Chapter_10_Predicting_Continuous_Target_Variables_with_Regression_A

March 19, 2024

0.1 Loading the Housing dataset into a data frame

```
[1]: import pandas as pd
    df = pd.read_csv('https://raw.githubusercontent.com/rasbt/
     ⇒python-machine-learning-book-2nd-edition/master/code/ch10/housing.data.
     df.columns = ['CRIM', 'ZN', 'INDUS', 'CHAS', 'NOX', 'RM', 'AGE', 'DIS', |

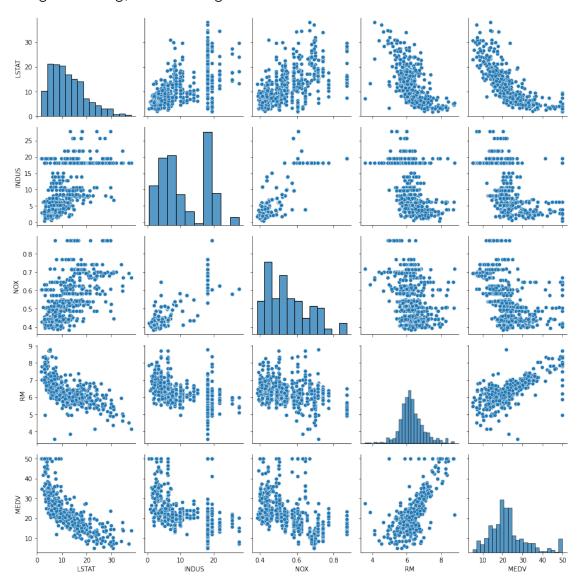
¬'RAD','TAX', 'PTRATIO', 'B', 'LSTAT', 'MEDV']
    df.head()
[1]:
          CRIM
                 ZN
                     INDUS CHAS
                                   NOX
                                           RM
                                                AGE
                                                           RAD
                                                                   TAX \
                                                       DIS
    0 0.00632 18.0
                      2.31
                               0 0.538
                                        6.575
                                               65.2 4.0900
                                                                 296.0
                                                              1
    1 0.02731
                0.0
                      7.07
                               0 0.469
                                        6.421 78.9 4.9671
                                                                 242.0
                                               61.1 4.9671
    2 0.02729
                0.0
                      7.07
                               0 0.469
                                        7.185
                                                              2 242.0
    3 0.03237
                                        6.998 45.8 6.0622
                                                              3 222.0
                0.0
                      2.18
                               0 0.458
    4 0.06905
                0.0
                      2.18
                               0 0.458 7.147
                                               54.2 6.0622
                                                              3 222.0
       PTRATIO
                    B LSTAT MEDV
    0
          15.3 396.90
                        4.98
                              24.0
          17.8 396.90
                              21.6
    1
                        9.14
    2
          17.8 392.83
                        4.03
                              34.7
    3
          18.7
                        2.94 33.4
               394.63
    4
          18.7
               396.90
                        5.33
                              36.2
```

0.2 Visulaizing the important characteristics of a dataset

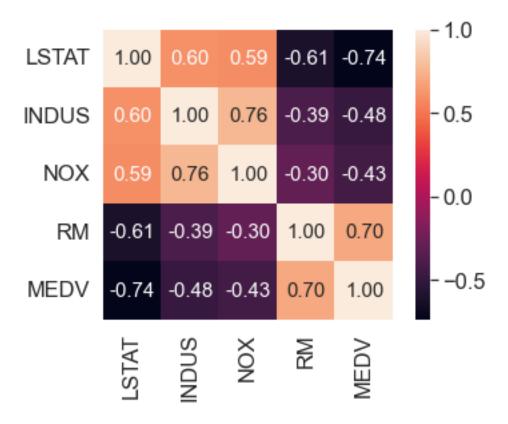
```
[4]: import matplotlib.pyplot as plt
import seaborn as sns
cols = ['LSTAT', 'INDUS', 'NOX', 'RM', 'MEDV']
sns.pairplot(df[cols], size=2.5)
plt.tight_layout()
plt.show()
```

C:\Users\ankit19.gupta\OneDrive - Reliance Corporate IT Park Limited\Desktop\Sel f_Projects\Python_Machine_Learning_Sebastian_Raschka\myenv\lib\site-packages\seaborn\axisgrid.py:2076: UserWarning: The `size` parameter has been

renamed to `height`; please update your code.
warnings.warn(msg, UserWarning)



0.3 Looking at relationships using a correlation matrix



- 0.4 Implementing an ordinary least squares linear regression model
- 0.5 Solving regression for regression parameters with gradient descent

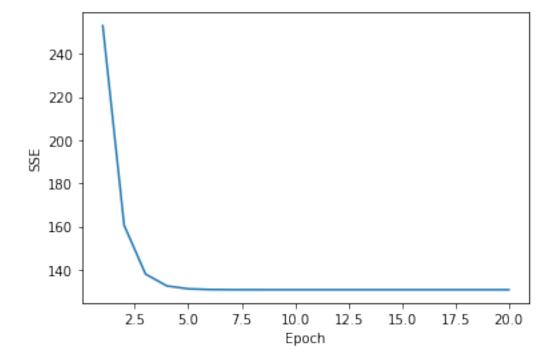
```
[6]: class LinearRegressionGD(object):
         def __init__(self, eta=0.001, n_iter=20):
             self.eta = eta
             self.n_iter = n_iter
         def fit(self, X, y):
             self.w_ = np.zeros(1 + X.shape[1])
             self.cost_ = []
             for i in range(self.n_iter):
                 output = self.net_input(X)
                 errors = (y - output)
                 self.w_[1:] += self.eta * X.T.dot(errors)
                 self.w_[0] += self.eta * errors.sum()
                 cost = (errors**2).sum() / 2.0
                 self.cost_.append(cost)
             return self
         def net_input(self, X):
             return np.dot(X, self.w_[1:]) + self.w_[0]
         def predict(self, X):
```

```
return self.net_input(X)
```

```
[7]: X = df[['RM']].values
    y = df['MEDV'].values
    from sklearn.preprocessing import StandardScaler
    sc_x = StandardScaler()
    sc_y = StandardScaler()
    X_std = sc_x.fit_transform(X)
    y_std = sc_y.fit_transform(y[:, np.newaxis]).flatten()
    lr = LinearRegressionGD()
    lr.fit(X_std, y_std)
```

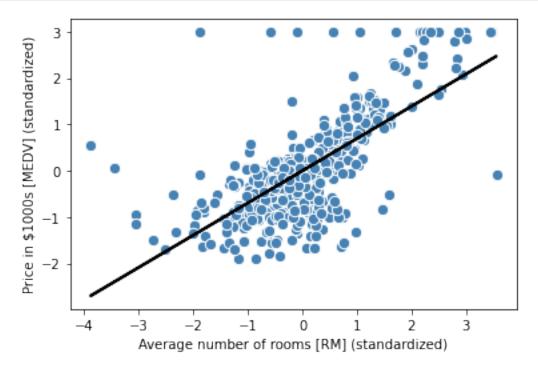
[7]: <__main__.LinearRegressionGD at 0x2b5f4b2a240>

```
[8]: sns.reset_orig() # resets matplotlib style
plt.plot(range(1, lr.n_iter+1), lr.cost_)
plt.ylabel('SSE')
plt.xlabel('Epoch')
plt.show()
```



```
[9]: def lin_regplot(X, y, model):
    plt.scatter(X, y, c='steelblue', edgecolor='white', s=70)
    plt.plot(X, model.predict(X), color='black', lw=2)
    return None
```

```
[10]: lin_regplot(X_std, y_std, lr)
    plt.xlabel('Average number of rooms [RM] (standardized)')
    plt.ylabel('Price in $1000s [MEDV] (standardized)')
    plt.show()
```



```
[15]: # num_rooms_std = sc_x.transform([5.0])
# price_std = lr.predict(num_rooms_std)
# print("Price in $1000s: %.3f" % sc_y.inverse_transform(price_std))
```

```
[16]: print('Slope: %.3f' % lr.w_[1])
print('Intercept: %.3f' % lr.w_[0])
```

Slope: 0.695 Intercept: -0.000

0.6 Estimating coefficients of the Regression model via scikit-learn

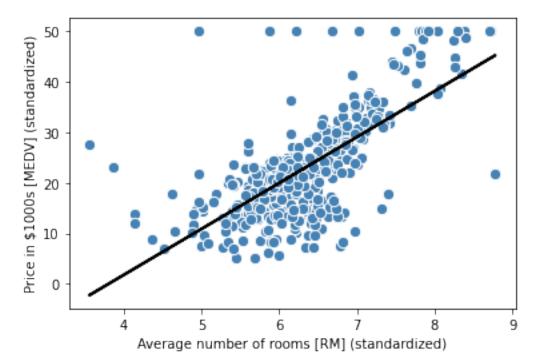
```
[18]: from sklearn.linear_model import LinearRegression
slr = LinearRegression()
slr.fit(X, y)
print('Slope: %.3f' % slr.coef_[0])
```

Slope: 9.102

```
[19]: print('Intercept: %.3f' % slr.intercept_)
```

Intercept: -34.671

```
[20]: lin_regplot(X, y, slr)
    plt.xlabel('Average number of rooms [RM] (standardized)')
    plt.ylabel('Price in $1000s [MEDV] (standardized)')
    plt.show()
```

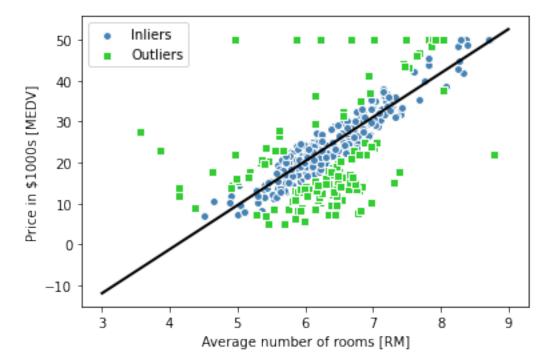


```
[21]: # adding a column vector of "ones"
Xb = np.hstack((np.ones((X.shape[0], 1)), X))
w = np.zeros(X.shape[1])
z = np.linalg.inv(np.dot(Xb.T, Xb))
w = np.dot(z, np.dot(Xb.T, y))
print('Slope: %.3f' % w[1])
print('Intercept: %.3f' % w[0])
```

Slope: 9.102
Intercept: -34.671

0.7 Fitting a robust regression model using RANSAC

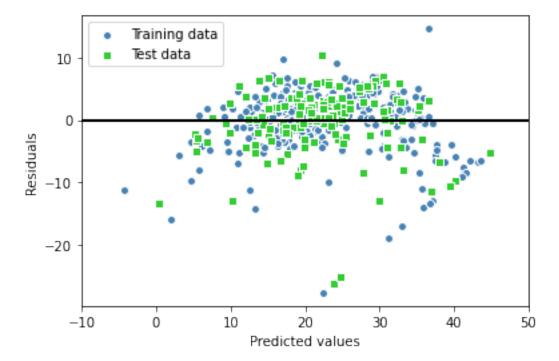
[22]: RANSACRegressor(base_estimator=LinearRegression(), min_samples=50, random_state=0, residual_threshold=5.0)



```
[24]: print('Slope: %.3f' % ransac.estimator_.coef_[0])
print('Intercept: %.3f' % ransac.estimator_.intercept_)
```

Slope: 10.735 Intercept: -44.089

0.8 Evaluating the performance of linear regression models



```
[27]: from sklearn.metrics import mean_squared_error
      print('MSE train: %.3f, test: %.3f' % (mean squared error(y_train,__

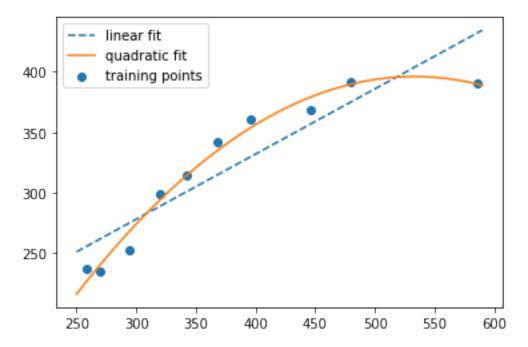
   y_train_pred),mean_squared_error(y_test, y_test_pred)))

     MSE train: 19.958, test: 27.196
[28]: from sklearn.metrics import r2_score
      print('R^2 train: %.3f, test: %.3f' %(r2_score(y_train,__
       →y_train_pred),r2_score(y_test, y_test_pred)))
     R<sup>2</sup> train: 0.765, test: 0.673
         Using regularized method for regression
[29]: from sklearn.linear_model import Ridge
      ridge = Ridge(alpha=1.0)
[30]: from sklearn.linear_model import Lasso
      lasso = Lasso(alpha=1.0)
[31]: from sklearn.linear_model import ElasticNet
      elanet = ElasticNet(alpha=1.0, l1_ratio=0.5)
[32]: #For example, if we set the l1 ratio to 1.0, the ElasticNet regressor
      #would be equal to LASSO regression
     0.10 Turning a linear regression model into a curve-polynomial regression
           model
     0.10.1 Adding polynomial terms using scikit-learn
[33]: from sklearn.preprocessing import PolynomialFeatures
      X = np.array([258.0, 270.0, 294.0, 320.0, 342.0, 368.0, 396.0, 446.0, 480.0]
       →586.0])[:, np.newaxis]
      y = np.array([236.4, 234.4, 252.8, 298.6, 314.2,342.2, 360.8, 368.0, 391.2]
       ⇒390.81)
      lr = LinearRegression()
      pr = LinearRegression()
      quadratic = PolynomialFeatures(degree=2)
      X_quad = quadratic.fit_transform(X)
[34]: lr.fit(X, y)
      X_fit = np.arange(250,600,10)[:, np.newaxis]
      y_lin_fit = lr.predict(X_fit)
```

y_quad_fit = pr.predict(quadratic.fit_transform(X_fit))

[35]: pr.fit(X_quad, y)

```
[36]: plt.scatter(X, y, label='training points')
  plt.plot(X_fit, y_lin_fit,label='linear fit', linestyle='--')
  plt.plot(X_fit, y_quad_fit,label='quadratic fit')
  plt.legend(loc='upper left')
  plt.show()
```



Training MSE linear: 569.780, quadratic: 61.330 Training R^2 linear: 0.832, quadratic: 0.982

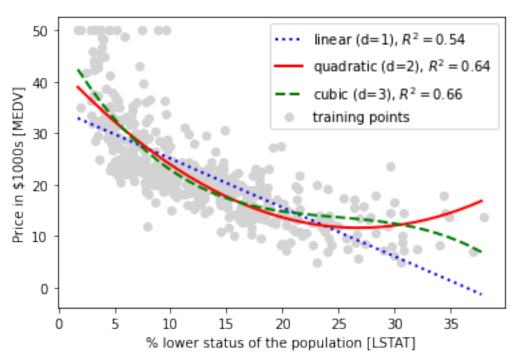
0.11 Modeling nonlinear relationships in the Housing dataset

```
[38]: X = df[['LSTAT']].values
y = df['MEDV'].values
regr = LinearRegression()
# create quadratic features
quadratic = PolynomialFeatures(degree=2)
cubic = PolynomialFeatures(degree=3)
X_quad = quadratic.fit_transform(X)
X_cubic = cubic.fit_transform(X)
```

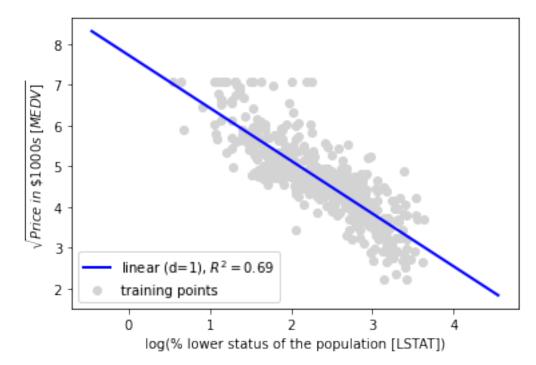
```
# fit features
X_fit = np.arange(X.min(), X.max(), 1)[:, np.newaxis]
regr = regr.fit(X, y)
y_lin_fit = regr.predict(X_fit)
linear_r2 = r2_score(y, regr.predict(X))
regr = regr.fit(X_quad, y)
y_quad_fit = regr.predict(quadratic.fit_transform(X_fit))
quadratic_r2 = r2_score(y, regr.predict(X_quad))
regr = regr.fit(X cubic, y)
y_cubic_fit = regr.predict(cubic.fit_transform(X_fit))
cubic_r2 = r2_score(y, regr.predict(X_cubic))
# plot results
plt.scatter(X, y, label='training points', color='lightgray')
plt.plot(X_fit, y_lin_fit, label='linear (d=1), $R^2=%.2f$' %__
 ⇔linear_r2,color='blue',lw=2,linestyle=':')
plt.plot(X_fit, y_quad_fit,label='quadratic (d=2), $R^2=%.2f$' %_

quadratic_r2,color='red',lw=2,linestyle='-')
plt.plot(X_fit, y_cubic_fit,label='cubic (d=3), $R^2=%.2f$' %_

cubic_r2,color='green',lw=2,linestyle='--')
plt.xlabel('% lower status of the population [LSTAT]')
plt.ylabel('Price in $1000s [MEDV]')
plt.legend(loc='upper right')
plt.show()
```



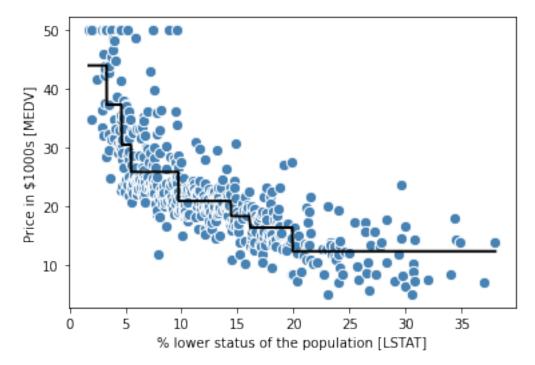
```
[39]: # transform features
      X_{\log} = np.\log(X)
      y_sqrt = np.sqrt(y)
      # fit features
      X_fit = np.arange(X_log.min()-1, X_log.max()+1, 1)[:, np.newaxis]
      regr = regr.fit(X_log, y_sqrt)
      y_lin_fit = regr.predict(X_fit)
      linear_r2 = r2_score(y_sqrt, regr.predict(X_log))
      # plot results
      plt.scatter(X_log, y_sqrt,label='training points',color='lightgray')
      plt.plot(X fit, y lin fit, label='linear (d=1), $R^2=\%.2f$' \%_1
       ⇔linear_r2,color='blue',lw=2)
      plt.xlabel('log(% lower status of the population [LSTAT])')
      plt.ylabel('$\sqrt{Price \; in \; \$1000s \; [MEDV]}$')
      plt.legend(loc='lower left')
      plt.show()
```



0.12 Dealing with nonlinear relationships using random forests

```
[40]: from sklearn.tree import DecisionTreeRegressor
X = df[['LSTAT']].values
y = df['MEDV'].values
tree = DecisionTreeRegressor(max_depth=3)
tree.fit(X, y)
```

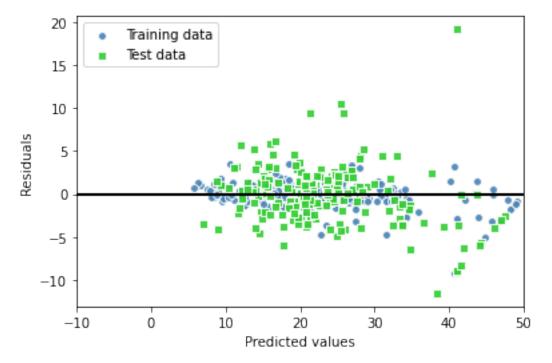
```
sort_idx = X.flatten().argsort()
lin_regplot(X[sort_idx], y[sort_idx], tree)
plt.xlabel('% lower status of the population [LSTAT]')
plt.ylabel('Price in $1000s [MEDV]')
plt.show()
```



0.13 Random forest regression

MSE train: 1.644, test: 11.085

R^2 train: 0.979, test: 0.877



[]: