good fit, we will use this model to predict the sale price of the flat. #modified_dataset=pd.concat([modified_dataset,Address_info], axis=1)
In [309]: In [310]:	<pre>#modified_dataset #array_train_data=train_dataset.to_numpy() columns_to_remove = (0,1,3,4,7,8) new_object = [[x for i,x in enumerate(l) if i not in columns_to_remove] for l in data] #new_object</pre>
	<pre>index_values = [i for i in range(len(data))] # creating a list of column names column_values = ['flat_type','floor_area_sqm', 'number_of_storeys', 'resale_price'] # creating the dataframe df = pd.DataFrame(data = new_object,</pre>
In [313]:	<pre>df = pd.DataFrame(data = new_object,</pre>
In [314]: In [315]: Out[315]:	<pre>i[b], i[a] = i[a], i[b] df = df[i] df = df.rename(columns={'floor_area_sqm': 'number_of_storeys', 'number_of_storeys': 'floor_area_sqm'}) df</pre>
_v]:	flat_type floor_area_sqm number_of_storeys resale_price 0 1 31.0 11 9000 1 1 31.0 5 6000 2 1 31.0 11 8000 3 1 31.0 8 6000 4 2 73.0 5 47200
	4 2 73.0 5 47200 287195 3 142.0 11 456000 287196 3 142.0 2 408000 287197 3 146.0 8 469000 287198 3 146.0 5 440000 287199 3 145.0 2 484000
	287200 rows × 4 columns Implementation from scratch: Equation of Best Fit Hyperplane: $z^* = (A^TA)^{-1}A^TB$ for system of equations $Az = b$
	where vector b is not in plane of column vectors of matrix A and to get the approximate solution, we have projected the vector b in plane which is \hat{b}
	<pre>\$\text{and so solving \$Az^ = \hat{b}, wegetz^ = (A^TA)^{-1} A^TB}\ dataset=df.to_numpy() #converting dataframe to numpy array # writing it in z= ax+by+c form and then convert it into matrix form # I am writing it in matrix equation form directly A=[]</pre>
	<pre>for i in range(10): temp=[] temp.append(dataset[i][0]) temp.append(dataset[i][1]) temp.append(1) # for coefficient of c i.e. 1 A.append(temp)</pre> B=[] for i in range(10):
In [318]:	<pre>B.append(dataset[i][-1]) # Printing matrix A and vector B print(A) print(B) [[1.0, 31.0, 1], [1.0, 31.0, 1], [1.0, 31.0, 1], [1.0, 31.0, 1], [2.0, 73.0, 1], [2.0, 67.0, 1], [0, 67.0, 1], [2.0, 67.0, 1], [2.0, 67.0, 1], [2.0, 67.0, 1]] [9000.0, 6000.0, 8000.0, 6000.0, 47200.0, 46000.0, 42000.0, 38000.0, 40000.0, 47000.0]</pre>
[n [319]:	<pre>#writing function for transpose of a matrix def transpose(A,m,n): trans=[] for j in range(n): temp=[] for i in range(m): temp.append(A[i][j]) trans.append(temp)</pre>
	return trans trans_A= transpose(A,10,3) print(transpose(A,10,3)) # printing transpose of matrix A [[1.0, 1.0, 1.0, 1.0, 2.0, 2.0, 2.0, 2.0, 2.0], [31.0, 31.0, 31.0, 31.0, 73.0, 67.0, 67.0, 67.0], [1, 1, 1, 1, 1, 1, 1, 1]]
	<pre>mul = np.dot(trans_A, A) # multiplying A^T and A inv = np.linalg.inv(mul) # inverse of A^T*A prod= np.dot(inv,trans_A) # multiplying (A^T*A)^-1 and A^T res = np.dot(prod,B) # finding (A^T*A)^-1 * A^T* B # So, our result matrix is print(res) # It shows the values of a,b,c</pre> [7750. 766.66666667 -24266.66666667]
In [323]: In []:	### Conclusion : Best fit hyperplane for the given data is z = 7750*x + 766.666*y - 24266.66 #### To estimate the resale_price, I will use this best fit hyperplane ###
	<pre>Using already implemented Linear Regression #df.dropna() #drop all rows that have any NaN values X = df[['flat_type','floor_area_sqm','number_of_storeys']]</pre>
In [326]: Out[326]:	X.head() flat_type floor_area_sqm number_of_storeys 0 1 31.0 11 1 1 31.0 5 2 1 31.0 11
	<pre>3 1 31.0 8 4 2 73.0 5 Y = df['resale_price'] from sklearn.model_selection import train_test_split X_train, X_test, y_train, y_test = train_test_split(X, Y, test_size=0.4, random_state=101)</pre>
	<pre>print(X_train.shape) print(X_test.shape) print(y_train.shape) print(y_test.shape) (172320, 3) (114880, 3) (172320,) (114880,)</pre>
Out[329]:	<pre>from sklearn.linear_model import LinearRegression model = LinearRegression() model.fit(X_train, y_train) LinearRegression(copy_X=True, fit_intercept=True, n_jobs=None, normalize=False) # print the intercept print(model.intercept_)</pre>
In [331]:	-139417.47355002948 coeff_parameter = pd.DataFrame(model.coef_,X.columns,columns=['Coefficient']) coeff_parameter #The sign of each coefficient indicates the direction of the relationship #between a predictor variable and the response variable. # A positive sign indicates that as the predictor variable increases, the Target variable also incases. #A negative sign indicates that as the predictor variable increases, the Target variable decreases
Out[331]:	Coefficient flat_type 1433.563625 floor_area_sqm 3707.883673 number_of_storeys 1293.607392
In [333]:	<pre>predictions = model.predict(X_test) predictions array([331474.70669051, 327766.82301799, 81439.99850133,,</pre>
	1000000 - 800000 - 600000 - 400000 -
[n [334]: Dut[334]:	200000 - 100000 200000 300000 400000 500000 600000 700000 800000 900000 resale_price model.score(X_test,y_test) 0.6378112217247257
In [335]: In [336]:	<pre>from sklearn import ensemble clf = ensemble.GradientBoostingRegressor(n_estimators = 400, max_depth = 5, min_samples_split = 2, arning_rate = 0.1, loss = 'ls') clf.fit(X_train, y_train) clf.score(X_test,y_test) 0.6538535149045275</pre>
[n [337]:	
	Dep. Variable: resale_price R-squared: 0.637 Model: OLS Adj. R-squared: 0.637 Method: Least Squares F-statistic: 1.006e+05 Date: Mon, 15 Mar 2021 Prob (F-statistic): 0.00 Time: 03:22:11 Log-Likelihood: -2.1841e+06 No. Observations: 172320 AIC: 4.368e+06 Df Residuals: 172316 BIC: 4.368e+06 Df Model: 3 Covariance Type: nonrobust
	const
	Prob(Omnibus): 0.000 Jarque-Bera (JB): 11772.126 Skew: -0.367 Prob(JB): 0.00 Kurtosis: 4.049 Cond. No. 559. ==================================
	Conclusion \$\$\text{Many factors are affecting the resale prices of the flat, like floor_area which increases} $< br > \text{text{the price of the flat and even location of the flat influencing the prices of the flat.}}$ \$
In []:	

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